



# Introduction to Deep Learning Techniques

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7th UK LArTPC Software and Analysis Workshop

# Introduction

- This lecture is designed to give an introduction to machine learning and convolutional neural networks
  - These are the most common deep learning techniques used in neutrino physics
- We have to start with the basics:
  - The simplest possible neural network
  - Image recognition and convolutional neural networks
- I will give an example of the neutrino classification

# Introduction

- Machine learning isn't a new field!
  - Many techniques have been in use for a long time
- The name is generally applied to any approach where a large set of data is used to train an algorithm to perform some classification task or parameter estimation
  - k-Nearest-Neighbour
  - Boosted Decision Tree
  - Artificial Neural Network (ANN)
  - Etc, etc...
- We'll consider an ANN in the following example
  - You may have seen these called Multi-Layer Perceptrons (MLPs)

# A very simple example

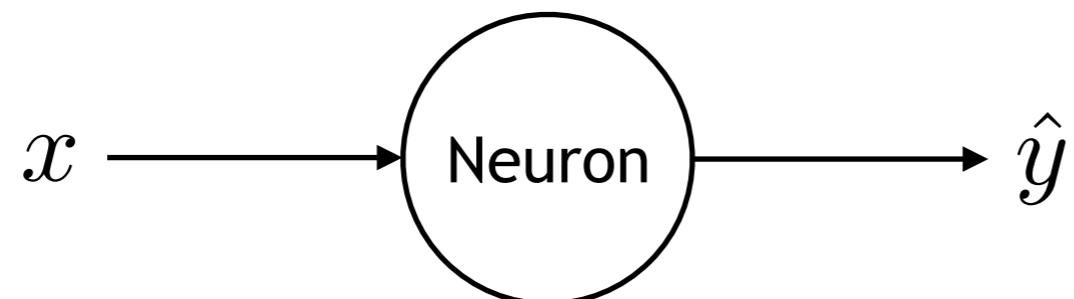
- Let's say that we want to classify vehicles as either a car or a motorcycle using the value of a single variable
  - Define the input data as  $x$ , which in this case is mass
  - The target (truth) is given by  $y$

Model	$x$ (mass)	$y$ (0=car, 1=motorcycle)
Renault Megane	1.175 tonnes	0
Yamaha YZF-R1	0.199 tonnes	1
MINI Cooper	1.360 tonnes	0
Ford C-MAX	1.550 tonnes	0
Kawasaki Ninja H2	0.240 tonnes	1

Thanks to Saúl Alonso Monsalve for this example

# The architecture

- Consider the following algorithm... it corresponds to the simplest ANN we could design
  - For a given  $x$  we want to make a prediction  $\hat{y}$  between 0 and 1

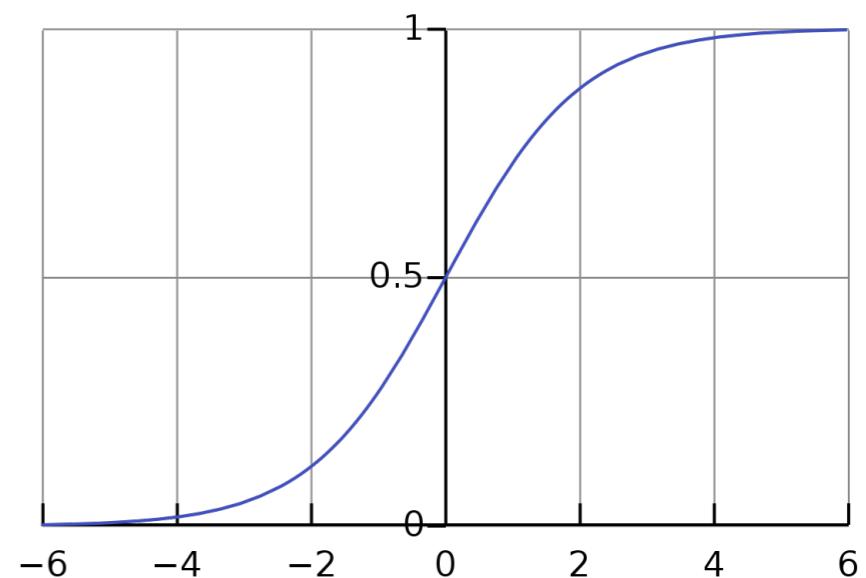


NB: this single neuron ANN is just a logistic regression unit

- Prediction depends on two other parameters  $\hat{y} = f(wx + c)$
- Common **activation function** choice:

