

VAR Model

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```
In [1]: #=====libraries=====#
import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
from statsmodels.tsa.api import VAR
from statsmodels.tsa.vector_ar.vecm import coint_johansen
from statsmodels.tsa.stattools import adfuller, grangercausalitytests
```

```
In [2]: #=====exploring the datasets in statmodels=====#

from statsmodels import datasets
print(dir(datasets))
```

```
['PytestTester', '__all__', '__builtins__', '__cached__', '__doc__', '__file__', '__loader__', '__name__', '__package__', '__path__', '__spec__', 'anes96', 'cancer', 'ccard', 'check_internet', 'china_smoking', 'clear_data_home', 'co2', 'committee', 'copper', 'cpunish', 'danish_data', 'elnino', 'engel', 'fair', 'fertility', 'get_data_a_home', 'get_rdataset', 'grunfeld', 'heart', 'interest_inflation', 'longley', 'macrodata', 'modechoice', 'nile', 'randhie', 'scotland', 'spectator', 'stackloss', 'star98', 'statecrime', 'strikes', 'sunspots', 'test', 'utils', 'webuse']
```

```
In [3]: #=====loading macrodata from sm package and store in vardata=====#
vardata = datasets.macrodata.load_pandas().data
```

```
In [6]: #=====Exploring the data=====#

#use these compands if you want to view all rows and all columns
#pd.set_option('display.max_columns', None)
#pd.set_option('display.max_rows' , None)

#view data
print(vardata)
```

	year	quarter	realgdp	realcons	realinv	realgovt	realdpi	\
0	1959.0	1.0	2710.349	1707.4	286.898	470.045	1886.9	
1	1959.0	2.0	2778.801	1733.7	310.859	481.301	1919.7	
2	1959.0	3.0	2775.488	1751.8	289.226	491.260	1916.4	
3	1959.0	4.0	2785.204	1753.7	299.356	484.052	1931.3	
4	1960.0	1.0	2847.699	1770.5	331.722	462.199	1955.5	
..	
198	2008.0	3.0	13324.600	9267.7	1990.693	991.551	9838.3	
199	2008.0	4.0	13141.920	9195.3	1857.661	1007.273	9920.4	
200	2009.0	1.0	12925.410	9209.2	1558.494	996.287	9926.4	
201	2009.0	2.0	12901.504	9189.0	1456.678	1023.528	10077.5	
202	2009.0	3.0	12990.341	9256.0	1486.398	1044.088	10040.6	
	cpi	m1	tbilrate	unemp	pop	infl	realint	
0	28.980	139.7	2.82	5.8	177.146	0.00	0.00	
1	29.150	141.7	3.08	5.1	177.830	2.34	0.74	
2	29.350	140.5	3.82	5.3	178.657	2.74	1.09	
3	29.370	140.0	4.33	5.6	179.386	0.27	4.06	
4	29.540	139.6	3.50	5.2	180.007	2.31	1.19	
..	
198	216.889	1474.7	1.17	6.0	305.270	-3.16	4.33	
199	212.174	1576.5	0.12	6.9	305.952	-8.79	8.91	
200	212.671	1592.8	0.22	8.1	306.547	0.94	-0.71	
201	214.469	1653.6	0.18	9.2	307.226	3.37	-3.19	
202	216.385	1673.9	0.12	9.6	308.013	3.56	-3.44	

[203 rows x 14 columns]

```
In [7]: #checking for more information about the data
vardata.info()
```

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 203 entries, 0 to 202
Data columns (total 14 columns):
#   Column      Non-Null Count  Dtype
---  -
0   year        203 non-null    float64
1   quarter     203 non-null    float64
2   realgdp     203 non-null    float64
3   realcons    203 non-null    float64
4   realinv     203 non-null    float64
5   realgovt    203 non-null    float64
6   realdpi     203 non-null    float64
7   cpi         203 non-null    float64
8   m1          203 non-null    float64
9   tbilrate    203 non-null    float64
10  unemp        203 non-null    float64
11  pop          203 non-null    float64
12  infl        203 non-null    float64
13  realint     203 non-null    float64
dtypes: float64(14)
memory usage: 22.3 KB
```

```
In [8]: #describing the vardata
print(vardata.describe())
```

	year	quarter	realgdp	realcons	realinv	\
count	203.000000	203.000000	203.000000	203.000000	203.000000	
mean	1983.876847	2.492611	7221.171901	4825.293103	1012.863862	
std	14.686817	1.118563	3214.956044	2313.346192	585.102267	
min	1959.000000	1.000000	2710.349000	1707.400000	259.764000	
25%	1971.000000	1.500000	4440.103500	2874.100000	519.147500	
50%	1984.000000	2.000000	6559.594000	4299.900000	896.210000	
75%	1996.500000	3.000000	9629.346500	6398.150000	1436.681500	
max	2009.000000	4.000000	13415.266000	9363.600000	2264.721000	

	realgovt	realdpi	cpi	m1	tbilrate	\
count	203.000000	203.000000	203.000000	203.000000	203.000000	
mean	663.328640	5310.540887	105.075788	667.927586	5.311773	
std	140.863655	2423.515977	61.278878	455.346381	2.803071	
min	460.400000	1886.900000	28.980000	139.600000	0.120000	
25%	527.959500	3276.950000	41.050000	228.650000	3.515000	
50%	662.412000	4959.400000	104.100000	540.900000	5.010000	
75%	773.049000	6977.850000	159.650000	1102.100000	6.665000	
max	1044.088000	10077.500000	218.610000	1673.900000	15.330000	

