Package 'RSurveillance'

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Type Package

Title Design and analysis of disease surveillance activities
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Description This package provides a range of functions for the design and analysis of disease surveillance activities. These functions were originally developed for animal health surveillance activities but can be equally applied to aquatic animal, wildlife, plant and human health surveillance activities. Utilities are included for sample size calculation and analysis of representative surveys for disease freedom, risk-based studies for disease freedom and for prevalence estimation.
License GPL-2 GPL-3
LazyLoad yes
Imports epitools,epiR
R topics documented:
adj.risk
ap
binom.agresti
binom.cp
binom.jeffreys
disc.prior

2 adj.risk

ex		42
	tp.normal	41
	tp	40
	sse.rb.2stage	39
	sse.combined	
	spp	
	sph.hp	
	sph.binom	
	sp.series	
	sp.parallel	35
	sep.var.se	
	sep.sys	
	sep.rb2.hypergeo	
	sep.rb2.binom	
	sep.rb.hypergeo.varse	
	sep.rb.hypergeo	
	sep.rb.bin.varse	
	sep.rb.bin	
	sep.prior	
	sep.pooled	
	sep.pfree	
	sep.hypergeo	
	sep.hp	
	sep.freecalc	
	sep.exact	
	sep.binom.imperfect	
	sep	
	se.series	
	se.parallel	
	sd.tp	
	pstar.calc	
	pfree.equ	
	pfree.calc	
	pfree.1	
	$n.tp \dots \dots \dots \dots \dots \dots \dots \dots \dots $	
	n.rb.varse	15
	n.rb	
	n.pooled	14
	n.pfree	
	n.hypergeo	13
	n.hp	12

Description

Calculates adjusted risk for given relative risk and population proportions. This is an intermediate calculation in the calculation of effective probability of infection for risk-based surveillance activities

ap 3

Usage

```
adj.risk(rr, ppr)
```

Arguments

rr relative risk values (vector of values corresponding to the number of risk strata)
ppr population proportions corresponding to rr values (vector of equal length to rr)

Value

vector of adjusted risk values (in order corresponding to rr)

Examples

```
# examples for adj.risk
adj.risk(c(5, 1), c(0.1, 0.9))
adj.risk(c(5, 3, 1), c(0.1, 0.1, 0.8))
```

ар

Apparent prevalence

Description

Estimates apparent prevalence and confidence limits for given sample size and result

Usage

```
ap(x, n, type = "wilson", conf = 0.95)
```

Arguments

x number of positives in sample

n sample size, note: either x or n can be a vector, but at least one must be scalar

type method for estimating CI, one of c("normal", "exact", "wilson", "jeffreys", "agresticull", "all"), default = "wilson"

conf level of confidence required, default = 0.95

Value

either 1) if type = "all", a list with 5 elements, each element a matrix with 6 columns, x, n, proportion, lower confidence limit, upper confidence limit, confidence level and CI method; or 2) a matrix of results for the chosen method

```
# examples for ap function
n<- 200
x<- 25
conf<- 0.95
ap(x, n)
ap(seq(10, 100, 10), 200, type = "agresti")
ap(seq(10, 100, 10), 200, type = "all")</pre>
```

4 binom.cp

binom.a	gresti
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Agresti-Coull confidence limits

Description

Calculates Agresti-Coull confidence limits for a simple proportion (apparent prevalence)

Usage

```
binom.agresti(x, n, conf = 0.95)
```

Arguments

x number of positives in sample

n sample size, note: either x or n can be a vector, but at least one must be scalar

conf level of confidence required, default 0.95

Value

a dataframe with 6 columns, x, n, proportion, lower confidence limit, upper confidence limit, confidence level and CI method

Examples

```
# test binom.agresti
binom.agresti(25, 200)
binom.agresti(seq(10, 100, 10), 200)
binom.agresti(50, seq(100, 1000, 100))
```

binom.cp

Clopper-Pearson exact confidence limits

Description

Calculates Clopper-Pearson exact binomial confidence limits for a simple proportion (apparent prevalence)

Usage

```
binom.cp(x, n, conf = 0.95)
```

Arguments

x number of positives in sample

n sample size, note: either x or n can be a vector, but at least one must be scalar

conf level of confidence required, default = 0.95

binom.jeffreys 5

Value

a dataframe with 6 columns, x, n, proportion, lower confidence limit, upper confidence limit, confidence level and CI method

Examples

```
# test binom.cp
binom.cp(25, 200)
binom.cp(seq(10, 100, 10), 200)
binom.cp(50, seq(100, 1000, 100))
```

binom.jeffreys

Jeffreys confidence limits

Description

Calculates Jeffreys confidence limits for a simple proportion (apparent prevalence)

Usage

```
binom.jeffreys(x, n, conf = 0.95)
```

Arguments

n number of positives in sample
 n sample size, note: either x or n can be a vector, but at least one must be scalar
 conf level of confidence required, default = 0.95

Value

a dataframe with 6 columns, x, n, proportion, lower confidence limit, upper confidence limit, confidence level and CI method

```
# test binom.jeffreys
binom.jeffreys(25, 200)
binom.jeffreys(seq(10, 100, 10), 200)
binom.jeffreys(50, seq(100, 1000, 100))
```

6 epi.calc

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Discounted prior probability of freedom

Description

Calculates the discounted prior probability of disease freedom, after adjusting for the probability of disease exceeding the design prevalence during the time period of the surveillance data being analysed

Usage

```
disc.prior(prior, p.intro)
```

Arguments

prior prior probability of freedom before surveillance

p.intro probability of introduction (or of prevalence exceeding the design prevalence)

during the time period (scalar or vector equal length to prior)

Value

vector of discounted prior probabilities of freedom

Examples

```
# examples for disc.prior
disc.prior(0.5, 0.01)
disc.prior(0.95, c(0.001, 0.005, 0.01, 0.02, 0.05))
disc.prior(c(0.5, 0.6, 0.7, 0.8, 0.9, 0.95), 0.01)
```

epi.calc

Effective probability of infection (EPI)

Description

Calculates effective probability of infection (adjusted design prevalence) for each risk group for risk-based surveillance activities

Usage

```
epi.calc(pstar, rr, ppr)
```

Arguments

pstar	design prevalence (scalar)
rr	relative risk values (vector of values corresponding to the number of risk strata)
ppr	population proportions corresponding to rr values (vector of equal length to rr)

n.2stage 7

Value

list of 2 elements, a vector of EPI values and a vector of corresponding adjusted risks (in corresponding order to rr)

Examples

```
# examples for epi.calc
epi.calc(0.1, c(5, 1), c(0.1, 0.9))
epi.calc(0.02, c(5, 3, 1), c(0.1, 0.1, 0.8))
```

n.2stage

2-stage freedom sample size

Description

Calculates sample sizes for a 2-stage representative survey (sampling of clusters and units within clusters) for disease freedom or detection, assuming imperfect test sensitivity, perfect test specificity and representative sampling

Usage

```
n.2stage(H = NA, N = NA, sep.sys = 0.95, sep.c, pstar.c, pstar.u,
    se = 1)
```

Arguments

Н	population size = number of clusters or NA if not known, default = NA
N	population sizes for clusters, default = NA, scalar or vector of population sizes for clusters
sep.sys	desired population sensitivity (scalar)
sep.c	desired cluster-level sensitivity (scalar)
pstar.c	specified cluster-level design prevalence as proportion or integer (scalar)
pstar.u	specified population-level design prevalence as proportion or integer (scalar)
se	unit sensitivity (scalar)