$$f(z) = \text{sigmoid}(z) = \frac{1}{1 + e^{-z}}$$

The sigmoid function allows us to bound our output between 0 and 1



# Training the network

1. Randomly initialise variables  $w$  and  $c$  in the range  $(0,1)$

2. Forward propagation

1. Select a training example
2. Calculate the prediction  $\hat{y}$
3. Calculate the loss (how close  $\hat{y}$  is to  $y$ )

Repeat for the full dataset  
(we call this one epoch)

3. Backward propagation

4. Compute partial derivatives of the loss
5. Update  $w$  and  $c$

Repeat as necessary for n epochs

4. Stop once we can no longer improve the loss

# First forward propagation

- Assume we initialised  $w = 0.5$  and  $c = 0.5$
- Select the first training example:

Model	x (mass)	y (0=car, 1=motorcycle)
Renault Megane	1.175 tonnes	0

$$\hat{y} = \sigma(wx + c) = \frac{1}{1 + e^{-(wx+c)}} = \frac{1}{1 + e^{-(0.5x+0.5)}} = \frac{1}{1 + e^{-1.0875}} = 0.74791066$$

- Now we need a way to compare how well we have done
  - This is where the **loss function** comes in

# Loss functions

- Loss functions provide us with a measure of how close our predicted value  $\hat{y}$  is to the true value
  - The goal of training is to minimise the value of this loss function
- In the case for a classification problem (like this) we use the categorical cross-entropy loss
  - Since we only have two true classes, we use the binary cross-entropy loss

$$\mathcal{L}(y, \hat{y}) = - (y \ln \hat{y} + (1 - y) \ln (1 - \hat{y}))$$

# First forward propagation

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- Using our binary cross-entropy loss, we get

$$\begin{aligned}\mathcal{L}(y, \hat{y}) &= -(y \ln \hat{y} + (1 - y) \ln(1 - \hat{y})) \\ &= -(0 \times \ln(0.7479) + 1 \times \ln(1 - 0.7479)) = 1.378\end{aligned}$$

# First backward propagation

- Firstly, let's simplify things as for this training example  $y = 0$

$$\mathcal{L}(0, \hat{y}) = \mathcal{L}(\hat{y}) = -\ln(1 - \hat{y})$$

$$\mathcal{L}(z) = -\ln\left(1 - \frac{1}{1 + e^{-z}}\right) = z + \ln(1 + e^{-z})$$

$$\mathcal{L}(w, c) = wx + c + \ln\left(1 + e^{-(wx+c)}\right)$$

- Now take the partial derivatives

$$\frac{\partial \mathcal{L}(w, c)}{\partial w} = x \left(1 - \frac{e^{-(wx+c)}}{1 + e^{-(wx+c)}}\right) = 0.8788$$

$$\frac{\partial \mathcal{L}(w, c)}{\partial c} = 1 - \frac{e^{-(wx+c)}}{1 + e^{-(wx+c)}} = 0.7479$$

# First backward propagation

- Now, let's update our  $w$  and  $c$  values

This is a **very** important parameter. It is the **learning rate** and must be positive. Let's set it equal to 0.1 in this example.

$$w_1 = w_0 - \alpha \frac{\partial \mathcal{L}(w, c)}{\partial w} \Big|_{\substack{w=w_0 \\ c=c_0}} = 0.4121$$

$$c_1 = c_0 - \alpha \frac{\partial \mathcal{L}(w, c)}{\partial c} \Big|_{\substack{w=w_0 \\ c=c_0}} = 0.4252$$

