

Maskinlæring



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6. mars 2020

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- This is an example presentation about quantum mechanics
- The front frame is generated using *frontframe*
- Note also that the notes can be turned on and off in the first line of this file

- Motivasjon
- Teorien bak
- Implementasjon
- Dere skal implementere et nevralt nettverk

Dette er planen for dagen

Motivasjon



Tilpasse kurve til et sett med punkter
Enkel form for regresjon



Konsept dere kanskje er kjente med

Kjenne igjen stemmer



Kjenne igjen stemmer

Kjenne igjen hva som er på et bilde
Kjenne igjen hvor på bildet vi finner et objekt
Bedre enn mennesker



\mathbf{kfkffk}

2020-03-06

└─ Bildeanalyse

Bildeanalyse

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Bedre enn merkeker



Generative modeller

The Schrödinger Equation

The time-independent Schrödinger equation

The time-independent Schrödinger equation is given by

$$\hat{\mathcal{H}}\Psi_n = \varepsilon_n \Psi_n,$$

with $\hat{\mathcal{H}}$ as the Hamiltonian, Ψ_n as the wave function and ε_n as the corresponding energy².



The Schrödinger Equation

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with $\hat{\mathcal{H}}$ as the Hamiltonian, Ψ_n as the wave function and ε_n as the corresponding energy².

The Probability Distribution

The probability distribution in quantum mechanics is given by

$$P(\boldsymbol{r}) = \frac{\Psi_n(\boldsymbol{r})^* \Psi_n(\boldsymbol{r})}{\int d\boldsymbol{r} \Psi_n(\boldsymbol{r})^* \Psi_n(\boldsymbol{r})},$$

where \boldsymbol{r} is a set of spatial and spin coordinates³.



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The pause function can be used to add more elements to a slide

Thank you!

The title frame contains just a large centered text (should not be confused with frontframe)

References

1. Dirac, P. A. M. & Fowler, R. H. Quantum mechanics of many-electron systems. *Proceedings of the Royal Society A* **123**, 714 (1929).
2. Schrödinger, E. An Undulatory Theory of the Mechanics of Atoms and Molecules. *Physical Review* **28**, 1049 (1926).
3. Born, M. Zur Quantenmechanik der Stoßvorgänge. *Zeitschrift für Physik* **37**, 863 (1926).



References

1. Dirac, P. A. M. & Fowler, R. H. Quantum mechanics of many electron systems. *Proceedings of the Royal Society A* **123**, 714 (1929).
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