	unemp	pop	infl	realint
count	203.000000	203.000000	203.000000	203.000000
mean	5.884729	239.724153	3.961330	1.336502
std	1.458574	37.390450	3.253216	2.668799
min	3.400000	177.146000	-8.790000	-6.790000
25%	4.900000	208.631000	2.270000	-0.085000
50%	5.700000	236.348000	3.240000	1.340000
75%	6.800000	271.721500	4.975000	2.630000
max	10.700000	308.013000	14.620000	10.950000

```
In [9]: #checking for missing values in the data
print(vardata.isnull())
```

	year	quarter	realgdp	realcons	realinv	realgovt	realdpi	cpi	\
0	False	False	False	False	False	False	False	False	
1	False	False	False	False	False	False	False	False	
2	False	False	False	False	False	False	False	False	
3	False	False	False	False	False	False	False	False	
4	False	False	False	False	False	False	False	False	
...	
198	False	False	False	False	False	False	False	False	
199	False	False	False	False	False	False	False	False	
200	False	False	False	False	False	False	False	False	
201	False	False	False	False	False	False	False	False	
202	False	False	False	False	False	False	False	False	

	m1	tbilrate	unemp	pop	infl	realint
0	False	False	False	False	False	False
1	False	False	False	False	False	False
2	False	False	False	False	False	False
3	False	False	False	False	False	False
4	False	False	False	False	False	False
...
198	False	False	False	False	False	False
199	False	False	False	False	False	False
200	False	False	False	False	False	False
201	False	False	False	False	False	False
202	False	False	False	False	False	False

[203 rows x 14 columns]

```
In [10]: #view the first 5 rows
print(vardata.head())
```

	year	quarter	realgdp	realcons	realinv	realgovt	realdpi	cpi	\
0	1959.0	1.0	2710.349	1707.4	286.898	470.045	1886.9	28.98	
1	1959.0	2.0	2778.801	1733.7	310.859	481.301	1919.7	29.15	
2	1959.0	3.0	2775.488	1751.8	289.226	491.260	1916.4	29.35	
3	1959.0	4.0	2785.204	1753.7	299.356	484.052	1931.3	29.37	
4	1960.0	1.0	2847.699	1770.5	331.722	462.199	1955.5	29.54	

	m1	tbilrate	unemp	pop	infl	realint
0	139.7	2.82	5.8	177.146	0.00	0.00
1	141.7	3.08	5.1	177.830	2.34	0.74
2	140.5	3.82	5.3	178.657	2.74	1.09
3	140.0	4.33	5.6	179.386	0.27	4.06
4	139.6	3.50	5.2	180.007	2.31	1.19

```
In [11]: #view the last 5 rows
print(vardata.tail())
```

	year	quarter	realgdp	realcons	realinv	realgovt	realdpi	\
198	2008.0	3.0	13324.600	9267.7	1990.693	991.551	9838.3	
199	2008.0	4.0	13141.920	9195.3	1857.661	1007.273	9920.4	
200	2009.0	1.0	12925.410	9209.2	1558.494	996.287	9926.4	
201	2009.0	2.0	12901.504	9189.0	1456.678	1023.528	10077.5	
202	2009.0	3.0	12990.341	9256.0	1486.398	1044.088	10040.6	

	cpi	m1	tbilrate	unemp	pop	infl	realint
198	216.889	1474.7	1.17	6.0	305.270	-3.16	4.33
199	212.174	1576.5	0.12	6.9	305.952	-8.79	8.91
200	212.671	1592.8	0.22	8.1	306.547	0.94	-0.71
201	214.469	1653.6	0.18	9.2	307.226	3.37	-3.19
202	216.385	1673.9	0.12	9.6	308.013	3.56	-3.44

```
In [19]: #check the class or type of the dataset
print(type(vardata))
#view the names of the variables
print(vardata.columns.values)
#check the number of rows and columns
print(vardata.shape)

<class 'pandas.core.frame.DataFrame'>
['year' 'quarter' 'realgdp' 'realcons' 'realinv' 'realgovt' 'realdpi'
 'cpi' 'm1' 'tbilrate' 'unemp' 'pop' 'infl' 'realint']
(203, 14)
```

```
In [16]: #check data types
print(vardata.dtypes)
```

```
year          float64
quarter       float64
realgdp       float64
realcons      float64
realinv       float64
realgovt      float64
realdpi       float64
cpi           float64
m1            float64
tbilrate      float64
unemp         float64
pop           float64
infl          float64
realint       float64
dtype: object
```

```
In [17]: #selecting columns
selection = vardata[["realgdp" , "unemp" , "infl"]]
print(selection)
```

	realgdp	unemp	infl
0	2710.349	5.8	0.00
1	2778.801	5.1	2.34
2	2775.488	5.3	2.74
3	2785.204	5.6	0.27
4	2847.699	5.2	2.31
..
198	13324.600	6.0	-3.16
199	13141.920	6.9	-8.79
200	12925.410	8.1	0.94
201	12901.504	9.2	3.37
202	12990.341	9.6	3.56

[203 rows x 3 columns]

```
In [18]: #obtain means of variables
print(vardata.mean())
```

```

year      1983.876847
quarter   2.492611
realgdp   7221.171901
realcons  4825.293103
realinv   1012.863862
realgovt  663.328640
realdpi   5310.540887
cpi       105.075788
m1        667.927586
tbilrate  5.311773
unemp     5.884729
pop       239.724153
infl      3.961330
realint   1.336502
dtype: float64

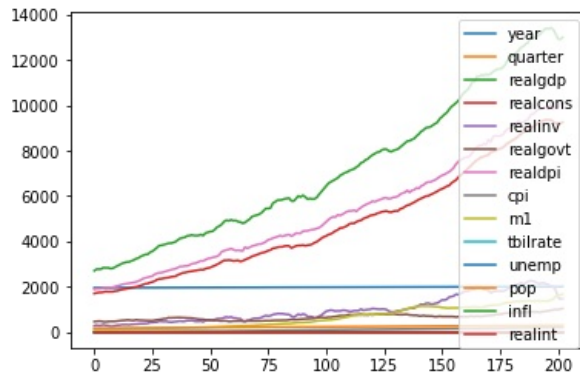
```

```

In [20]: #=====plots=====#
#1. simple plot of all variables
vardata.plot()