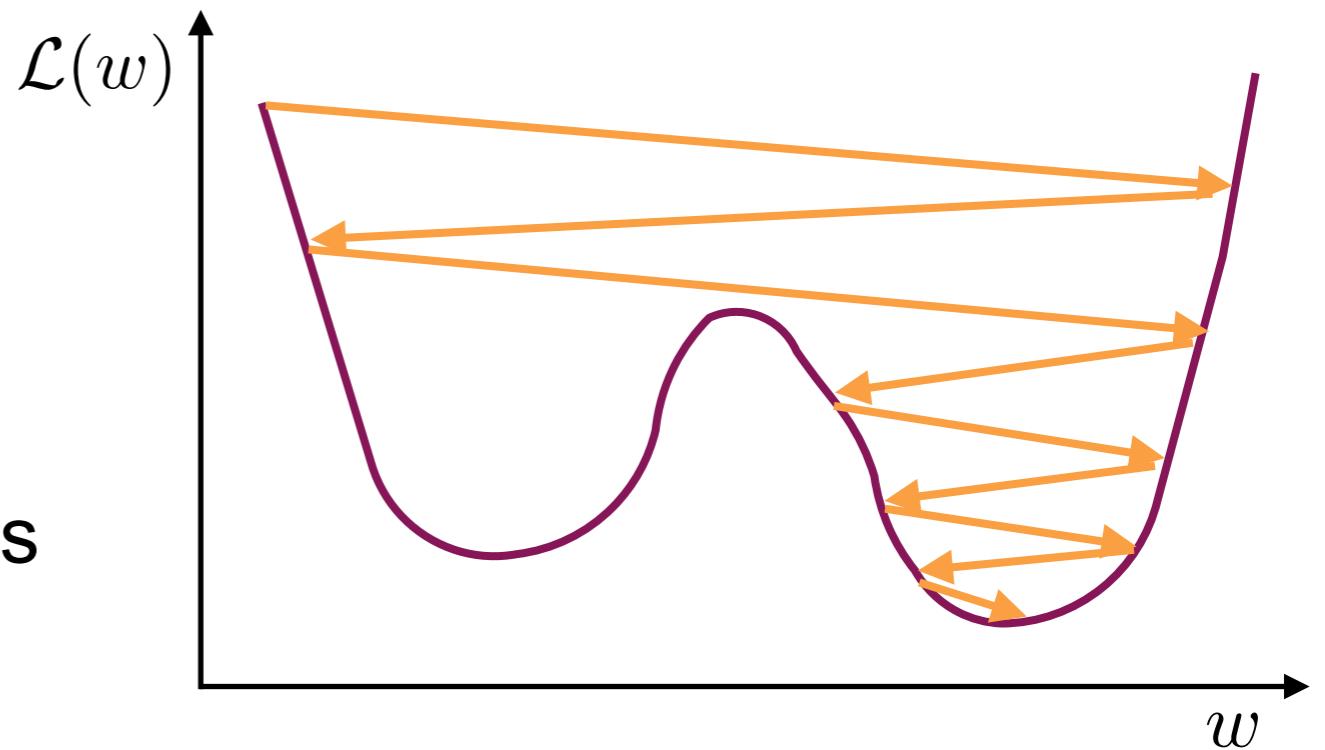
NB: these equations are for stochastic gradient descent

- Now we can compute our new prediction:  $\hat{y}_1 = 0.7129$

We have gone from a prediction of 0.7479 to 0.7129 in one iteration.  
 Closer to our target of  $y = 0$ ! Now repeat for the entire dataset!

# Optimisers

- In reality we don't have to calculate these gradients ourselves
  - The optimiser does the back propagation and updates the network weights is the optimiser
    - These are typically versions of stochastic gradient descent
    - The goal is to find the global minimum of the loss function
- Some of these different algorithms try to improve on SGD
  - They use modified equations to update the weights
  - Find the global minimum
  - Converge quickly



- Some of the most used algorithms to read up on:
  - Adam, Adadelta, RMSProp, etc

# Quick Aside on Learning Rate

- Now let's think about the learning rate
  - Recall that the learning rate controls the updating of the network parameters after each iteration

