

Question 1:

Marginal Cost: Variable cost for more than one unit

Average Cost: Total cost divided by number of units

100 free service hours, \$75 per hour additional time cost

1a) Number of Hours = 75 < 100 hours

Less than 100 free service hours.

$\frac{\text{Average Cost}}{\text{hour}} = \$0, \frac{\text{Marginal Cost}}{\text{hour}} = \0

1b) Number of Hours = 125 > 100 hours

More than 100 free service hours.

$\frac{\text{Average Cost}}{\text{hour}} = \frac{\$75 * (125 - 100)}{125} = \$15, \frac{\text{Marginal Cost}}{\text{hour}} = \75
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1c) Number of Hours = 250 > 100 hours

More than 100 free service hours.

$\frac{\text{Average Cost}}{\text{hour}} = \frac{\$75 * (250 - 100)}{250} = \$45, \frac{\text{Marginal Cost}}{\text{hour}} = \75
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Question 2:

Book cost: Current Cost effect of past decisions that are recorded down

Opportunity Cost: potential loss in money of using a resource in a chosen activity over other potential resources

2a) Book Cost = **\$7000**

2b) If we use the pump for the installation, we lose the potential of an opportunity cost of \$4,000

, because we are not selling it

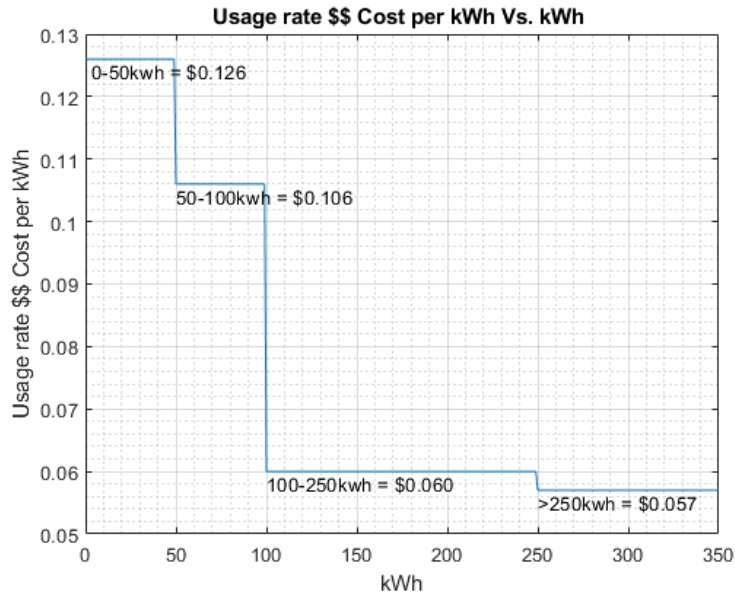
2c) Stainless Steel = \$4000 + \$500 = \$4500

Brass Pump = \$6000

\$6000 – \$4500 = \$1500

Stainless steel is \$1500 cheaper than the brass pump if it is installed

Question 3:



Matlab Generated ...

Question 3a)				
Usage (kWh)		Usage Rate (\$/kWh)	Range applicable to:	Demand Cost
2800	\$	0.126	0-50	\$ 6.30
	\$	0.106	50-100	\$ 5.30
	\$	0.060	100-250	\$ 9.00
	\$	0.057	>250	\$ 145.35
			Total ->	\$ 165.95
Peak (kW)		Demand Rate (\$/kW)	Range applicable to:	Usage Cost
70	\$	-	0-35	\$ -
	\$	4.18	35-115	\$ 146.30
	\$	8.02	>115	\$ -
			Total ->	\$ 146.30
				Total Monthly Bill Cost
				\$ 312.25
average usage:	\$	0.059		
marginal usage:	\$	0.057		
blended rate:	\$	0.112		

Q3b)

Usage is past the 250kWh mark

$$\therefore 1200\text{kWh} \times \frac{\$0.057}{\text{kWh}} = \boxed{\$68.4} = \text{monthly bill increase}$$

