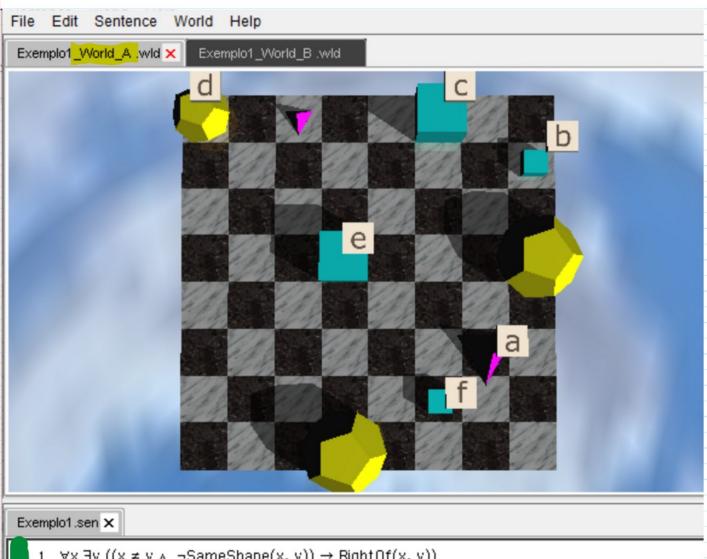
Tarski World - Exercício extra

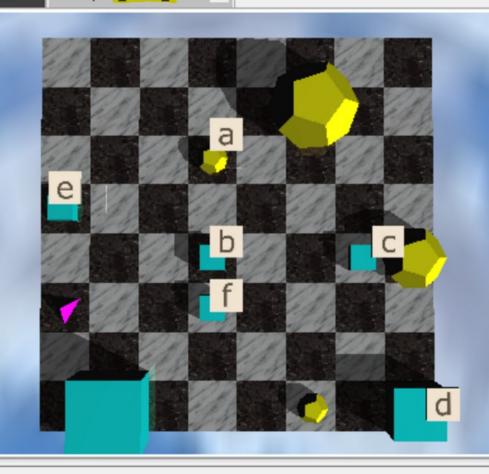


- 1. $\forall x \exists y ((x \neq y \land \neg SameShape(x, y)) \rightarrow RightOf(x, y))$
- 2. $\exists x \forall y (x \neq y \rightarrow RightOf(y, x))$
- 3. $\exists x (Cube(x) \land \forall y (Tet(y) \rightarrow \exists z (Smaller(x, z) \land RightOf(z, y))))$
- 4. $\forall x \exists y (x \neq y \land (SameShape(x, y) \lor LeftOf(y, x)))$
- 5. $\exists x (Cube(x) \land \forall y (Tet(y) \rightarrow \exists z (LeftOf(y, z) \land Larger(z, x))))$

File Edit Sentence World Help

Exemplo1_World_A .wld

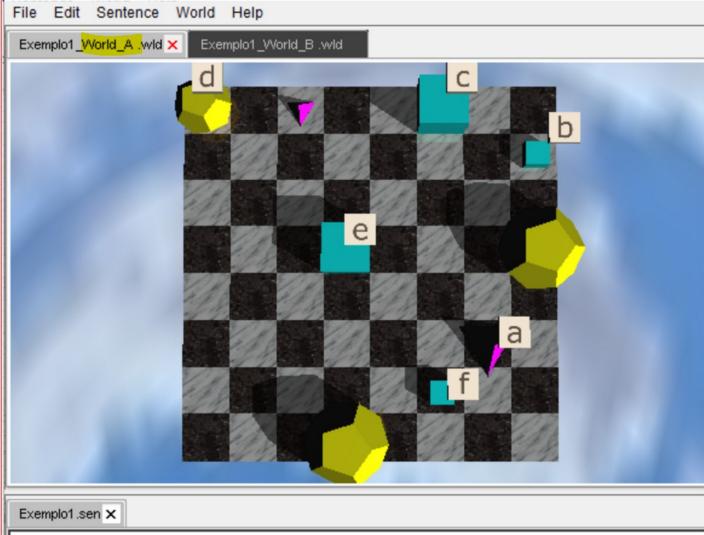
Exemplo1_World_B .wld ×



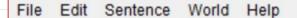
Exemplo1.sen X

- 1. $\forall x \exists y ((x \neq y \land \neg SameShape(x, y)) \rightarrow RightOf(x, y))$
- 2. $\exists x \ \forall y \ (x \neq y \rightarrow \mathsf{RightOf}(y, x))$
- 3. $\exists x (Cube(x) \land \forall y (Tet(y) \rightarrow \exists z (Smaller(x, z) \land RightOf(z, y))))$
- 4. $\forall x \exists y (x \neq y \land (SameShape(x, y) \lor LeftOf(y, x)))$
- 5. $\exists x (Cube(x) \land \forall y (Tet(y) \rightarrow \exists z (LeftOf(y, z) \land Larger(z, x))))$

Com solução:



- T 1. $\forall x \exists y ((x \neq y \land \neg SameShape(x, y)) \rightarrow RightOf(x, y))$
- T 2. $\exists x \ \forall y \ (x \neq y \rightarrow \mathsf{RightOf}(y, x))$
- T 3. $\exists x (Cube(x) \land \forall y (Tet(y) \rightarrow \exists z (Smaller(x, z) \land RightOf(z, y))))$
- T 4. $\forall x \exists y (x \neq y \land (SameShape(x, y) \lor LeftOf(y, x)))$
- T 5. $\exists x (Cube(x) \land \forall y (Tet(y) \rightarrow \exists z (LeftOf(y, z) \land Larger(z, x))))$



Exemplo1_World_A .wld Exemplo1_World_B .wld X



Exemplo1.sen X

- T 1. $\forall x \exists y ((x \neq y \land \neg SameShape(x, y)) \rightarrow RightOf(x, y))$
- F 2. $\exists x \forall y (x \neq y \rightarrow RightOf(y, x))$
- T 3. $\exists x (Cube(x) \land \forall y (Tet(y) \rightarrow \exists z (Smaller(x, z) \land RightOf(z, y))))$
- F 4. $\forall x \exists y (x \neq y \land (SameShape(x, y) \lor LeftOf(y, x)))$
- T 5. $\exists x (Cube(x) \land \forall y (Tet(y) \rightarrow \exists z (LeftOf(y, z) \land Larger(z, x))))$