### Homework 5

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This is an R Markdown document. Markdown is a simple formatting syntax for authoring HTML, PDF, and MS Word documents. For more details on using R Markdown see <a href="http://rmarkdown.rstudio.com">http://rmarkdown.rstudio.com</a>.

When plotting some plot, please provide your interpretation - what is your conclusion based on that plot.

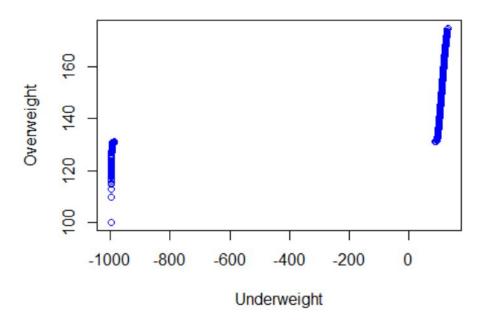
1. Use the data of child height/weight and study them using qq-plots in a specific age and gender at a time.

Compare heights of underweight and very overweight children Compare one of the attributes (height, weight, BMI) between boys and girls (select either younger or older age group) to each other.

```
uk_childData <- read.csv('C:/Users/Kenigbolo PC/Desktop/Data
Mining/ncmp_1415_final_non_disclosive.csv')
childData <- uk_childData[,c(2, 3, 5, 8, 11)]
underweight <- subset(childData, bmi < 18.5 & ageinmonths <= 65.60)
overweight <- subset(childData, ageinmonths > 65.60 & bmi > 25)

qqplot(underweight$height, overweight$height, plot.it = TRUE, main="Height of Underweight vs Overweight", col="blue", xlab = deparse(substitute(Underweight)), ylab = deparse(substitute(Overweight)))
```

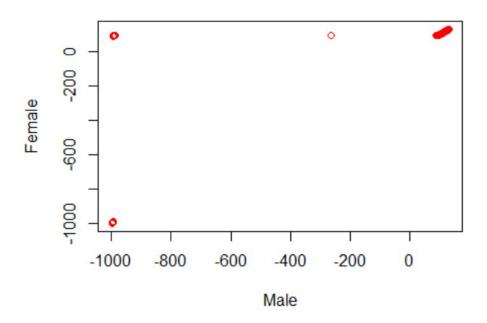
## Height of Underweight vs Overweight



```
male <- subset(childData, genderdescription == "Male" & ageinmonths <= 65.60)
female <- subset(childData, genderdescription == "Female" & ageinmonths <=
65.60)

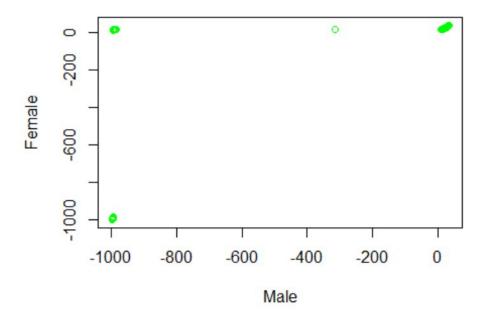
qqplot(male$height, female$height, main="Male vs Female Height", col="red",
xlab = deparse(substitute(Male)), ylab = deparse(substitute(Female)))</pre>
```

# Male vs Female Height



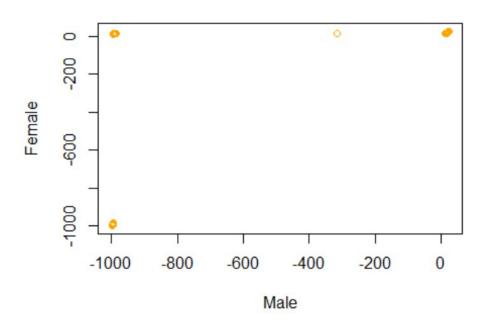
qqplot(male\$weight, female\$weight, main="Male vs Female Weight", col="green",
xlab = deparse(substitute(Male)), ylab = deparse(substitute(Female)))

# Male vs Female Weight



qqplot(male\$bmi, female\$bmi, main="Male vs Female BMI", col="orange", xlab =
deparse(substitute(Male)), ylab = deparse(substitute(Female)))

#### Male vs Female BMI



It is important to note the categorization of underweight and overweight was taken from the CDC's website at: http://www.cdc.gov/healthyweight/assessing/bmi/adult\_bmi/Hence children with a BMI of less than 18.5 (< 18.5) were classified as underweight while those with thier BMI greater than 25 (>25) were categorized as overweight.

