

LLM Optimization

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Speculative Decoding

Slides adapted from Lily Liu, Ao Li, Bogdan Piula, and Yaniv Leviathan

Motivation

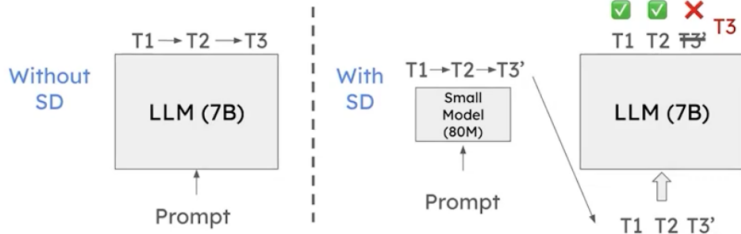
Hebrew: הנשיא היה ברק אובמה. English: The **president** was Barack **Obama**.

Hard - e.g. requires looking
several tokens back,
knowledge of hebrew, ...

Easy - e.g. can guess based on
just the last token.

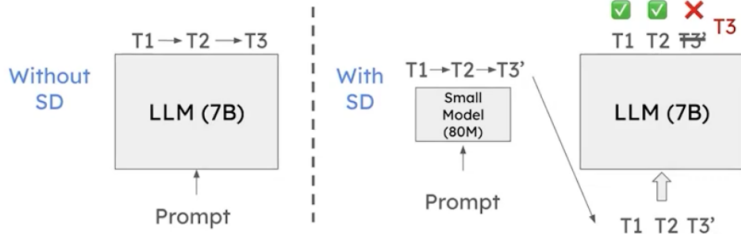
- Models are big and expensive
- But you don't need the full power for every token
- Can we use a cheaper model for easier tokens?

Idea



- Generate from cheap model
- If expensive model likes it, keep it
- If not, resample

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- **Why?** Verification cheaper / lower latency than generation (particularly for longer n -grams)

Procedure

- To sample $x \sim p(x)$, we instead sample $x \sim q(x)$
 - ▶ Keeping if $q(x) \leq p(x)$, and
 - ▶ If $q(x) > p(x)$ we reject the sample with probability $1 - \frac{p(x)}{q(x)}$ and sample x again from an adjusted distribution
$$p'(x) = \text{norm}(\max(0, p(x) - q(x)))$$

For any distributions $p(x)$ and $q(x)$, and x sampled in this way, indeed $x \sim p(x)$.

Proving Equivalence (sketch)

For these sampling strategies to be the same, we want this to be $p(x)$

$$P(x = x') = P(\text{guess accepted}, x = x') + P(\text{guess rejected}, x = x')$$

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But we can break this down into two parts:

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and

$$P(\text{guess rejected}, x = x') = (1 - \beta)p'(x') = p(x') - \min(q(x'), p(x'))$$

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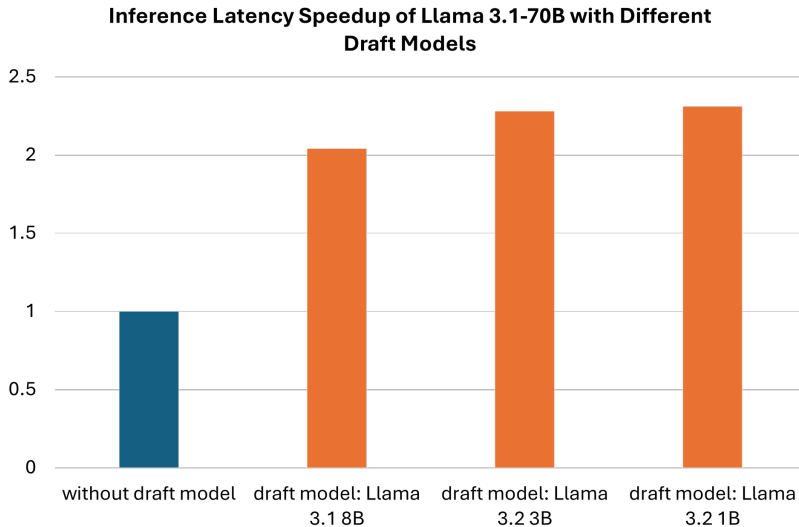
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And you get equality when $\beta \equiv \begin{cases} 1 & q(x) \leq p(x) \\ \frac{p(x)}{q(x)} & q(x) > p(x) \end{cases}$

Speedup vs 70B



Wrapup

- It can be faster, but not more efficient: strictly more calls
- It's not always faster: if you reject a lot, it can slow things down
- But if you're generating a bunch of simple stuff, can help a lot

