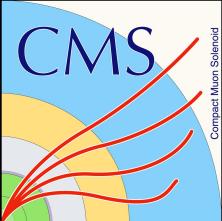


Higgs to Dimuons: FEWZ Studies

Brendan Regnery, Dimitri Bourilkov, Darin
Acosta

Department of Physics, P.O. Box 118440, Gainesville, FL 32611-8440



Objectives

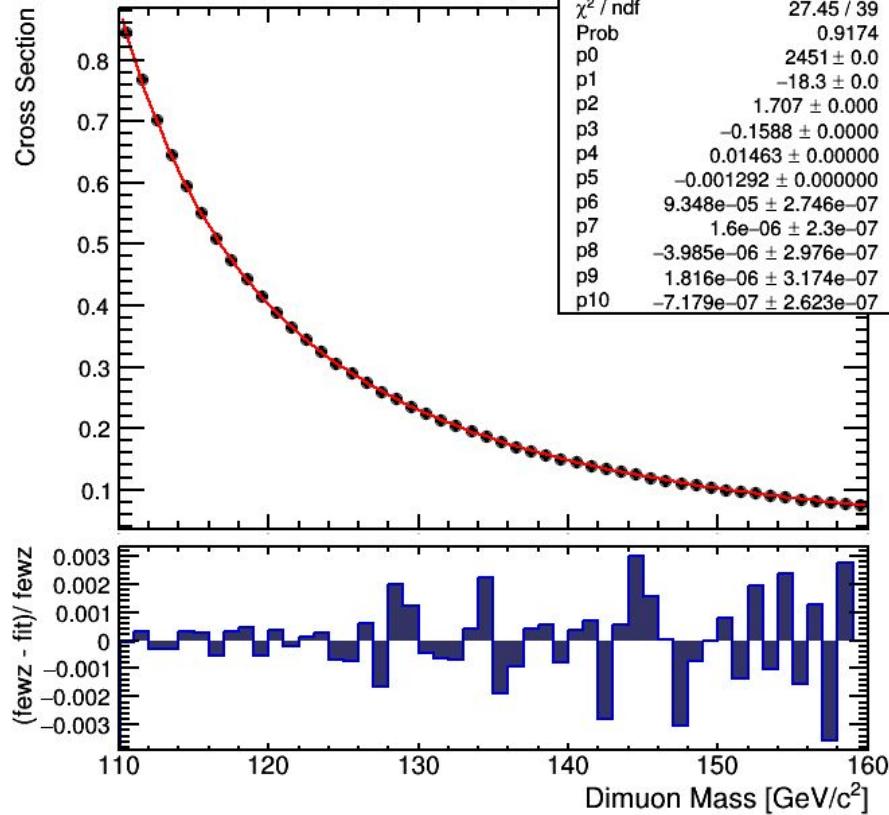
- Make FEWZ NLO and NNLO histograms for dimuon mass
- Find the function that best describes these histograms
- The FEWZ NLO output histograms are located here:
[https://github.com/bregnery/FEWZforHiggs2mumu/
tree/master/FEWZ/FEWZ_3.1.b2/bin/NLOresults](https://github.com/bregnery/FEWZforHiggs2mumu/tree/master/FEWZ/FEWZ_3.1.b2/bin/NLOresults)
- The github repository for this fitting program is located here:
[https://github.com/bregnery/PythonModulesForCMS
fits](https://github.com/bregnery/PythonModulesForCMSfits)

Leading Muon $pT > 26 \text{ GeV}$,
NLO Full Category

Chebyshev Polynomial Fit

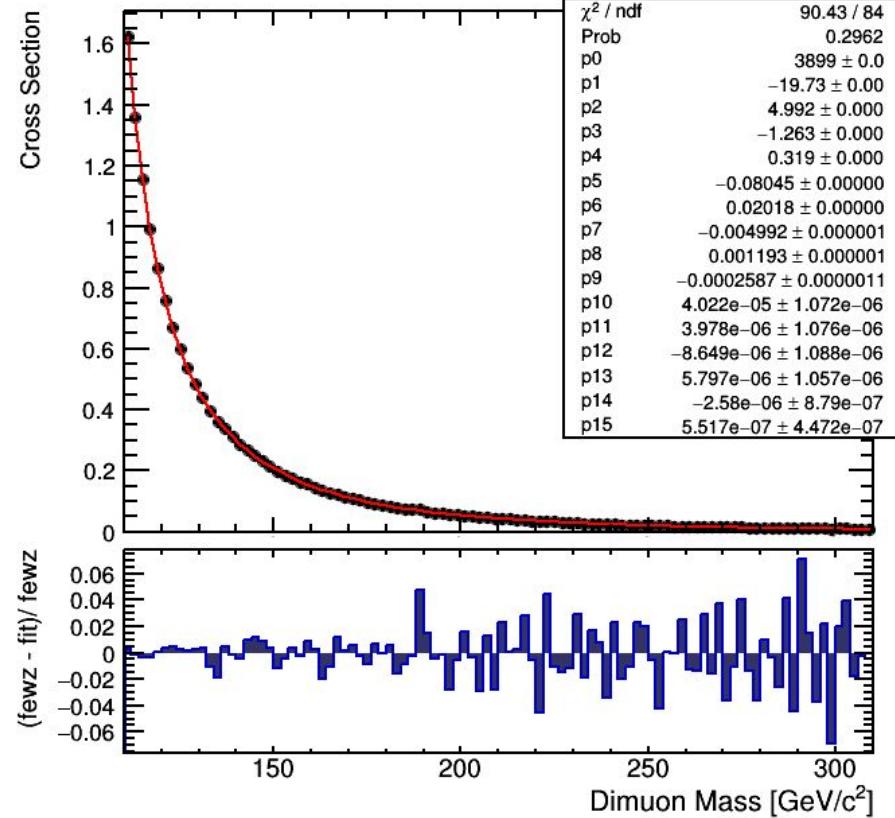
Low Mass

Cross Section for NLO CT Full



High Mass

Cross Section for NLO CT Full

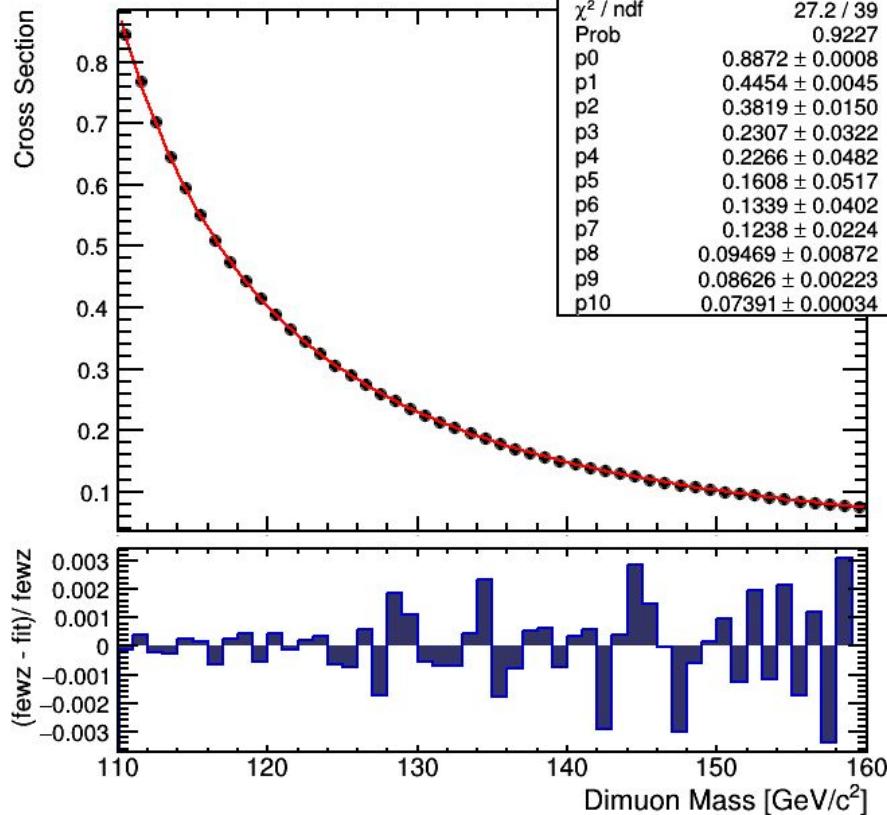


pN are the coefficients of the polynomials

Bernstein Polynomial Fit

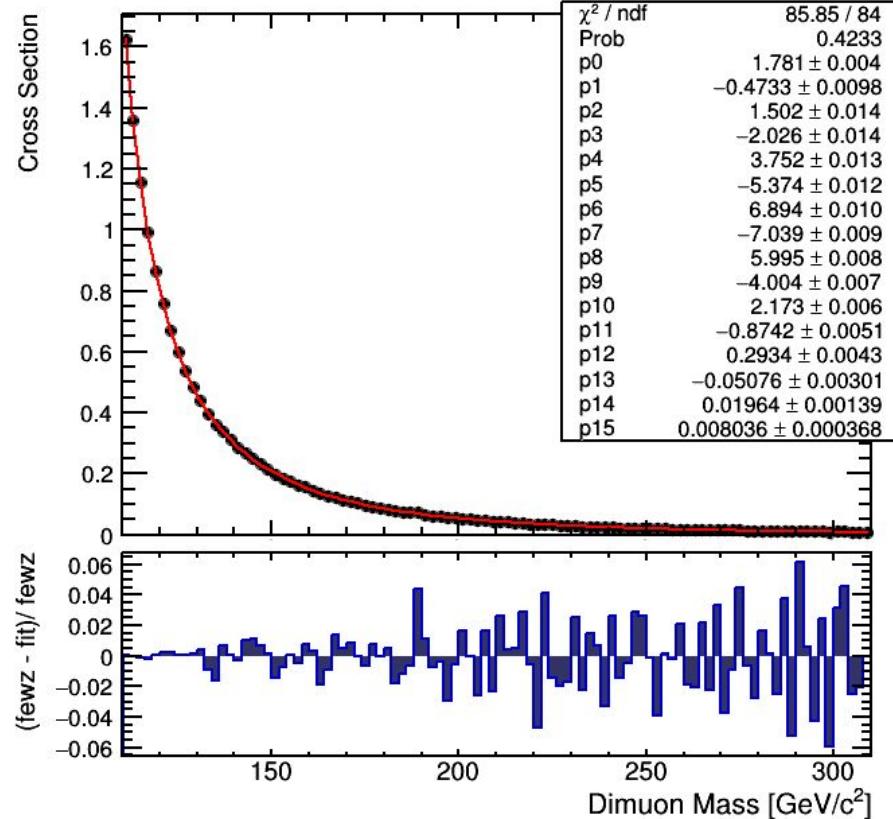
Low Mass

Cross Section for NLO CT Full



High Mass

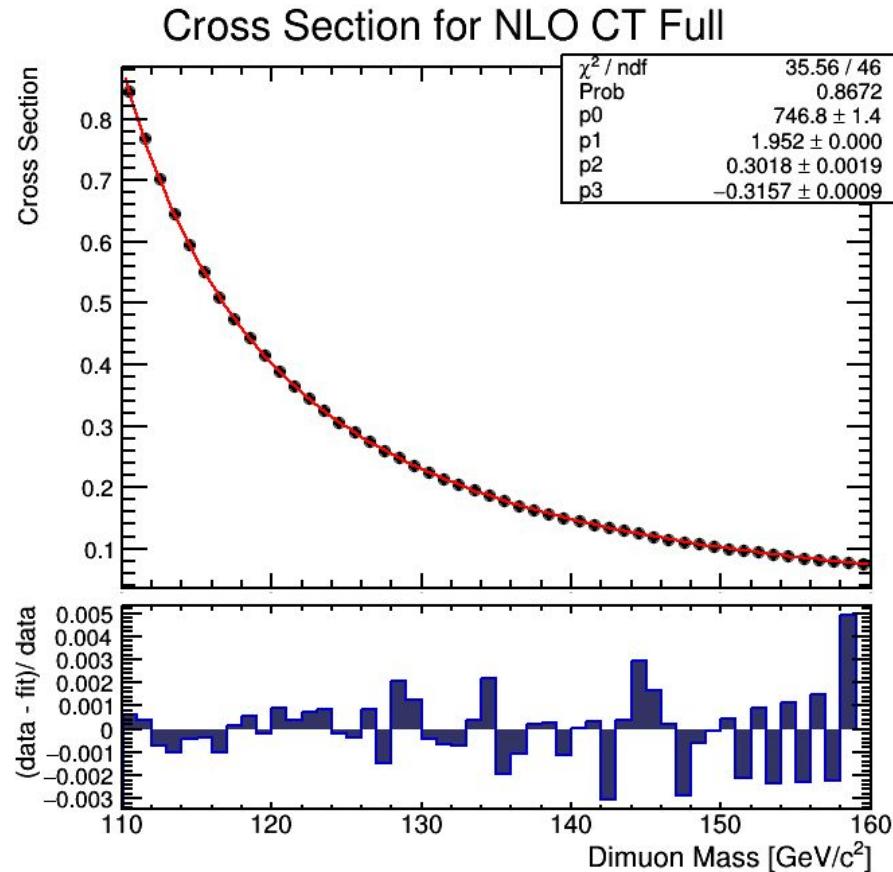
Cross Section for NLO CT Full



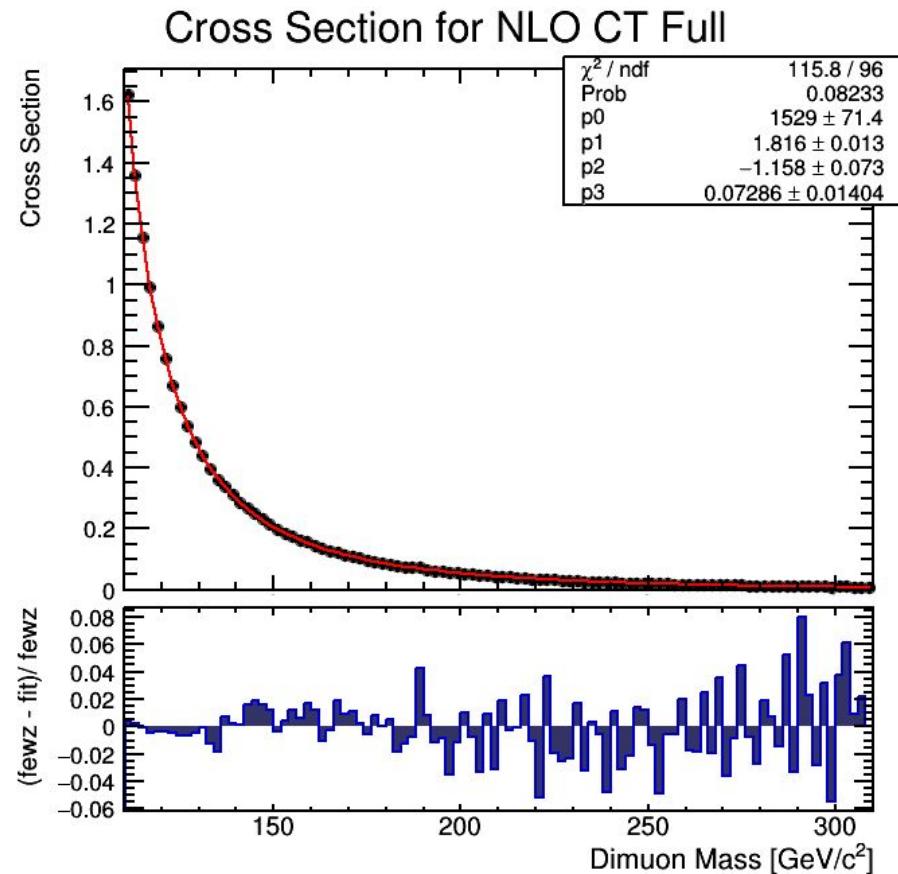
pN are the coefficients of the polynomials

Fit with Modified Version of Dimitri's Perturbed Exponential times Relativistic Breit Wigner

Low Mass



High Mass

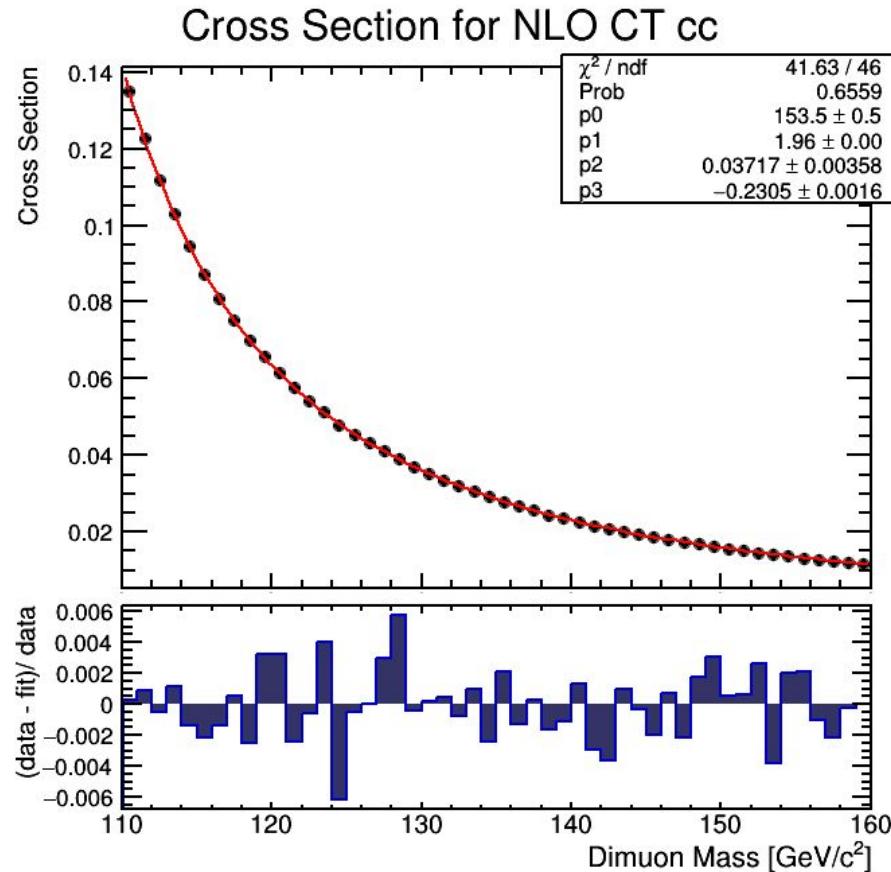


$$p0*x^2*Exp[p2*(x/100) + p3*(x/100)^2] / [(x^2 - 91.2^2)^{p1} + (x^2*2.5/91.2)^{p1}]$$