My sample age group for comparison is based on the fact that 143.30 is the maximum age and 65.60 is the median age (as can be seen below) hence I categoized the younger age group to be all ages from the minimum age (48.40) and up to/including the median age (65.60) while the older age group are those who fall into the category of being older than the median age (>65.60)

```
print(summary(childData$ageinmonths))
## Min. 1st Qu. Median Mean 3rd Qu. Max.
## 48.40 59.10 65.60 92.46 129.90 143.30
```

2. Fix the age (look only at one specific age - of exactly the same nr of months). Compare the distribution of height vs BMI using two qq-plots - one for boys, one for girls. (Hopefully different students will pick different age for this)

```
print(which(table(childData$ageinmonths) ==
max(table(childData$ageinmonths))))
## 60.6
## 123
```

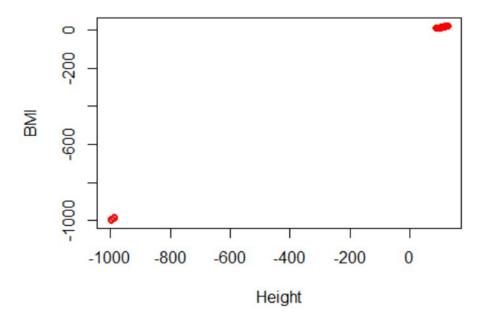
```
print(sort(table(childData$ageinmonths)[table(childData$ageinmonths) >
6000]))
##
## 59.3 59.8 58.3 60.6
## 6119 6157 7194 7380
```

As can be seen from the statistics above, 60.6 happens to be the most frequent age distribution in the entire data set hence I will adopt this as the age to use for the comparison.

```
mal ebyage <- subset(childData, genderdescription == "Male" & ageinmonths <=
60.6)
femal ebyage <- subset(childData, genderdescription == "Female" & ageinmonths
<= 60.6)

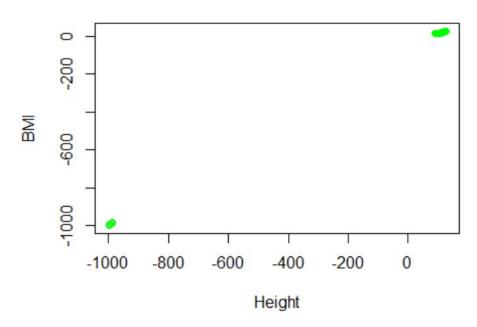
qqplot(mal ebyage$height, mal ebyage$bmi, main="Male Height vs BMI for Age ==
60.6", col="red", xlab = deparse(substitute(Height)), ylab =
deparse(substitute(BMI)))</pre>
```

### Male Height vs BMI for Age == 60.6



```
qqplot(femalebyage$height, femalebyage$bmi, main="Female Height vs BMI for
Age == 60.6", col="green", xlab = deparse(substitute(Height)), ylab =
deparse(substitute(BMI)))
```

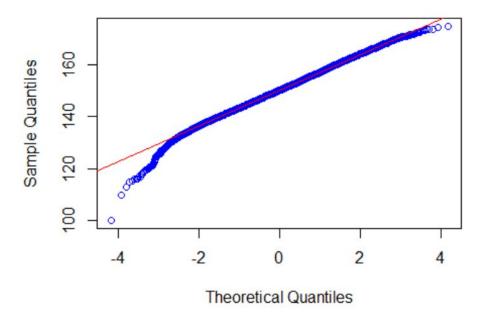
# Female Height vs BMI for Age == 60.6



3. Compare the height of overweight children against theoretical normal distribution. You can limit to certain age group and gender.

```
qqnorm(overwei ght$hei ght, col ="bl ue")
qql i ne(overwei ght$hei ght, col ="red")
```

