with (plots):

$$f := \frac{1}{2} + 0.205 \cdot (2 \cdot x - 1) \cdot \left(4 - \left(\left(\frac{14 \cdot x - 7}{10} \right)^2 \right)^{\frac{1}{3}} - 2 \cdot \left(\left(\frac{14 \cdot x - 7}{10} \right)^8 \right)^{\frac{1}{3}} \right);$$

$$f := \frac{1}{2} + 0.205 \cdot (2 \cdot x - 1) \left(4 - \left(\left(\frac{7}{5} \cdot x - \frac{7}{10} \right)^2 \right)^{\frac{1}{3}} - 2 \cdot \left(\left(\frac{7}{5} \cdot x - \frac{7}{10} \right)^8 \right)^{\frac{1}{3}} \right)$$

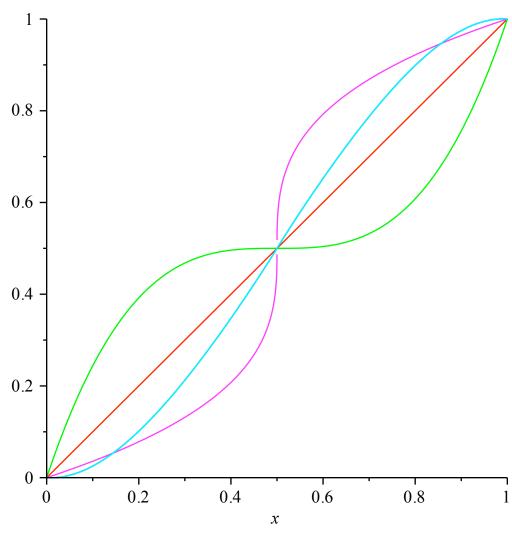
$$(1)$$

P6 := plot(f, x = -0..1, color = cyan, numpoints = 1000):

>
$$P1 := plot(x, x = 0..1, color = red) : P2 := plot(4 \cdot x^3 - 6 \cdot x^2 + 3 \cdot x, x = 0..1, color$$

 $= green) : P3 := plot \left(\frac{1}{2} \cdot (2 \cdot x - 1)^{\frac{1}{3}} + \frac{1}{2}, x = 0..1, color = magenta, numpoints$
 $= 1000$: $P4 := plot \left(\frac{-1}{2} \cdot (1 - 2 \cdot x)^{\frac{1}{3}} + \frac{1}{2}, x = 0..1, color = magenta, numpoints$
 $= 1000$:

> display(P1, P2, P3, P4, P5, P6);



>
$$f := subs \left(c = -a - b + \frac{1}{2}, (2 \cdot x - 1) \cdot \left(a + b \cdot (2 x - 1)^2 + c \cdot (2 \cdot x - 1)^4 \right) + \frac{1}{2} \right);$$

 $subs (x = 1, f);$
 $f := (2 x - 1) \left(a + b (2 x - 1)^2 + \left(-a - b + \frac{1}{2} \right) (2 x - 1)^4 \right) + \frac{1}{2}$

$$1$$
(2)

$$P5 := plot\left(subs\left(a = \frac{1}{2}, b = -1, f\right), x = 0..1, color = blue, numpoints = 1000\right)$$

$$| 1 |$$

$$> P5 := plot \left(subs \left(a = \frac{1}{2}, b = -1, f \right), x = 0 ..1, color = blue, numpoints = 1000 \right) :$$

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$$\frac{1}{2} \cdot \left((2 \cdot x - 1)^{\frac{1}{3}} + 1 \right)$$

$$= \sum_{n \in \mathbb{N}} \left(\frac{u^n \cdot p!}{n! \cdot (n+p)!}, n = 0 ...infinity \right);$$

$$= \frac{\text{Bessell}(p, 2\sqrt{u}) \Gamma(1+p)}{\frac{1}{2}p}$$

$$= \frac{1}{2} \sum_{n=0}^{\infty} \frac{1}{2} \left(\frac{1}{2} \right) \Gamma(1+p) - \frac{1}{2} \left(\frac{$$

>
$$simplify(subs(p = 4, \%));$$

$$\frac{1}{u^{7/2}} \left(24 \left(-6 \operatorname{Bessell}(1, 2\sqrt{u}) + 6 \operatorname{Bessell}(0, 2\sqrt{u})\sqrt{u} - 4 \operatorname{Bessell}(1, 2\sqrt{u})u\right) + \operatorname{Bessell}(0, 2\sqrt{u})u^{3/2}\right)\right)$$
+ $\operatorname{Bessell}(0, 2\sqrt{u})u^{3/2})$

+ Bessell
$$(0, 2\sqrt{u}) u^{3/2}$$
)

>
$$f := x \cdot \sin\left(\frac{1}{x}\right) : g := x \cdot \cos\left(\frac{1}{x}\right) :$$

P2 :=
$$plot(g, x = -1 ...1, scaling = constrained, color = red, thickness = 2, numpoints = 1500)$$
: $display(P1, P2)$;