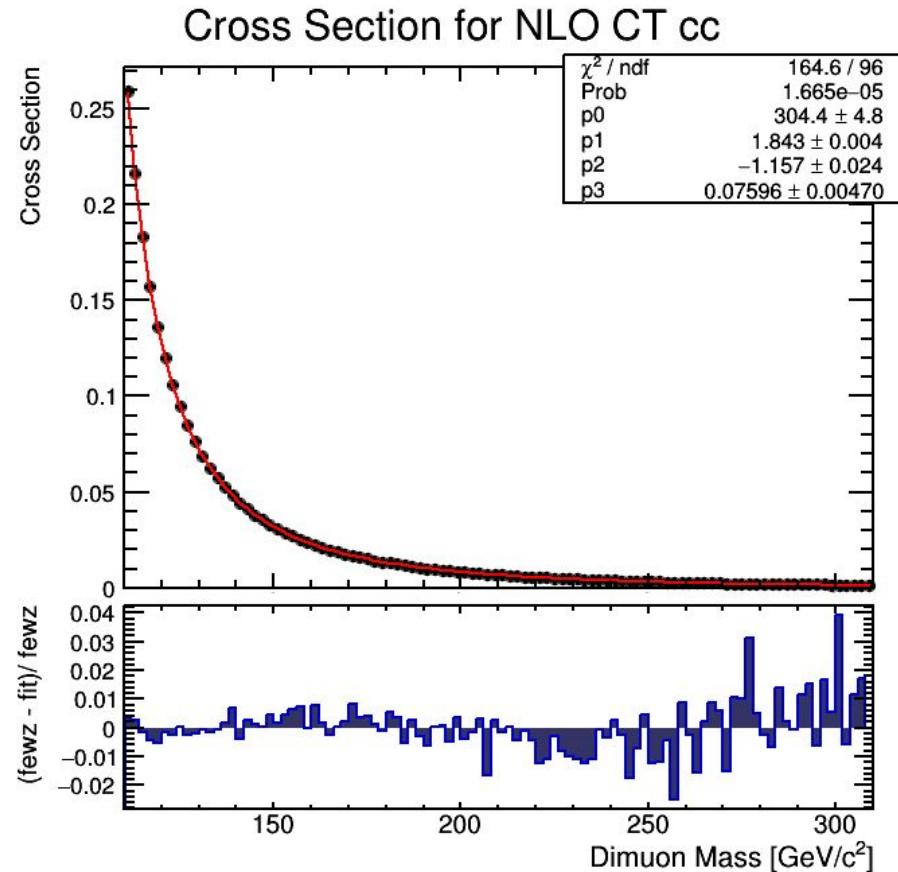
Leading Muon $pT > 26 \text{ GeV}$, NLO Central Central (CC) Category

Fit with Modified Version of Dimitri's Perturbed Exponential times Relativistic Breit Wigner

Low Mass



High Mass

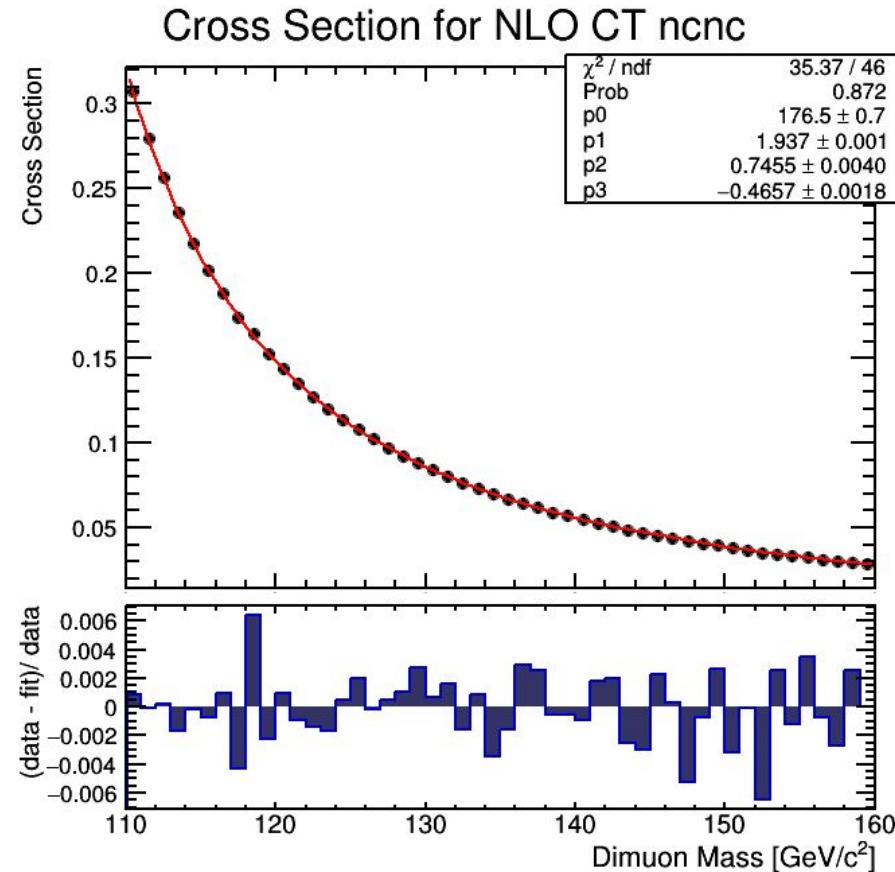


$$p0*x^2*Exp[p2*(x/100) + p3*(x/100)^2] / [(x^2 - 91.2^2)^{p1} + (x^2*2.5/91.2)^{p1}]$$

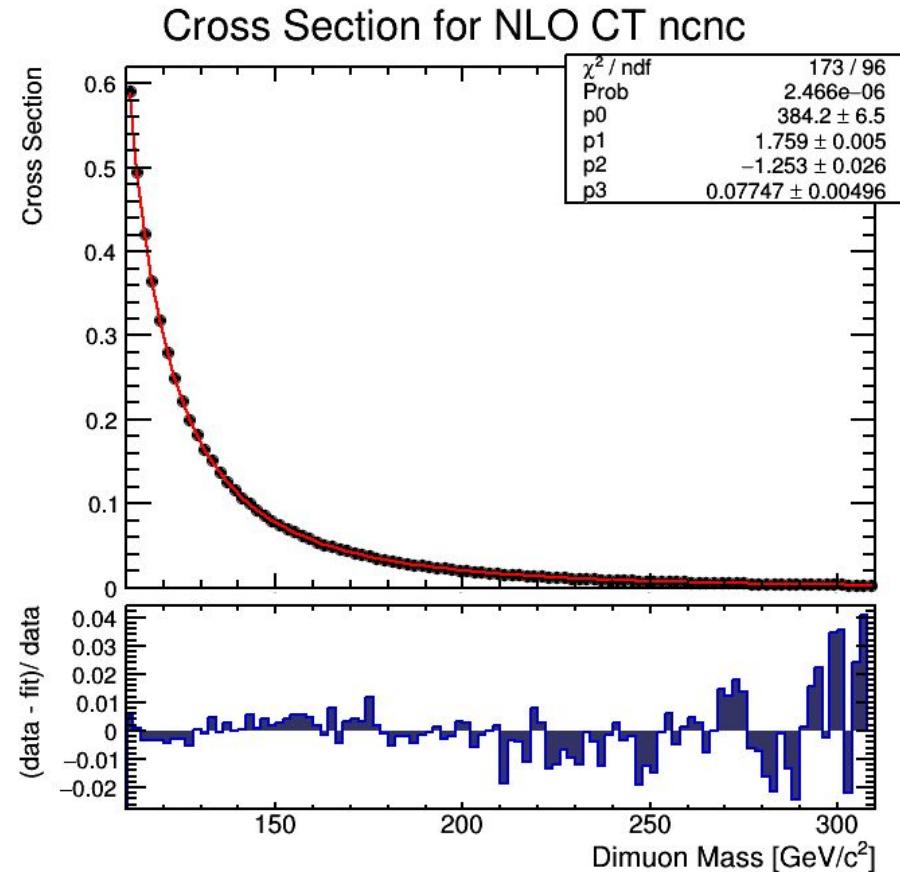
Leading Muon $pT > 26 \text{ GeV}$,
NLO Non-central Non-central
(NCNC) Category

Fit with Modified Version of Dimitri's Perturbed Exponential times Relativistic Breit Wigner

Low Mass



High Mass

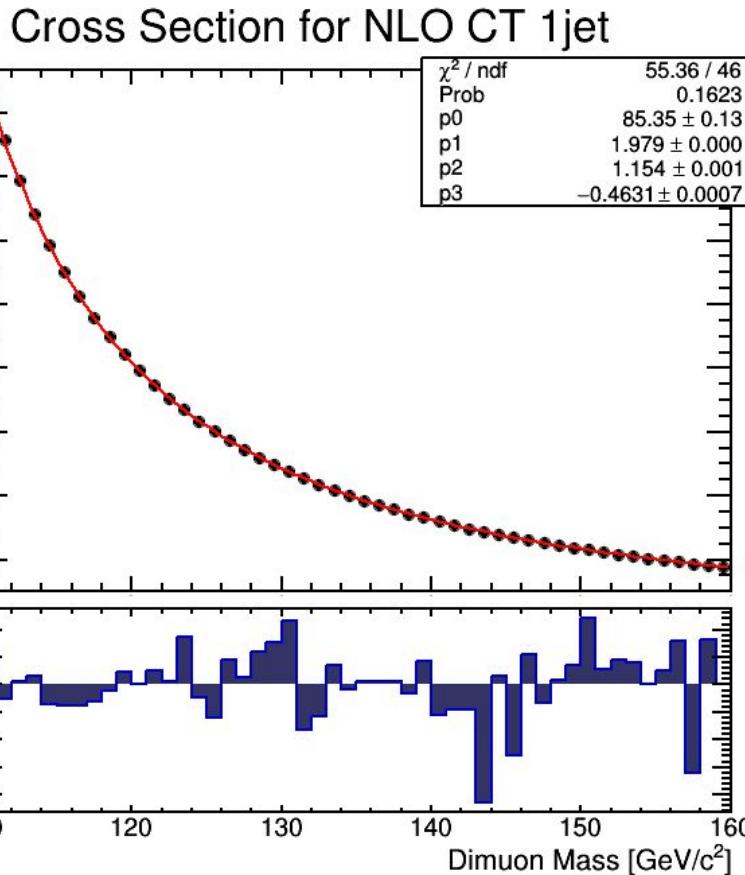


$$p0*x^2*Exp[p2*(x/100) + p3*(x/100)^2] / [(x^2 - 91.2^2)^p1 + (x^2*2.5/91.2)^p1]$$

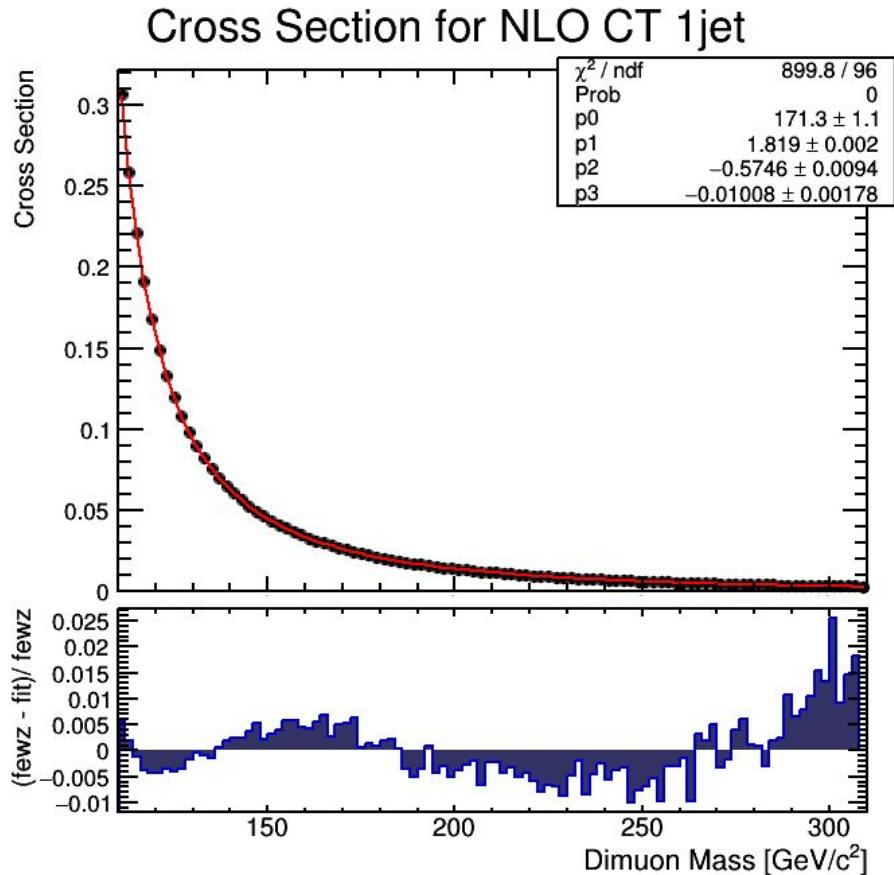
Leading Muon $pT > 26 \text{ GeV}$,
NLO 1 Jet (1jet) Category, 110
to $160 \text{ GeV}/c^2$

Fit with Modified Version of Dimitri's Perturbed Exponential times Relativistic Breit Wigner

Low Mass



High Mass

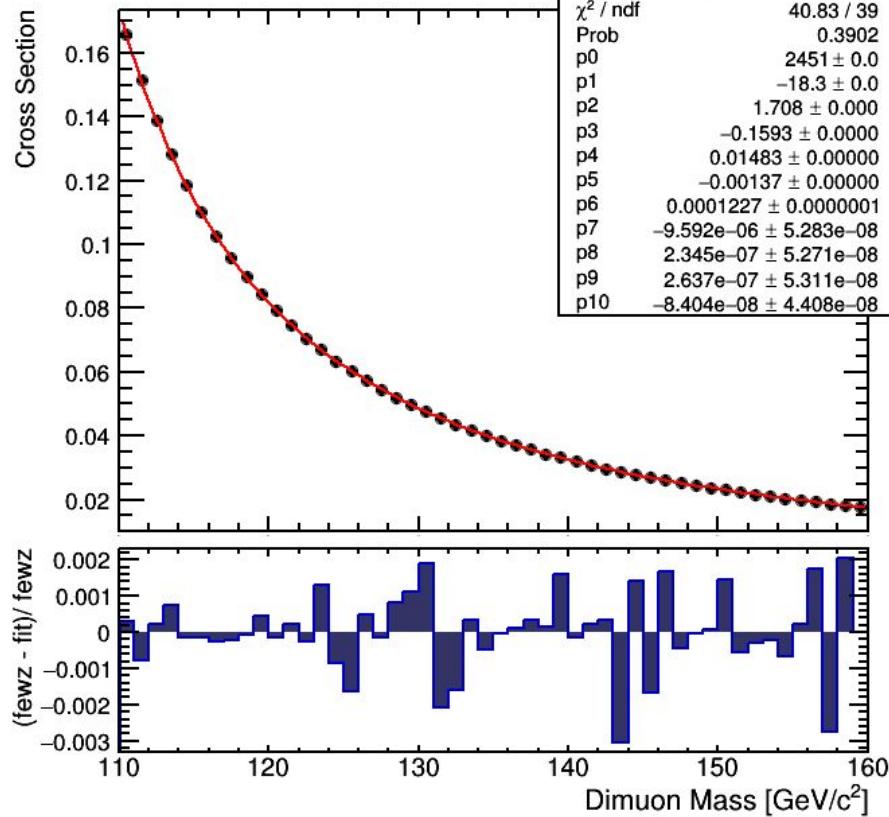


$$p0*x^2*Exp[p2*(x/100) + p3*(x/100)^2] / [(x^2 - 91.2^2)^{p1} + (x^2*2.5/91.2)^{p1}]$$

Chebyshev Polynomial Fit

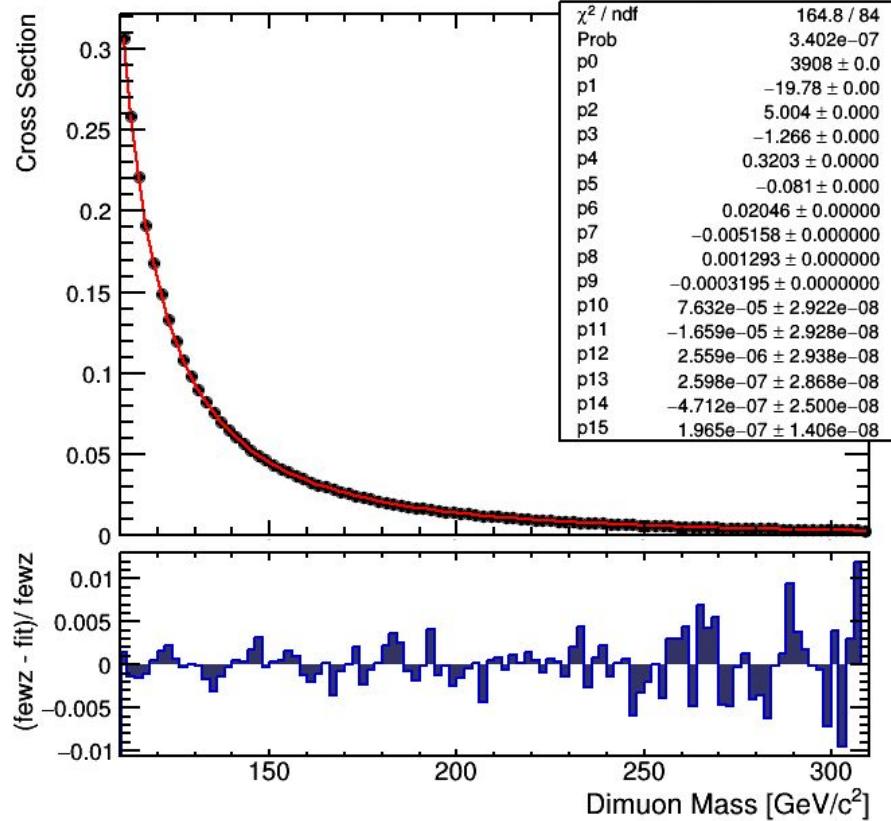
Low Mass

Cross Section for NLO CT 1jet

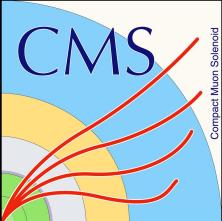


High Mass

Cross Section for NLO CT 1jet



pN are the coefficients of the polynomials



Conclusions

- The polynomials fit each category well however they require a large number of parameters to reach this sensitivity
- The relativistic and non-relativistic versions of the perturbed exponential times a Breit Wigner describe the low mass region almost equally well
- The perturbed exponential times a relativistic Breit Wigner describes the high mass region better than the non-relativistic case
- For the perturbed exponential times the Breit Wigner, making the power in the denominator be a parameter (with limits [1.5, 2.5]) is essential for improving the goodness of fit
- Only the polynomials seem to be good at fitting the high mass 1 jet category

