

# Project report – Calcul scientifique

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## 1 Limitations of the power method

We test with matrices of the following shapes

$$1 \quad \begin{pmatrix} 1 & & & (0) \\ & 2 & & \\ & & 3 & \\ & & & \ddots \\ (0) & & & & n \end{pmatrix}$$

$$2 \quad \text{diag}(\text{random}(1e-10, 1))$$

$$3 \quad \text{diag}\left((10^5)^{-\frac{i-1}{n-1}}\right)_{i \in \llbracket 1, n \rrbracket}$$

$$4 \quad \text{diag}\left(1 - (1 - 10^{-2})^{\frac{i-1}{n-1}}\right)_{i \in \llbracket 1, n \rrbracket}$$

Type / Alg	1	2	3	4
<code>eig</code> (10)	20 ms	0 ms	10 ms	10 ms
<code>power</code> (11)	1.77 s	40 ms	60 ms	1.81 s
<code>power</code> (12)	0.9 s	60 ms	60 ms	0.93 s
<code>v0</code> (0)				

Table 1: Computation time comparisons

### 1.1 Main computing time drawback of the improved deflation method

`power_v12` is slower than `power_v11` on matrices of type **2** (diagonal matrices of random floating point values close to zero). It *is* twice as fast on matrices of type **1** or **4**.