#### Normal Q-Q Plot



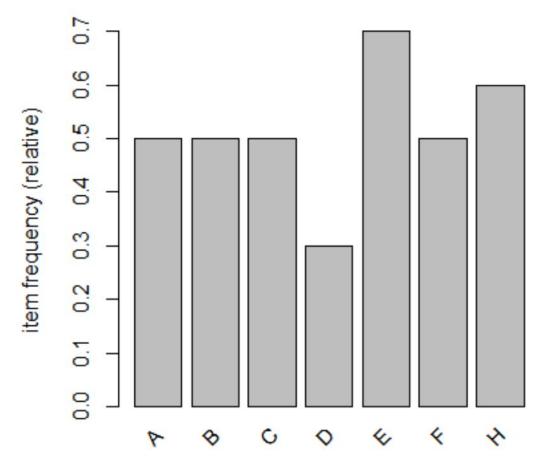
For this task I decided to take the older age grade for the over weight kids (ageinmonths > 65.60) because for the previous task (task two) I had used the younger age group

4. Follow the apriori algorithm principle and enumerate all itemsets that have support of 0.3 or higher, provide support. (probably best to solve using pen and paper or simple text editor and Unix command line tools)

```
library(arules)
## Warning: package 'arules' was built under R version 3.2.4
## Loading required package: Matrix
##
## Attaching package: 'arules'
## The following objects are masked from 'package: base':
##
##
       %in%, abbreviate, write
abcset <- read.transactions("C:/Users/Kenigbolo PC/Desktop/Data
Mining/abcset.csv", rm.duplicates= FALSE, format="basket", sep=",")
inspect(abcset)
##
      i tems
     \{A, B, C, F, H\}
## 2 {C, E, F, H}
## 3 {B, D, E}
```

```
## 4 {A, C, F, H}
## 5 {A, E, F}
## 6 {B, D, H}
## 7 {B, C, D, E, F}
## 8 {A, C, E, H}
## 9 {A, E, G}
## 10 {B, E, H}

i temFrequencyPloti(i temFrequencyPlot (abcset, support = 0. 3), support = 0. 3)
```



5. Calculate the support and confidence for every possible association rule from the above example where there is exactly one item on the left and one item on the right (e.g. A->E). Make two 8x8 tables (A..H) x (A..H), one for support and the other for confidence. Be clever, create some simple script for calculating this. Color these as heatmap (e.g. in Excel)

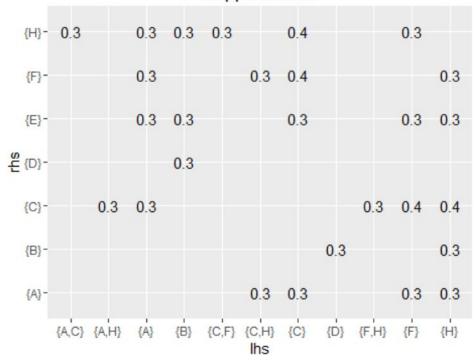
Which rules are "most interesting" from 5 based on those data?

library(arulesViz)