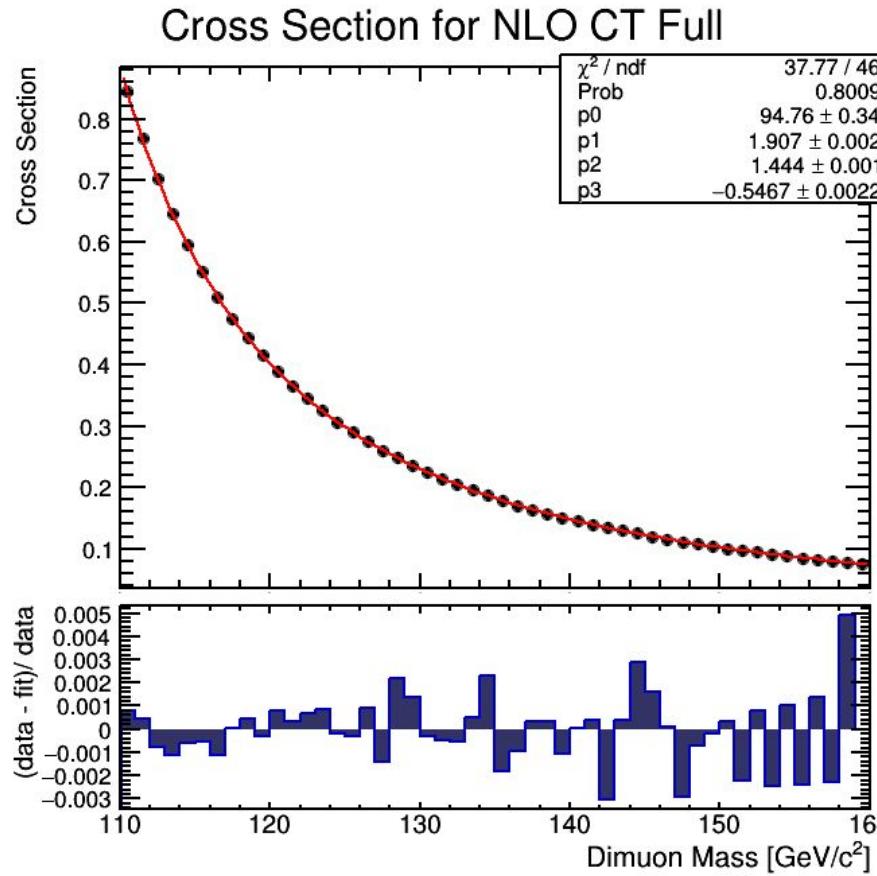
$$\frac{p0 * x^2 * \text{Exp}[p2 * (x/100) + p3 * (x/100)^2]}{(x^2 - 91.2^2)^{p1} + (x^2 * 2.5/91.2)^{p1}}$$

Where $p1 \in [1.5, 2.5]$

Back-Up

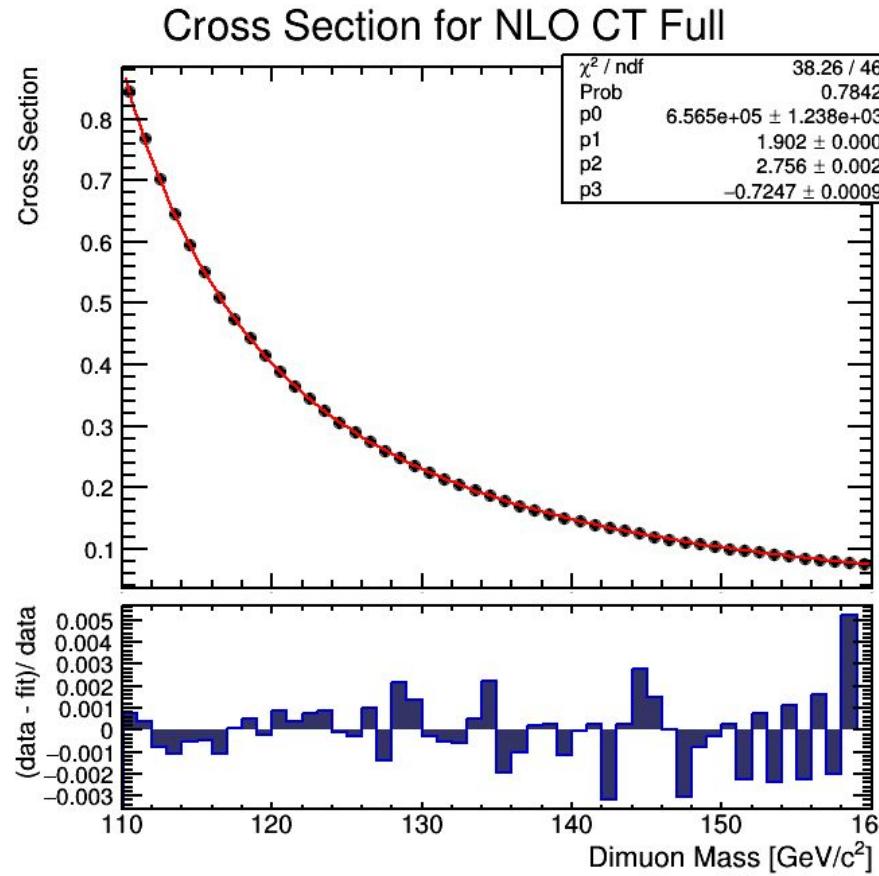
Leading Muon $pT > 26 \text{ GeV}$,
NLO Full Category, 110 to 160
 GeV/c^2

Fit with Perturbed Exponential times Breit Wigner



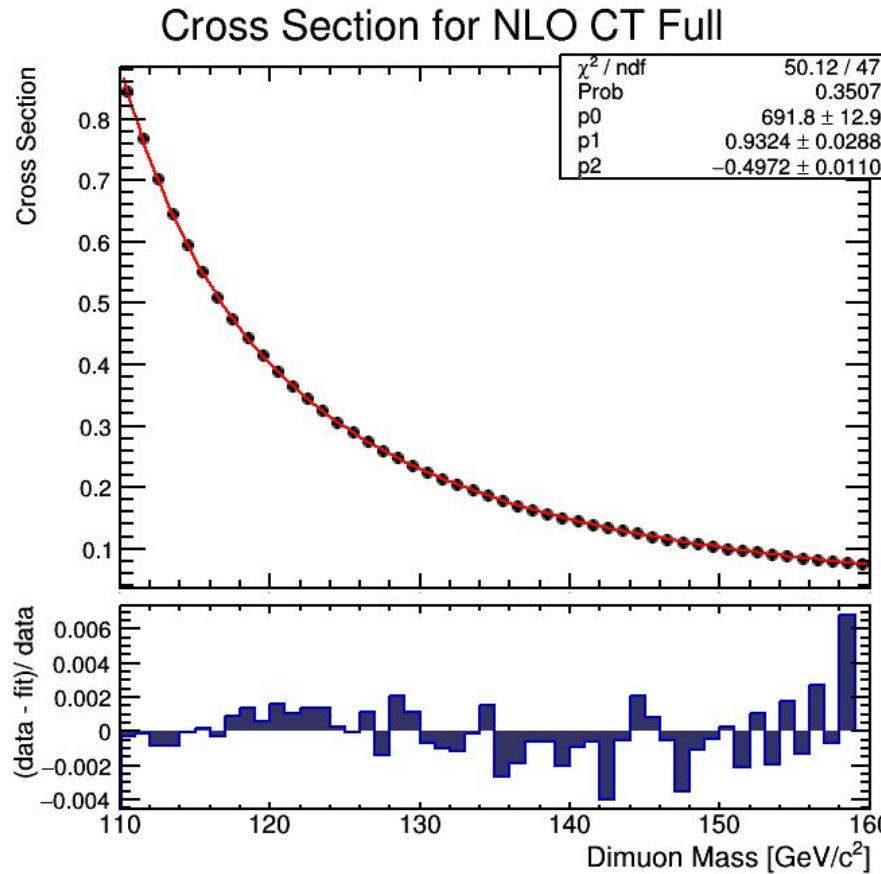
$$p_0 * \text{Exp}[p_2 * (x/100) + p_3 * (x/100)^2] / [(x-91.2)^{p_1} + (2.5/2)^{p_1}]$$

Fit with Perturbed Exponential times Relativistic Breit Wigner



$$p_0 * \text{Exp}[p_2 * (x/100) + p_3 * (x/100)^2] / [(x^2 - 91.2^2)^{p_1} + (91.2 * 2.5)^{p_1}]$$

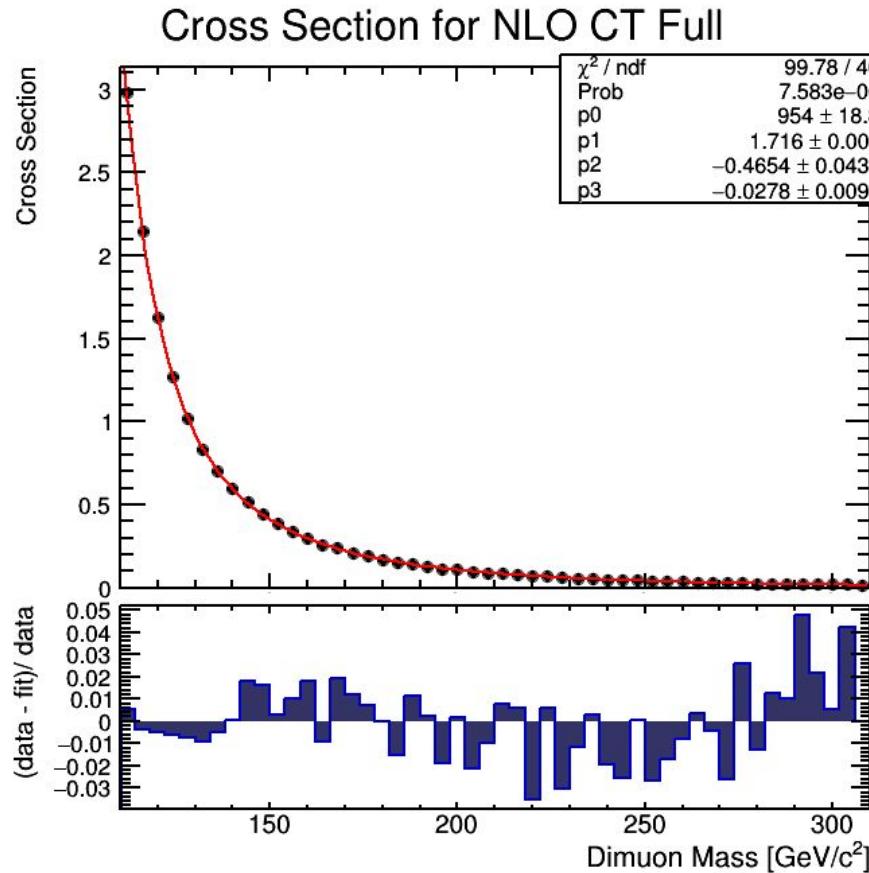
Fit with Dimitri's Perturbed Exponential times Relativistic Breit Wigner



$$p0 * x^2 * \text{Exp}[p1 * (x/100) + p2 * (x/100)^2] / [(x^2 - 91.2^2)^2 + (x^2 * 2.5/91.2)^2]$$

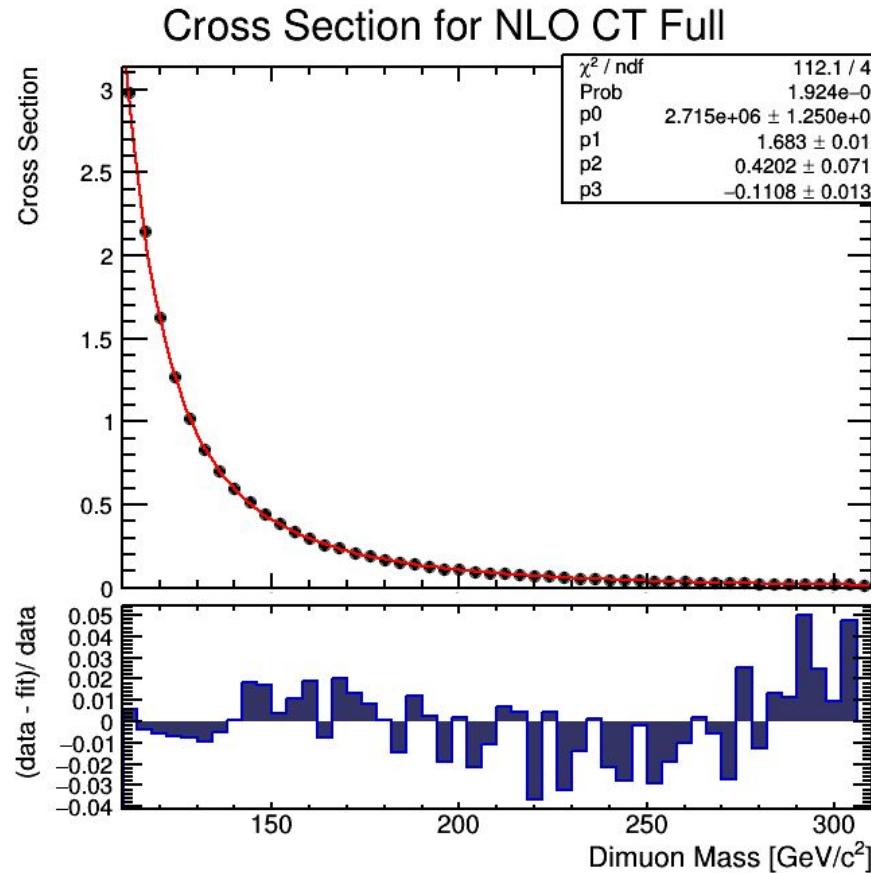
Leading Muon $pT > 26 \text{ GeV}$,
NLO Full Category 110 to 310
 GeV/c^2

Fit with Perturbed Exponential times Breit Wigner



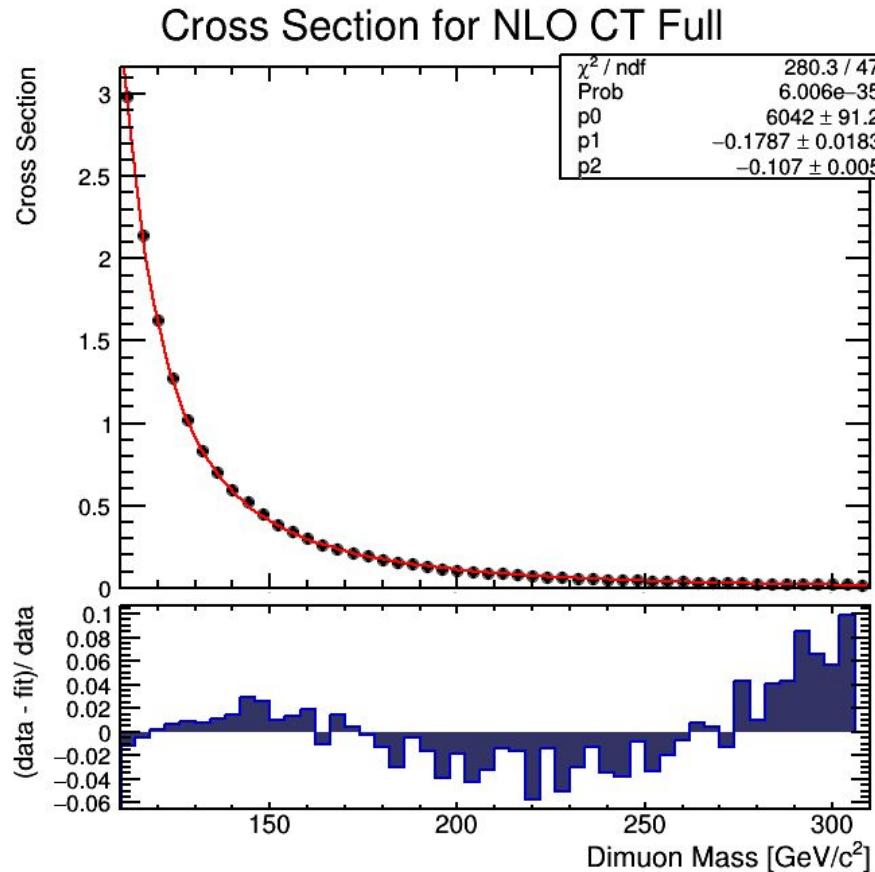
$$p_0 * \text{Exp}[p_2 * (x/100) + p_3 * (x/100)^2] / [(x-91.2)^{p_1} + (2.5/2)^{p_1}]$$

Fit with Perturbed Exponential times Relativistic Breit Wigner



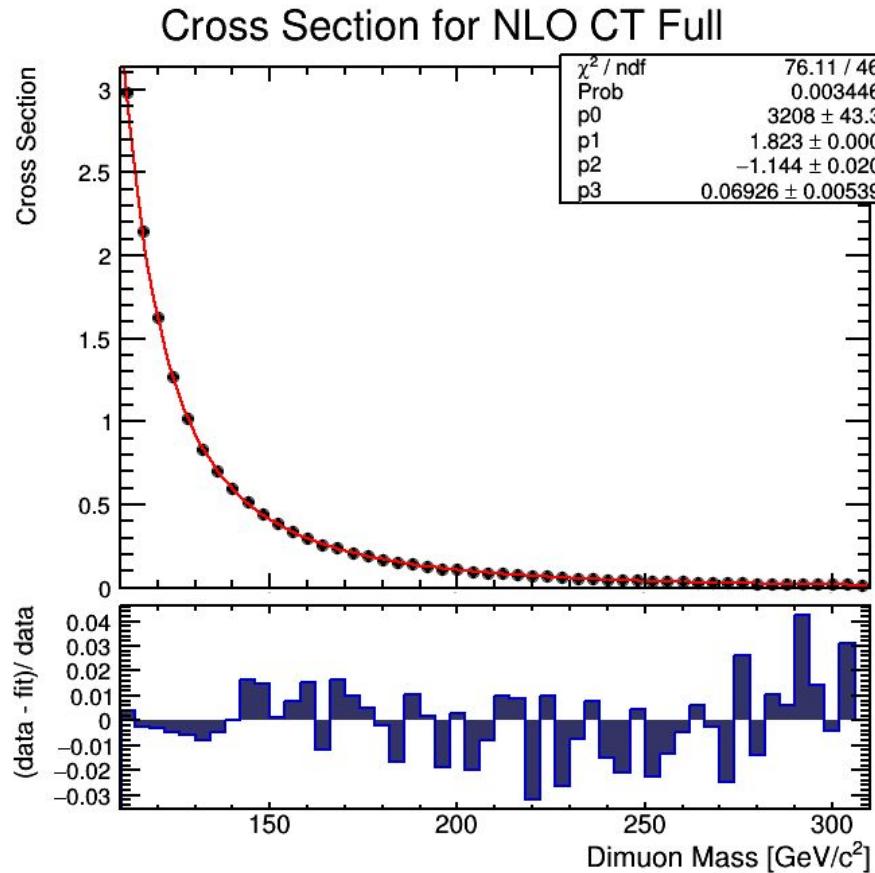
$$p0 * \text{Exp}[p2 * (x/100) + p3 * (x/100)^2] / [(x^2 - 91.2^2)^{p1} + (91.2 * 2.5)^{p1}]$$

