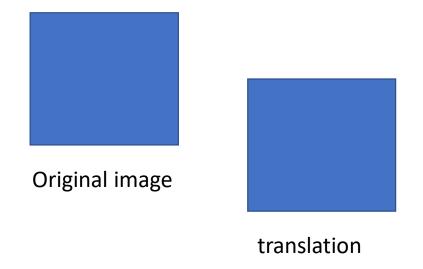
# Image Transformations

## Types of transformations

- Translation
- Euclidean
- Affine
- Homography

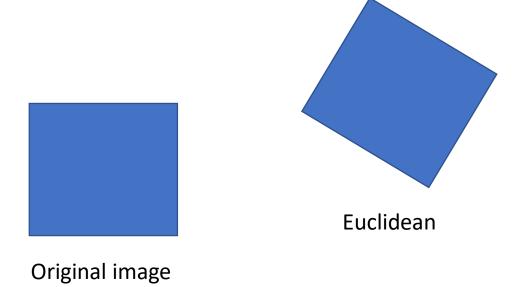
#### Translation

• The first image is shifted (translated) by (x, y) to obtain the second image.



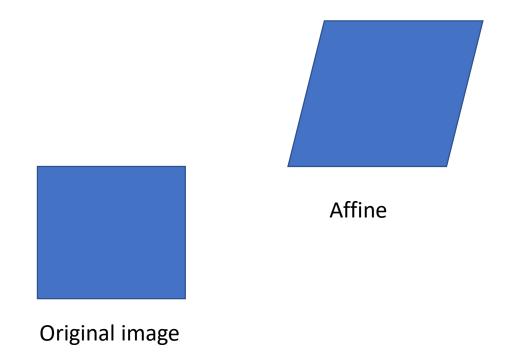
#### **Euclidean Transformation**

- A combination of translation and rotation
  - size does not change
  - parallel lines remain parallel
  - right angles remain right



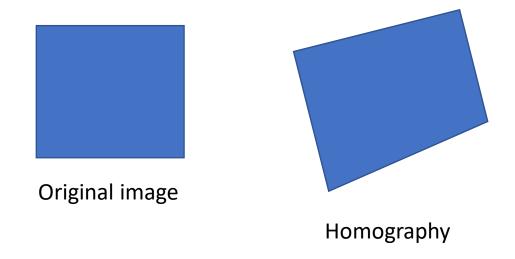
#### Affine transformation

- A combination of rotation, translation, scale, and shear
  - parallel lines remain parallel
  - right angles are not preserved



### Homography

Account for a 3D effects (transform from one plane to another)



### OpenCV Implementation

- Translation and Euclidean transforms are special cases of the Affine transform
  - Affine transform is stored in 2D matrix
  - Once the transform matrix is estimated, we can use cv2.warpAffine

dst=cv2.warpAffine(src, M, dsize[, dst[, flags[, borderMode[, borderValue]]]])

**src** input image.

dst output image that has the size dsize and the same type as src.

M 2×3 transformation matrix. dsize of the output image.

flags combination of interpolation methods (see <a href="InterpolationFlags">InterpolationFlags</a>) and the optional

flag <u>WARP INVERSE MAP</u> that means that M is the inverse transformation ( dst→src ).

**borderMode** pixel extrapolation method (see <u>BorderTypes</u>); when borderMode=<u>BORDER\_TRANSPARENT</u>, it means

that the pixels in the destination image corresponding to the "outliers" in the source image are not

modified by the function.

borderValue value used in case of a constant border; by default, it is 0.

### OpenCV implementation

#### retval=cv2.getRotationMatrix2D(center, angle, scale)

**center** Center of the rotation in the source image.

angle Rotation angle in degrees. Positive values mean counter-clockwise rotation (the coordinate origin

is assumed to be the top-left corner).

**scale** Isotropic scale factor.

The function calculates the following matrix:

$$\begin{bmatrix} \alpha & \beta & (1-\alpha) \cdot \texttt{center.x} - \beta \cdot \texttt{center.y} \\ -\beta & \alpha & \beta \cdot \texttt{center.x} + (1-\alpha) \cdot \texttt{center.y} \end{bmatrix}$$

$$\alpha = \mathtt{scale} \cdot \cos \mathtt{angle},$$
  
 $\beta = \mathtt{scale} \cdot \sin \mathtt{angle}$ 

#### OpenCV implementation

• img = cv2.imread(sourceFilename) # rotation

```
rows, cols = img.shape[:2]
M = cv2.getRotationMatrix2D((cols / 2, rows / 2), 30, 0.5)
dst = cv2.warpAffine(img, M, (cols, rows))
```





Original image

Result

### OpenCV implementation

```
img = cv2.imread(sourceFilename)
rows, cols = img.shape[:2]
```

```
# affine transformation
```

pts1 = np.float32([[50,50],[200,50],[50,200]]) pts2 = np.float32([[10,100],[200,50],[100,250]])

M = cv2.getAffineTransform(pts1,pts2)
dst = cv2.warpAffine(img,M,(cols,rows))

cv2.imwrite('Affine.jpg', dst)





Original image

Result

### OpenCV Implementation

- Homography is stored in a 3 x 3 matrix.
- Once the Homography is estimated, the images can be brought into alignment using cv2.warpPerspective.

dst=cv2.warpPerspective(src, M, dsize[, dst[, flags[, borderMode[, borderValue]]]])

**src** input image.

dst output image that has the size dsize and the same type as src.

M 3×3 transformation matrix.

**dsize** size of the output image.

flags combination of interpolation methods (<u>INTER\_LINEAR</u> or <u>INTER\_NEAREST</u>) and the optional

flag WARP INVERSE MAP, that sets M as the inverse transformation ( dst→src ).

borderMode pixel extrapolation method (<u>BORDER\_CONSTANT</u> or <u>BORDER\_REPLICATE</u>).

**borderValue** value used in case of a constant border; by default, it equals 0.

pts1 = np.float32([[993, 1312],[215, 2801], [3104, 813], [3848, 2367]]) pts2 = np.float32([[0, 0],[0,rows], [cols, 0], [cols, rows]])

M = cv2.getPerspectiveTransform(pts1,pts2)
dst = cv2.warpPerspective(img,M,(cols, rows))