```

Out[20]: <AxesSubplot:>



In [21]: #2. Scatter plots

```

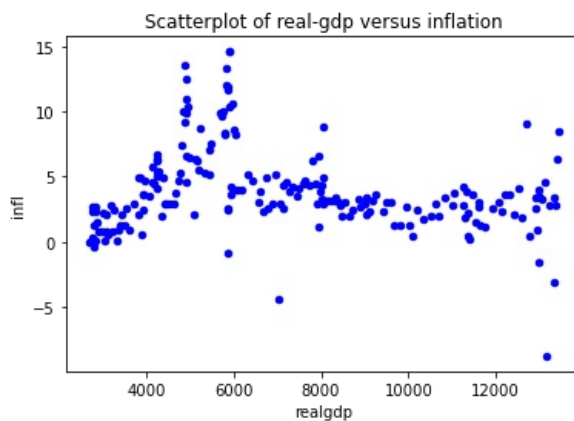
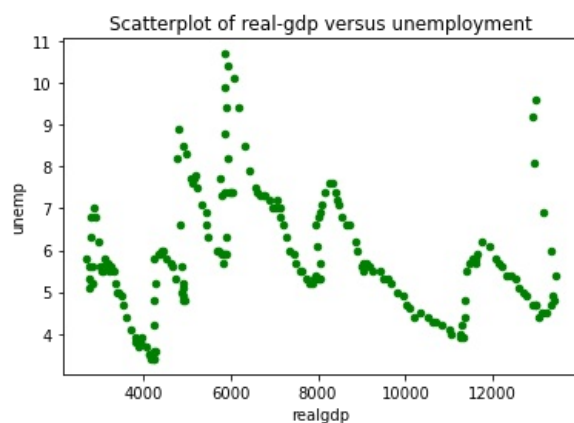
vardata.plot(x = "realgdp", y = "unemp", kind = "scatter", color = "green")
plt.title("Scatterplot of real-gdp versus unemployment")

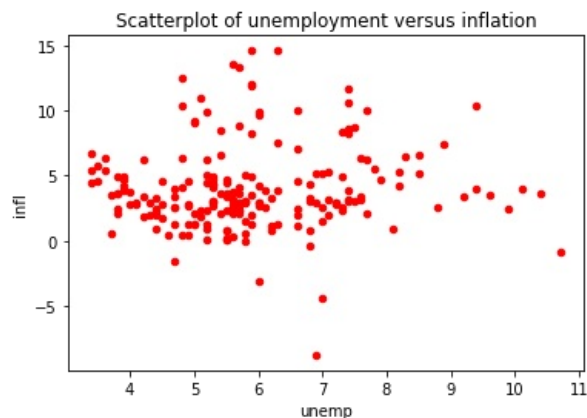
vardata.plot(x = "realgdp", y = "infl", kind = "scatter", color = "blue")
plt.title("Scatterplot of real-gdp versus inflation")

vardata.plot(x = "unemp", y = "infl", kind = "scatter", color = "red")
plt.title("Scatterplot of unemployment versus inflation")

```

Out[21]: Text(0.5, 1.0, 'Scatterplot of unemployment versus inflation')





```
In [22]: #=====Testing for stationarity=====#
# ADF method
adfgdp1 = adfuller(vardata['realgdp'])
print(adfgdp1[0])
print(adfgdp1[1])

adfunemp1 = adfuller(vardata['unemp'])
print(adfunemp1[0])
print(adfunemp1[1])

adfinfl1 = adfuller(vardata['infl'])
print(adfinfl1[0])
print(adfinfl1[1])

1.7504627967647144
0.9982455372335032
-2.53645846733464
0.10685366457233386
-3.0545144962572364
0.03010762086348588
```

```
In [23]: #=====ADF test with differenced the non-stationary variables=====#
adfdgdp2 = adfuller(vardata['realgdp'].diff()[1:])
print(adfdgdp2[0])
print(adfdgdp2[1])

adfdunemp2 = adfuller(vardata['unemp'].diff()[1:])
print(adfdunemp2[0])
print(adfdunemp2[1])

adfinfl2 = adfuller(vardata['infl'].diff()[1:])
print(adfinfl2[0])
print(adfinfl2[1])

-6.305695561658106
3.327882187668224e-08
-4.168474748074203
0.0007447109360995933
-17.155662786065147
6.895349138508994e-30
```

```
In [24]: #=====Granger Causality test=====#
granger1 = grangercausalitytests(vardata[['realgdp', 'unemp']], 5)

granger2 = grangercausalitytests(vardata[['realgdp', 'infl']], 5)

granger3 = grangercausalitytests(vardata[['infl', 'unemp']], 5)

granger4 = grangercausalitytests(vardata[['unemp', 'infl']], 5)

Granger Causality
number of lags (no zero) 1
ssr based F test:      F=0.4286 , p=0.5134 , df_denom=199, df_num=1
ssr based chi2 test:   chi2=0.4351 , p=0.5095 , df=1
likelihood ratio test: chi2=0.4346 , p=0.5097 , df=1
parameter F test:      F=0.4286 , p=0.5134 , df_denom=199, df_num=1

Granger Causality
number of lags (no zero) 2
ssr based F test:      F=4.8368 , p=0.0089 , df_denom=196, df_num=2
ssr based chi2 test:   chi2=9.9203 , p=0.0070 , df=2
likelihood ratio test: chi2=9.6833 , p=0.0079 , df=2
parameter F test:      F=4.8368 , p=0.0089 , df_denom=196, df_num=2

Granger Causality
number of lags (no zero) 3
ssr based F test:      F=3.9284 , p=0.0094 , df_denom=193, df_num=3
ssr based chi2 test:   chi2=12.2127 , p=0.0067 , df=3
```

likelihood ratio test: $\chi^2=11.8544$, $p=0.0079$, $df=3$
parameter F test: $F=3.9284$, $p=0.0094$, $df_denom=193$, $df_num=3$