Fit with Dimitri's Perturbed Exponential times Relativistic Breit Wigner



$$p0 * x^2 * \text{Exp}[p1 * (x/100) + p2 * (x/100)^2] / [(x^2 - 91.2^2)^2 + (x^2 * 2.5/91.2)^2]$$

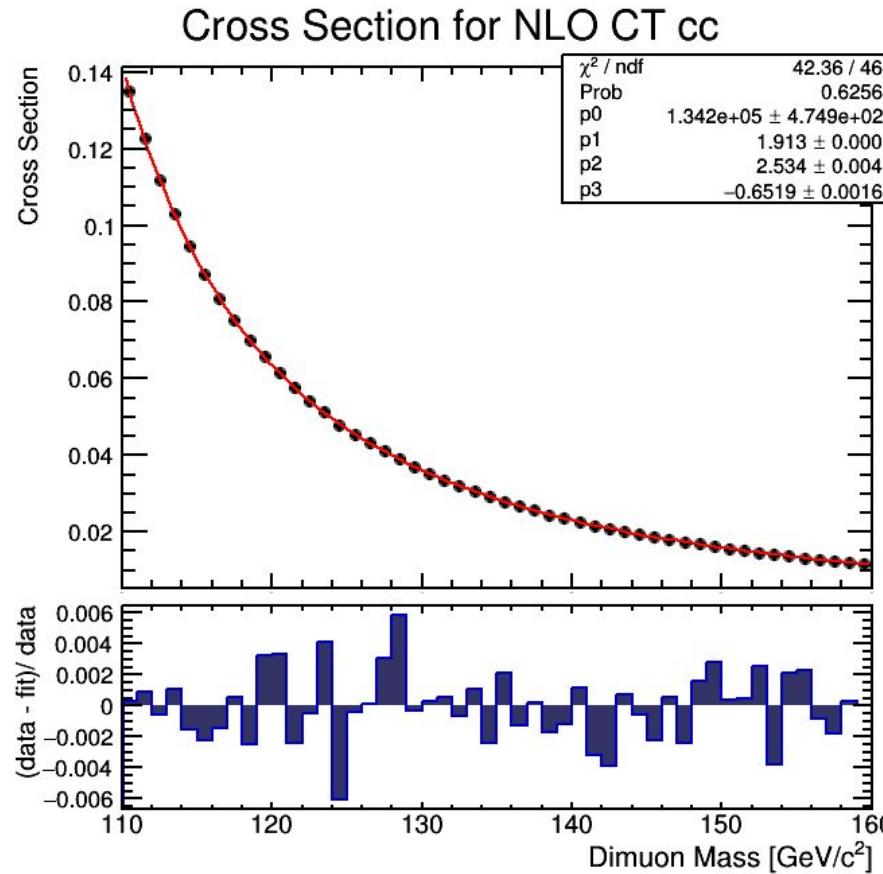
Fit with Modified Version of Dimitri's Perturbed Exponential times Relativistic Breit Wigner



$$p0 * x^2 * \text{Exp}[p2 * (x/100) + p3 * (x/100)^2] / [(x^2 - 91.2^2)^{p1} + (x^2 * 2.5/91.2)^{p1}]$$

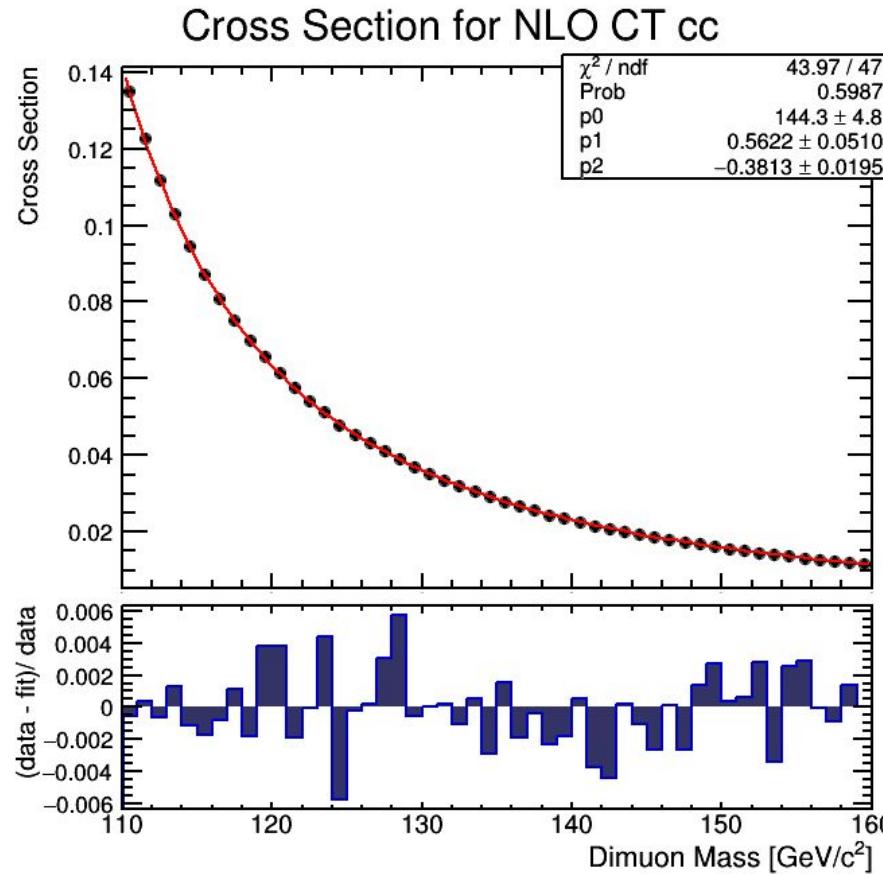
Leading Muon $pT > 26 \text{ GeV}$,
NLO Central Central (CC)
Category, 110 to 160 GeV/c^2

Fit with Perturbed Exponential times Relativistic Breit Wigner



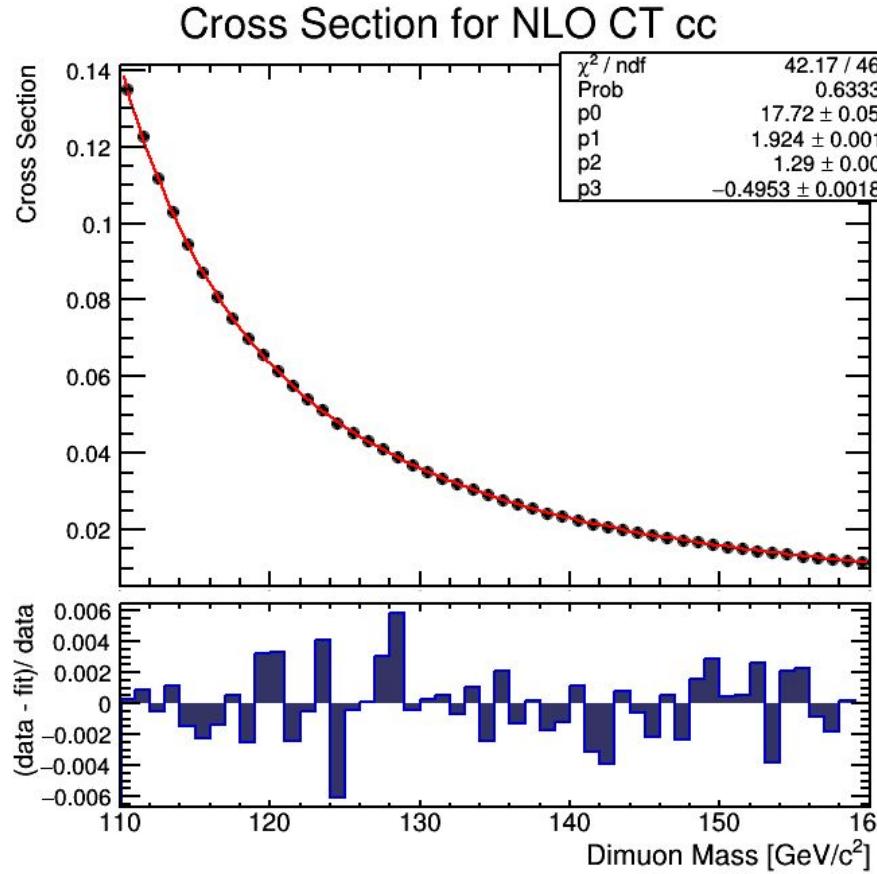
$$p_0 * \text{Exp}[p_2 * (x/100) + p_3 * (x/100)^2] / [(x^2 - 91.2^2)^{p_1} + (91.2 * 2.5)^{p_1}]$$

Fit with Dimitri's Perturbed Exponential times Relativistic Breit Wigner



$$p0 * x^2 * \text{Exp}[p1 * (x/100) + p2 * (x/100)^2] / [(x^2 - 91.2^2)^2 + (x^2 * 2.5/91.2)^2]$$

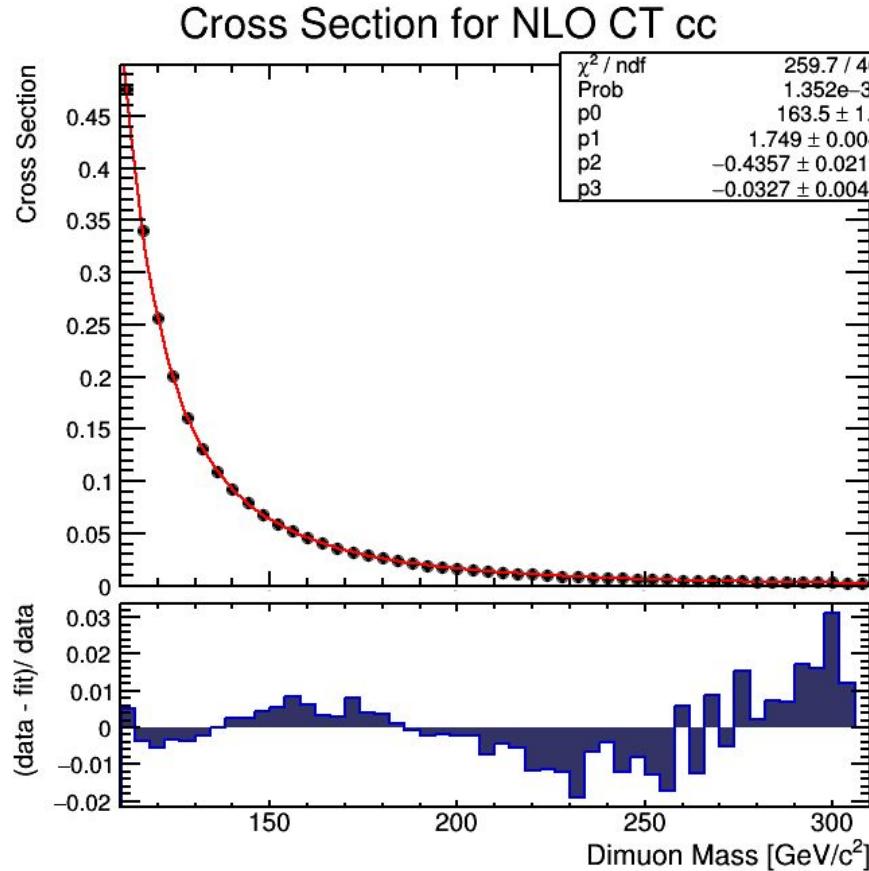
Fit with Perturbed Exponential times Breit Wigner



$$p_0 * \text{Exp}[p_2 * (x/100) + p_3 * (x/100)^2] / [(x-91.2)^{p_1} + (2.5/2)^{p_1}]$$

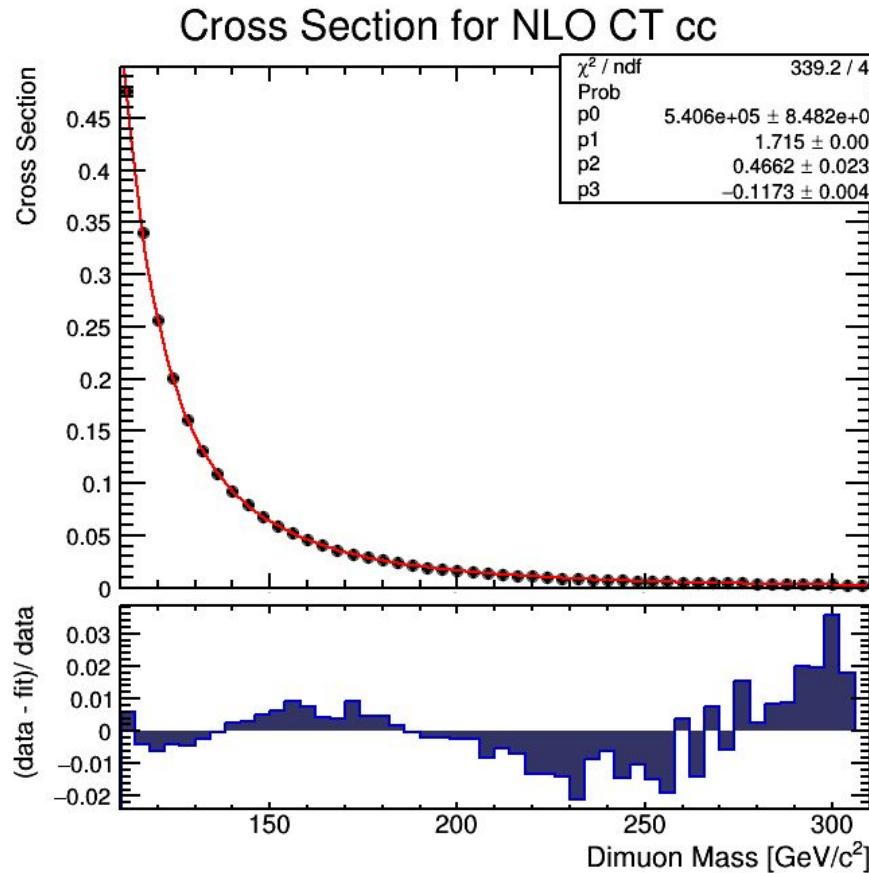
Leading Muon $pT > 26 \text{ GeV}$,
NLO Central Central (CC)
Category, 110 to 310 GeV/c^2

Fit with Perturbed Exponential times Breit Wigner



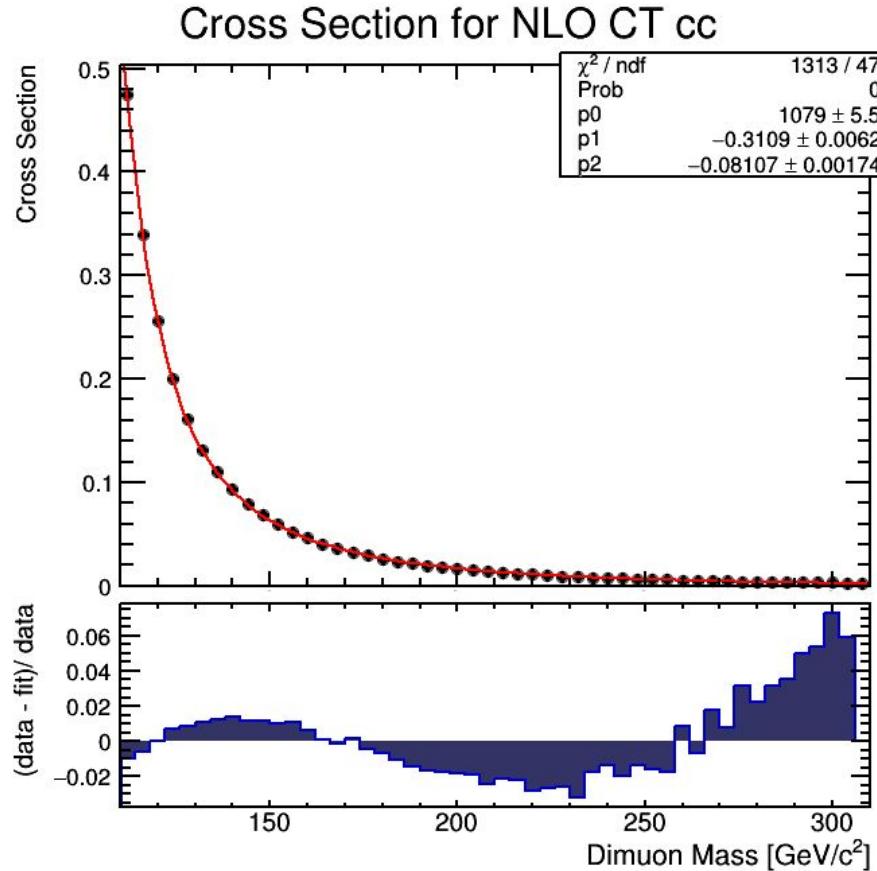
$$p_0 * \text{Exp}[p_2 * (x/100) + p_3 * (x/100)^2] / [(x-91.2)^{p_1} + (2.5/2)^{p_1}]$$