Value

a list of 2 elements, the number of clusters to sample and a vector of sample sizes per cluster

```
# examples of n.2stage - checked
n.2stage(NA, NA, 0.95, 0.5, 0.01, 0.1, 0.95)
n.2stage(500, NA, 0.95, 0.5, 10, 0.1, 0.95)
n.2stage(1000, c(50, 100, 200, 500, 1000, 5000, NA), 0.95, 0.5, 0.01, 0.05, 0.8)
n.2stage(1000, c(50, 100, 200, 500, 1000, 5000, NA), 0.95, 0.5, 0.01, 1, 0.8)
n.2stage(1000, c(50, 100, 200, 500, 1000, 5000, NA), 0.9, 0.95, 1, 0.1, 0.8)
```

n.binom

n.ap

Sample size for apparent prevalence

Description

Calculates sample size for estimating apparent prevalence (simple proportion)

Usage

```
n.ap(p, precision, conf = 0.95)
```

Arguments

p expected proportion, scalar or vector of values

precision absolute precision, +/- proportion equivalent to half the width of the desired con-

fidence interval, scalar or vector of values, note: at least one of p and precision

must be a scalar

conf level of confidence required, default = 0.95

Value

a vector of sample sizes

Examples

```
# examples of n.ap
n.ap(0.5, 0.1)
n.ap(0.5, 0.1, conf=0.99)
n.ap(seq(0.1, 0.5, by = 0.1), 0.05)
n.ap(0.2, c(0.01, 0.02, 0.05, 0.1))
```

n.binom

Binomial sample size

Description

Calculates sample size for demonstrating freedom or detecting disease using binomial approach and assuming imperfect test sensitivity, perfect test specificity and representative sampling

Usage

```
n.binom(sep, pstar, se = 1)
```

Arguments

sep	desired population sensitivity	(scalar or vector)

se specified design prevalence (scalar or vector of same length as sep) se unit sensitivity, default = 1 (scalar or vector of same length as sep)

9 n.c.freecalc

Value

vector of sample sizes

Examples

```
# examples for n.binom - checked
n.binom(sep=0.95, pstar=c(0.01, 0.02, 0.05, 0.1, 0.2))
n.binom(c(0.5, 0.8, 0.9, 0.95), 0.01)
```

n.c.freecalc

Freecalc optimum sample size and specified cut-point number of reac-

Description

Calculates optimum sample size and cut-point reactors to achieve specified population sensitivity, for given population size and other parameters, using freecalc algorithm, all paramaters must be scalars

Usage

```
n.c.freecalc(N, sep = 0.95, c = 1, se, sp = 1, pstar, minSpH = 0.95)
```

Arguments

N	population size
sep	target population sensitivity
С	The cut-point number of reactors to classify a herd/flock as positive, default=1, if reactors $<$ c result is negative, $>=$ c is positive
se	test unit sensitivity
sp	test unit specificity, default=1
pstar	design prevalence
minSpH	minimium desired population specificity

Value

a list of 3 elements, a dataframe with 1 row and six columns for the recommended sample size and corresponding values for population sensitivity (SeP), population specificity (SpP), N, c and pstar, a vector of SeP values and a vector of SpP values, for n = 1:N

```
# examples for n.c.hp
n.c.freecalc(120,0.95,c=5,se=0.9,sp=0.99,pstar=0.1, minSpH=0.9)[[1]]
n.c.freecalc(65,0.95,c=5,se=0.95,sp=0.99,pstar=0.05, minSpH=0.9)
```

n.freecalc

n.c.hp	Hypergeometric (HerdPlus) optimum sample size and specified cut- point number of reactors
	point number of reactors

Description

Calculates optimum sample size and cut-point reactors to achieve specified population sensitivity, for given population size and other parameters, all paramaters must be scalars

Usage

```
n.c.hp(N, sep = 0.95, c = 1, se, sp = 1, pstar, minSpH = 0.95)
```

Arguments

N	population size
sep	target population sensitivity
С	The cut-point number of reactors to classify a herd/flock as positive, default=1, if reactors < c result is negative, >= c is positive
se	test unit sensitivity
sp	test unit specificity, default=1
pstar	design prevalence
minSpH	minimium desired population specificity

Value

a list of 3 elements, a dataframe with 1 row and six columns for the recommended sample size and corresponding values for population sensitivity (SeP), population specificity (SpP), N, c and pstar, a vector of SeP values and a vector of SpP values, for n = 1:N

Examples

```
# examples for n.c.hp
n.c.hp(65,0.95,c=5,se=0.95,sp=0.99,pstar=0.05, minSpH=0.9)[[1]]
tmp<- n.c.hp(120,0.95,c=5,se=0.9,sp=0.99,pstar=0.1, minSpH=0.9)</pre>
```

n.freecalc	Freecalc sample size for a finite population and specified cut-point
	number of reactors

Description

Calculates sample size required for a specified population sensitivity, for a given population size, cut-point number of reactors and other parameters, using Freecalc algorithm. All paramaters must be scalars

Usage

```
n.freecalc(N, sep = 0.95, c = 1, se, sp = 1, pstar, minSpH = 0.95)
```

n.freedom 11

Arguments

N	population size
sep	target population sensitivity
С	The cut-point number of reactors to classify a herd/flock as positive, default=1, if reactors $<$ c result is negative, $>=$ c is positive
se	test unit sensitivity
sp	test unit specificity, default=1
pstar	design prevalence
minSpH	minimium desired population specificity

Value

a list of 2 elements, a dataframe with 1 row and six columns for the recommended sample size and corresponding values for population sensitivity (SeP), population specificity (SpP), N, c and pstar and a dataframe of n rows with SeP and SpP values for each value of n up to the recommended value

Examples

```
# examples for n.freecalc
n.freecalc(65,0.95,c=1,se=0.95,sp=0.99,pstar=0.05, minSpH=0.9)[[1]]
n.freecalc(65,0.95,c=2,se=0.95,sp=0.99,pstar=0.05, minSpH=0.9)[[1]]
n.freecalc(65,0.95,c=3,se=0.95,sp=0.99,pstar=0.05, minSpH=0.9)
```

n.freedom	Freedom sample size
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Description

Calculates sample size for demonstrating freedom or detecting disease using the appropriate method, depending on whether or not N provided (hypergeometric if N provided, binomial otherwise), assuming imperfect test sensitivity, perfect test specificity and representative sampling

Usage

```
n.freedom(N = NA, sep = 0.95, pstar, se = 1)
```

Arguments

N	population size, default = NA (unknown) (scalar or vector of same length as sep)
sep	desired population sensitivity (scalar or vector)
pstar	specified design prevalence as proportion or integer (scalar or vector of same length as sep)
se	unit sensitivity (scalar or vector of same length as sep)

Value

vector of sample sizes, NA if N is specified and n>N

12 n.hp

Examples

```
# examples for n.freedom - checked
n.freedom(NA, sep=0.95, pstar=0.01, se=1)
n.freedom(500, sep=0.95, pstar=0.01, se=1)
n.freedom(N=c(100, 500, 1000, 5000, 10000, 100000, NA), sep=0.95, pstar=0.01, se=1)
n.freedom(500, sep=0.95, pstar=0.01, se=c(0.5, 0.6, 0.7, 0.8, 0.9, 0.99, 1))
```

n.hp

Hypergeometric (HerdPlus) sample size for finite population and specified cut-point number of reactors

Description

Calculates sample size to achieve specified population sensitivity with population specificity >= specified minimum value, for given population size, cut-point number of reactors and other parameters, all paramaters must be scalars

Usage

```
n.hp(N, sep = 0.95, c = 1, se, sp = 1, pstar, minSpH = 0.95)
```

Arguments

N	population size
sep	target population sensitivity
С	The cut-point number of reactors to classify a herd/flock as positive, default=1, if reactors $<$ c result is negative, $>=$ c is positive
se	test unit sensitivity
sp	test unit specificity, default=1
pstar	design prevalence
minSpH	minimium desired population specificity

