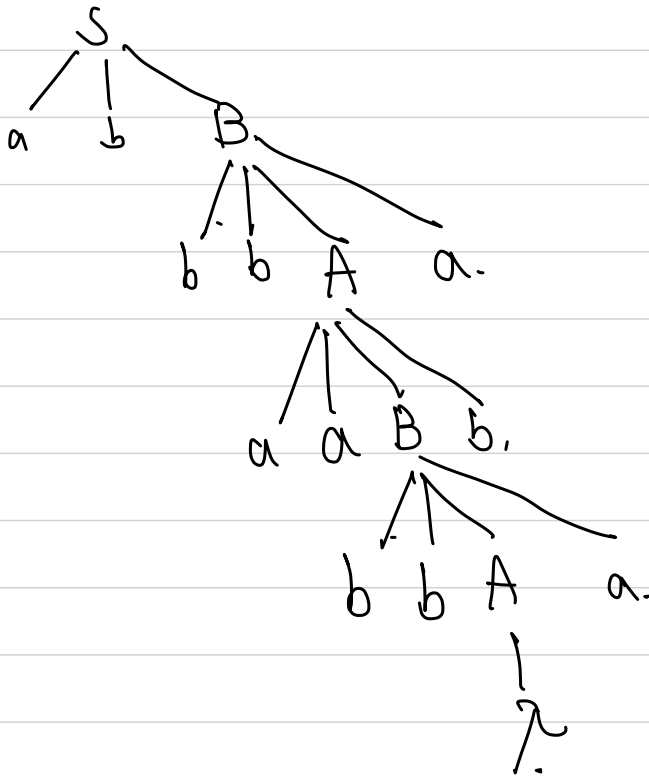


#1.

Give a. derivation tree for $w = abbbabbbabab$.

$S \rightarrow abB$, $A \rightarrow aaBb$, $B \rightarrow bbAa$, $A \rightarrow \lambda$



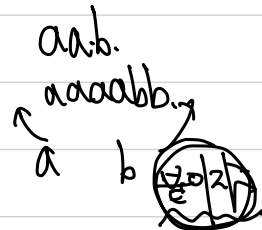
#2.

Find context-free grammars for the language

$$L = \{a^n b^m \mid \underline{n \neq 2m}\}$$

$$\underline{n < 2m}$$

$$\underline{n > 2m}$$



$$\left(\begin{array}{l} S \rightarrow aaSb \mid \underline{A} \mid \underline{B} \\ A \rightarrow aA \mid a \\ B \rightarrow bB \mid b \end{array} \right).$$

#3. *

Find a S-grammar for $L = (000^+11 + 11)$.

$A \rightarrow \alpha\alpha$.
 $(A \in V, \alpha \in T, \alpha \in V^+)$.

000^+11

$S \rightarrow 0ZA \mid 1B$
 $Z \rightarrow 0$
 $A \rightarrow 0A \mid 1B$
 $B \rightarrow 1$

$(S, 0)$
 $(S, 1)$

$(A, 0)$
 $(A, 1)$

만족한다.

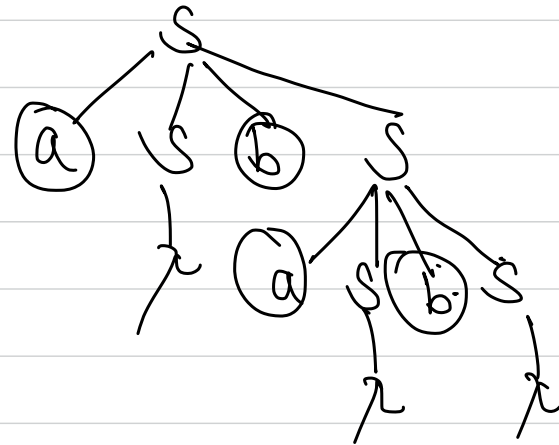
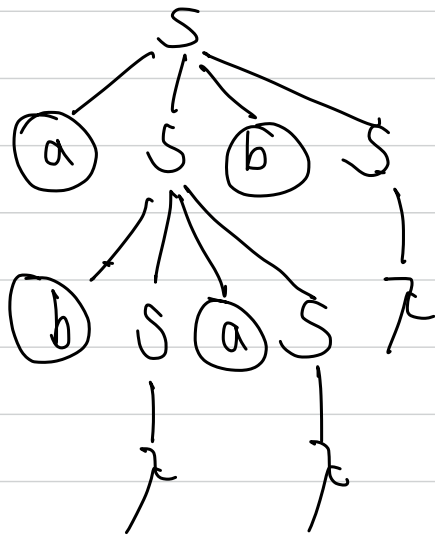
$S = (\{S, Z, A, B\}, \{0, 1\}, S, P)$

parse이 한 번에 끝나지 않음
 (ambiguity \neq x)

Show that the following grammar is ambiguous.

$$S \rightarrow bSaS \mid aSbS \mid \lambda$$

$w = (abab) \Rightarrow$ derivation tree $\hat{=}$ 2차원 그리.



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$\therefore G$ is ambiguous,

L is ambiguous 한건 또 됨

↳ ~~INDEX~~ ~~IN~~ ~~GR~~ 4 ambiguous

ศัพท์ inherently ambiguous หรือ ระบุไม่ได้