
Framing contracts and jurisdiction ahead to match p = "Economy Funds" and v = "Economy Velocity" that can be modelled with typical approaches for function z = "arrival state" depending on x = "starting state", so that "work" $W = F \cdot r = F \cdot (z - x)$:

Table 1: Modelling Functions

Type	Model	Linearisation
Linear	$z = a + bx$	$z = a + bx$
Gemetric	$z = a \cdot x^b$	$\log z = \log a + b \cdot (\log x)$
Exponential deca.	$z = a \cdot b^x$	$\log z = \log a + (\log b) \cdot x$
Exponential nat.	$z = a \cdot e^{bx}$	$\ln z = \ln a + bx$
Periodical		
Polynomial		
Taylor		

Linear optimization to achieve target states " z, h ":

1. Oneness situation modelling:

minimize efforts = z or maximize return = z

$$\begin{aligned}
 \text{target:} & \quad z = c^T \cdot x \\
 \text{min. constraints:} & \quad [a_{ki}] \cdot x \geq b \\
 \text{max. constraints:} & \quad [a_{ki}] \cdot x \leq b \\
 \text{condition:} & \quad x \geq 0
 \end{aligned} \tag{1}$$

2. Duality situation modelling:

minimize efforts = z and maximize return = h

$$\begin{aligned}
 \text{target min.:} & \quad z = c^T \cdot x \\
 \text{min. constraints:} & \quad [a_{ki}] \cdot x \geq b \\
 \text{condition:} & \quad x \geq 0 \\
 \text{and} \\
 \text{target max.:} & \quad h = b^T \cdot y \\
 \text{max. constraints:} & \quad [a_{ki}]^T \cdot y \leq c \\
 \text{condition:} & \quad y \geq 0
 \end{aligned} \tag{2}$$

3. Normalization:

$$\begin{array}{ll} \text{target:} & z = c^T \cdot x \\ \text{min. constraints:} & ([a_{ki}] - x_{n+k}) \cdot x = b \\ \text{max. constraints:} & ([a_{ki}] + x_{n+k}) \cdot x = b \\ \text{condition:} & x \geq 0 \end{array} \quad (3)$$

4. Solution with [Simplex algorithm](#)

multilinear and exponential models ...