Granger Causality

number of lags (no zero) 4

ssr based F test: $F=2.9612$, $p=0.0210$, $df_denom=190$, $df_num=4$
ssr based χ^2 test: $\chi^2=12.4057$, $p=0.0146$, $df=4$
likelihood ratio test: $\chi^2=12.0344$, $p=0.0171$, $df=4$
parameter F test: $F=2.9612$, $p=0.0210$, $df_denom=190$, $df_num=4$

Granger Causality

number of lags (no zero) 5

ssr based F test: $F=2.5681$, $p=0.0283$, $df_denom=187$, $df_num=5$
ssr based χ^2 test: $\chi^2=13.5959$, $p=0.0184$, $df=5$
likelihood ratio test: $\chi^2=13.1494$, $p=0.0220$, $df=5$
parameter F test: $F=2.5681$, $p=0.0283$, $df_denom=187$, $df_num=5$

Granger Causality

number of lags (no zero) 1

ssr based F test: $F=1.6140$, $p=0.2054$, $df_denom=199$, $df_num=1$
ssr based χ^2 test: $\chi^2=1.6384$, $p=0.2006$, $df=1$
likelihood ratio test: $\chi^2=1.6317$, $p=0.2015$, $df=1$
parameter F test: $F=1.6140$, $p=0.2054$, $df_denom=199$, $df_num=1$

Granger Causality

number of lags (no zero) 2

ssr based F test: $F=2.9019$, $p=0.0573$, $df_denom=196$, $df_num=2$
ssr based χ^2 test: $\chi^2=5.9518$, $p=0.0510$, $df=2$
likelihood ratio test: $\chi^2=5.8654$, $p=0.0533$, $df=2$
parameter F test: $F=2.9019$, $p=0.0573$, $df_denom=196$, $df_num=2$

Granger Causality

number of lags (no zero) 3

ssr based F test: $F=3.4352$, $p=0.0180$, $df_denom=193$, $df_num=3$
ssr based χ^2 test: $\chi^2=10.6793$, $p=0.0136$, $df=3$
likelihood ratio test: $\chi^2=10.4039$, $p=0.0154$, $df=3$
parameter F test: $F=3.4352$, $p=0.0180$, $df_denom=193$, $df_num=3$

Granger Causality

number of lags (no zero) 4

ssr based F test: $F=2.8095$, $p=0.0268$, $df_denom=190$, $df_num=4$
ssr based χ^2 test: $\chi^2=11.7704$, $p=0.0191$, $df=4$
likelihood ratio test: $\chi^2=11.4355$, $p=0.0221$, $df=4$
parameter F test: $F=2.8095$, $p=0.0268$, $df_denom=190$, $df_num=4$

Granger Causality

number of lags (no zero) 5

ssr based F test: $F=2.4363$, $p=0.0363$, $df_denom=187$, $df_num=5$
ssr based χ^2 test: $\chi^2=12.8979$, $p=0.0244$, $df=5$
likelihood ratio test: $\chi^2=12.4952$, $p=0.0286$, $df=5$
parameter F test: $F=2.4363$, $p=0.0363$, $df_denom=187$, $df_num=5$

Granger Causality

number of lags (no zero) 1

ssr based F test: $F=0.1681$, $p=0.6823$, $df_denom=199$, $df_num=1$
ssr based χ^2 test: $\chi^2=0.1706$, $p=0.6796$, $df=1$
likelihood ratio test: $\chi^2=0.1705$, $p=0.6797$, $df=1$
parameter F test: $F=0.1681$, $p=0.6823$, $df_denom=199$, $df_num=1$

Granger Causality

number of lags (no zero) 2

ssr based F test: $F=0.5088$, $p=0.6020$, $df_denom=196$, $df_num=2$
ssr based χ^2 test: $\chi^2=1.0436$, $p=0.5935$, $df=2$
likelihood ratio test: $\chi^2=1.0409$, $p=0.5943$, $df=2$
parameter F test: $F=0.5088$, $p=0.6020$, $df_denom=196$, $df_num=2$

Granger Causality

number of lags (no zero) 3

ssr based F test: $F=2.5585$, $p=0.0564$, $df_denom=193$, $df_num=3$
ssr based χ^2 test: $\chi^2=7.9538$, $p=0.0470$, $df=3$
likelihood ratio test: $\chi^2=7.7997$, $p=0.0503$, $df=3$
parameter F test: $F=2.5585$, $p=0.0564$, $df_denom=193$, $df_num=3$

Granger Causality

number of lags (no zero) 4

ssr based F test: $F=1.9359$, $p=0.1061$, $df_denom=190$, $df_num=4$
ssr based χ^2 test: $\chi^2=8.1102$, $p=0.0876$, $df=4$
likelihood ratio test: $\chi^2=7.9493$, $p=0.0935$, $df=4$
parameter F test: $F=1.9359$, $p=0.1061$, $df_denom=190$, $df_num=4$

Granger Causality

number of lags (no zero) 5

ssr based F test: $F=2.7191$, $p=0.0213$, $df_denom=187$, $df_num=5$
ssr based χ^2 test: $\chi^2=14.3954$, $p=0.0133$, $df=5$
likelihood ratio test: $\chi^2=13.8962$, $p=0.0163$, $df=5$
parameter F test: $F=2.7191$, $p=0.0213$, $df_denom=187$, $df_num=5$