Fit with Perturbed Exponential times Relativistic Breit Wigner



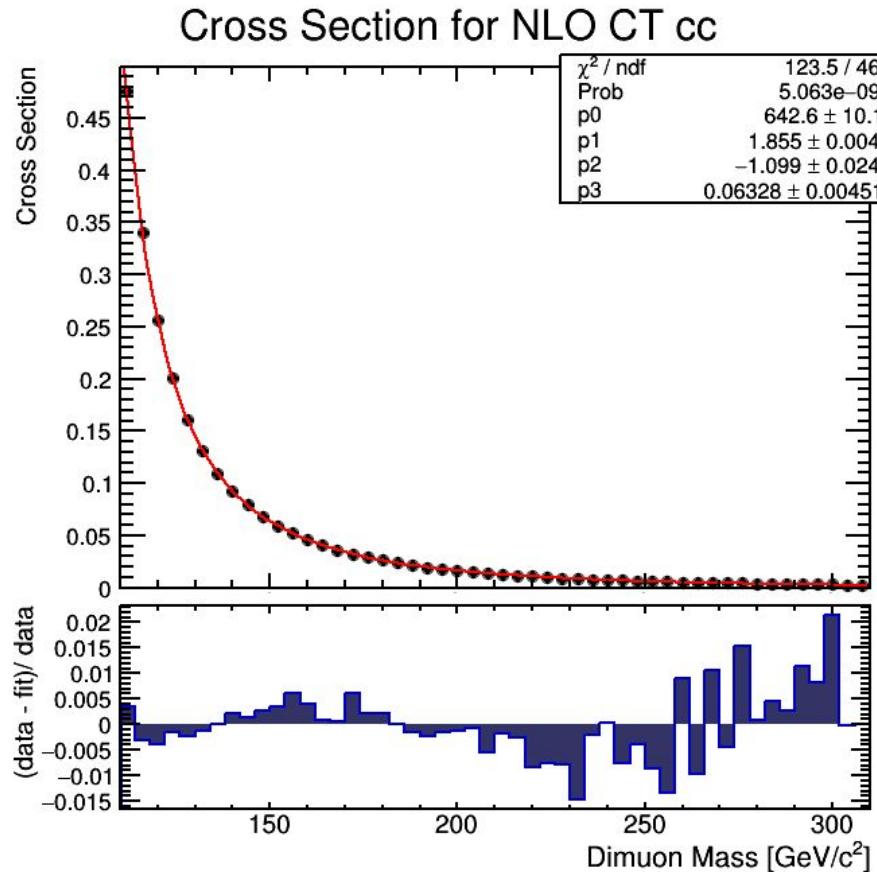
$$p0 * \text{Exp}[p2 * (x/100) + p3 * (x/100)^2] / [(x^2 - 91.2^2)^{p1} + (91.2 * 2.5)^{p1}]$$

Fit with Dimitri's Perturbed Exponential times Relativistic Breit Wigner



$$p0 * x^2 * \text{Exp}[p1 * (x/100) + p2 * (x/100)^2] / [(x^2 - 91.2^2)^2 + (x^2 * 2.5/91.2)^2]$$

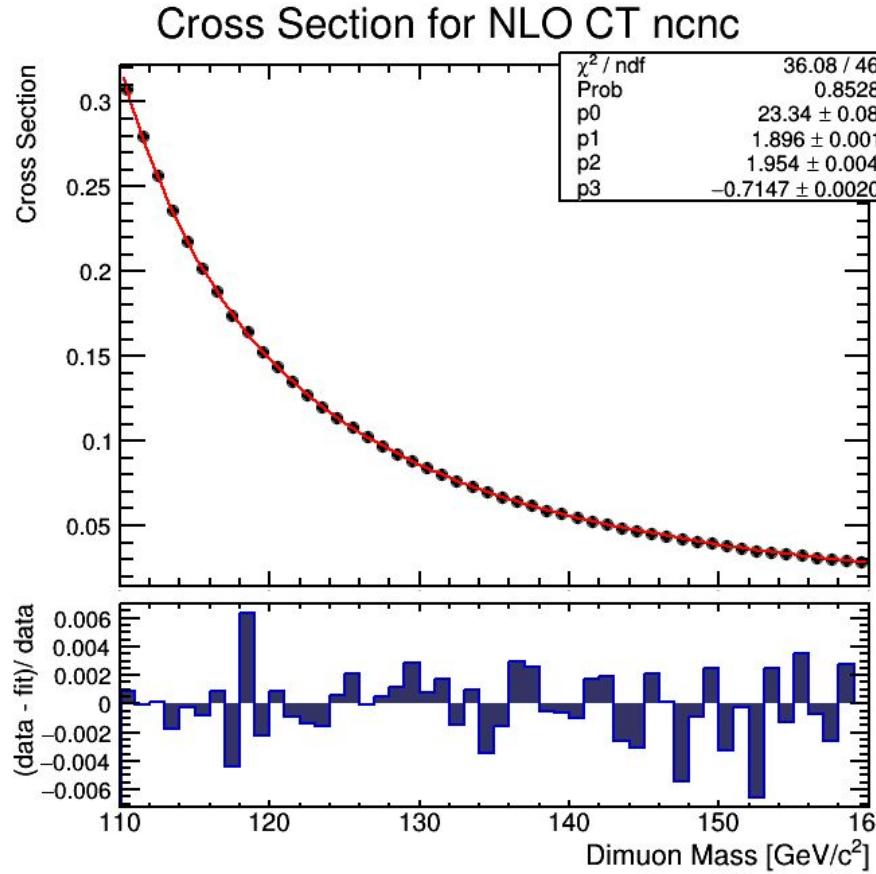
Fit with Modified Version of Dimitri's Perturbed Exponential times Relativistic Breit Wigner



$$p_0 \cdot x^2 \cdot \text{Exp}[p_2 \cdot (x/100) + p_3 \cdot (x/100)^2] / [(x^2 - 91.2^2)^{p_1} + (x^2 \cdot 2.5/91.2)^{p_1}]$$

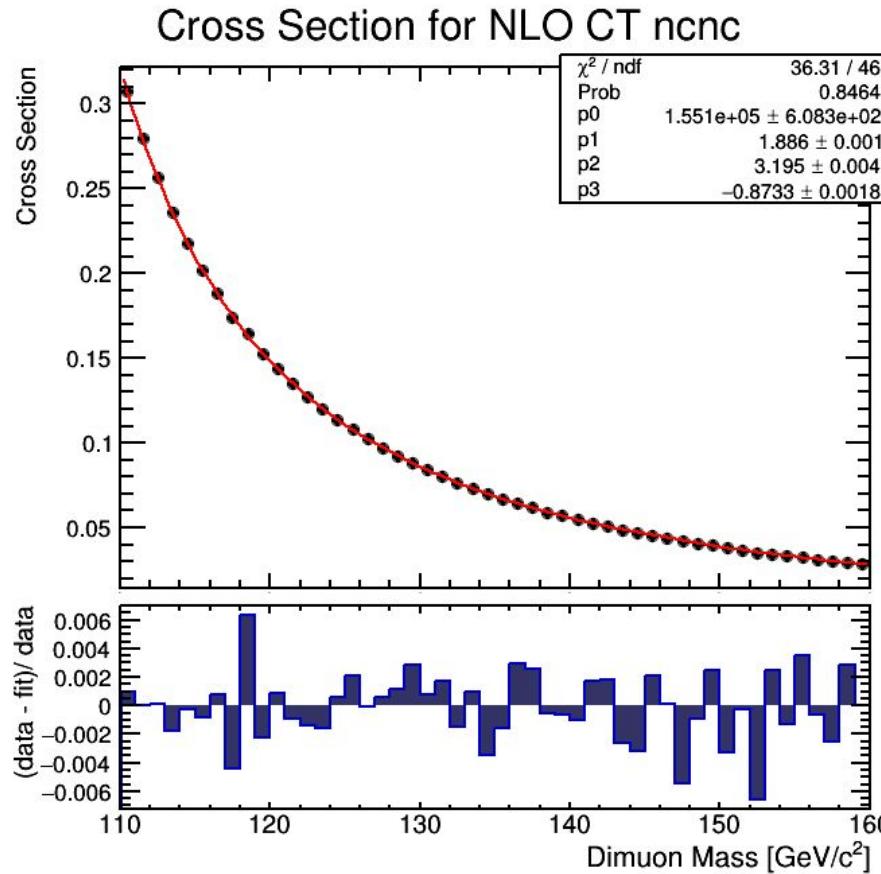
Leading Muon $pT > 26 \text{ GeV}$,
NLO Non-central Non-central
(NCNC) Category, 110 to 160
 GeV/c^2

Fit with Perturbed Exponential times Breit Wigner



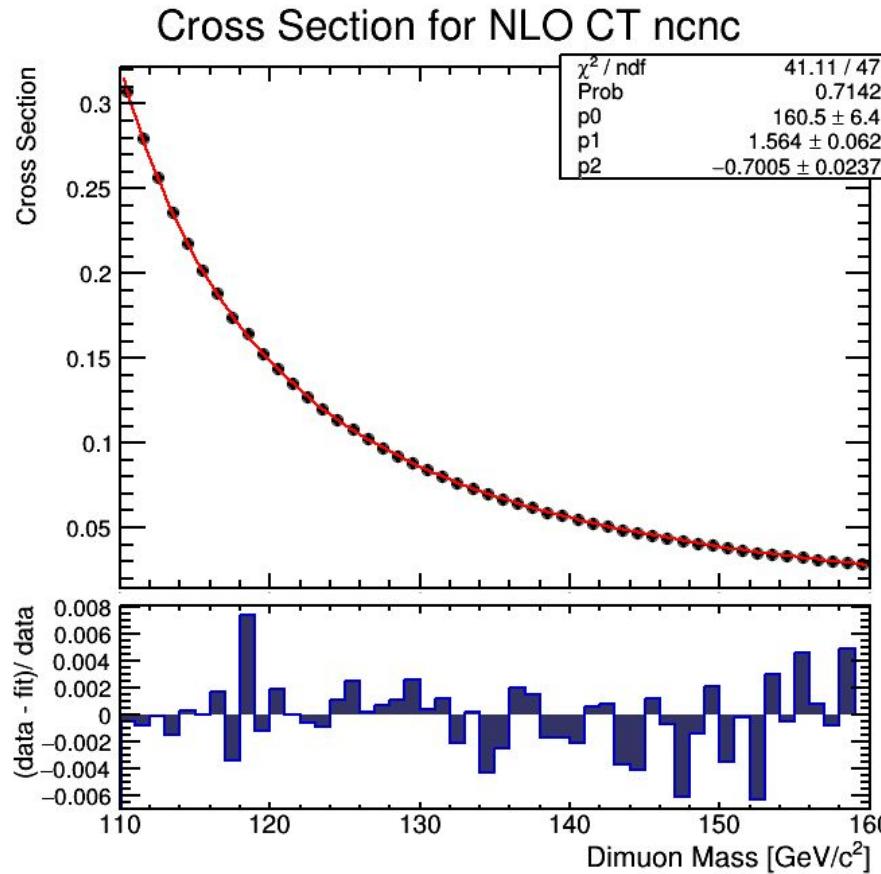
$$p_0 * \text{Exp}[p_2 * (x/100) + p_3 * (x/100)^2] / [(x-91.2)^{p_1} + (2.5/2)^{p_1}]$$

Fit with Perturbed Exponential times Relativistic Breit Wigner



$$p_0 * \text{Exp}[p_2 * (x/100) + p_3 * (x/100)^2] / [(x^2 - 91.2^2)^{p_1} + (91.2 * 2.5)^{p_1}]$$

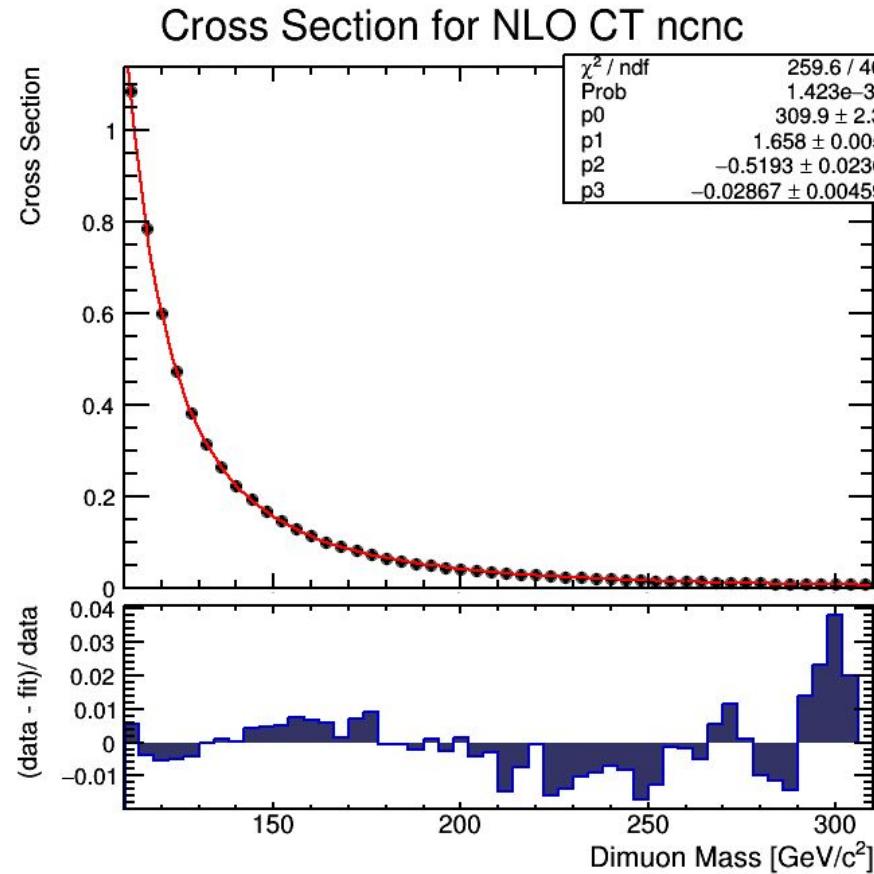
Fit with Dimitri's Perturbed Exponential times Relativistic Breit Wigner



$$p_0 \cdot x^2 \cdot \text{Exp}[p_1 \cdot (x/100) + p_2 \cdot (x/100)^2] / [(x^2 - 91.2^2)^2 + (x^2 \cdot 2.5/91.2)^2]$$

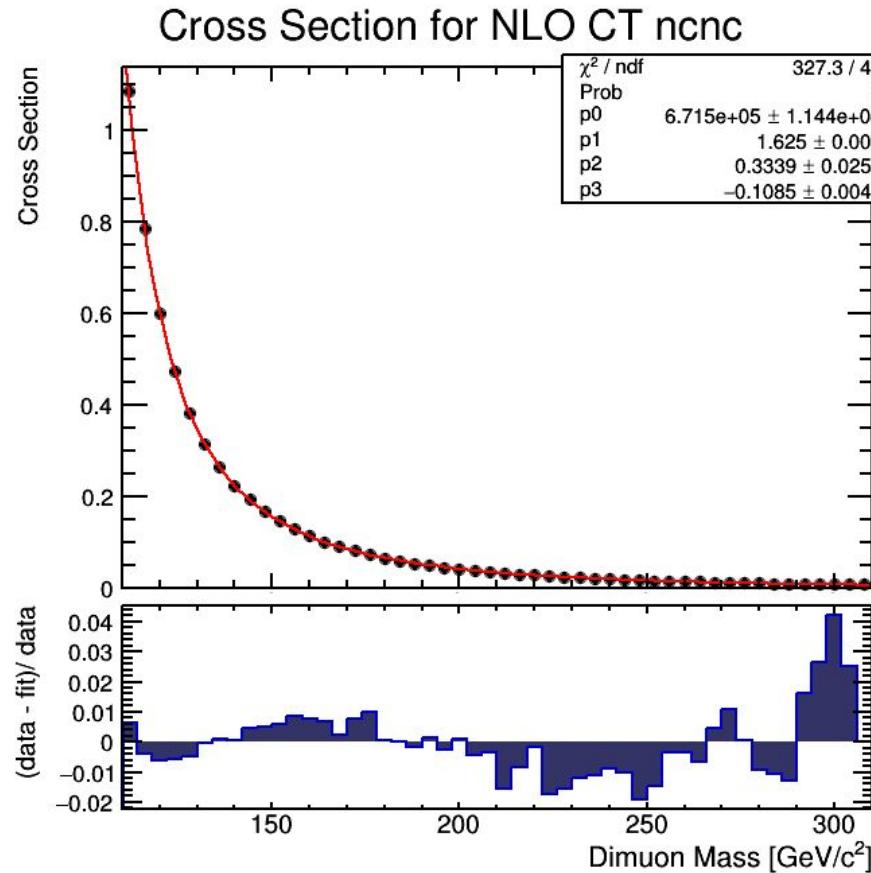
Leading Muon $pT > 26 \text{ GeV}$,
NLO Non-central Non-central
(NCNC) Category, 110 to 310
 GeV/c^2

Fit with Perturbed Exponential times Breit Wigner



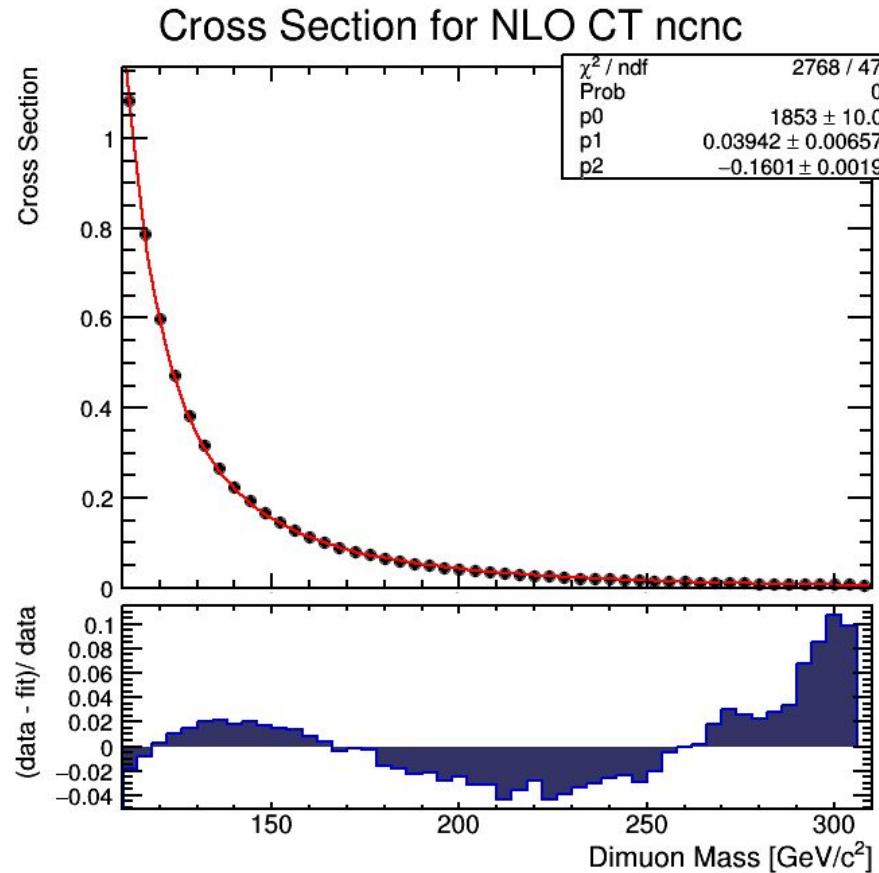
$$p_0 * \text{Exp}[p_2 * (x/100) + p_3 * (x/100)^2] / [(x-91.2)^{p_1} + (2.5/2)^{p_1}]$$

