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5.	one multiplier for old bits, one for even hits
	9 nanoseconds for each iteration of the multiplication unit (original one)
	multiply two 32 bit integers means 31 additions/shifts
	31×9 = 279 nanose conds
b)	For the new designe, we are working in parallel some
	effectively "halve" the time of the original multiplier.
	we then add 9 nanoseconds to compute the sum.
	There will be 2 16-bit multiplications that get
	added. So effectively it is
	(15 x a) + 9 =
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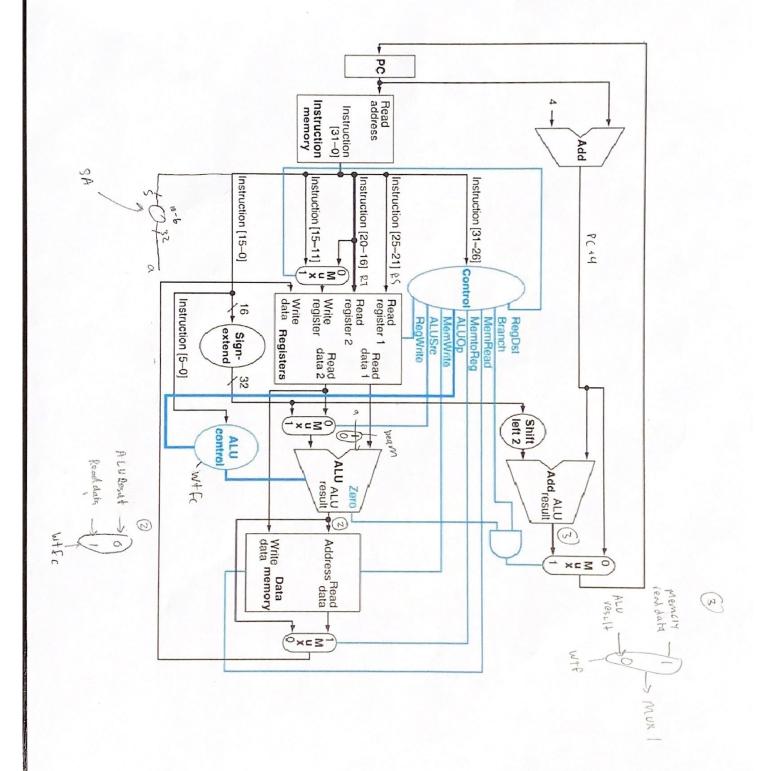
I will just use normal letters,

the greek symbols confuce me

Alpha = A, Beta = B, Gamma = C, Delta = B, Epsilon = E

	Alpha = 14, beta = 1 classes
6.	Delay: (K+6) T, where K is the fan-in of the gate.
	GO: AOBO
	> 2 input AND, 87
	PO: AO^80
	L> 2 input KOR, 8T
	G25: GE + GOPE + GCPOPE + GBPCPOPE + GAPAPC POPE + COPAPBBC POPE
	L> 87 (to generate (, P) + 127 (6AND + 127 (6OR) = 327
	P25: PAPB PC POPE
	L> 87' + 11T (5AND) = 197
	Ga: The G that govern a Sbit CLA should be the same.
	Thus, Ga and Gas should be the same as they are
	both Shit CLA (eventhough G25 "bit" Ts fechnically
	another Shit CLA)
	Pa: Same reasoning as Ga. P25 and Pashould be
	the same.
	C25: GE + GOPE + GCPOPE + GBPCPOPE + GAPBPCPOPE + CZOPAPBPCPOPE
	L> 121 + 127 + 19T = 437
	CSO: GE + Chope + GCPOPE + GBPCPOPE + CAPBPCPOPE + C25 PAPBPCPOPE
	L→ C25 takes 437 + 127+127 = 677
	C45: GD + GCPD + GBPCPD + GAPBPCPD + CHOPAPBPCPO
	i-> 111 1 117 1 327 = 547
	C49: G48 + G47 P48 + G46 P47 P48 + G45 P45 P47 P48 + C45 P45 P48 P47 P48
	L> 547 * 117 + 117 = 767
	549: (Aug ^ Bug) 7 (49 =
	L> 76 + 8 = 847
	Max delay is finding sug, 847