Granger Causality

number of lags (no zero) 1

```

ssr based F test:      F=3.1613 , p=0.0769 , df_denom=199, df_num=1
ssr based chi2 test:   chi2=3.2090 , p=0.0732 , df=1
likelihood ratio test: chi2=3.1837 , p=0.0744 , df=1
parameter F test:      F=3.1613 , p=0.0769 , df_denom=199, df_num=1

```

Granger Causality

number of lags (no zero) 2

```

ssr based F test:      F=5.0238 , p=0.0075 , df_denom=196, df_num=2
ssr based chi2 test:   chi2=10.3038 , p=0.0058 , df=2
likelihood ratio test: chi2=10.0484 , p=0.0066 , df=2
parameter F test:      F=5.0238 , p=0.0075 , df_denom=196, df_num=2

```

Granger Causality

number of lags (no zero) 3

```

ssr based F test:      F=3.8169 , p=0.0109 , df_denom=193, df_num=3
ssr based chi2 test:   chi2=11.8660 , p=0.0079 , df=3
likelihood ratio test: chi2=11.5273 , p=0.0092 , df=3
parameter F test:      F=3.8169 , p=0.0109 , df_denom=193, df_num=3

```

Granger Causality

number of lags (no zero) 4

```

ssr based F test:      F=6.4844 , p=0.0001 , df_denom=190, df_num=4
ssr based chi2 test:   chi2=27.1660 , p=0.0000 , df=4
likelihood ratio test: chi2=25.4649 , p=0.0000 , df=4
parameter F test:      F=6.4844 , p=0.0001 , df_denom=190, df_num=4

```

Granger Causality

number of lags (no zero) 5

```

ssr based F test:      F=4.8501 , p=0.0003 , df_denom=187, df_num=5
ssr based chi2 test:   chi2=25.6769 , p=0.0001 , df=5
likelihood ratio test: chi2=24.1432 , p=0.0002 , df=5
parameter F test:      F=4.8501 , p=0.0003 , df_denom=187, df_num=5

```

In [25]: #=====Cointegration test=====#

```

def cointegration_test(vardata, alpha=0.05):
    out = coint_johansen(vardata, -1,5)
    d = {'0.90':0, '0.95':1, '0.99':2}
    traces = out.lr1
    cvts = out.cvt[:, d[str(1-alpha)]]
    def adjust(val, length= 6): return str(val).ljust(length)

    print('Name  :: Test Stat > C(95%)    => Signif \n', '--'*20)
    for col, trace, cvt in zip(vardata[["realgdp" , "unemp" , "infl"]],
                               traces, cvts):
        print(adjust(col), ':: ', adjust(round(trace,2), 9), ">",
              adjust(cvt, 8), ' => ' , trace > cvt)

cointegration_test(vardata)

```

C:\Users\ewaya\Anaconda3\lib\site-packages\statsmodels\tsa\vector_ar\vecm.py:648: HypothesisTestWarning: Critical values are only available for time series with 12 variables at most.

```

warnings.warn(
Name  :: Test Stat > C(95%)    => Signif
-----
realgdp :: 887.09    > nan      => False
unemp   :: 682.18    > nan      => False
infl    :: 553.9     > 311.1288 => True

```

In [26]: #=====Splitting the train and test data=====#

```

variables = vardata[["realgdp" , "unemp" , "infl"]]
print(variables.shape)

test_obs = 12
train_data = variables[:-test_obs]
test_data = variables[-test_obs:]

print(train_data)
print(test_data)

```

```
(203, 3)
      realgdp  unemp  infl
0      2710.349    5.8  0.00
1      2778.801    5.1  2.34
2      2775.488    5.3  2.74
3      2785.204    5.6  0.27
4      2847.699    5.2  2.31
..      ...      ...   ...
186    12683.153    5.0  9.14
187    12748.699    4.9  0.40
188    12915.938    4.7  2.60
189    12962.462    4.7  3.97
190    12965.916    4.7 -1.58
```

```
[191 rows x 3 columns]
      realgdp  unemp  infl
191    13060.679    4.4  3.30
192    13099.901    4.5  4.58
193    13203.977    4.5  2.75
194    13321.109    4.7  3.45
195    13391.249    4.8  6.38
196    13366.865    4.9  2.82
197    13415.266    5.4  8.53
198    13324.600    6.0 -3.16
199    13141.920    6.9 -8.79
200    12925.410    8.1  0.94
201    12901.504    9.2  3.37
202    12990.341    9.6  3.56
```

```
In [27]: #=====determine the number of lags to be used=====#
modellag = VAR(train_data)
order = modellag.select_order(maxlags = 10)
print(order.summary())

#lags = 2
```

```
VAR Order Selection (* highlights the minimums)
=====
      AIC      BIC      FPE      HQIC
-----
0      18.90      18.95  1.617e+08      18.92
1      6.744      6.956      849.2      6.830
2      5.952      6.323      384.5      6.102
3      5.754*     6.284*     315.5*     5.969*
4      5.772      6.462      321.6      6.052
5      5.784      6.632      325.6      6.128
6      5.845      6.852      346.3      6.253
7      5.896      7.062      365.0      6.369
8      5.951      7.276      386.1      6.488
9      5.997      7.481      405.2      6.599
10     6.036      7.679      422.5      6.702
-----
```

```
In [28]: #=====VAR model=====#
VAR_model = modellag.fit(2)
print(VAR_model.summary())
```



```

Summary of Regression Results
=====
Model:          VAR
Method:         OLS
Date:           Mon, 05, Sep, 2022
Time:           05:02:25

```

```

-----
No. of Equations: 3.00000    BIC:          6.36432
Nobs:             189.000    HQIC:         6.15005
Log likelihood:   -1350.93   FPE:          405.139
AIC:              6.00413    Det(Omega_mle): 363.263
-----