Fit with Perturbed Exponential times Relativistic Breit Wigner



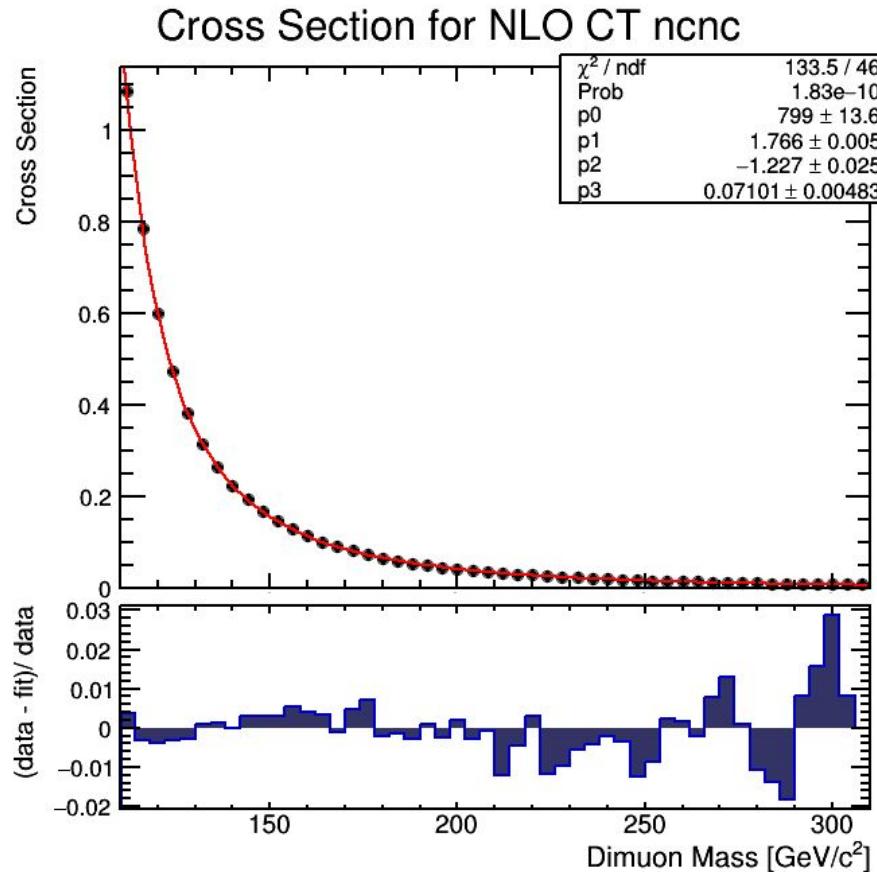
$$p_0 * \text{Exp}[p_2 * (x/100) + p_3 * (x/100)^2] / [(x^2 - 91.2^2)^{p_1} + (91.2 * 2.5)^{p_1}]$$

Fit with Dimitri's Perturbed Exponential times Relativistic Breit Wigner



$$p_0 * x^2 * \text{Exp}[p_1 * (x/100) + p_2 * (x/100)^2] / [(x^2 - 91.2^2)^2 + (x^2 * 2.5/91.2)^2]$$

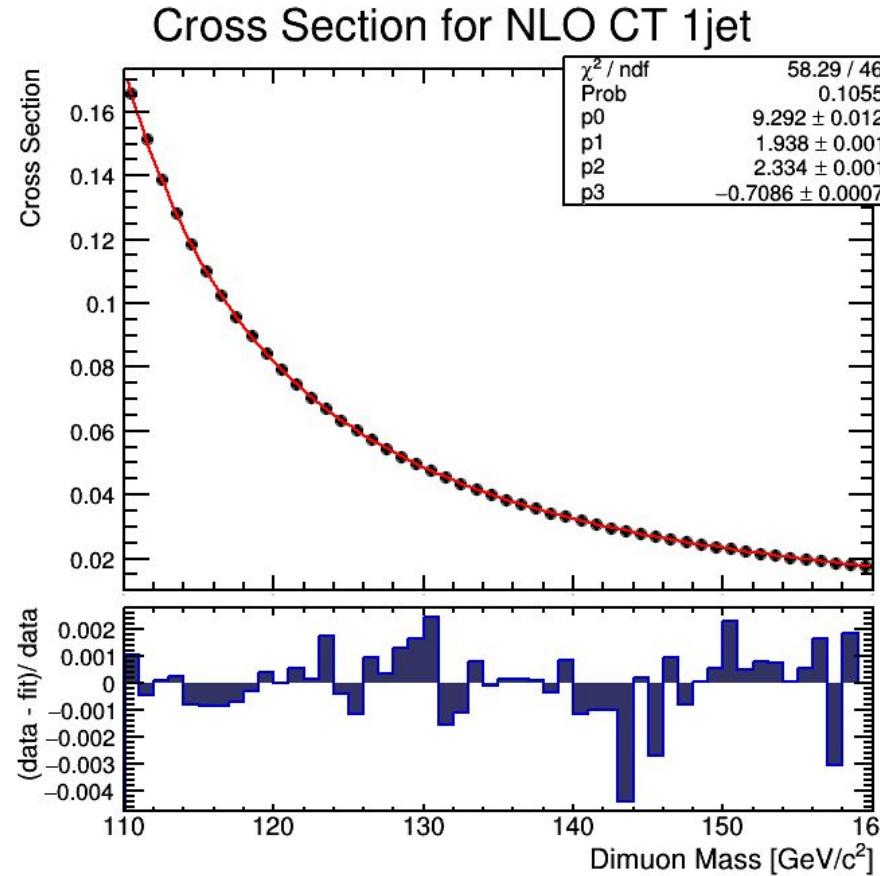
Fit with Modified Version of Dimitri's Perturbed Exponential times Relativistic Breit Wigner



$$p_0 \cdot x^2 \cdot \text{Exp}[p_2 \cdot (x/100) + p_3 \cdot (x/100)^2] / [(x^2 - 91.2^2)^{p_1} + (x^2 \cdot 2.5/91.2)^{p_1}]$$

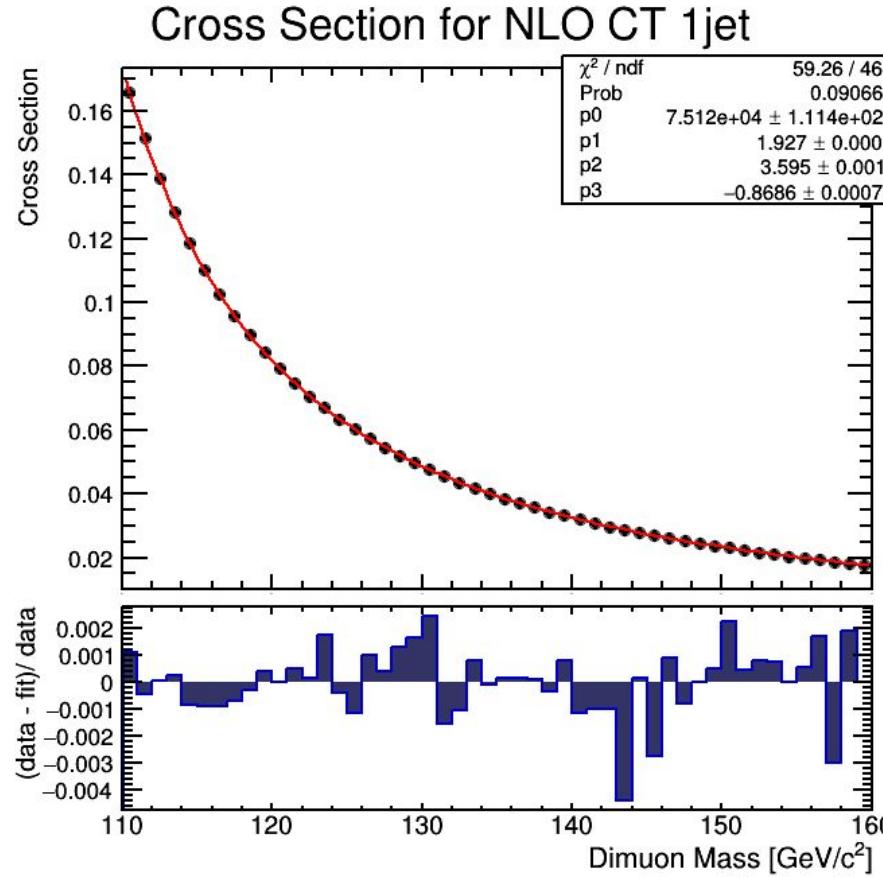
Leading Muon $pT > 26 \text{ GeV}$,
NLO 1 Jet (1jet) Category, 110
to $160 \text{ GeV}/c^2$

Fit with Perturbed Exponential times Breit Wigner



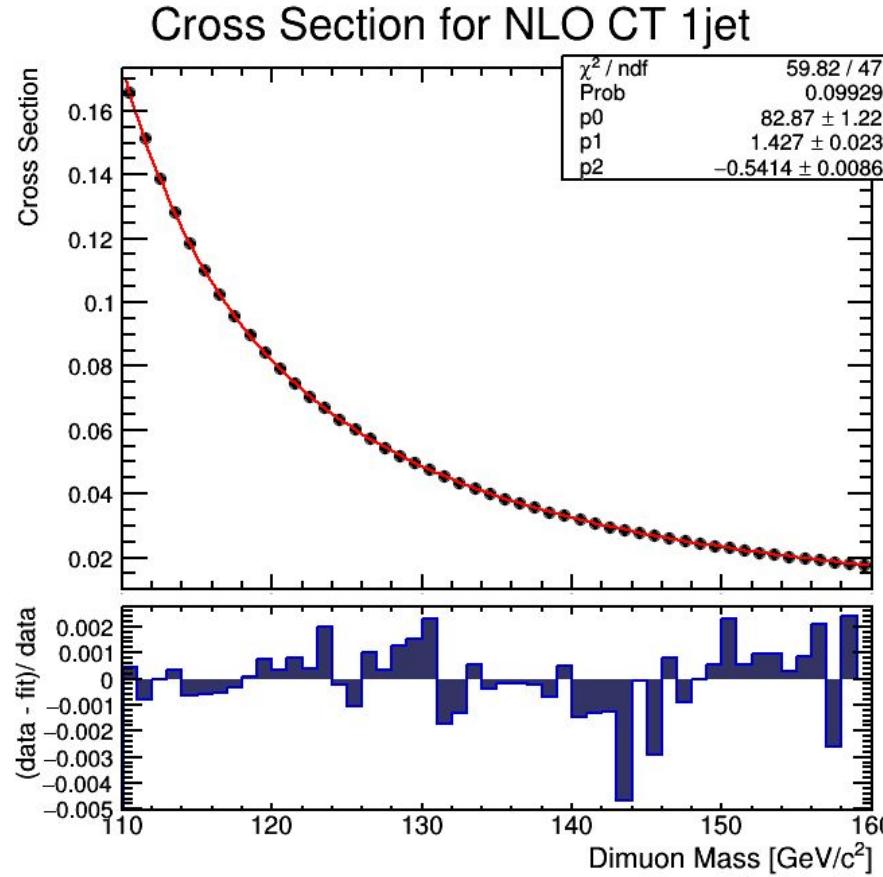
$$p_0 * \text{Exp}[p_2 * (x/100) + p_3 * (x/100)^2] / [(x-91.2)^{p_1} + (2.5/2)^{p_1}]$$

Fit with Perturbed Exponential times Relativistic Breit Wigner



$$p0 * \text{Exp}[p2 * (x/100) + p3 * (x/100)^2] / [(x^2 - 91.2^2)^{p1} + (91.2 * 2.5)^{p1}]$$

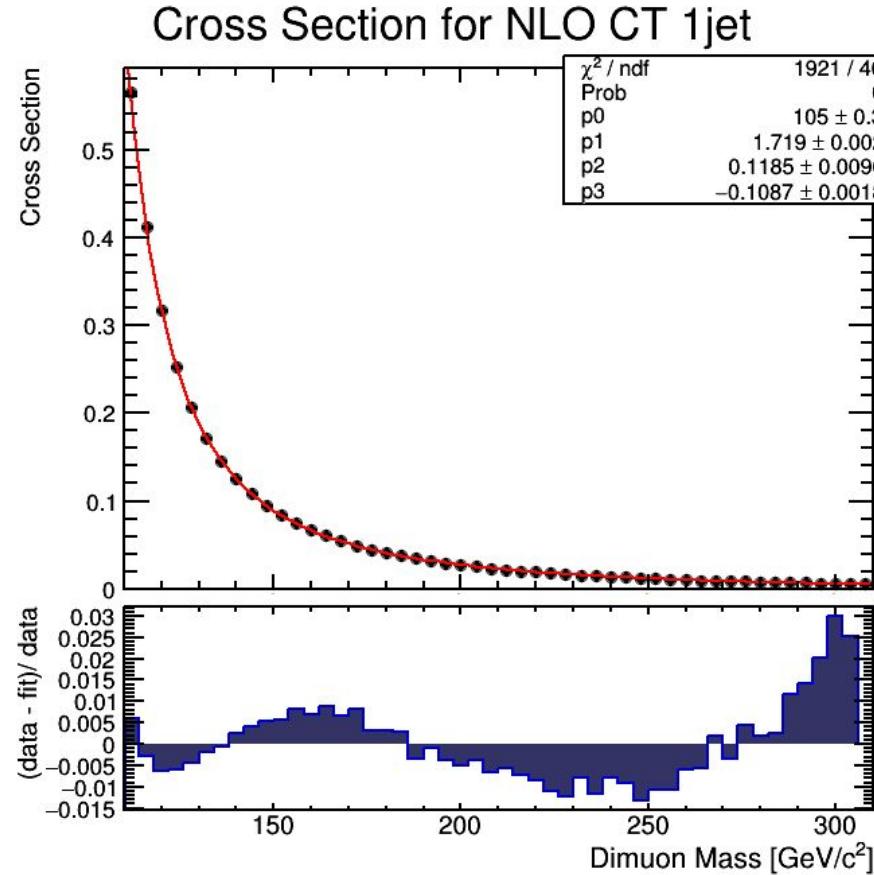
Fit with Dimitri's Perturbed Exponential times Relativistic Breit Wigner



$$p0 * x^2 * \text{Exp}[p1 * (x/100) + p2 * (x/100)^2] / [(x^2 - 91.2^2)^2 + (x^2 * 2.5/91.2)^2]$$

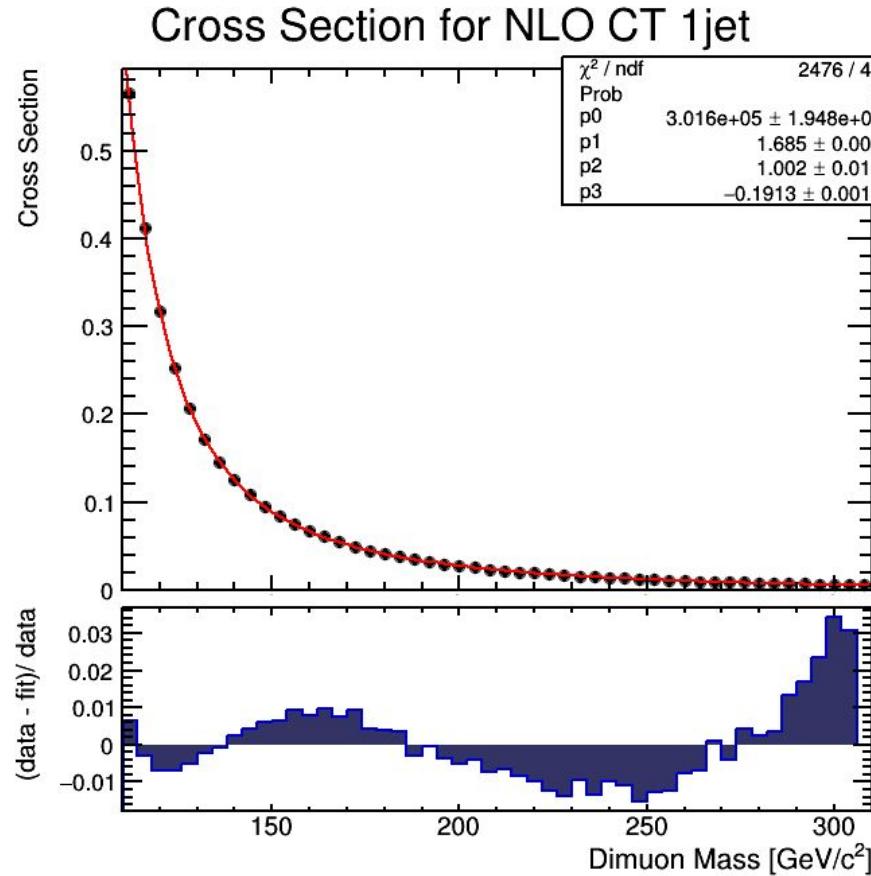
Leading Muon $pT > 26$ GeV,
NLO 1 Jet (1jet) Category, 110
to 310 GeV/c²

Fit with Perturbed Exponential times Breit Wigner



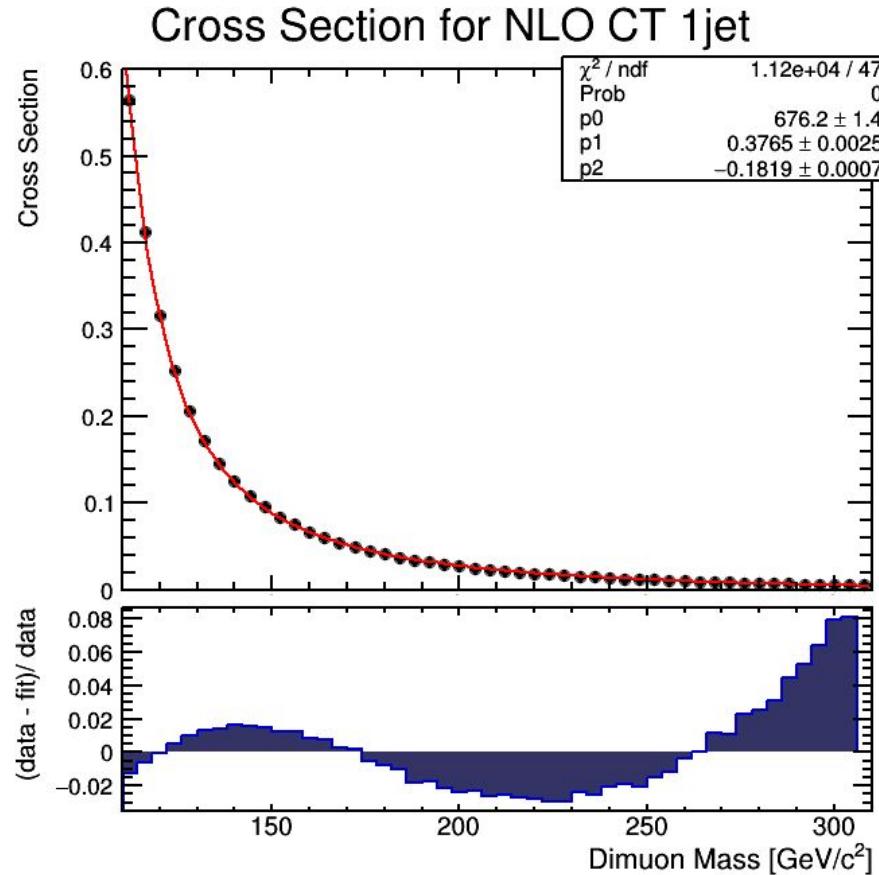
$$p_0 * \text{Exp}[p_2 * (x/100) + p_3 * (x/100)^2] / [(x-91.2)^{p_1} + (2.5/2)^{p_1}]$$