Marginal usage falls in the(> 250kWh) usage range = $\boxed{\frac{\$0.057}{\text{kWh}}}$

Q3c)

Question 3c)							
New Usage (kWh) [+100]	Usage Rate (\$/kWh)	Range applicable to:	Demand Cost				
2900	\$ 0.126	0-50	\$	6.30			
	\$ 0.106	50-100	\$	5.30			
	\$ 0.060	100-250	\$	9.00			
	\$ 0.057	>250	\$	151.05			
		Total ->	\$	171.65			
New Peak (kW) [+50]	Demand Rate (\$/kW)	Range applicable to:	Usage Cost				
120	-	0-35	\$	-			
	\$ 4.18	35-115	\$	334.40			
	\$ 8.02	>115	\$	40.10			
		Total ->	\$	374.50			
				Total Monthly Bill Cost (new)	Previous Monthly Total Bill	Difference (Increase)	
				\$ 546.15	\$ 312.25	\$ 233.90	

Q4)

$$\frac{\text{Cost of 4.5 litres capacity centrifuge 5 years ago}}{\text{Cost of 1.5 litres capacity centrifuge 5 years ago}} = \left(\frac{4.5 \text{ litres}}{1.5 \text{ litres}} \right)^{0.75}$$

$$\text{Cost of 4.5 litres capacity centrifuge 5 years ago} = \left(\frac{4.5 \text{ litres}}{1.5 \text{ litres}} \right)^{0.75} * \$40,000 = \$91180.283$$

Round off to 3 significant figure → \$91,200 = Cost of 4.5 litres capacity centrifuge 5 years ago

Cost of 4.5 litres capacity now =

$$\text{Cost of 4.5 litres capacity centrifuge 5 years ago} * \frac{\text{Index Value today}}{\text{Index Value five years ago}}$$

$$\text{Cost of 4.5 litres capacity now} = (\$91,200) * \frac{300}{120} = \boxed{\$228,000}$$

Q5)

The time value of money is the concept where although the numerical price of an item or cash amount is the same in the present, past or future, the intrinsic value is not the same. This means that a certain amount of cash could be used over time to invest in more money, which results in a larger overall net gain of the actual amount, compared to the amount being acquired later. In other words, it also means that acquiring cash in the present creates a “future value” or time-space to invest in more money.

For example, when I was working in my co-op, I had an option of getting either paid per two weeks or per month. I chose getting paid per 2 weeks, as having access to my cash earlier gave me the opportunity to plan on my money usage for the next 2 weeks, also possibly putting it into some GIC fund or engage in day-trading for stock market opportunities. Receiving the same value but at an earlier rate increases my future value of the current investment.

Q6)

$$\text{Equation : } PV_{n\text{-years}} = \frac{\$n}{(1+r)^n}$$

$\$n$ – current value of inheritance right now
 n – years received
 r – interest rate

$$PV_{5\text{years}} = \frac{\$20,000}{(1+0.07)^5} = \$14259.724$$

$$PV_{10\text{years}} = \frac{\$20,000}{(1+0.07)^{10}} = \$10166.98585$$

$$PV_{20\text{years}} = \frac{\$20,000}{(1+0.07)^{20}} = \$5168.38$$

$$PV_{50\text{years}} = \frac{\$20,000}{(1+0.07)^{50}} = \$678.955$$

Q7)

$$(1+i) = \frac{\text{Payment with Interest}}{\text{Original payment}} = \frac{\$85}{\$75} = 1.13333$$

i = interest = 0.1333 or 13.333%
compounded 2 times per year

$$\therefore \text{Nominal annual interest} = r_{\text{percent}} = 13.333\% \times 2 = 26.666\%$$

$$\text{Effective annual interest rate: } i_a = \left(1 + \frac{r}{m}\right)^m - 1$$

$$r = 0.2666$$

$$m = \# \text{ of compounding periods per year} = 2$$

$$\therefore i_a = \left(1 + \frac{0.2666}{2}\right)^2 - 1 \approx 0.284444 \rightarrow 28.444\%$$