```

Results for equation realgdp

```

=====
              coefficient      std. error      t-stat      prob
-----
const          -0.385066       17.950947      -0.021      0.983
L1.realgdp      1.035418         0.086438      11.979      0.000
L1.unemp       -34.582266       13.784381      -2.509      0.012
L1.infl        -1.811716         1.539806      -1.177      0.239
L2.realgdp     -0.030026         0.086961      -0.345      0.730
L2.unemp       40.477990       13.803529       2.932      0.003
L2.infl       -2.843963         1.586663      -1.792      0.073
=====

```

Results for equation unemp

```

=====
              coefficient      std. error      t-stat      prob
-----
const           0.175627         0.088836       1.977      0.048
L1.realgdp     -0.000891         0.000428      -2.082      0.037
L1.unemp       1.436192         0.068216     21.054      0.000
L1.infl        0.006009         0.007620       0.789      0.430
L2.realgdp     0.000896         0.000430       2.081      0.037
L2.unemp      -0.482377         0.068311      -7.061      0.000
L2.infl        0.020754         0.007852       2.643      0.008
=====

```

Results for equation infl

```

=====
              coefficient      std. error      t-stat      prob
-----
const           1.300788         0.798934       1.628      0.103
L1.realgdp      0.001845         0.003847       0.480      0.632
L1.unemp       -0.709542         0.613495      -1.157      0.247
L1.infl        0.384984         0.068531       5.618      0.000
L2.realgdp     -0.001917         0.003870      -0.495      0.620
L2.unemp       0.668754         0.614347       1.089      0.276
L2.infl       0.447822         0.070617       6.342      0.000
=====

```

Correlation matrix of residuals

```

      realgdp      unemp      infl
realgdp  1.000000 -0.507819  0.136025
unemp   -0.507819  1.000000 -0.256924
infl     0.136025 -0.256924  1.000000

