

Receding horizon philosophy

- At time t : solve and **optimal control** problem over a finite future horizon of N steps:

$$\begin{aligned} \min_{u_t, \dots, u_{t+N-1}} & \left\{ \sum_{k=0}^{N-1} \|y_{t+k} - r(t)\|^2 + \right. \\ & \left. \rho \|u_{t+k} - u_r(t)\|^2 \right\} \\ \text{s.t. } & x_{t+k+1} = f(x_{t+k}, u_{t+k}) \\ & y_{t+k} = g(x_{t+k}, u_{t+k}) \\ & u_{\min} \leq u_{t+k} \leq u_{\max} \\ & y_{\min} \leq y_{t+k} \leq y_{\max} \\ & x_t = x(t), k = 0, \dots, N-1 \end{aligned}$$

- Only apply the first optimal move $u^*(t)$
- At time $t+1$: **Get new measurements**, repeat the optimization. And so on...

Advantage of repeated on-line optimization: **FEEDBACK!**

Golden
ratio

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