8. 200 billion instructions 36412  LW SW R-tyre Branch Jump 40 v. 10 v. 30 v. 15 v. 6 v.  CPI = 1. (single cycle)  C7 = \frac{1}{3} \times 10^{-9}  IC = 700 billion  E1 = 1 \times (\frac{1}{3} \times 10^{-9}) \times 200 billion = 66.67 s  CPI = 1 (still single cycle)  C7 = (\frac{1}{3} \times 10^{-9}) + (0.3 \times 10^{-9})  1 \times addition  25 v. of 10 ads  25 v. of 10 ads  25 v. of 40 v> 10 v.  Now we have 90 v. of original  E7 = 1 \times [(\frac{1}{3} \times 10^{-9}) + (0.3 \times 10^{-9})] \times (0.9 \times 200 billion)  E7 = 1 \times [(\frac{1}{3} \times 10^{-9}) + (0.3 \times 10^{-9})] \times (0.9 \times 200 billion)  E7 = 14 \times [(\frac{1}{3} \times 10^{-9}) + (0.3 \times 10^{-9})] \times (0.9 \times 200 billion)							
40 v. 10 y. 30 v. 15 v. 6 v.  CPI = 1. (stryle cycle)  C7 = \frac{1}{3} \times 10^{-9}  IC = 700 billren  ET = 1 \times (\frac{1}{3} \times 10^{-9}) \times 200 billren = 66.67 s  CPI = 1 (still stryle cycle)  C7 = (\frac{1}{3} \times 10^{-9}) + (0.3 \times 10^{-9})  1 \times additrenal 300 pico records  IC = 200 billren  25 v. of 10 ads  25 v. of 10 ads  25 v. of 40 v> 10 v.  Now we have 90 v. of original  ET = 1 \times [(\frac{1}{3} \times 10^{-9}) + (0.3 \times 10^{-9})] \times (0.9 \times 200 billion)  ET = 114s  9.  a = b Zero = 1	8.	200 billion instructions 36Hz					
$(PI = 1. (single cycle))$ $C7 = \frac{1}{3} \times 10^{-9}$ $IC = 700 \text{ billion}$ $E7 = 1 \times (\frac{1}{3} \times 10^{-9}) \times 200 \text{ billion} = 66.67 \text{ s}$ $CPI = 1 (still single cycle)$ $C7 = (\frac{1}{3} \times 10^{-9}) + (0.3 \times 10^{-9})$ $1 \qquad \qquad$		LW SW R-type Branch Jump					
$ \begin{array}{llllllllllllllllllllllllllllllllllll$		404. 104. 304. 154. 64.					
$IC = 700 \text{ billion}$ $EI = 1 \times (\frac{1}{3} \times 10^{-9}) \times 200 \text{ billion} = 66.67 \text{ s}$ $CPI = 1 \left( \text{strll straple cycle} \right)$ $CI = (\frac{1}{3} \times 10^{-9}) \cdot (0.3 \times 10^{-9})$ $IC = 200 \text{ billion}$ $25 \times 0 \text{ of loads}$ $25 \times 0 \text{ of loads}$ $25 \times 0 \text{ of uov.} \rightarrow 10 \times 0$ $Now we have 90 \times 0 \text{ for instral}$ $EI = 1 \times \left[ (\frac{1}{3} \times 10^{-9}) + (0.3 \times 10^{-9}) \right] \times (0.9 \times 200 \text{ billion})$ $EI = 114 \text{ s}$ $9.  a = b  2ero \sim 1$		CPI = (. (single cycle)					
ET = $[x(\frac{1}{3} \times 10^{-9}) \times 200 \text{ billyon} = 66.67 \text{ s}$ $CPI = I (\text{still straple cycle})$ $CT = (\frac{1}{3} \times 10^{-9}) + (0.3 \times 10^{-9})$ $1 \qquad \qquad$		$C7 = \frac{1}{3} \times 10^{-9}$					
$CP = 1 (still stragle cycle)$ $CT = (\frac{1}{3} \times 10^{-9}) + (0.3 \times 10^{-9})$ $T = additronal 300 pico econds$ $IC = 200 bill ton$ $25^{4}, of 10 ads$ $25^{4}, of 40^{4}, \rightarrow 70^{4}.$ $Now we have 90^{4}, of original$ $E7 = [x [(\frac{1}{3} \times 10^{-9}) + (0.3 \times 10^{-9})] \times (0.9 \times 200 billion)$ $E7 = 1145$ $9.                                    $		IC = 700 billion					