Value

A list of 2 elements, a dataframe with 1 row and six columns for the recommended sample size and corresponding values for population sensitivity (SeP), population specificity (SpP), N, c and pstar and a dataframe of n rows with SeP and SpP values for each value of n up to the recommended value. Returns sample size for maximum achievable sep if it is not possible to achieve target sep AND SpP>= minSpH.

```
# examples for n.hp
n.hp(65,0.95,c=1,se=0.95,sp=0.99,pstar=0.05, minSpH=0.9)[[1]]
n.hp(65,0.95,c=2,se=0.95,sp=0.99,pstar=0.05, minSpH=0.9)
```

n.hypergeo 13

n.hypergeo	Hypergeometric sample size

Description

Calculates sample size for demonstrating freedom or detecting disease using hypergeometric approximation and assuming imperfect test sensitivity, perfect test specificity and representative sampling

Usage

```
n.hypergeo(sep, N, d, se = 1)
```

Arguments

sep	desired population sensitivity (scalar or vector)
N	population size (scalar or vector of same length as sep)
d	expected number of infected units in population, = design prevalence*N rounded to next integer (scalar or vector of same length as sep)
se	unit sensitivity, default = 1 (scalar or vector of same length as sep)

Value

vector of sample sizes, NA if n>N

Examples

```
# examples for n.hypergeo - checked
n.hypergeo(0.95, N=100, d=1, se = 0.95)
n.hypergeo(sep=0.95, N=c(100, 200, 500, 1000, 10000), d=ceiling(0.01*c(100, 200, 500, 1000, 10000)))
n.hypergeo(c(0.5, 0.8, 0.9, 0.95), N=100, d=5)
n.hypergeo(0.95, N=80, d=c(1, 2, 5, 10))
n.hypergeo(0.95, N=80, d=c(1, 2, 5, 10), se = 0.8)
```

n.pfree

Sample size to achieve desired (posterior) probability of freedom

Description

Calculates the sample size required to achieve a given value for probability of disease freedom

Usage

```
n.pfree(pfree, prior, p.intro, pstar, se, N = NA)
```

14 n.pooled

Arguments

pfree	desired probability of freedom (scalar or vector)
prior	prior probability of freedom before surveillance (scalar or vector of same length as pfree)
p.intro	probability of introduction for time period (scalar or vector of same length as pfree)
pstar	design prevalence (scalar or vector of same length as pfree)
se	unit sensitivity (scalar or vector of same length as pfree)
N	population size (scalar or vector of same length as pfree)

Value

vector of sample sizes

Examples

```
# examples for n.pfree
n.pfree(0.95, 0.5, 0.01, 0.05, 0.9)
n.pfree(0.95, 0.5, 0.01, 0.05, 0.9, N=300)
n.pfree(pfree = c(0.9, 0.95, 0.98, 0.99), prior = 0.7, 0.01, 0.01, 0.8, 1000)
n.pfree(0.95, 0.7, 0.01, 0.1, 0.96)
```

n.pooled

Sample size for pooled testing for freedom

Description

Calculates sample size to achieve desired population-level sensitivity, assuming pooled sampling and allowing for imperfect sensitivity and specificity of the pooled test

Usage

```
n.pooled(sep, k, pstar, pse, psp = 1)
```

Arguments

```
sep desired population sensitivity (scalar or vector)
k pool size (constant across pools) (scalar or vector of same length as sep)
pstar design prevalence (scalar or vector of same length as sep)
pse pool-level sensitivity (scalar or vector of same length as sep)
psp pool-level specificity (scalar or vector of same length as sep)
```

Value

vector of sample sizes

```
# examples for n.pooled
n.pooled(0.95, 5, 0.01, 1, 1)
n.pooled(0.95, 10, 0.1, 0.9, 1)
n.pooled(0.95, c(2, 5, 10, 20), 0.1, c(0.99, 0.98, 0.97, 0.95), 1)
```

n.rb

n.rb	Risk-based sample size	

Description

Calculates sample size for risk-based sampling for a single risk factor and using binomial method

Usage

```
n.rb(pstar, rr, ppr, spr, se, sep)
```

Arguments

pstar	design prevalence (scalar)
rr	relative risk values (vector, length equal to the number of risk strata)
ppr	population proportions corresponding to rr values (vector of equal length to rr)
spr	planned surveillance proportion for each risk group (vector equal length to rr, ppr)
se	unit sensitivity (fixed or vector same length as rr, ppr, n)
sep	required population sensitivity (scalar)

Value

list of 2 elements, a vector of sample sizes for each risk group a scalar of total sample size, a vector of EPI values and a vector of adjusted risks

Examples

```
# examples for n.rb n.rb(0.1, c(5, 3, 1), c(0.1, 0.10, 0.80), c(0.5, 0.3, 0.2), 0.9, 0.95) n.rb(0.01, c(5, 1), c(0.1, 0.9), c(0.8, 0.2), c(0.9, 0.95), 0.95)
```

n.rb.varse Risk-based sample size for varying unit sensitivity

Description

Calculates sample size for risk-based sampling for a single risk factor and varying unit sensitivity, using binomial method

Usage

```
n.rb.varse(pstar, rr, ppr, spr, se, spr.rg, sep)
```

16 n.tp

Arguments

rr relative risk values (vector, length equal to the number of risk strata) ppr population proportions for each risk group, vector of same length as rr spr planned surveillance proportions for each risk group, vector of same length as rr se unit sensitivities (vector of group values)	pstar
spr planned surveillance proportions for each risk group, vector of same length as ri	rr
	ppr
se unit sensitivities (vector of group values)	spr
	se
spr.rg proportions of samples for each sensitivity value in each risk group (matrix with rows = risk groups, columns = sensitivity values), row sums must equal 1	spr.rg
sep required population sensitivity (scalar)	sep

Value

list of 3 elements, a matrix of sample sizes for each risk and sensitivity group, a vector of EPI values and a vector of mean sensitivity for each risk group

Examples

```
# examples for n.rb.varse
m<- rbind(c(0.8, 0.2), c(0.5, 0.5), c(0.7, 0.3))
n.rb.varse(0.01, c(5, 3, 1), c(0.1, 0.1, 0.8), c(0.4, 0.4, 0.2), c(0.92, 0.8), m, 0.95)
m<- rbind(c(0.8, 0.2), c(0.6, 0.4))
n.rb.varse(0.05, c(3, 1), c(0.2, 0.8), c(0.7, 0.3), c(0.95, 0.8), m, 0.95)
m<- rbind(c(1), c(1))
n.rb.varse(0.05, c(3, 1), c(0.2, 0.8), c(0.7, 0.3), c(0.95), m, 0.99)</pre>
```

n.tp

Sample size for true prevalence

Description

Calculates sample size for estimating true prevalence using normal approximation

Usage

```
n.tp(p, se, sp, precision, conf = 0.95)
```

Arguments

p	estimated true prevalence
se	test sensitivity
sp	test specificity
precision	absolute precision, +/- proportion equal to half the width of the desired confidence interval
conf	desired level of confidence for CI, default = 0.95

pfree.1 17

Value

a vector of sample sizes

Examples

```
# examples for n.tp
n.tp(0.1, 0.9, 0.99, 0.05)
n.tp(0.1, 0.9, 0.99, 0.05, conf = 0.99)
n.tp(c(0.05, 0.1, 0.2, 0.3, 0.4, 0.5), 0.9, 0.99, 0.05)
n.tp(0.5, 0.9, 0.99, c(0.01, 0.02, 0.05, 0.1, 0.2))
```

pfree.1

Probability of freedom for single time period

Description

Calculates the posterior probability (confidence) of disease freedom (negative predictive value) for a single time period