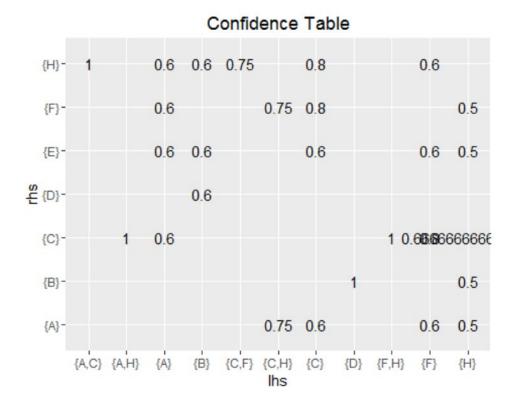
```
## Warning: package 'arulesViz' was built under R version 3.2.4
## Loading required package: grid
library(qualityTools)
## Warning: package 'qualityTools' was built under R version 3.2.4
## Loading required package: RsoInp
## Loading required package: MASS
library(ggplot2)
abcset <-read.transactions("C:/Users/Kenigbolo PC/Desktop/Data
Mining/abcset.csv", rm. duplicates= FALSE, format="basket", sep=",")
abcsetsupport <- apriori(abcset, parameter= list(supp=0.3, conf=0.5))
## Apriori
##
## Parameter specification:
   confidence minval smax arem aval original Support support minlen maxlen
##
           0.5
                   0.1
                          1 none FALSE
                                                   TRUE
                                                            0.3
                                                                      1
                                                                            10
## target
             ext
    rules FALSE
##
##
## Algorithmic control:
## filter tree heap memopt load sort verbose
##
       O. 1 TRUE TRUE FALSE TRUE
                                           TRUF
                                     2
##
## Absolute minimum support count: 3
##
## set item appearances ...[0 item(s)] done [0.00s].
## set transactions ...[8 item(s), 10 transaction(s)] done [0.00s].
## sorting and recoding items ... [7 item(s)] done [0.00s].
## creating transaction tree ... done [0.00s].
## checking subsets of size 1 2 3 done [0.00s].
## writing ... [33 rule(s)] done [0.00s].
## creating S4 object ... done [0.00s].
abcsetdata <- inspect(abcsetsupport)</pre>
##
      l hs
               rhs support confidence lift
## 1
      {}
            => \{B\} \ 0.5
                            0.5000000 1.0000000
## 2
      {}
            => \{A\} \ 0.5
                            0.5000000
                                       1.0000000
## 3
            => \{F\} \ 0.5
                            0.5000000 1.0000000
      {}
## 4
      {}
            => \{C\} \ 0.5
                            0.5000000 1.0000000
## 5
     {}
            => \{H\} \ 0.6
                            0.6000000 1.0000000
## 6
      {}
            => \{E\} 0.7
                            0.7000000
                                       1.0000000
## 7
            => \{B\} \ 0.3
      {D}
                            1.0000000 2.0000000
## 8
     {B}
            => \{D\} \ 0.3
                            0.6000000 2.0000000
## 9 {B}
            => \{H\} \ 0.3
                            0.6000000 1.0000000
## 10 {H}
            => \{B\} \ 0.3
                            0.5000000 1.0000000
## 11 {B}
            => \{E\} \ 0.3
                            0.6000000 0.8571429
```

```
=> \{F\} \ 0.3
## 12 {A}
                               0.6000000
                                            1.2000000
## 13 {F}
              => \{A\} \ 0.3
                               0.6000000
                                            1.2000000
## 14 {A}
              => \{C\} \ 0.3
                               0.6000000
                                            1.2000000
## 15 {C}
              => \{A\} \ 0.3
                               0.6000000
                                            1.2000000
## 16 {A}
              => \{H\} \ 0.3
                               0.6000000
                                            1.0000000
## 17 {H}
              => \{A\} \ 0.3
                               0.5000000
                                            1.0000000
## 18 {A}
                               0.6000000
              => \{E\} 0.3
                                            0.8571429
## 19 {F}
              => \{C\} \ 0.4
                               0.8000000
                                            1.6000000
## 20 {C}
              => \{F\} \ 0.4
                               0.8000000
                                            1.6000000
## 21 {F}
              => \{H\} \ 0.3
                               0.6000000
                                            1.0000000
## 22 {H}
              => \{F\} \ 0.3
                               0.5000000
                                            1.0000000
                               0.6000000
## 23 {F}
              => \{E\} \ 0.3
                                            0.8571429
## 24 {C}
              => \{H\} \ 0.4
                               0.8000000
                                            1. 3333333
## 25 {H}
              => \{C\} \ 0.4
                               0.6666667
                                            1. 3333333
## 26 {C}
              => \{E\} \ 0.3
                               0.6000000
                                            0.8571429
## 27 {H}
              => \{E\} 0.3
                               0.5000000
                                            0.7142857
## 28 \{A, C\} => \{H\} 0.3
                               1.0000000
                                            1.6666667
## 29 \{A, H\} => \{C\} 0.3
                               1.0000000
                                            2.0000000
## 30 \{C, H\} => \{A\} 0.3
                               0.7500000
                                            1.5000000
## 31 \{C, F\} => \{H\} 0.3
                               0.7500000
                                            1. 2500000
## 32 \{F, H\} => \{C\} 0.3
                               1.0000000
                                            2.0000000
## 33 \{C, H\} => \{F\} 0.3
                               0.7500000
                                            1.5000000
abcsetdata \leftarrow abcsetdata[-c(1, 2, 3, 4, 5, 6), ]
ggplot(aes(lhs, rhs),
data=abcsetdata)+geom_text(aes(label=abcsetdata[,4]))+labs(title="Support
Table")
```

