

Devs Ascensor  $S_{\text{init}}(1,0,0,\infty,\text{false})$

$X = \{\text{arriba, abajo, parar}\}$

$Y = \{1, 2, 3, 4, 5, 6, 7, 8, 9, 10\}$

$S = (\text{IRxIRxIRxIRx}\{\text{true, false}\})$

$\delta_{\text{ext}}(S,e,X) = \delta_{\text{ext}}((p,\text{dps},\text{est},\sigma,\text{bool}),e,X =$

$(p,2,1,2,\text{false})$

si  $\text{est}=0 \wedge X=\text{arriba}$

$(p,2,-1,2,\text{false})$

si  $\text{est}=0 \wedge X=\text{abajo}$

$(p,0,0,\infty,\text{false})$

si  $\text{est}=0 \wedge X=\text{parar}$

$(p,2-V.e,\text{est},2-V.e,\text{false})$

si  $\text{est} \neq 0 \wedge X=\text{any}$

$(p,2-V.e,\text{est},2-V.e,\text{true})$

si  $\text{est} \neq 0 \wedge X=\text{parar}$

$$\delta_{\text{int}}(S) = \delta_{\text{int}}(p, \text{dps}, \text{est}, \sigma, \text{bool}) =$$

$(p+1, 2, 1, 2, \text{false})$	si $p < 10 \wedge \text{est} = 1 \wedge \text{bool} \neq \text{true}$
$(p-1, 2, -1, 2, \text{false})$	si $p > 1 \wedge \text{est} = -1 \wedge \text{bool} \neq \text{true}$
$(p, 0, 0, \infty, \text{true})$	si $(p = 10 \wedge \text{est} = 1) \vee (p = 1 \wedge \text{est} = -1) \wedge \text{bool} \neq \text{true}$
$(p+1, 2, 0, \infty, \text{false})$	si $\text{est} = 1 \wedge \text{bool} = \text{true}$
$(p-1, 2, 0, \infty, \text{true})$	si $\text{est} = -1 \wedge \text{bool} = \text{true}$

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$$\text{Ta}(s) = \text{Ta}(p, \text{dps}, \text{est}, \sigma, \text{bool}) = \sigma$$

$$\lambda(s) = \lambda(p, \text{dps}, \text{est}, \sigma, \text{bool}) = p$$

Devs Controlador  $S_{init}(1, 1, libre, \infty, false)$

$X = (IR \times IR)$

$Y = \{libre, ocupado\} \times \{arriba, abajo, parar\}$

$S = (IR \times IR \times \{libre, ocupado\} \times IR \times \{true, false\})$

$\delta_{ext}(S, e, X) = \delta_{ext}((pc, pd, est, \sigma, bool), e, ((x, 0), (y, 1))) =$

$(x, pd, ocupado, \infty, false)$  si  $pd \neq x \wedge est = ocupado$

$(x, pd, libre, 0, true)$  si  $pd = x$

$(pc, y, ocupado, 0, false)$  si  $est = libre \wedge y \neq nil$

$(pc, pd, ocupado, \infty, false)$  si  $est = ocupado \wedge y = any$

$Ta(s) = Ta(pc, pd, est, \sigma, bool) = \sigma$

$\lambda(s) = \lambda(pc, pd, est, \sigma, bool) =$

$\{arriba, 0\} \wedge \{ocupado, 1\}$  si  $pd > pc \wedge est = ocupado$

$\{abajo, 0\} \wedge \{ocupado, 1\}$  si  $pd < pc \wedge est = ocupado$

$\{parar, 0\} \wedge \{libre, 1\}$  si  $pd = pc \wedge est = libre$

Devs Tablero  $S_{\text{init}}([], -1, \infty, \text{libre})$

$X = \text{IR} \times \{\text{libre}, \text{ocupado}\}$

$Y = \text{IR}$

$S = [\text{IR}] \times \text{IR} \times \text{IR} \times \{\text{libre}, \text{ocupado}\}$

$\delta_{\text{ext}}(S, e, X) = \delta_{\text{ext}}((\text{ps}, \text{out}, \sigma, \text{est}), e, ((x, 0), (y, 1))) =$

$([], x, 0, \text{ocupado})$  si  $\#ps = 0 \wedge \text{est} = \text{libre} \wedge x = \text{nil}$

$(x \triangleright xs, -1, \infty, \text{est})$  si  $\text{est} = \text{ocupado} \wedge x \neq \text{nil}$

$([], -1, \infty, y)$  si  $y = \text{libre} \wedge \#ps = 0$

$([], \text{ps}.0, 0, \text{ocupado})$  si  $y = \text{libre} \wedge \#ps = 1$

$(xs, p, 0, \text{ocupado})$  si  $\#ps > 1 \wedge p = q \wedge \text{est} = \text{libre} \wedge y \neq \text{nil}$

$(xs \triangleright p, q, 0, \text{ocupado})$  si  $\#ps > 1 \wedge p \neq q \wedge \text{est} = \text{libre} \wedge y \neq \text{nil}$

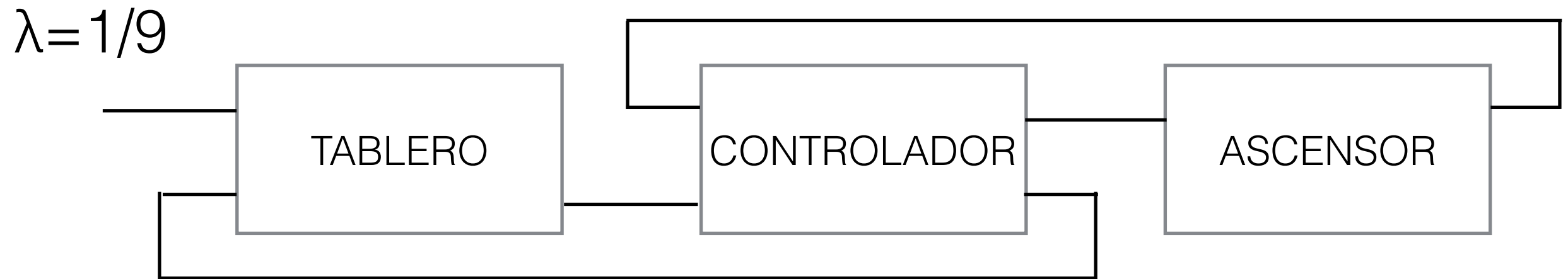
$(\text{ps}, -1, \infty, \text{ocupado})$  si  $y = \text{ocupado}$

Where  $\text{ps} = xs \triangleright p \triangleright q$

$Ta(s) = Ta \quad (\text{ps}, \text{out}, \sigma, \text{est}) = \sigma$

$\lambda(s) = \lambda \quad (\text{ps}, \text{out}, \sigma, \text{est}) = \text{out}$

# Modelo preliminar del problema



ascensor en promedio se mueve 3,3

$$\mu = \frac{1}{6.6}$$

$$\frac{\lambda}{n * \mu} = \frac{1/9}{1/6.6} < 1 \quad \text{Cola Estable}$$