Usage

```
pfree.1(sep, p.intro, prior = 0.5)
```

Arguments

sep	population sensitivity for time period (scalar or vector)
p.intro	probability of introduction for time period (scalar or vector of same length as sep)
prior	prior probability of freedom before surveillance (scalar or vector of same length as sep)

Value

data. frame with columns for sep, p.intro, discounted prior, pfree, pfree.equ and prior.equ

```
# examples for pfree.1
pfree.1(0.8, 0.01, 0.5)
pfree.1(0.6, c(0.001, 0.005, 0.01, 0.02, 0.05), 0.5)
pfree.1(runif(10, 0.4, 0.6), 0.01, 0.5)
pfree.1(runif(10, 0.4, 0.6), runif(10, 0.005, 0.015), 0.5)
```

18 pfree.equ

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Probability of freedom over time

Description

Calculates the probability (confidence) of disease freedom for given prior, sep and p.intro over 1 or more time periods

Usage

```
pfree.calc(sep, p.intro, prior = 0.5)
```

Arguments

sep population sensitivity for each time period (vector)

p. intro probability of introduction for each time period (scalar or vector of same length

as sep)

prior prior probability of freedom before surveillance (scalar)

Value

data.frame with columns for sep, p.intro, discounted prior, probability of freedom, equilibrium probability of freedom and equilibrium prior

Examples

```
# examples for pfree.calc
pfree.calc(0.8, 0.01, 0.5)
pfree.calc(rep(0.6,24), 0.01, 0.5)
pfree.calc(runif(10, 0.4, 0.6), 0.01, 0.5)
pfree.calc(runif(10, 0.4, 0.6), runif(10, 0.005, 0.015), 0.5)
```

pfree.equ

Equilibrium probability of freedom

Description

Calculates equilibrium probability of disease freedom and equilibrium prior probability of freedom, after discounting for probability of introduction

Usage

```
pfree.equ(sep, p.intro)
```

Arguments

sep population sensitivity for time period (scalar or vector)

p.intro probability of introduction for time period (scalar or vector of same length as

sep)

pstar.calc 19

Value

a list of 2 vectors, equilibrium posterior probability of freedom and equilibrium prior (discounted) probability of freedom

Examples

```
# examples of pfree.equ
pfree.equ(runif(10, 0.4, 0.6), 0.01)
pfree.equ(0.8, 0.05)
pfree.equ(rep(0.9, 6), c(0.0001, 0.0005, 0.001, 0.005, 0.01, 0.05))
```

pstar.calc

Design prevalence back-calculation

Description

Calculates design prevalence required for given sample size and desired population-level sensitivity, assuming imperfect test sensitivity, perfect test specificity and representative sampling

Usage

```
pstar.calc(N = NA, n, sep, se)
```

Arguments

N	populaton size if known (scalar or vector of same length as n)
n	sample size (scalar or vector)
sep	desired population sensitivity (scalar or vector of same length as n)
se	unit sensitivity (scalar or vector of same length as n)

Value

vector of design prevalence values

```
# examples of pstar.calc- checked
pstar.calc(NA, 280, 0.95, 0.98)
pstar.calc(500, 250, sep=0.95, se=1)
pstar.calc(N=c(100, 500, 1000, 5000, 10000, 100000, NA), n=30, sep=0.95, se=1)
pstar.calc(500, n=30, sep=0.95, se=c(0.5, 0.6, 0.7, 0.8, 0.9, 0.99, 1))
```

20 se.parallel

sd.tp

Standard deviation of true prevalence estimate

Description

Calculates the standard deviation of true prevalence estimate assuming se and sp known exactly, used to calculate normal approximation CI for estimate

Usage

```
sd.tp(x, n, se, sp)
```

Arguments

x number of positive results in sample
 n sample size
 se test sensitivity

sp test specificity

Value

vector of standard deviation values for true prevalence estimates

Examples

```
# example of sd.tp
sd.tp(1:10, 20, 0.9, 0.99)
```

se.parallel

Sensitivity of tests in parallel

Description

Calculates the combined sensitivity for multiple tests interpreted in parallel (assuming independence)

Usage

```
se.parallel(se)
```

Arguments

se

vector of unit sensitivity values

Value

scalar of combined sensitivity, assuming independence

```
# examples for se.parallel
se.parallel(c(0.99, 0.95, 0.8))
```

se.series 21

se.series

Sensitivity of tests in series

Description

Calculates the combined sensitivity for multiple tests interpreted in series (assuming independence)

Usage

```
se.series(se)
```

Arguments

se

vector of unit sensitivity values

Value

scalar of combined sensitivity, assuming independence

Examples

```
# examples for se.series se.series(c(0.99, 0.95, 0.8))
```

sep

Population sensitivity

Description

Calculates population sensitivity using appropriate method, depending on whether or not N provided (hypergeometric if N provided, binomial otherwise), assuming perfect test specificity and representative sampling

Usage

```
sep(N = NA, n, pstar, se = 1)
```

Arguments

N	population size, NA or vector of same length as n
n	sample size (number tested), scalar or vector
pstar	design prevalence as a proportion or integer, scalar or vector of same length as n
Se	unit sensitivity scalar or vector of same length as n

Value

a vector of population-level sensitivities

22 sep.binom

Examples

```
# examples for sep - checked
sep(n=300, pstar=0.01, se=1)
sep(NA, 300, 0.01, 1)
sep(10000, 150, 0.02, 1)
sep(n=1:100, pstar = 0.05, se=0.95)
N<- seq(30, 100, by = 5)
se<- 0.95
pstar<- 0.1
n<- rep(30, length(N))
sep(N, n, pstar, se = se)
sep(rep(100, 10), seq(10, 100, by = 10), pstar = 1, se=0.99)
N<- c(55, 134, NA, 44, 256)
n<- c(15, 30, 28, 15, 33)
sep(N, n, 0.1, 0.95)</pre>
```

sep.binom

Binomial Population sensitivity

Description

Calculates population sensitivity for detecting disease, assuming imperfect test sensitivity and specificity and representative sampling, using binomial distribution (assumes large or unknown population size and that cut-point number of reactors for a positive result = 1)

Usage

```
sep.binom(n, pstar, se = 1, sp = 1)
```

Arguments

n	sample size = number of units tested (integer), scalar or vector
pstar	design prevalence as a proportion (scalar or vector of same length as n)
se	unit sensitivity of test (proportion), default = 1 (scalar or vector of same length as n)
sp	unit specificity of test (proportion), default = 1 (scalar or vector of same length as n)

Value

vector of population-level sensitivities

```
# examples for sep.binom - checked
sep.binom(n=300, pstar = 0.02, se = 0.92)
tested<- seq(10,100, by=10)
prev<- 0.05
sens<- 0.9
sep.binom(tested, prev, sens)</pre>
```

sep.binom.imperfect 23

sep.binom.imperfect	Binomial population	sensitivity for imperfect test
---------------------	---------------------	--------------------------------

Description

Calculates population sensitivity for a large or unknown population and allowing for imperfect test sensitivity and specificity, using Binomial distribution

Usage

```
sep.binom.imperfect(n, c = 1, se, sp = 1, pstar)
```

Arguments

n	sample size
С	The cut-point number of reactors to classify a herd/flock as positive, default=1, if reactors $<$ c result is negative, $>=$ c is positive
se	test unit sensitivity
sp	test unit specificity, default=1
pstar	design prevalence

Value

a vector of population-level sensitivities

Examples

```
# examples for sep.imperfect.binom
sep.binom.imperfect(1:10*5, 2, 0.95, 0.98, 0.1)
sep.binom.imperfect(50, 1:5, 0.95, 0.98, 0.1)
sep.binom.imperfect(30, 2, 0.9, 0.98, 0.1)
sep.binom.imperfect(30, 1, 0.9, 0.98, 0.1)
```

sep.exact

Population sensitivity for census (all units tested)