### Support Table



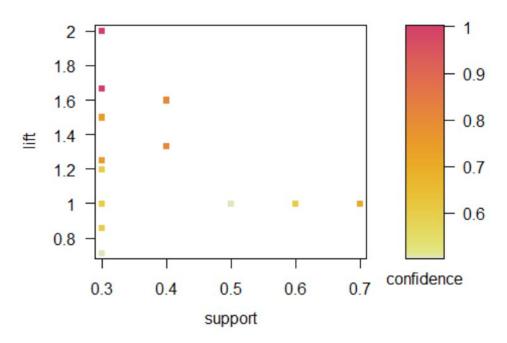
```
ggplot(aes(Ihs, rhs),
data=abcsetdata)+geom_text(aes(Iabel =abcsetdata[, 5]))+Iabs(title="Confidence
Table")
```



In the above association rules and tables, I was unable to make a specific 8x8 table rule after trying multiple confidence numbers mostly because of the abscence of "G" however the above tables represent both support and confidence.

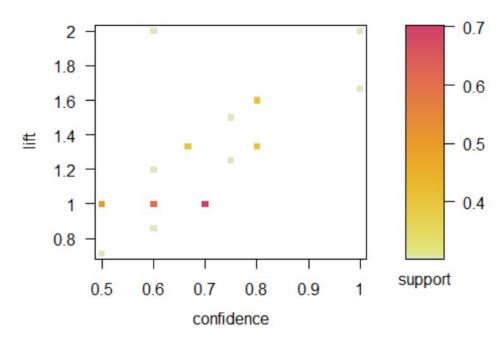
```
library(arulesViz)
plot(abcsetsupport, measure=c("support", "lift"), shading="confidence",
control=list(main = "Confidence Heat Map"))
```

# **Confidence Heat Map**

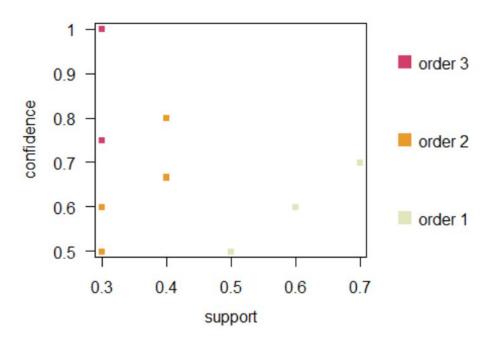


plot(abcsetsupport, measure=c("confidence", "lift"), shading="support",
control=list(main = "Support Heat Map"))

## **Support Heat Map**



## Confidence vs Support Heat Map



The rules that were the most interesting for me were the following

					Support	Confidence	
##	19	{F}	=>	{C}	0. 4	0.8000000	1.6000000
##	20	{C}	=>	{F}	0.4	0.8000000	1.6000000
##	7	{D}	=>	{B}	0. 3	1. 0000000	2.0000000
##	24	{C}	=>	{H}	0.4	0.8000000	1. 3333333
##	28	{A, C}	=>	{H}	0. 3	1.0000000	1. 6666667
##	29	$\{A, H\}$	=>	{C}	0. 3	1.0000000	2.0000000
##	32	{F, H}	=>	{C}	0. 3	1.0000000	2.0000000

It seems that the lower the support the higher the confidence