Fit with Perturbed Exponential times Relativistic Breit Wigner



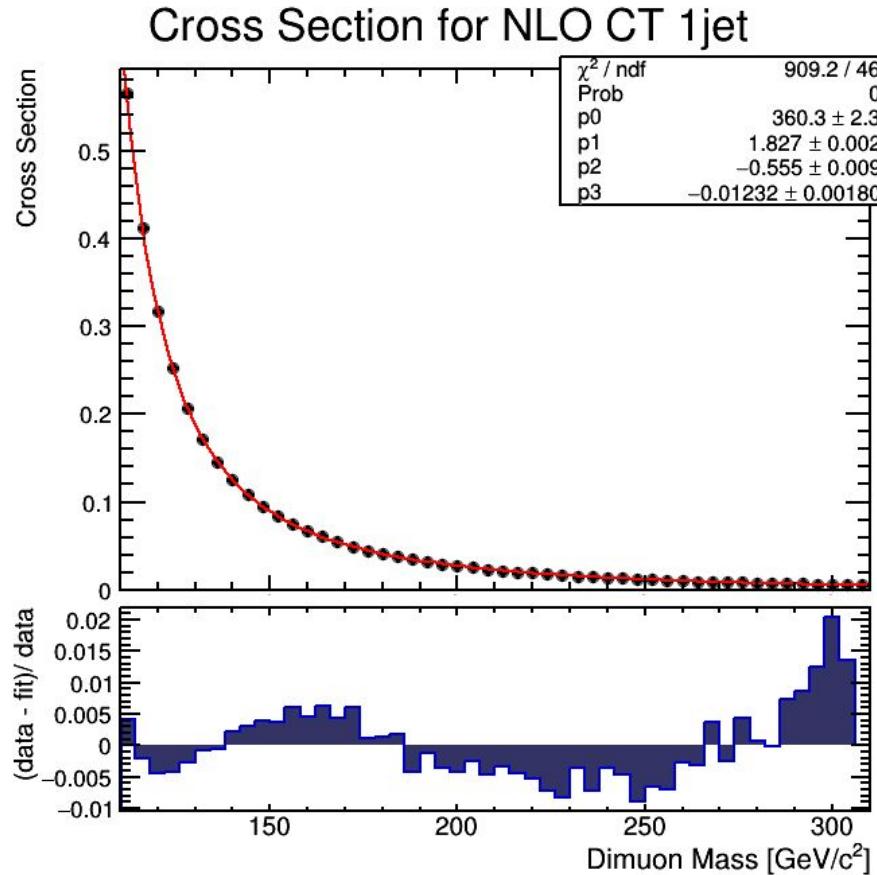
$$p_0 * \text{Exp}[p_2 * (x/100) + p_3 * (x/100)^2] / [(x^2 - 91.2^2)^{p_1} + (91.2 * 2.5)^{p_1}]$$

Fit with Dimitri's Perturbed Exponential times Relativistic Breit Wigner



$$p_0 * x^2 * \text{Exp}[p_1 * (x/100) + p_2 * (x/100)^2] / [(x^2 - 91.2^2)^2 + (x^2 * 2.5/91.2)^2]$$

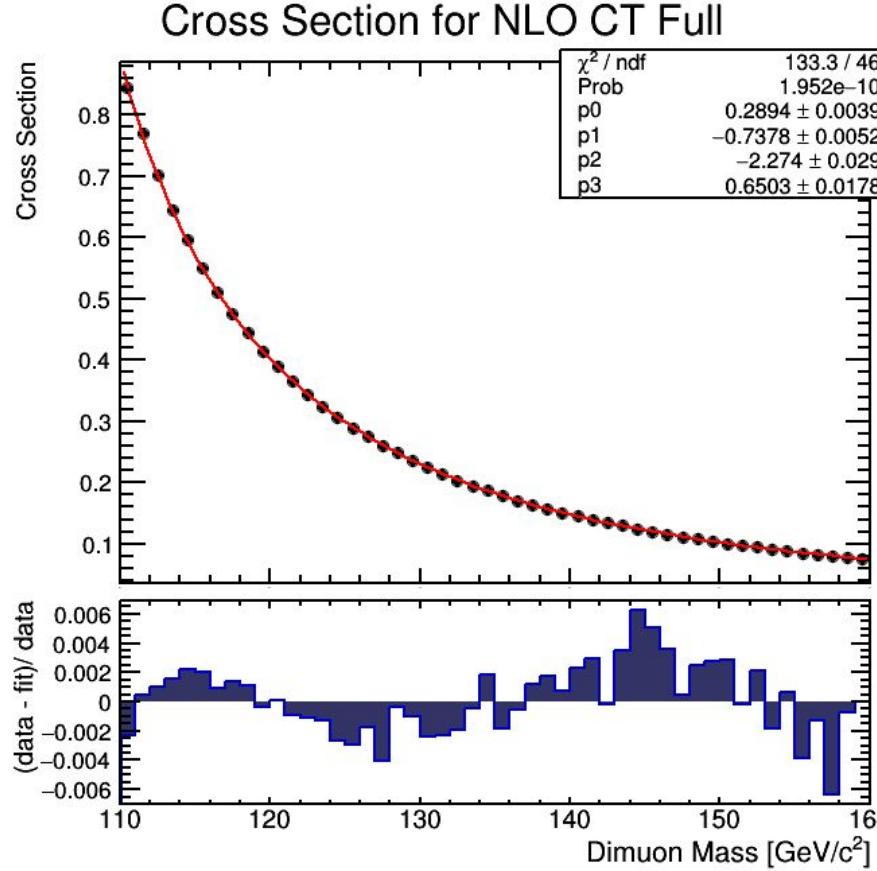
Fit with Modified Version of Dimitri's Perturbed Exponential times Relativistic Breit Wigner



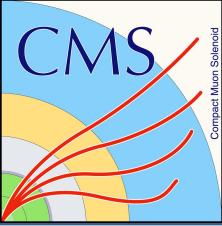
$$p0 * x^2 * \text{Exp}[p2 * (x/100) + p3 * (x/100)^2] / [(x^2 - 91.2^2)^p1 + (x^2 * 2.5/91.2)^p1]$$

Leading Muon $pT > 26$ GeV with
No FSR, NLO Full Category

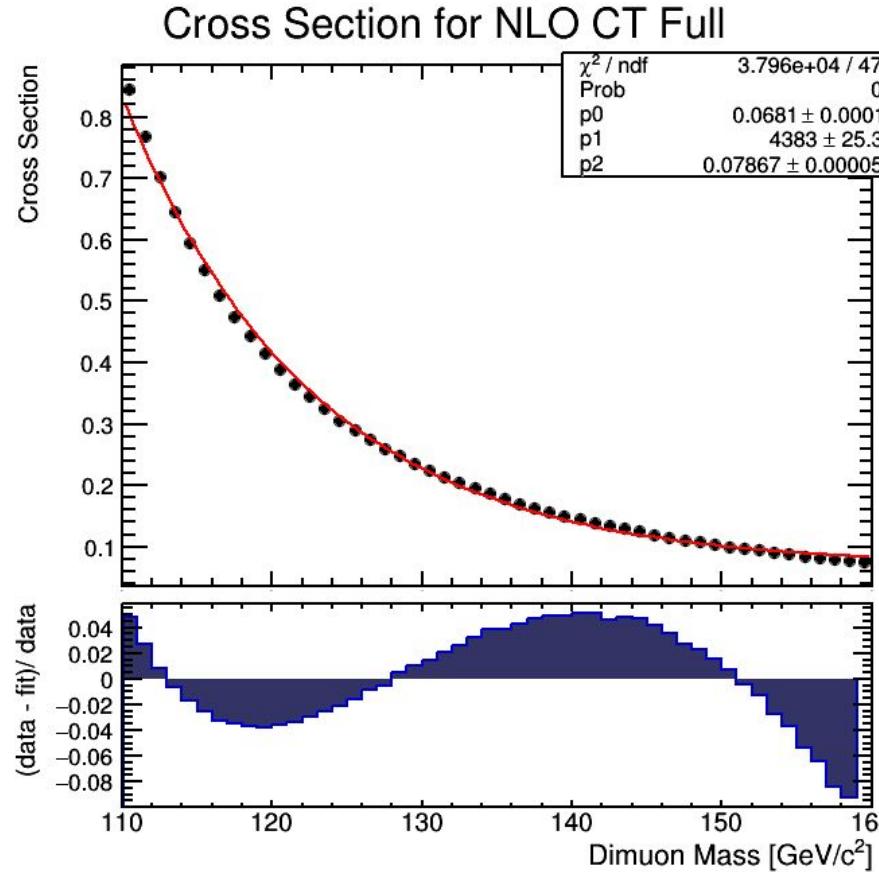
Fit with Dimitri's PDF



$$\begin{aligned}
 & p_0 * ((x-100)/70)^{p_1} * e^{p_2 * (x-100)/70} + \\
 & p_3 * ((x-100)/70)^2
 \end{aligned}$$

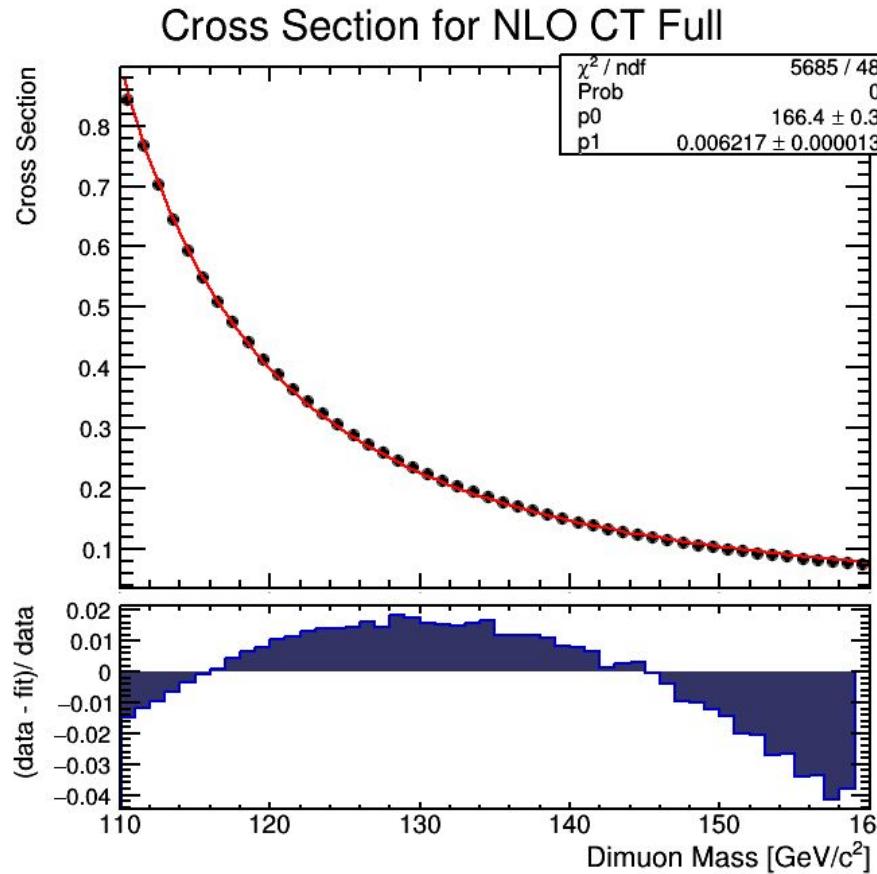


Fit with Exponential



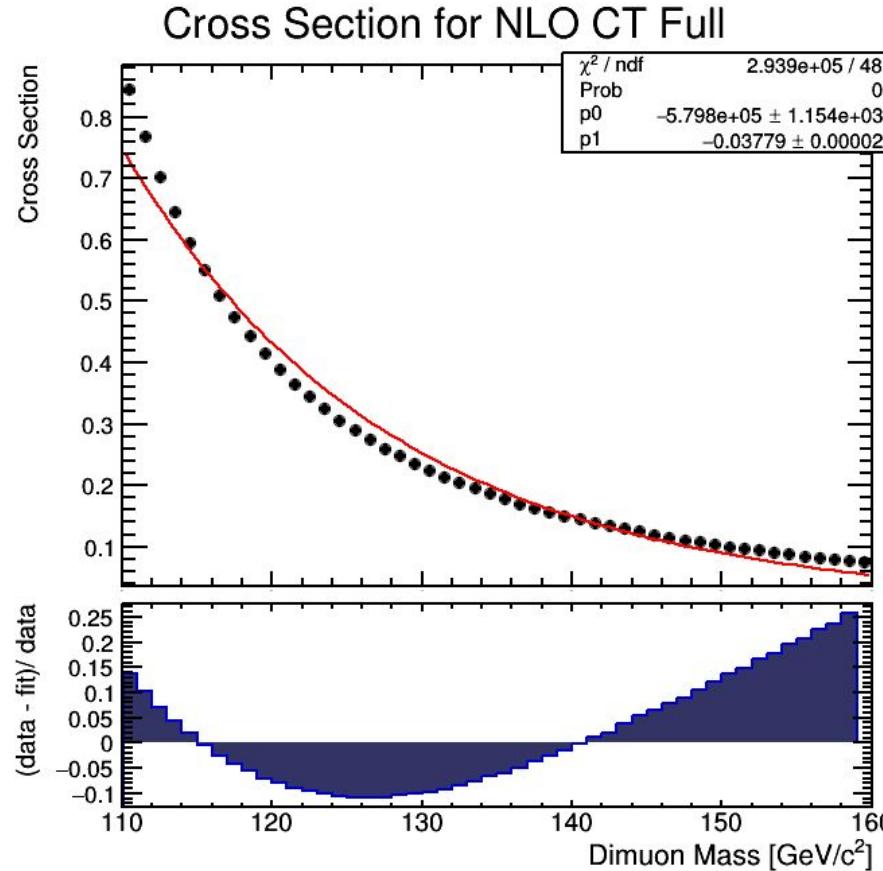
$$p_0 + p_1 * e^{(p_2 * x)}$$

Fit with Breit Wigner scaled by Falling Exponential



$$[p0 * \exp(p1 * x)] / [(x - 91.2)^2 + (2.5/2)^2] + [(1-p0) * \exp(p1 * x)] / [x^2]$$

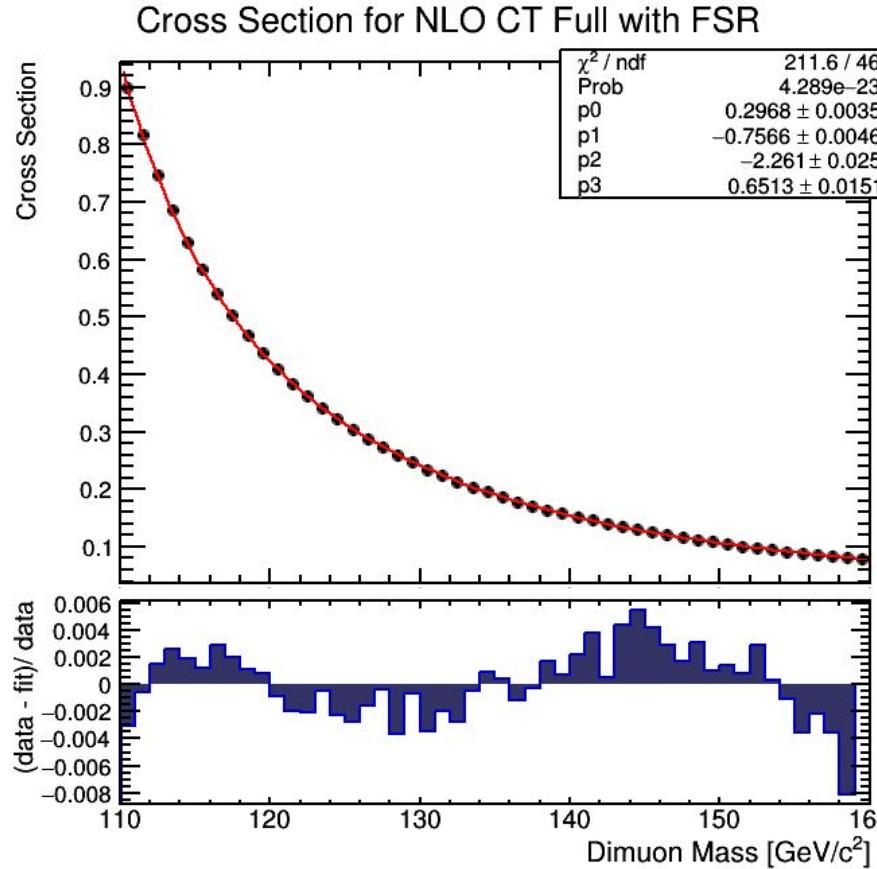
Fit with Relativistic Breit Wigner scaled by Falling Exponential



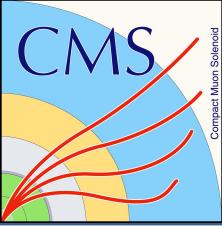
$$[p0 * \exp(p1 * x)] / [(x^2 - 91.2^2)^2 + (91.2 * 2.5/2)^2] + [(1-p0) * \exp(p1 * x)] / [x^2]$$