Description

Calculates population sensitivity for detecting disease assuming imperfect test sensitivity, perfect test specificity and a census of all units in the population

Usage

```
sep.exact(d = 1, se = 1)
```

Arguments

d	expected number of infected units in population (=design prevalence*N rounded
	to next integer), scalar or vector of same length as se
se	unit sensitivity of test (proportion), scalar or vector

24 sep.freecalc

Value

vector of population-level sensitivities

Examples

```
# examples for sep.exact - checked
sep.exact(d=1, se = 0.92)
inf<- 1:5
sens<- 0.8
sep.exact(d=inf, se=sens)
sep.exact(se=0.8, d = ceiling(0.01*c(10, 50, 100, 250, 500)))</pre>
```

sep.freecalc

FreeCalc population sensitivity for imperfect test

Description

Calculates population sensitivity for a finite population and allowing for imperfect test sensitivity and specificity, using Freecalc method

Usage

```
sep.freecalc(N, n, c = 1, se, sp = 1, pstar)
```

Arguments

N	population size
n	sample size
С	The cut-point number of reactors to classify a herd/flock as positive, default=1, if reactors < c result is negative, >= c is positive
se	test unit sensitivity
sp	test unit specificity, default=1
pstar	design prevalence - assumed or target prevalence for detection of disease in the population

Value

population-level sensitivity

```
# examples of sep.freecalc
sep.freecalc(150, 30, 2, 0.9, 0.98, 0.1)
sep.freecalc(150, 30, 1, 0.9, 0.98, 0.1)
```

sep.hp 25

sep.hp

Hypergeometric (HerdPlus) population sensitivity for imperfect test

Description

Calculates population sensitivity for a finite population and allowing for imperfect test sensitivity and specificity, using Hypergeometric distribution

Usage

```
sep.hp(N, n, c = 1, se, sp = 1, pstar)
```

Arguments

N	population size
n	sample size
С	The cut-point number of reactors to classify a herd/flock as positive, default=1, if reactors $<$ c result is negative, $>=$ c is positive
se	test unit sensitivity
sp	test unit specificity, default=1
pstar	design prevalence

Value

a vector of population-level sensitivities

Examples

```
# examples of sep.hp
sep.hp(150, 1:5*10, 2, 0.9, 0.98, 0.1)
sep.hp(150, 30, 2, 0.9, 0.98, 15)
sep.hp(150, 30, 1, 0.9, 0.98, 15)
sep.hp(150, 30, 1, 0.9, 0.98, 0.1)
```

sep.hypergeo

Hypergeometric Population sensitivity

Description

Calculates population sensitivity for detecting disease, assuming imperfect test sensitivity, perfect test specificity and representative sampling, using hypergeometric approximation (assumes known population size)

Usage

```
sep.hypergeo(N, n, d, se = 1)
```

26 sep.pfree

Arguments

N	population size, scalar or vector of same length as n
n	sample size (number tested), scalar or vector
d	expected number of infected units in population (=design prevalence*N rounded to next integer)
se	unit sensitivity of test (proportion), scalar or vector of same length as n

Value

a vector of population-level sensitivities

Examples

```
# examples for sep.hypergeo - checked
sep.hypergeo(N=100, n=50, d=1, se = 0.92)
inf<- 1:5
sens<- 0.8
sep.hypergeo(N=100, n=50, d=inf, se=sens)
N<- c(10, 50, 100, 250, 500)
sep.hypergeo(se=0.8, N=N, n=c(5, 25, 50, 125, 250), d = ceiling(0.01*N))</pre>
```

sep.pfree

Population sensitivity to achieve desired (posterior) probability of freedom

Description

Calculates the population sensitivity required to achieve a given value for probability of disease freedom

Usage

```
sep.pfree(prior, pfree)
```

Arguments

prior prior probability of freedom before surveillance (scalar or vector)

pfree desired probability of freedom (scalar or vector)

Value

a vector of population-level sensitivities

```
# examples of sep.pfree
sep.pfree(0.5, 0.95)
sep.pfree(c(0.5, 0.6, 0.7, 0.8, 0.9, 0.95), 0.99)
sep.pfree(0.5, c(0.8, 0.9, 0.95, 0.99))
```

sep.pooled 27

sep.pooled	Pooled population sensitivity
------------	-------------------------------

Description

Calculates population sensitivity (sep) and population specificity (spp) assuming pooled sampling and allowing for imperfect sensitivity and specificity of the pooled test

Usage

```
sep.pooled(r, k, pstar, pse, psp = 1)
```

Arguments

r	number of pools sampled (scalar or vector)
k	pool size (scalar or vector of same length as r)
pstar	design prevalence (scalar or vector of same length as r)
pse	pool-level sensitivity (scalar or vector of same length as r)
psp	pool-level specificity (scalar or vector of same length as r)

Value

list of 2 elements, vector of sep values and vector of spp values

Examples

```
# examples for sep.pooled
sep.pooled(60, 5, 0.01, 1, 1)
sep.pooled(4, 10, 0.1, 0.9, 1)
sep.pooled(1:10*5, 5, 0.02, 0.9, 0.99)
sep.pooled(10, 5, 0.05, c(0.8, 0.9, 0.95, 0.99), 1)
```

sep.prior

Population sensitivity to achieve desired prior probability of freedom

Description

Calculates the population sensitivity required to achieve a given value for the prior (discounted) probability of disease freedom

Usage

```
sep.prior(prior, p.intro)
```

Arguments

```
prior prior probability of freedom before surveillance (scalar or vector)
p.intro probability of introduction for time period (scalar or vector equal length to sep)
```

28 sep.rb.bin

Value

a vector of population-level sensitivities

Examples

```
# examples of sep.prior
sep.prior(0.95, 0.01)
sep.prior(c(0.9, 0.95, 0.98, 0.99), 0.01)
sep.prior(0.95, c(0.001, 0.005, 0.01, 0.02, 0.05))
```

sep.rb.bin

Binomial risk-based population sensitivity

Description

Calculates risk-based population sensitivity with a single risk factor, using binomial method (assumes a large population), allows for unit sensitivity to vary among risk strata

Usage

```
sep.rb.bin(pstar, rr, ppr, n, se)
```

Arguments

pstar	design prevalence (scalar)
rr	relative risk values (vector of values corresponding to the number of risk strata)
ppr	population proportions corresponding to rr values (vector of equal length to rr)
n	sample size per risk category (vector same length as rr and ppr)
se	unit sensitivity, can vary among risk strata (fixed value or vector same length as $rr,ppr,n)$

Value

list of 3 elements, a scalar of population-level sensitivity a vector of EPI values and a vector of corresponding adjusted risks

```
# examples for sep.rb.bin sep.rb.bin(0.1, c(5, 3, 1), c(0.1, 0.1, 0.8), c(5, 5, 5), 0.9) sep.rb.bin(0.1, c(5, 1), c(0.1, 0.9), c(10, 5), c(0.95, 0.9)) sep.rb.bin(0.1, c(5, 1), c(0.1, 0.9), c(10, 5), c(0.9, 0.9)) sep.rb.bin(0.01, c(5, 1), c(0.1, 0.9), c(90, 50), c(0.9, 0.9))
```

sep.rb.bin.varse 29

sep.rb.bin.varse

Binomial risk-based population sensitivity for varying unit sensitivity

Description

Calculates population sensitivity for a single risk factor and varying unit sensitivity using binomial method (assumes large population)