$CP = 1 (still stragle cycle)$ $CT = (\frac{1}{3} \times 10^{-9}) + (0.3 \times 10^{-9})$ $T = additronal 300 pico econds$ $IC = 200 bill ton$ $25^{4}, of 10 ads$ $25^{4}, of 40^{4}, \rightarrow 70^{4}.$ $Now we have 90^{4}, of original$ $E7 = [x [(\frac{1}{3} \times 10^{-9}) + (0.3 \times 10^{-9})] \times (0.9 \times 200 billion)$ $E7 = 1145$ $9.                                    $		ET = 1 x (3 x 10-9) x 200 billren = 66.675					
$C_{7} = (\frac{1}{3} \times 10^{-9}) + (0.3 \times 10^{-9})$ $C_{7} = (\frac{1}{3} \times 10^{-9}) + (0.3 \times 10^{-9})$							
$C_{7} = (\frac{1}{3} \times 10^{-9}) + (0.3 \times 10^{-9})$ $C_{7} = (\frac{1}{3} \times 10^{-9}) + (0.3 \times 10^{-9})$		CPI=1 (still single cycle)					
IC = 200 billion  25 % of loads  25 % of 40 % -> 10 %.  Now we have 90 % of original  ET = 1 x [(\frac{1}{3} \times 10^{-9}) + (0.3 \times 10^{-9})] \times (0.9 \times 200 billion)  ET = 1145  9.  a = b Zero ~1							
IC = 200 billion  25 % of loads  25 % of 40 % -> 10 %.  Now we have 90 % of original  ET = 1 x [(\frac{1}{3} \times 10^{-9}) + (0.3 \times 10^{-9})] \times (0.9 \times 200 billion)  ET = 1145  9.  a = b Zero ~1		~ additronal 300 preo seconds.					
25 % of 16 ads  25 % of 40 % $\rightarrow$ 10 %.  Now we have 90 % of original $E7 = 1 \times \left[ \left( \frac{1}{3} \times 10^{-9} \right) + \left( 0.3 \times 10^{-9} \right) \right] \times \left( 0.9 \times 200 \text{ billion} \right)$ $E7 = 114 \text{ s}$ 9. $a = b$ $zero \sim 1$							
Now we have 904. of original $E7 = 1 \times \left[ \left( \frac{1}{3} \times 10^{-9} \right) + \left( 0.3 \times 10^{-9} \right) \right] \times \left( 0.9 \times 200 \text{ billion} \right)$ $E7 = 1145$ 9. $a = b$ $Zero = 1$							
$E7 = 1 \times \left[ \left( \frac{1}{3} \times 10^{-9} \right) + \left( 0.3 \times 10^{-9} \right) \right] \times \left( 0.9 \times 200 \text{ billion} \right)$ $E7 = 114s$ $9.  a = b  Zero = 1$		25 y, of 40 y, -> 10 y.					
$E7 = \{x [(\frac{1}{5} \times 10^{-9}) + (0.3 \times 10^{-9})\} \times (0.9 \times 200 \text{ billion})$ $E7 = 1149$ $9.                                    $							
9. a=b Zero-1							
9. a=b Zero-1		E7 = 1 x [(\frac{1}{3} \times 10^{-9}) + (0.3 \times 10^{-9})] \times (0.9 \times 200 \times 11 \times 1)					
		ET = 1145					
ath Zero = 0 -> invert min bel	٩.	a=b Zero-1					
		a = h Zero = 0 -> invert nin bel					



	Main Control	Control of the Contro			
Input or Output	Signal Name	R-format	lw	sw	Beq
	Op5	0	1	1	0
	Op4	0	0	0	0
Inputs	Op3	0	0	1	0
	Op2	0	0	0	1
	Op1	0	1	1	0
	Op0	0	1	1	0
	RegDst	1	0	X	X
	ALUSrc	0	1	1	0
	MemtoReg	0	1	X	X
	RegWrite	1	1	0	0
Outputs	MemRead	0	1	0	0
	MemWrite	0	0	1	0
	Branch	0	0	0	1
	ALUOp1	1	0	0	0
	ALUOp0	0	0	0	1

I can't submit the data path for some reason, I will submit it with the rest of my work

Opcode	ALUOp	Controller	function	ALU Action	ALUCtrl
Lw	00	load word	XXXXXX	add	010
Sw	00	store word	XXXXXX	add	010
Beq	01	branch equal	XXXXXX	subtract	110
R-type	10	add	100000	add	010
R-type	10	subtract	100010	subtract	110
R-type	10	AND	100100	AND	000
R-type	10	OR	100101	OR	001
R-type	10	SLT	101010	SLT	111
R-type	10	WTF	Untque	Subtract	110