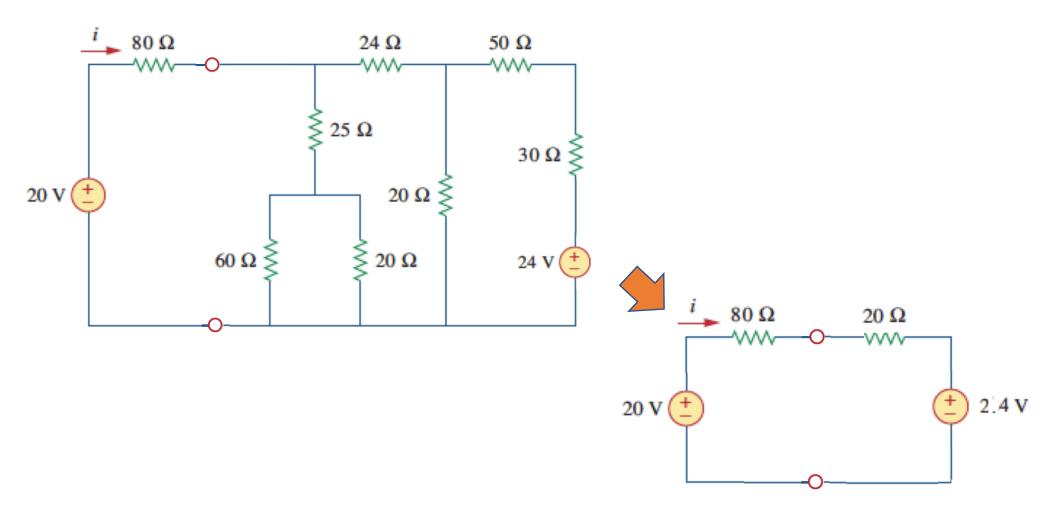
Theorems – 2

Thévenin

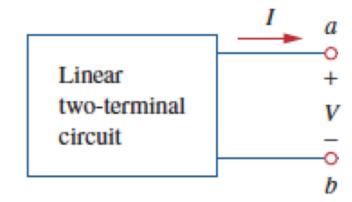
Thévenin Models

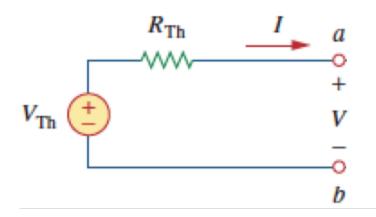
 Application – recall combining transformations and series/parallel methods:



• Thévenin Equivalent Circuit \equiv electrical equivalence at any pair of terminals

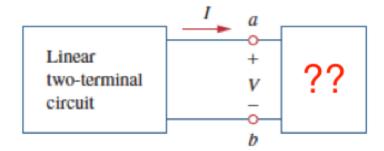
- 2 parameters:
 - $\bullet V_{Th}$
 - R_{Th}



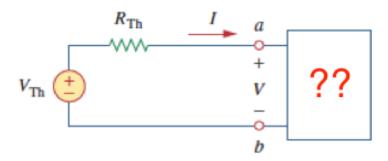


How to find V_{Th} and R_{Th} ?

 Concept: both the circuit <u>and</u> the model should behave the same way no matter what is connected at a-b



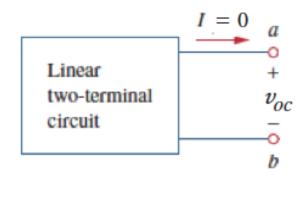
 With only 2 variables in the model, we need only check 2 load situations



 Need only match one of the V or I variables in each

Thevenin: Most Common Approach

Connect nothing – "open circuit" test



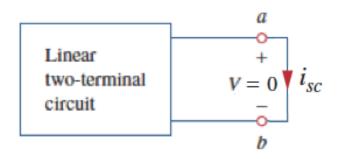
Clearly

$$R_{\text{Th}}$$
 $I = 0$
 A
 V_{Th}
 V_{Th}
 V_{Th}

$$V_{Th} = V_{OC}$$

Another popular approach

Connect a wire – "short circuit" test – popular on paper



$$i_{SC} = \frac{V_{Th}}{R_{Th}}$$

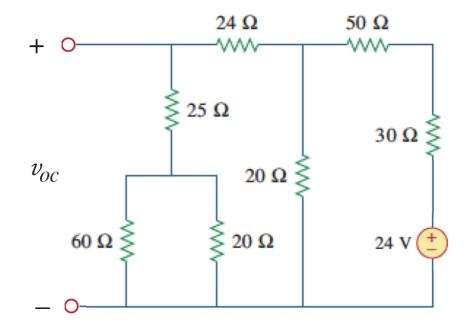
So

$$V_{\text{Th}}$$

$$v = 0$$

$$R_{Th} = \frac{V_{Th}}{i_{SC}} = \frac{V_{OC}}{i_{SC}}$$

Use node analysis:

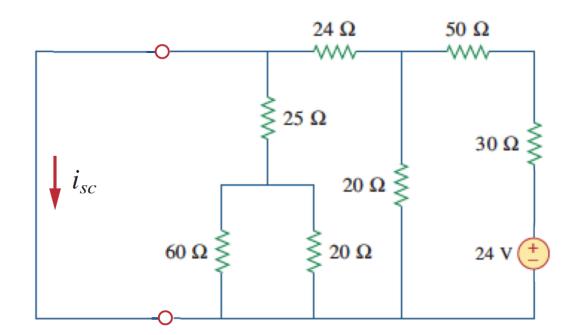


$$\frac{v}{20} + \frac{v - 24}{80} + \frac{v}{64} = 0 \quad \Rightarrow \quad v = \frac{96}{25}$$

Then voltage division:

$$v_{OC} = \frac{40}{64}v \quad \Rightarrow \quad V_{Th} = v_{OC} = 2.4 \text{ volts}$$

Note how the short changes the circuit



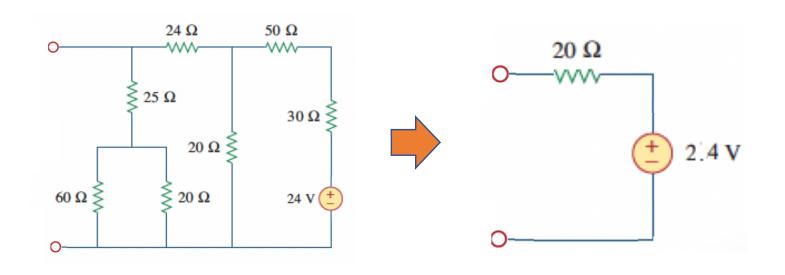
Use node analysis:

$$\frac{v}{20} + \frac{v - 24}{80} + \frac{v}{24} = 0 \implies v = \frac{72}{25}$$

Then Ohm's Law:

$$i_{SC} = \frac{v}{24} = 0.12 \implies R_{Th} = \frac{v_{OC}}{i_{SC}} = \frac{2.4}{0.12} = 20 \Omega$$

So $V_{Th}=2.4$ volts and $R_{Th}=20~\Omega$



and