```

In [29]: `#=====plotting the results=====`

```

VAR_model.plot()

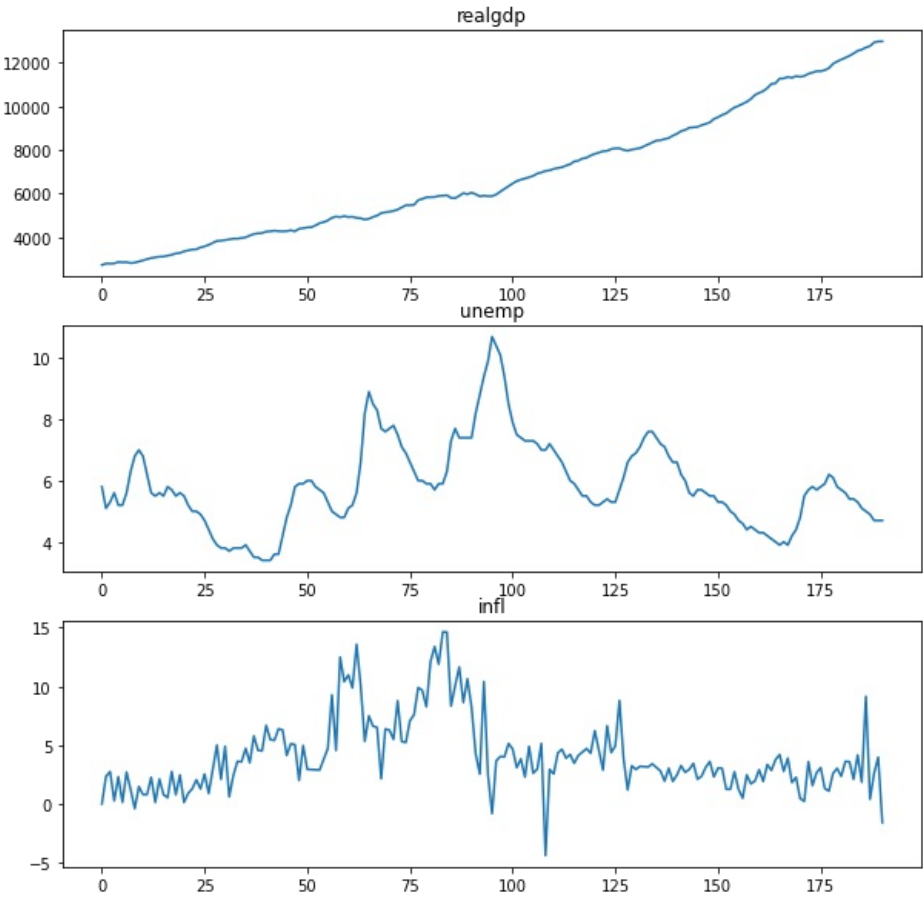
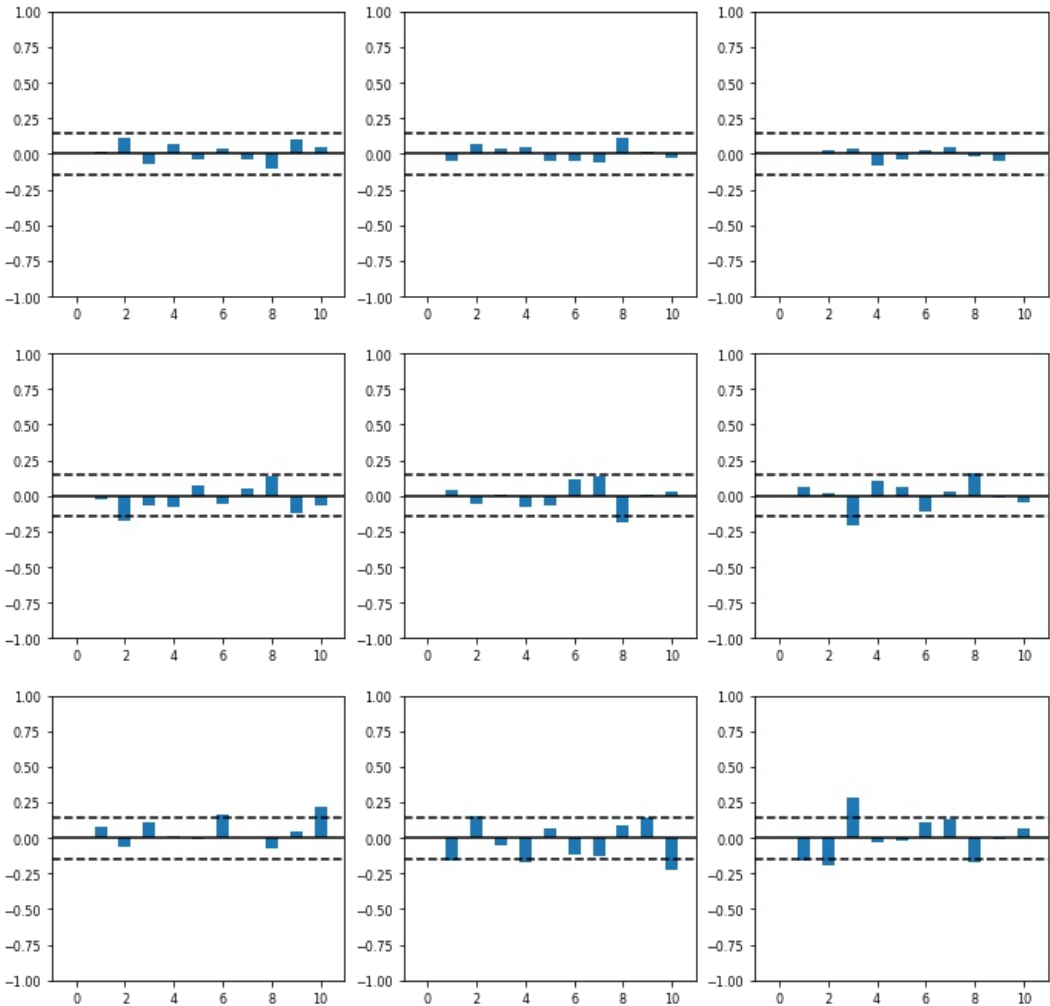
#Autocorrelation plots

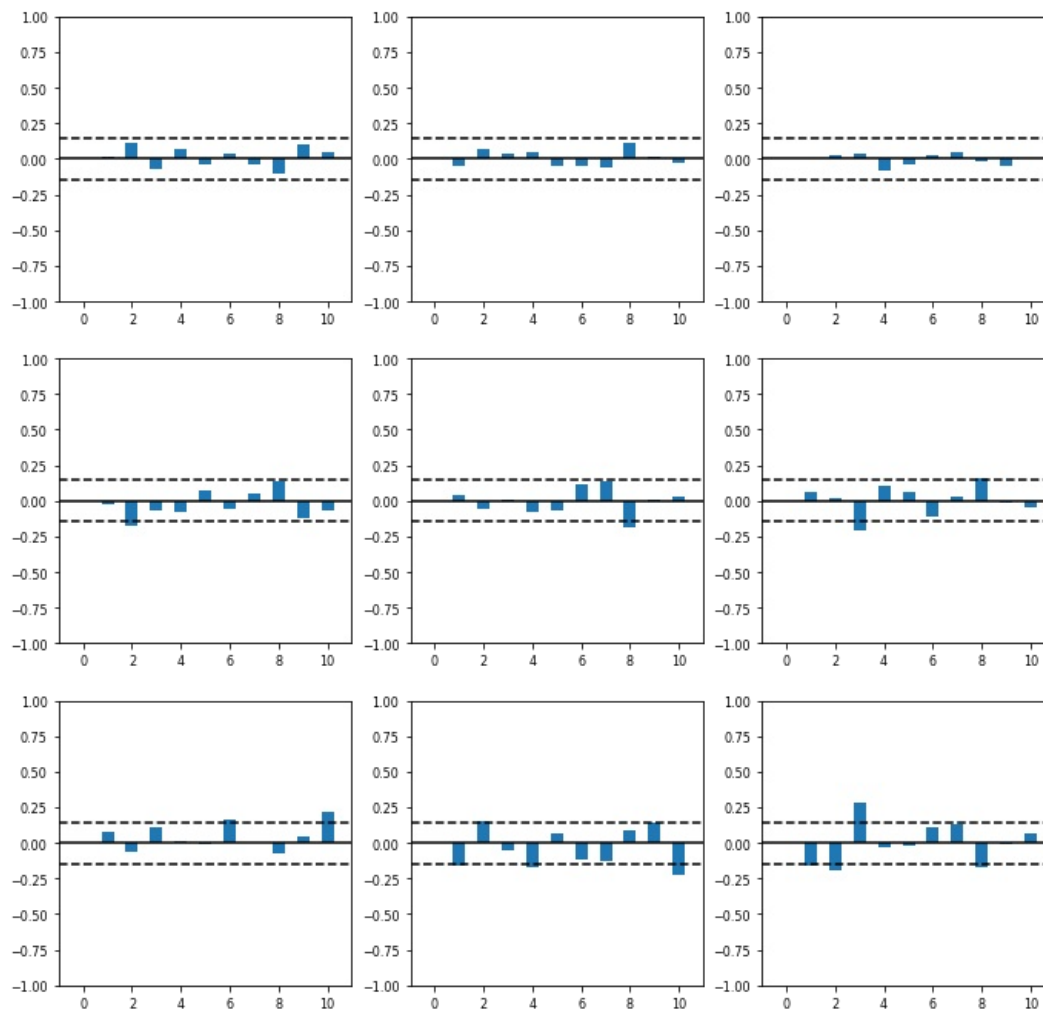
VAR_model.plot_acorr()