Usage

```
sep.rb.bin.varse(pstar, rr, ppr, df)
```

Arguments

pstar	design prevalence (scalar)
rr	relative risk values (vector of values corresponding to the number of risk strata)
ppr	population proportions corresponding to rr values (vector of equal length to rr)
df	dataframe of values for each combination of risk stratum and sensitivity level, col $1 = \text{risk}$ group index, col $2 = \text{unit Se}$, col $3 = \text{n}$ (sample size for that risk group and unit sensitivity)

Value

list of 3 elements, a scalar of population-level sensitivity a vector of EPI values and a vector of corresponding adjusted risks

```
# examples for sep.rb.bin.varse
rg<- c(1, 1, 2, 2)
se<- c(0.92, 0.85, 0.92, 0.85)
n<- c(80, 30, 20, 30)
df<- data.frame(rg, se, n)</pre>
sep.rb.bin.varse(0.01, c(5, 1), c(0.1, 0.9), df)
rg<- c(1, 1, 2, 2)
se<- c(0.95, 0.8, 0.95, 0.8)
n<- c(20, 10, 10, 5)
df<- data.frame(rg, se, n)</pre>
sep.rb.bin.varse(0.05, c(3, 1), c(0.2, 0.8), df)
rg<- c(rep(1, 30), rep(2, 15))
se<- c(rep(0.95, 20), rep(0.8, 10), rep(0.95, 10), rep(0.8, 5))
n < - rep(1, 45)
df<- data.frame(rg, se, n)</pre>
sep.rb.bin.varse(0.02, c(3, 1), c(0.2, 0.8), df)
rg<- c(1, 2, 3, 1, 2, 3)
se<- c(0.95, 0.95, 0.95, 0.8, 0.8, 0.8)
n<- c(20, 10, 10, 30, 5, 5)
df<- data.frame(rg, se, n)</pre>
sep.rb.bin.varse(0.01, c(5, 3, 1), c(0.1, 0.3, 0.6), df)
```

30 sep.rb.hypergeo.varse

sep.rb.hyper	geo
--------------	-----

Hypergeometric risk-based population sensitivity

Description

Calculates risk-based population sensitivity with a single risk factor, using the hypergeometric method (assuming a finite and known population size), allows for unit sensitivity to vary among risk strata

Usage

```
sep.rb.hypergeo(pstar, rr, N, n, se)
```

Arguments

pstar	design prevalence (scalar)
rr	relative risk values (vector of values corresponding to the number of risk strata)
N	Population size per risk category (vector same length as rr and ppr)
n	sample size per risk category (vector same length as rr and ppr)
se	unit sensitivity, can vary among risk strata (fixed value or a vector the same length as rr, ppr, n)

Value

list of 3 elements, a scalar of population-level sensitivity a vector of EPI values and a vector of corresponding adjusted risks

Examples

```
# examples for sep.rb.bin sep.rb.hypergeo(0.1, c(5, 3, 1), c(10, 10, 80), c(5, 5, 5), 0.9) sep.rb.hypergeo(0.1, c(5, 1), c(15, 140), c(10, 5), c(0.95, 0.9)) sep.rb.hypergeo(0.1, c(5, 1), c(23, 180), c(10, 5), c(0.9, 0.9)) sep.rb.hypergeo(0.01, c(5, 1), c(100, 900), c(90, 50), c(0.9, 0.9))
```

 ${\it sep.rb. hypergeo. varse} \begin{tabular}{l} {\it Hypergeometric\ risk-based\ population\ sensitivity\ for\ varying\ unit\ sensitivity\ } \\ \it{sitivity} \end{tabular}$

Description

Calculates population sensitivity for a single risk factor and varying unit sensitivity using hypergeometric approximation method (assumes known population size)

Usage

```
sep.rb.hypergeo.varse(pstar, rr, N, df)
```

sep.rb2.binom 31

Arguments

pstar	design prevalence (scalar)
rr	relative risk values (vector of values corresponding to the number of risk strata)
N	vector of population size for each risk group, corresponding to rr values (vector of equal length to rr) $$
df	dataframe of values for each combination of risk stratum and sensitivity level, col $1 = \text{risk}$ group index, col $2 = \text{unit Se}$, col $3 = \text{n}$ (sample size for risk group and unit sensitivity)

Value

list of 5 elements, a scalar of population-level sensitivity a vector of EPI values, a vector of corresponding Adjusted risks a vector of sample sizes (n) per risk group and a vector of mean unit sensitivities per risk group

Examples

```
# examples for sep.rb.hypergeo.varse
rg<- c(1, 1, 2, 2)
se<- c(0.92, 0.85, 0.92, 0.85)
n<- c(80, 30, 20, 30)
df<- data.frame(rg, se, n)</pre>
sep.rb.hypergeo.varse(0.01, c(5, 1), c(200, 1800), df)
rg<- c(1, 1, 2, 2)
se<- c(0.95, 0.8, 0.95, 0.8)
n<- c(20, 10, 10, 5)
df<- data.frame(rg, se, n)</pre>
sep.rb.hypergeo.varse(0.05, c(3, 1), c(100, 400), df)
rg < -c(rep(1, 30), rep(2, 15))
se<- c(rep(0.95, 20), rep(0.8, 10), rep(0.95, 10), rep(0.8, 5))
n < - rep(1, 45)
df<- data.frame(rg, se, n)</pre>
sep.rb.hypergeo.varse(0.02, c(3, 1), c(100, 400), df)
rg<- c(1, 2, 3, 1, 2, 3)
se<- c(0.95, 0.95, 0.95, 0.8, 0.8, 0.8)
n<- c(20, 10, 10, 30, 5, 5)
df<- data.frame(rg, se, n)</pre>
sep.rb.hypergeo.varse(0.01, c(5, 3, 1), c(100, 300, 600), df)
```

sep.rb2.binom

Binomial risk-based population sensitivity for 2 risk factors

Description

Calculates risk-based population sensitivity for two risk factors, using binomial method (assumes a large population)

Usage

```
sep.rb2.binom(pstar, rr1, ppr1, rr2, ppr2, n, se)
```

32 sep.rb2.hypergeo

Arguments

pstar	design prevalence (scalar)
rr1	relative risks for first level risk factor (vector of values corresponding to the number of risk strata)
ppr1	population proportions for first level risk factor (vector of same length as rr1)
rr2	relative risks for second level risk factor, matrix, rows = levels of rr1, cols = levels of rr2
ppr2	population proportions for second level risk factor, matrix, rows = levels of rr1, cols = levels of rr2
n	matrix of number tested for each risk group (rows = levels of rr1, cols = levels of rr2)
se	test unit sensitivity (scalar)

Value

list of 4 elements, a scalar of population-level sensitivity a matrix of EPI values, a vector of corresponding Adjusted risks for the first risk factor and a matrix of adjusted risks for the second risk factor

Examples

```
# examples for sep.rb2.binom
pstar<- 0.01
rr1<- c(3, 1)
ppr1<- c(0.2, 0.8)
rr2<- rbind(c(4,1), c(4,1))
ppr2<- rbind(c(0.1, 0.9), c(0.3, 0.7))
se<- 0.8
n<- rbind(c(50, 20), c(20, 10))
sep.rb2.binom(pstar, rr1, ppr1, rr2, ppr2, n, se)</pre>
```

sep.rb2.hypergeo

Hypergeometric risk-based population sensitivity for 2 risk factors

Description

Calculates risk-based population sensitivity for two risk factors, using hypergeometric approximation method (assumes a known population size)

Usage

```
sep.rb2.hypergeo(pstar, rr1, rr2, N, n, se)
```

Arguments

pstar	design prevalence (scalar)
rr1	relative risks for first level risk factor (vector of values corresponding to the number of risk strata)
rr2	relative risks for second level risk factor, matrix, rows = levels of rr1, cols = levels of rr2

sep.sys 33

N	matrix of population size for each risk group (rows = levels of rr1, cols = levels of rr2)
n	matrix of number tested (sample size) for each risk group (rows = levels of rr1, cols = levels of rr2)
se	test unit sensitivity (scalar)

