

2021 Computer Architecture Problem Set #2

※ If there is no specified data type, you can just assume that a variable or (array element) size is 8-byte. *double word.*

1. Translate the following RISC-V code to C. Assume that the variable f is assigned to register $x5$. Assume that the base address of the array A is in register $x10$.

`addi x30, x10, 8`
`addi x31, x10, 0`
`sd x31, 0(x30)`
`ld x30, 0(x30)`
`add x5, x30, x31`

$x5 \leftarrow f$
 $x10 \leftarrow A$
 $x30 \leftarrow A[0]$
 $x31 \leftarrow A[0]$
 $A[0] = A[0]$
 $x30 \leftarrow A[0]$
 $x30 \leftarrow A[0]$
 $f = A[0] + A[0]$
 $f = 2 * (A)$

2. For the RISC-V assembly instructions below, what is the corresponding C statement(s)? Assume that the variable f is assigned to register $x5$. Assume that the base address of the arrays A and B are in registers $x10$ and $x11$, respectively.

`slli x30, x5, 3`
`add x30, x10, x30`
`slli x31, x6, 3`
`add x31, x11, x31`
`ld x5, 0(x30)`
`addi x12, x30, 8`
`ld x30, 0(x12)`
`add x30, x30, x5`
`sd x30, 0(x31)`

$x5 \leftarrow f$
 $x10 \leftarrow A$
 $x11 \leftarrow B$
 $x30 \leftarrow A[f]$
 $x31 \leftarrow B[g]$
 $x5 \leftarrow A[f]$
 $x12 \leftarrow A[f+1]$
 $x30 \leftarrow A[f+1]$
 $x30 \leftarrow A[f+1] + A[f]$
 $B[g] = A[f+1] + A[f]$

3. Consider the following RISC-V loop:

`LOOP: beq x6, x0, DONE`
`addi x6, x6, -1`
`addi x5, x5, 2`
`jal x0, LOOP`

DONE:

Assume that the register $x6$ is initialized to the value 10. What is the final value in register $x5$ assuming the $x5$ is initially zero?

4. Translate the following loop into C code. Assume that the C-level integer i is held in register $x5$. $x6$ holds the C-level integer called `result`, and $x10$ holds the base address of the integer `MemArray`.

`addi x6, x0, 0`
`addi x29, x0, 100`
`LOOP: ld x7, 0(x10)`
`add x5, x5, x7`
`addi x10, x10, 8`

$x5 \leftarrow f + 2$
 $x6 \leftarrow \text{result}$
 $x10 \leftarrow \text{MemArray Base}$
 $x29 \leftarrow 100$
 $x7 \leftarrow \text{MemArray}[0]$

$\text{MemArray}[i]$
 x

i = i + len(array) [j] j

- ers x10 and x11, respectively. Assume
- (// x5 ← i x10 ← Base of A
 // x6 ← j x11 ← Base of B

add x30, x30, x29
sd x30, 64(x11)

- e. Assume that the variables i and j are the arrays A and B are in registers x10 and x29, 64(x11) // B[i] = A[i-j]

slli x1, x1, 3
 add x25, x10, x1
 ld. x29, 0(x28)

- of a, b, i, and j are in registers x5, x6,

address of the array D

Exg. x_{29}, x_6, END while $j < b$ for $q \in \mathbb{Z}$
 add. $x_{29}, x_1, x_{29}, x_2 = i+j \rightarrow \text{END}$
 sol. $x_{31} = 0 (x_{30}) \quad D[4+i] = i+j \quad \text{add. } x_1, x_1$
 add. $x_{30}, x_{30}, x_{30} = 2 \cdot x_{30} = 2 \cdot D[4+i] \quad \text{jal. } x_0, \text{loop}$
 add. $x_{29}, x_{29}, i+j+5a_1, x_0, \text{loop}$
 range of addresses can be reached using the RISC-V jump-

- $val \rightarrow UJ \text{ type} \rightarrow \text{immediate } (12+1-2) \rightarrow (10-2) \neq 2$
 $beq \rightarrow SB \text{ type} \rightarrow \text{immediate } (20+1-2) \rightarrow (18-2) \neq 2$

instruction $[0x1FFFF000, 0x2000FFFF] \rightarrow 2^{12} \sim 2^{15} - 1$
 instruction $[0x1FFFF000, 0x2000FFFF] \rightarrow 2^{10} \sim 2^{16} - 1$

- Instructions? $0x1234567812345678$ For the register $0x12345678ABCEFEFE$

- base of array $v \rightarrow \underline{x8}$

base of array $v \rightarrow \underline{x.b}$
 $k \rightarrow \underline{x.b}$ temp $\rightarrow \underline{x.f}$

14. $x_{31}, 0(x_{30})$ // $x_{31} = v[k+1]$
 sol $x_{31}, 0(x_{30})$ // $v[k] = v[k+1]$
 sol $x_6, 0(x_{30})$ // $v[k+1] = temp$

add: x_{29}, x_5, B " $x_{29} \leftarrow Bx_k + B = 6ck + 1$ "
add: x_{30}, x_8, x_{29} " $x_{30} = \text{base of } v + (x_{29})$ "

- for g is long long int g long long

no int

→ 20개의 인자
stack pointer. 0x00000000
2개의 인자만 받음

5. 18

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\cdot , f , c

 $\chi_2,$

No,

$$\begin{array}{r} 0x20000000 \\ - 0x00000200 \\ \hline \end{array} \quad \left(\begin{array}{c} \pm 2^{10} \\ 2^{10} \end{array} \right)$$

$$\begin{array}{r} \text{+} \quad \begin{array}{cccccccc} 0010 & 0000 & 0000 & 0000 & 0000 & 0000 & 0000 & 0000 \\ 0000 & 0000 & 0000 & 0000 & 0000 & 0000 & 0000 & 0000 \\ \hline 1111 & 1111 & 1111 & 1111 & 1111 & 1111 & 1111 & 1111 \\ \hline 1111 & 1111 & 1111 & 1111 & 1111 & 0000 & 0000 & 0000 \\ \hline 0001 & 1111 & 1111 & 1111 & 1111 & 0000 & 0000 & 0000 \\ \hline \end{array} \\ \hline 0x1FFF0000 \sim 0x2000FF \\ \hline \end{array}$$

$$\begin{array}{r} 0x20000000 \\ - 0x20000000 \\ \hline \end{array} \quad \pm 2^{10}$$

$$\begin{array}{r} 0010 \quad 0000 \quad 0000 \quad 0000 \quad 0000 \quad 0000 \quad 0000 \quad 0000 \\ - 0000 \quad 0000 \quad 0000 \quad 0000 \quad 0000 \quad 0000 \quad 0000 \quad 0000 \\ \hline 1111 \quad 1111 \quad 1111 \quad 1111 \quad 1111 \quad 1111 \quad 1111 \quad 1111 \\ \hline \text{+} \\ \hline 1111 \quad 1111 \quad 1111 \quad 1111 \quad 0000 \quad 0000 \quad 0000 \quad 0000 \\ \hline \hline 1111 \quad 1111 \quad 1111 \quad 1111 \quad 0000 \quad 0000 \quad 0000 \quad 0000 \\ \hline \hline \end{array}$$

$$0x1FFE0000 \sim 0x10$$