Consistency check for mu0 and mu1 estimator # : 07월 08일 version

- · 2종류의 Mo, Mi 추정량 formula 사용하여 Consistency check 진행!
- · true Mo, Mi 공식은 변한 부분 없이 그대로 유지

1) Version

, IPTW ATT 추정량의 분산 추정량 formula 제시된 논문에 나와있는 âo, âu 추정량 공식 이용!

$$\widehat{\mathcal{A}}_{i} = \widehat{\mathsf{E}} \left[\mathsf{Y}' \mid \mathsf{E} = \mathsf{I} \right] = \frac{\overline{\mathsf{Y}} \widehat{\omega}_{i} \mathsf{A}_{i} \mathsf{Y}_{T}}{\overline{\mathsf{Y}} \widehat{\omega}_{i} \mathsf{A}_{T}}, \quad \widehat{\mathcal{A}}_{o} = \widehat{\mathsf{E}} \left[\mathsf{Y}' \mid \mathsf{E} = \mathsf{I} \right] = \frac{\overline{\mathsf{Y}} \widehat{\omega}_{i} (\mathsf{I} - \mathsf{A}_{T}) \mathsf{Y}_{T}}{\overline{\mathsf{Y}} \widehat{\omega}_{i} (\mathsf{I} - \mathsf{A}_{T})}$$

Version 1 21 Result)

		bias of mu_O estimator	variance of mu_O estimator bias	of mu_1 estimator variance	of mu_1 estimator
#of	obs = 315	0.3456272	0.0080314435	0.3471517	0.0329251409
- #of	obs = 1250	0.3432533	0.0020281883	0.3402290	0.0091021915
#of	obs = 5000	0.3454498	0.0004574931	0.3455804	0.0016821134
#of	obs = 2000	0.3501899	0.0001763451 i	0.3494102	0.0006605543

2) Version 2

,
$$\hat{E}[Y^a] = \hat{E}[\frac{I(E=a) \cdot Y}{P(E=1|B,C)}]$$
, Propensity Score

Version 201 Result)

				bias	of mu_0	estimator	variance	of	mu_O estimator:k	oias	of mu_1 estimator	variance of	mu_1 estimator
#of	obs	=	315			0.3355297			0.0098968548		0.3417957		0.0296894165
_ #of	obs	=	1250			0.3412261			0.0028276837		0.3405413		0.0081240516
#of	obs	=	5000			0.3379549			0.0005589629	ì	0.3417661		0.0014733490
#of	obs	=	20000			0.3393458			0.0002580032	ĺ	0.3442608		0.0005060583