Leading Muon $pT > 26$ GeV with FSR, NLO Full Category

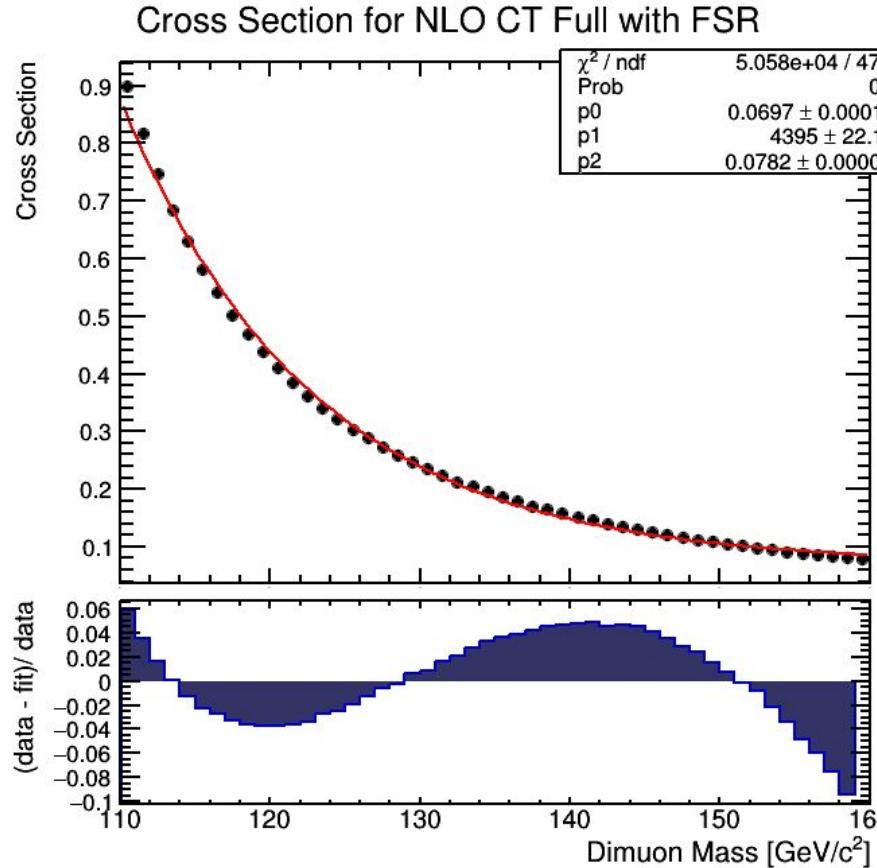
Fit with Dimitri's PDF



$$\begin{aligned}
 & p_0 * ((x-100)/70)^{p_1} * e^{p_2 * (x-100)/70} + \\
 & p_3 * ((x-100)/70)^2
 \end{aligned}$$

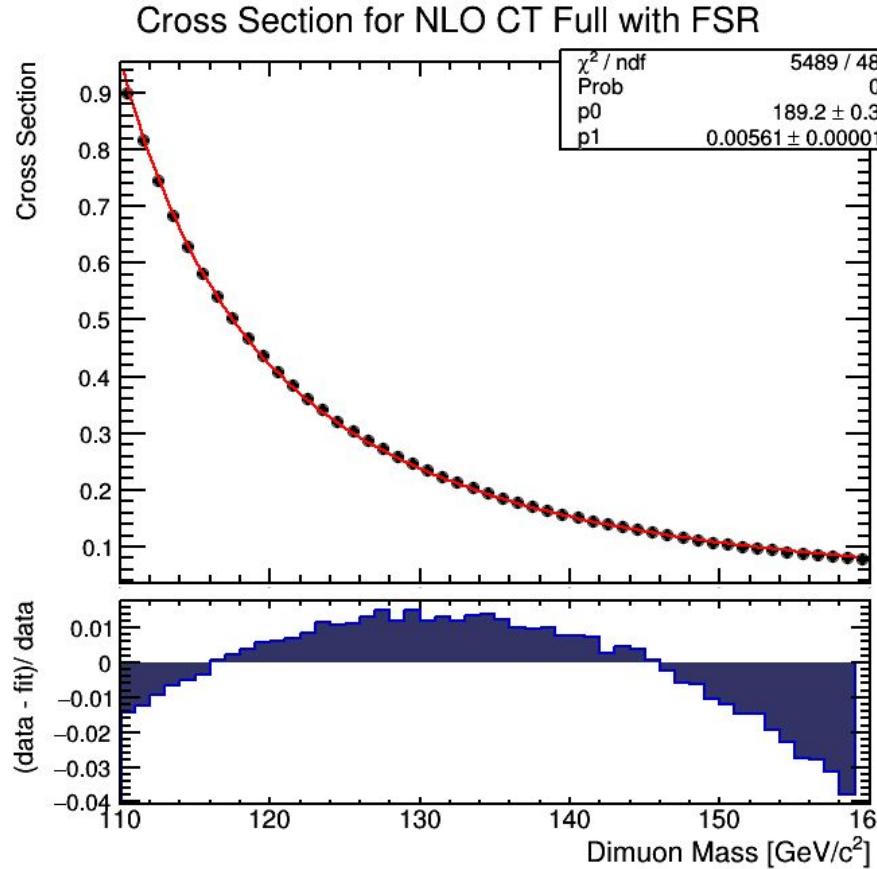


Fit with Exponential



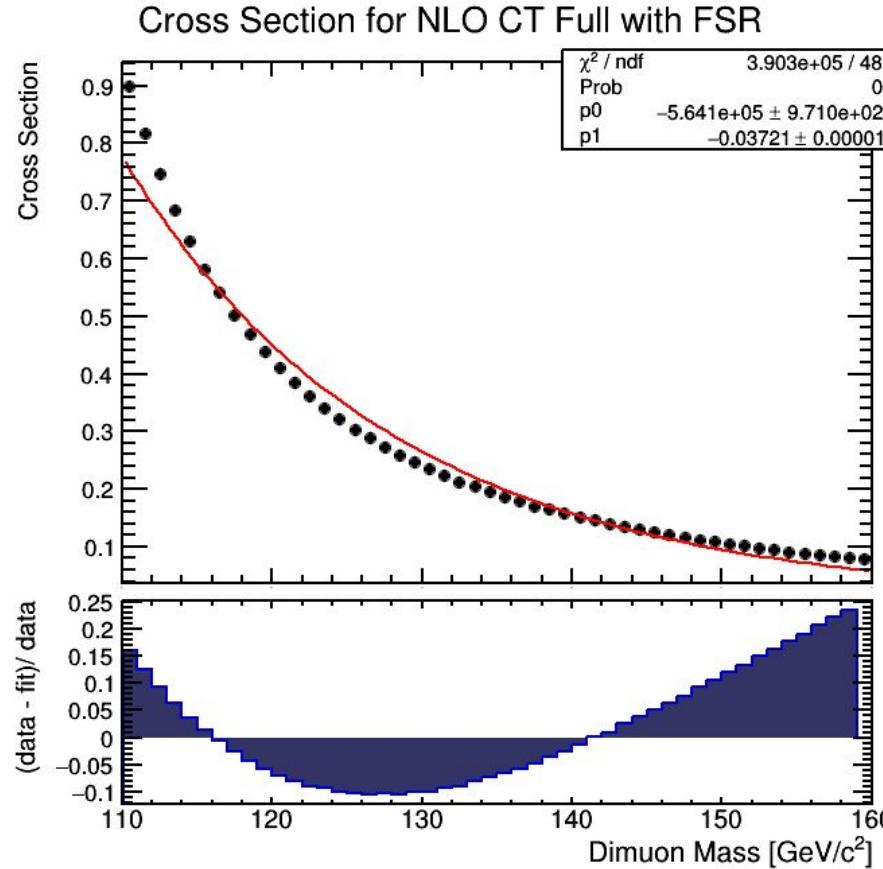
$$p_0 + p_1 * e^{(p_2 * x)}$$

Fit with Breit Wigner scaled by Falling Exponential



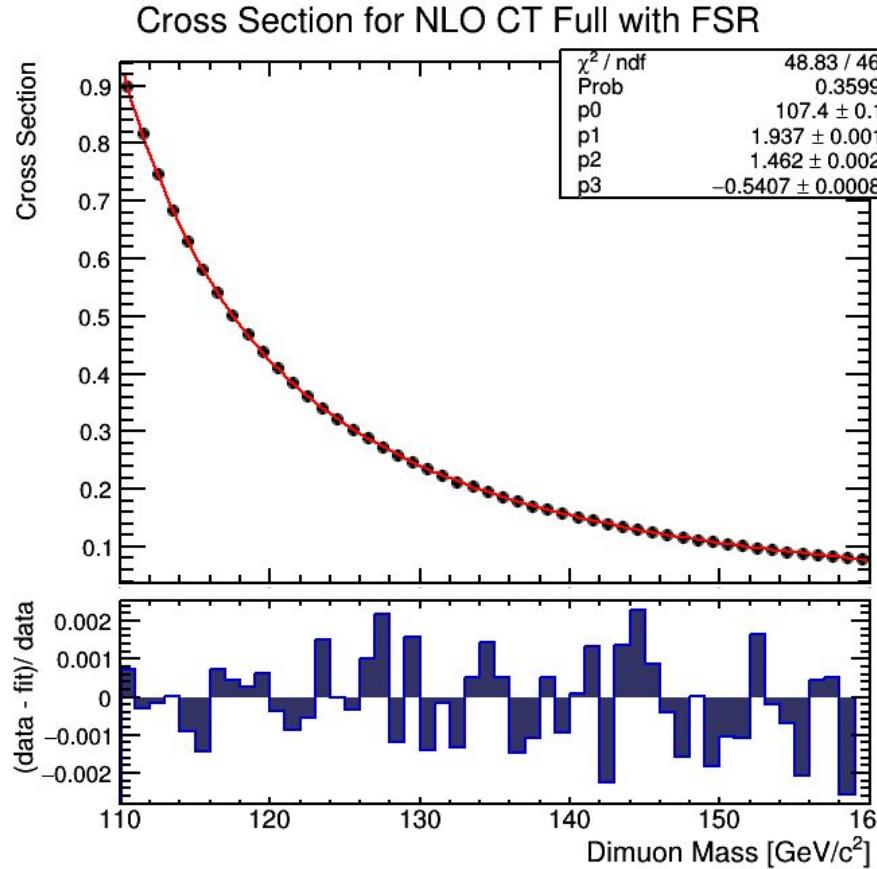
$$[p0 * \exp(p1 * x)] / [(x - 91.2)^2 + (2.5/2)^2] + [(1 - p0) * \exp(p1 * x)] / [x^2]$$

Fit with Relativistic Breit Wigner scaled by Falling Exponential



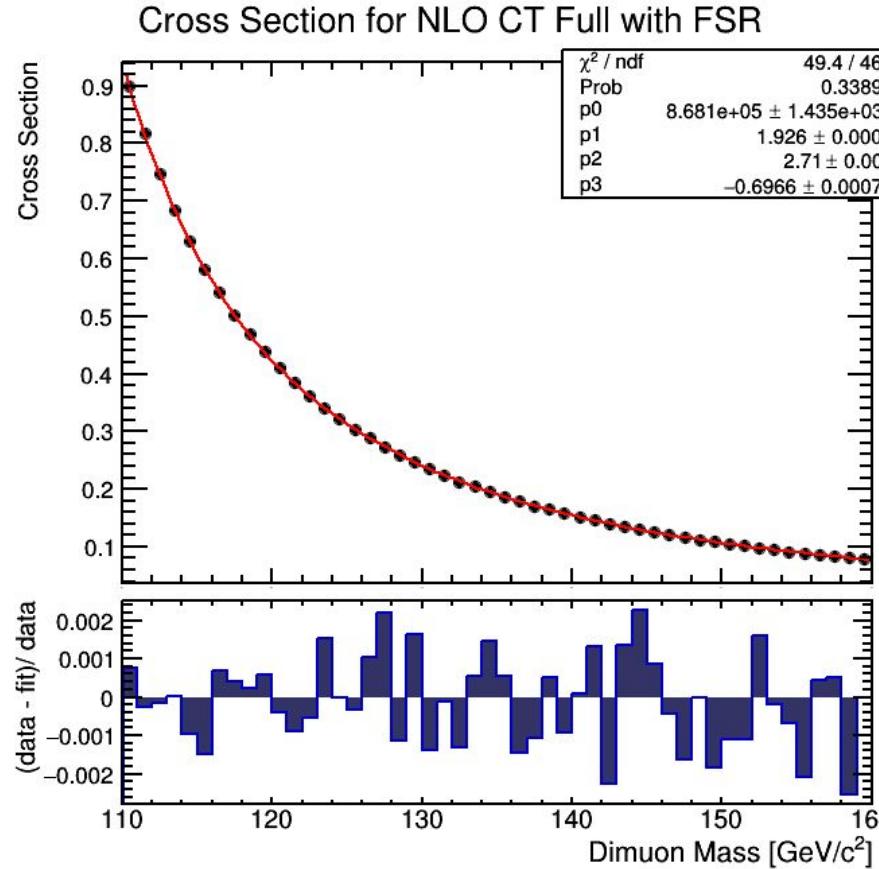
$$[p0 * \exp(p1 * x)] / [(x^2 - 91.2^2)^2 + (91.2 * 2.5)^2] + [(1-p0) * \exp(p1 * x)] / [x^2]$$

Fit with Perturbed Exponential times Breit Wigner



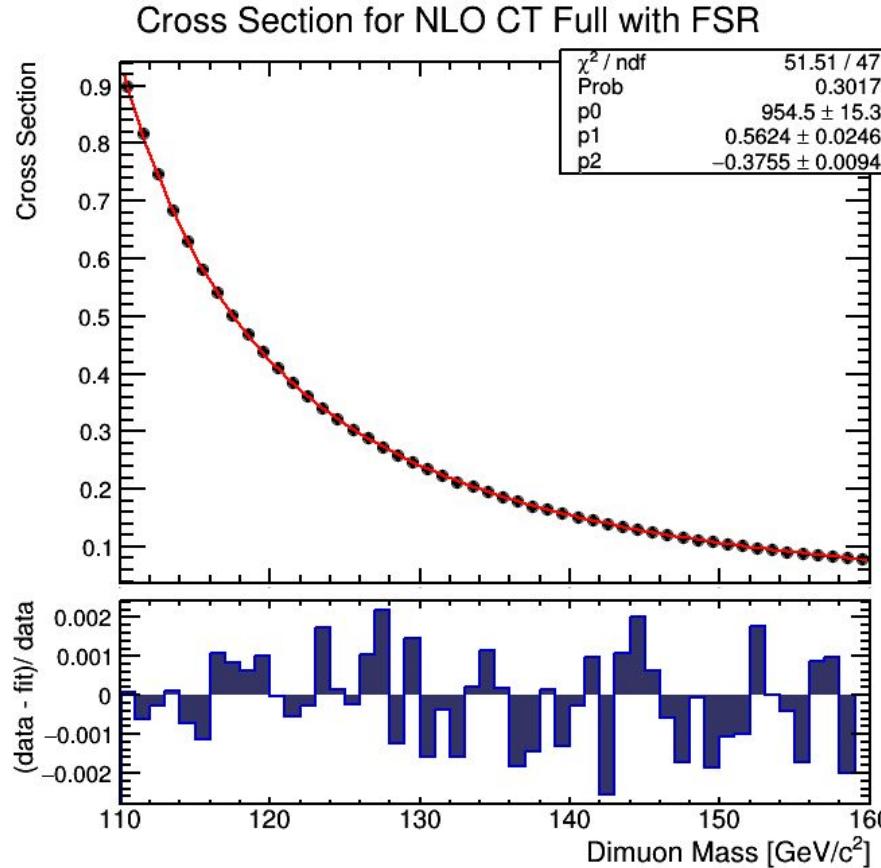
$$p_0 * \text{Exp}[p_2 * (x/100) + p_3 * (x/100)^2] / [(x-91.2)^{p_1} + (2.5/2)^{p_1}]$$

Fit with Perturbed Exponential times Relativistic Breit Wigner



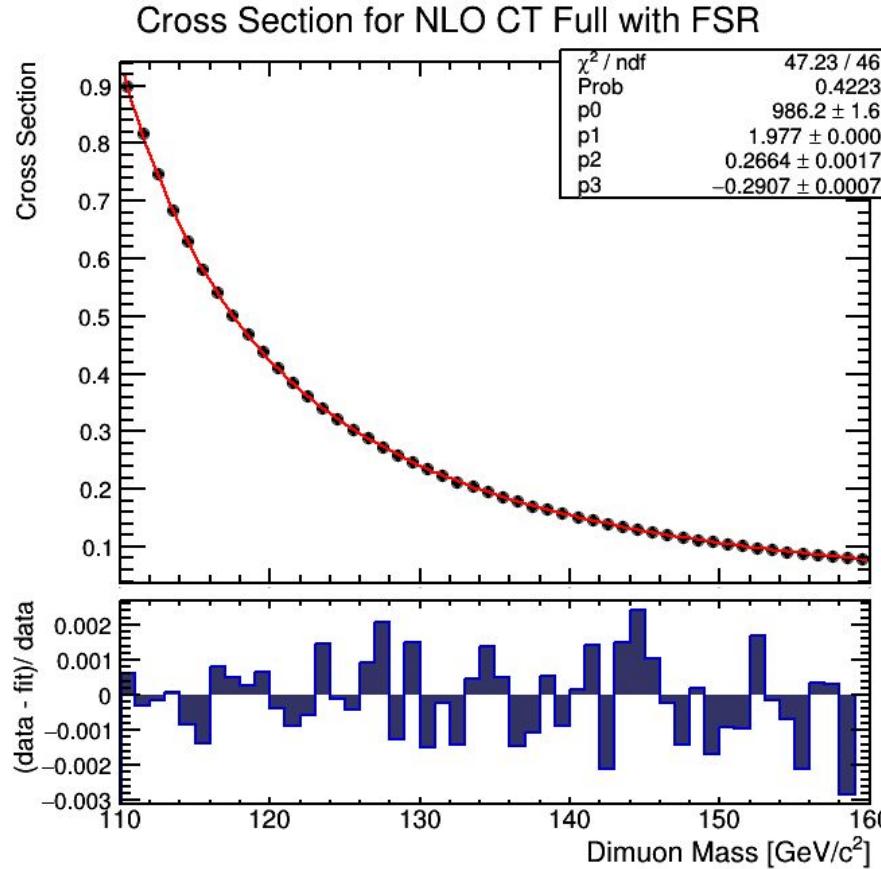
$$p_0 * \text{Exp}[p_2 * (x/100) + p_3 * (x/100)^2] / [(x^2 - 91.2^2)^{p_1} + (91.2 * 2.5)^{p_1}]$$

Fit with Dimitri's Perturbed Exponential times Relativistic Breit Wigner



$$p0 * x^2 * \text{Exp}[p1 * (x/100) + p2 * (x/100)^2] / [(x^2 - 91.2^2)^2 + (x^2 * 2.5/91.2)^2]$$

Fit with Modified Version of Dimitri's Perturbed Exponential times Relativistic Breit Wigner



$$p0 * x^2 * \text{Exp}[p2 * (x/100) + p3 * (x/100)^2] / [(x^2 - 91.2^2)^{p1} + (x^2 * 2.5/91.2)^{p1}]$$