

A. Shortest Path I

Given an undirected weighted graph find shortest path of each node from the node 0.

Input

First Line: N ($0 < N \leq 100000$), number of nodes.

Second line: M ($0 < M \leq 300000$), number of edges.

Next M lines, each: $U \ V \ W$ ($0 \leq U, V < N$, $1 \leq W \leq 10^6$), defines an edge between U and V with weight W .

Output

Shortest path of each node. If any node is unreachable, print -1. See sample for clarification.

Sample

Input	Output
7	0: 0
6	1: 3
1 3 2	2: 6
1 2 5	3: 5
0 1 3	4: 55
3 2 1	5: 16
3 4 50	6: -1
2 5 10	

B. Shortest Path II

Given an undirected weighted graph print the shortest path of node 1 from the node 0. If there are multiple shortest paths, print the lexicographically smallest one.

Input

First line: N ($0 < N \leq 100000$), number of nodes.

Second line: M ($0 < M \leq 300000$), number of edges.

Next M lines, each: $U \ V \ W$ ($0 \leq U, V < N$, $1 \leq W \leq 10^6$), defines an edge between U and V with weight W .

Output

Shortest path of node 1. If node is not reachable, print "NOT REACHABLE". See sample for clarification.

Sample

Input	Output
7	0
6	4
4 3 2	2
4 2 5	1
0 4 3	
3 2 1	
3 6 50	
2 1 10	

C. Shortest Path III

Given an directed weighted graph find its minimum spanning tree. The graph is guaranteed to be connected.

Input

First line: N ($0 < N \leq 150$), number of nodes.

Second line: M ($0 < M \leq 5000$), number of edges.

Next M lines, each: $U \ V \ W$ ($0 \leq U, V < N, -1000 \leq W \leq 1000$), defines an edge from U to V with weight W .

Next line: Q ($1 \leq Q \leq 1000$), number of queries.

Next Q lines: $X \ Y$ ($0 \leq X, Y < N$), a query containing a pair of vertices.

Output

For each query, find the shortest distance between the pair of vertices. In case of no path or -Infinity, print IMPOSSIBLE. See sample for clarification.

Sample

Input 4 3 0 1 2 1 2 2 3 3 1 4 0 2 1 2 3 0 3 3	Output 4 2 Impossible 0
2 1 0 1 100 q 0 1 1 0	100 Impossible