Value

list of 6 elements, a scalar of population-level sensitivity a matrix of EPI values, a vector of corresponding Adjusted risks for the first risk factor and a matrix of adjusted risks for the second risk factor, a vector of population proportions for the first risk factor and a matrix of population proportions for the second risk factor

Examples

```
# examples for sep.rb2.hypergeo
pstar<- 0.01
rr1<- c(3, 1)
rr2<- rbind(c(4,1), c(4,1))
N<- rbind(c(100, 500), c(300, 1000))
n<- rbind(c(50, 20), c(20, 10))
se<- 0.8
sep.rb2.hypergeo(pstar, rr1, rr2, N, n, se)</pre>
```

sep.sys

2-stage population sensitivity

Description

Calculates population-level (system) sensitivity for representative 2-stage sampling (sampling of clusters and units within clusters), assuming imperfect test sensitivity and perfect test specificity

Usage

```
sep.sys(H = NA, N = NA, n, pstar.c, pstar.u, se = 1)
```

Arguments

Н	population size = number of clusters in the population, default = NA	
N	population size within clusters, scalar or a vector of same length as n , default = NA	
n	sample size (vector of number tested per cluster)	
pstar.c	cluster (herd) level design prevalence, scalar, either proportion or integer	
pstar.u	unit (animal) level design prevalence, scalar, either proportion or integer	
se	unit sensitivity of test (proportion), scalar, default = 1	

Value

list of 6 elements, 1) population level sensitivity, 2) vector of cluster-level sensitivities, 3) N, 4) n, 5) vector of design prevalences and 6) unit sensitivity

34 sep.var.se

Note

if pstar.c is not a proportion N must be provided (and N>=n)

Examples

```
# examples for sep.sys - checked
H<- 500
N<- rep(1000, 150)
N[5]<- NA
n<- rep(30, 150)
pstar.u<- 0.1
pstar.c<- 0.01
se<- 0.98
sep.sys(H, N, n, pstar.c, pstar.u, se)
sep.sys(NA, N, n, 0.02, 0.05, 0.95)
N<- round(runif(105)*900+100)
n<- round(runif(105)*30+10)
sse<- sep.sys(1000, N, n, 0.02, 0.05, 0.9)
data.frame(N, n, sse[[2]])</pre>
```

sep.var.se

Population sensitivity for varying unit sensitivity

Description

Calculates population-level sensitivity where unit sensitivity varies and using the appropriate method, depending on whether or not N provided (hypergeometric if N provided, binomial otherwise), assuming perfect test specificity and representative sampling

Usage

```
sep.var.se(N = NA, se, pstar)
```

Arguments

se

N population size (number of units or clusters), N must be >= length(se)) or NA if unknown

vector of unit sensitivity values (proportion) for each unit sampled

pstar specified design prevalence (scalar)

Value

a scalar of population-level sensitivity

```
# examples of sep.var.se - checked
sens<- c(rep(0.9, 50), rep(0.95, 100))
sep.var.se(NA, sens, 0.01)
sep.var.se(se=sens, pstar=0.01)
sep.var.se(N=500, sens, 0.01)
sep.var.se(NA, runif(150, 0.95, 0.99), 0.02)
sep.var.se(500, runif(150, 0.95, 0.99), 0.02)</pre>
```

sp.parallel 35

sp.parallel

Specificity of tests in parallel

Description

Calculates the combined specificity for multiple tests interpreted in parallel (assuming independence)

Usage

```
sp.parallel(sp)
```

Arguments

sp

vector of unit specificity values

Value

scalar of combined specificity, assuming independence

Examples

```
# examples for sp.parallel
sp.parallel(c(0.99, 0.95, 0.8))
```

sp.series

Specficity of tests in series

Description

Calculates the combined specificity for multiple tests interpreted in series (assuming independence)

Usage

```
sp.series(sp)
```

Arguments

sp

vector of unit specificity values

Value

scalar of combined specificity, assuming independence

```
# examples for sp.series sp.series(c(0.99, 0.95, 0.8))
```

36 sph.hp

sph.binom

Binomial population specificity for imperfect test

Description

Calculates population specificity for a large or unknown population, using the Binomial distribution and adjusting for cut-point number of reactors

Usage

```
sph.binom(n, c = 1, sp)
```

Arguments

n sample size

c The cut-point number of reactors to classify a herd/flock as positive, default=1,

if reactors < c result is negative, >= c is positive

sp test unit specificity

Value

a vector of population-level specificities

Examples

```
# examples for sph.imperfect.sp
sph.binom(30, 2, 0.98)
sph.binom(30, 1, 0.98)
sph.binom(1:5*10, 2, 0.98)
sph.binom(100, 1:5, 0.98)
sph.binom(100, 3, 95:100/100)
sph.binom(c(5, 10, 15, 20, 30, 50, 100, 200), 2, 0.98)
```

sph.hp

Hypergeometric population specificity calculation

Description

Calculates population specificity for a finite population and imperfect test, using Hypergeometric distribution

Usage

```
sph.hp(N, n, c = 1, sp)
```

spp 37

Arguments

N	population size
n	sample size
С	The cut-point number of reactors to classify a herd/flock as positive, default=1, if reactors $<$ c result is negative, $>=$ c is positive
sp	test unit specificity

Value

a vector of population-level specificities

Examples

```
# examples of sph.hp
sph.hp(150, 30, 2, 0.98)
sph.hp(150, 30, 1, 0.98)
sph.hp(150, 1:5*10, 2, 0.98)
sph.hp(500, 30, 2, 95:100/100)
```

spp

Population specificity

Description

Calculates population specificity assuming representative sampling

Usage

```
spp(n, sp)
```

Arguments

```
n sample size (number tested), integer, scalar or vector
sp unit specificity of test (proportion), scalar or vector of same length as n
```

Value

a vector of population-level specificities

```
# examples for spp - checked
spp(10, 0.9)
spp(c(10, 20, 50, 100), 0.99)
spp(100, c(0.999, 0.99, 0.98, 0.95, 0.9))
```

38 sse.combined

sse.combined	System sensitivity by combining multiple surveillance components

Description

Calculates overall system sensitivity for multiple components, accounting for lack of independence (overlap) between components

Usage

```
sse.combined(C = NA, pstar.c, rr, ppr, sep)
```

Arguments

С	population sizes (number of clusters) for each risk group, NA or vector of same length as rr
pstar.c	cluster level design prevalence (scalar)
rr	cluster level relative risks (vector, length equal to the number of risk strata)
ppr	cluster level population proportions (optional), not required if C is specified (NA or vector of same length as rr)
sep	sep values for clusters in each component and corresponding risk group. A list with multiple elements, each element is a dataframe of sep values from a separate component, first column= clusterid, 2nd =cluster-level risk group index, 3rd col = sep

Value

list of 2 elements, a matrix (or vector if C not specified) of population-level (surveillance system) sensitivities (binomial and hypergeometric and adjusted vs unadjusted) and a matrix of adjusted and unadjusted component sensitivities for each component

```
# example for sse.combined (checked in excel combined components.xlsx)
C<- c(300, 1200)
pstar<- 0.01
rr<- c(3,1)
ppr<- c(0.2, 0.8)
comp1<- data.frame(id=1:100, rg=c(rep(1,50), rep(2,50)), cse=rep(0.5,100))
comp2<- data.frame(id=seq(2, 120, by=2), rg=c(rep(1,25), rep(2,35)), cse=runif(60, 0.5, 0.8))
comp3<- data.frame(id=seq(5, 120, by=5), rg=c(rep(1,10), rep(2,14)), cse=runif(24, 0.7, 1))
sep<- list(comp1, comp2, comp3)
sse.combined(C, pstar, rr, sep = sep)
sse.combined(C=NA, pstar, rr, ppr, sep = sep)</pre>
```

sse.rb.2stage 39

sse.rb.2stage	Two-stage risk-based system sensitivity	
---------------	---	--

Description

Calculates system sensitivity for 2 stage risk-based sampling, llowing for a single risk factor at each stage and using either binomial or hypergeometric approxiation