```

Out[29]:

ACF plots for residuals with $2/\sqrt{T}$ bounds



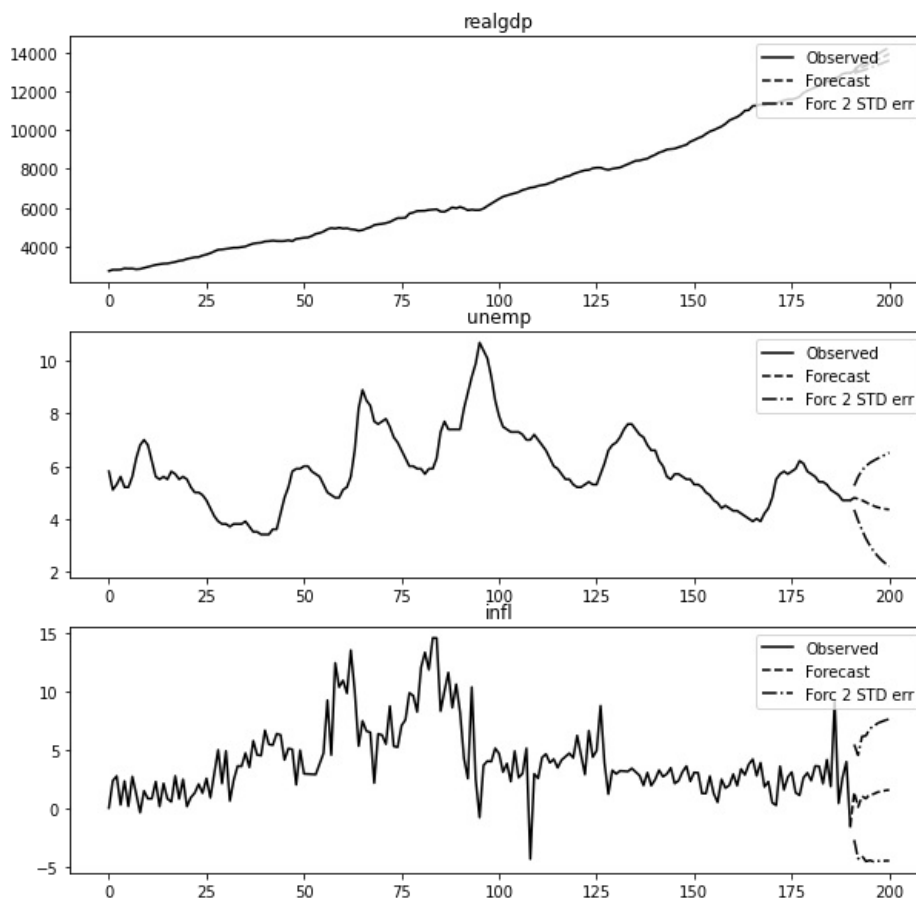
ACF plots for residuals with $2/\sqrt{T}$ bounds

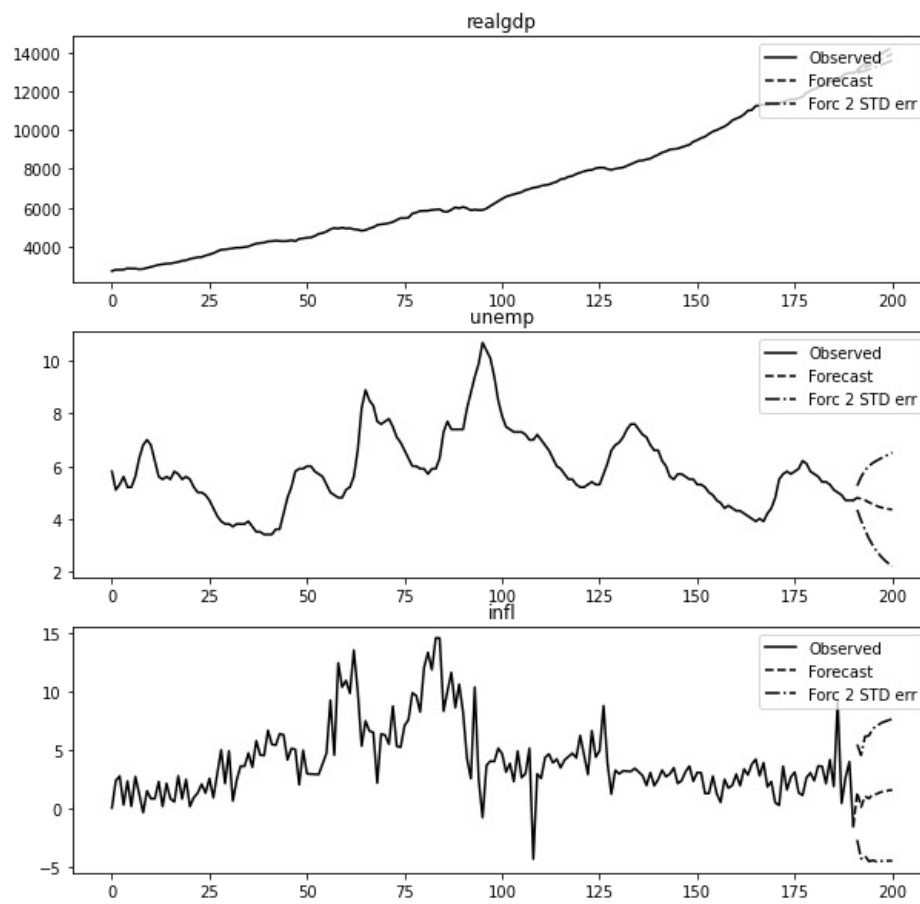
```
In [30]: #=====forecasting=====#
#ploting the forecast

VAR_model.plot_forecast(10)

#=====END=====#
```

Out[30]:





In []:

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