Introducing multiple regression

Frank Edwards

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In matrix notation

To be more compact:

$$Y = \beta X + \varepsilon$$

Where Y is the vector of predictors, β is the vector of coefficients (including the intercept), X is the matrix of all predictors, and ε is the error term.

Exercises

- Fit a multiple regression of Petal.Width using `iris`
- Fit Pager's main model using the crimrec data
- Interpret multiple regression
- Visualize inference using predict()