Usage

```
sse.rb.2stage(C = NA, pstar.c, pstar.u, rr.c, ppr.c, rr.u, ppr.u, N = NA, n,
    rg, se)
```

Arguments

С	Population size (number of clusters), NA = unknown (default)
pstar.c	cluster level design prevalence (scalar)
pstar.u	unit level design prevalence (scalar)
rr.c	cluster level relative risks (vector with length corresponding to the number of risk strata), use ${\rm rr.c}=c(1,1)$ if risk factor does not apply
ppr.c	cluster level population proportions for risk categories (vector), NA if no cluster level risk factor
rr.u	unit level relative risks (vector with length corresponding to the number of risk strata), use $rr.u = c(1,1)$ if risk factor does not apply
ppr.u	unit level population proportions for each risk group (optional) matrix, 1 row for each cluster, columns = unit level risk groups, not required if N is provided
N	population size per risk group for each cluster, NA or matrix of N for each risk group for each cluster, N=NA means cluster sizes not provided
n	sample size per risk group for each cluster sampled, matrix, 1 row for each cluster, columns = unit level risk groups
rg	vector of cluster level risk group (index) for each cluster
se	unit sensitivity for each cluster, scalar or vector of values for each cluster, equal in length to \boldsymbol{n}

Value

list of 2 elements, a scalar of population-level (surveillance system) sensitivity and a vector of cluster-level sensitivities

```
# examples for sse.rb.2stage
pstar.c<- 0.02
pstar.u<- 0.1
rr.c<- c(5, 1)
ppr.c<- c(0.1, 0.9)
rr.u<- c(3, 1)
se<- 0.9
n<- cbind(rep(10, 50), rep(5, 50))</pre>
```

40 tp

```
rg<- c(rep(1, 30), rep(2, 20))
ppr.u<- cbind(rep(0.2, 50), rep(0.8, 50))
N<- cbind(rep(30, 50), rep(120, 50))
C<- 500
sse.rb.2stage(C=NA, pstar.c, pstar.u, rr.c, ppr.c, rr.u, ppr.u, N=NA, n, rg, se)
sse.rb.2stage(C, pstar.c, pstar.u, rr.c, ppr.c, rr.u, ppr.u, N=NA, n, rg, se)
sse.rb.2stage(C=NA, pstar.c, pstar.u, rr.c, ppr.c, rr.u, ppr.u, N, n, rg, se)
sse.rb.2stage(C, pstar.c, pstar.u, rr.c, ppr.c, rr.u, ppr.u, N, n, rg, se)
sse.rb.2stage(C, pstar.c, pstar.u, rr.c, ppr.c, rr.u, ppr.u, N, n, rg, se)</pre>
```

tp

True prevalence

Description

Estimates true prevalence and confidence limits for given sample size and result, according to specified method

Usage

```
tp(x, n, se, sp, type = "blaker", conf = 0.95)
```

Arguments

X	number of positive units (scalar)
n	sample size (no. units sampled) (scalar)
se	test sensitivity (scalar)
sp	test specificity (scalar)
type	method for estimating CI, one of c("normal", "c-p", "sterne", "blaker", "wilson", "all")
conf	desired level of confidence for CI, default = 0.95 (scalar)

Value

list with 2 elements, a matrix of apparent prevalence and lower and upper confidence limits and a matrix of true prevalence and lower and upper confidence limits using the chosen method(s)

```
# examples for tp
x<- 20
n<- 120
se<- 0.9
sp<- 0.99
conf<- 0.95
tp(x, n, se, sp, "all")
tp(x, n, se, sp, "c-p")
tp(x, n, 0.95, 0.9, "c-p")</pre>
```

tp.normal 41

tp.normal	Normal approximation confidence limits for true prevalence	

Description

Estimates true prevalence and confidence limits for estimates based on normal approximation

Usage

```
tp.normal(x, n, se, sp, conf = 0.95)
```

Arguments

X	number of positive results in sample
n	sample size
se	test unit sensitivity
sp	test unit specificity
conf	desired level of confidence for CI, default = 0.95

Value

list with 2 elements, a matrix of apparent prevalence and wilson lower and upper confidence limits and a matrix of true prevalence and normal approximation lower and upper confidence limits

```
# examples for tp.normal
tp.normal(25, 120, 0.9, 0.99)
tp.normal(seq(5, 25, by=5), 120, 0.9, 0.99)
```

Index

m · madhada	10.11
*Topic methods	sep.rb2.binom, 31
adj.risk,2	sep.rb2.hypergeo, 32
ap, 3	sep.sys, 33
binom.agresti,4	sep.var.se, 34
binom.cp, 4	sp.parallel,35
binom.jeffreys,5	sp.series, 35
disc.prior, 6	sph.binom, 36
epi.calc,6	sph.hp, 36
n.2stage,7	spp, 37
n.ap, 8	sse.combined, 38
n.binom, 8	sse.rb.2stage, 39
n.c.freecalc,9	tp, 40
n.c.hp, 10	tp.normal,41
n.freecalc, 10	
n.freedom, 11	adj.risk,2
n.hp, 12	ap, 3
n.hypergeo, 13	him was a war a hit of
n.pfree, 13	binom.agresti,4
n.pooled, 14	binom.cp, 4
n.rb, 15	binom.jeffreys,5
n.rb.varse, 15	disc.prior,6
n.tp, 16	disc.prior, 0
pfree.1, 17	epi.calc,6
pfree.calc, 18	cpi.caic, 0
pfree.equ, 18	n.2stage,7
pstar.calc, 19	n.ap, 8
sd. tp, 20	n.binom, 8
se.parallel,20	n.c.freecalc, 9
se.series, 21	n.c.hp, 10
sep, 21	n.freecalc, 10
sep.binom, 22	n.freedom, 11
sep.binom.imperfect, 23	n.hp, 12
sep.exact, 23	n.hypergeo, 13
sep.freecalc,24	n.pfree, 13
sep.hp, 25	n.pooled, 14
sep.hypergeo, 25	n.rb, 15
sep.pfree, 26	n.rb.varse, 15
sep.pooled, 27	n.tp, 16
sep.prior, 27	
sep.rb.bin, 28	pfree.1, <u>17</u>
sep.rb.bin.varse,29	pfree.calc, 18
sep.rb.hypergeo,30	pfree.equ,18
sep.rb.hypergeo.varse, 30	pstar.calc,19

INDEX 43

```
sd.tp, 20
se.parallel, 20
se.series, 21
sep, 21
sep.binom, 22
sep.binom.imperfect, 23
sep.exact, 23
sep.freecalc, 24
sep.hp, 25
sep.hypergeo, 25
sep.pfree, 26
sep.pooled, 27
sep.prior, 27
sep.rb.bin, 28
sep.rb.bin.varse, 29
sep.rb.hypergeo, 30
sep.rb.hypergeo.varse, 30
sep.rb2.binom, 31
sep.rb2.hypergeo, 32
sep.sys, 33
sep.var.se, 34
sp.parallel, 35
sp.series, 35
sph.binom, 36
sph.hp, 36
spp, 37
sse.combined, 38
sse.rb.2stage, 39
tp, 40
tp.normal, 41
```