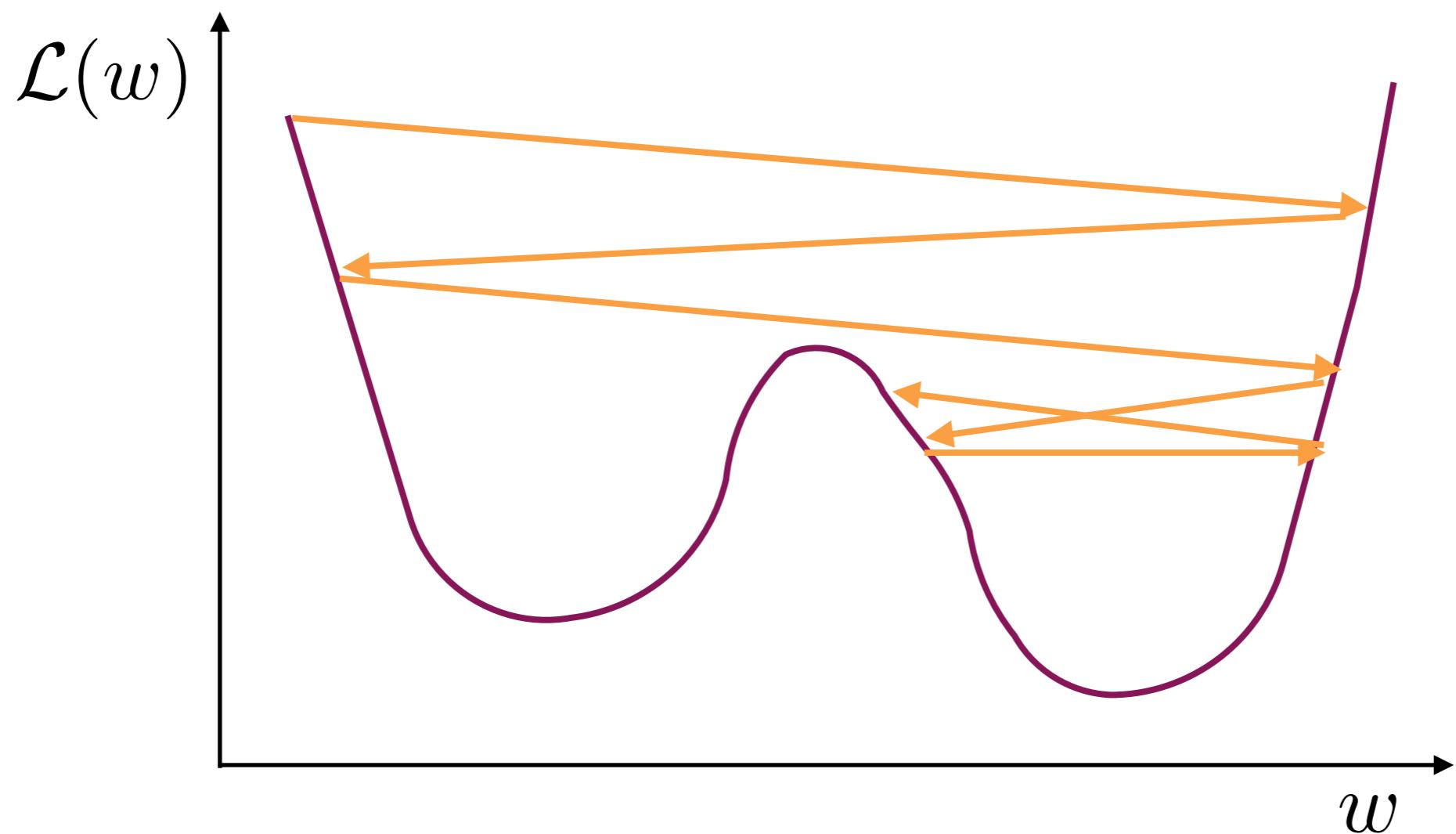
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$$c_1 = c_0 - \alpha \frac{\partial \mathcal{L}(w, c)}{\partial c} \Big|_{\substack{w=w_0 \\ c=c_0}}$$

- The larger the learning rate, the bigger steps we take to find the minimum of the loss function

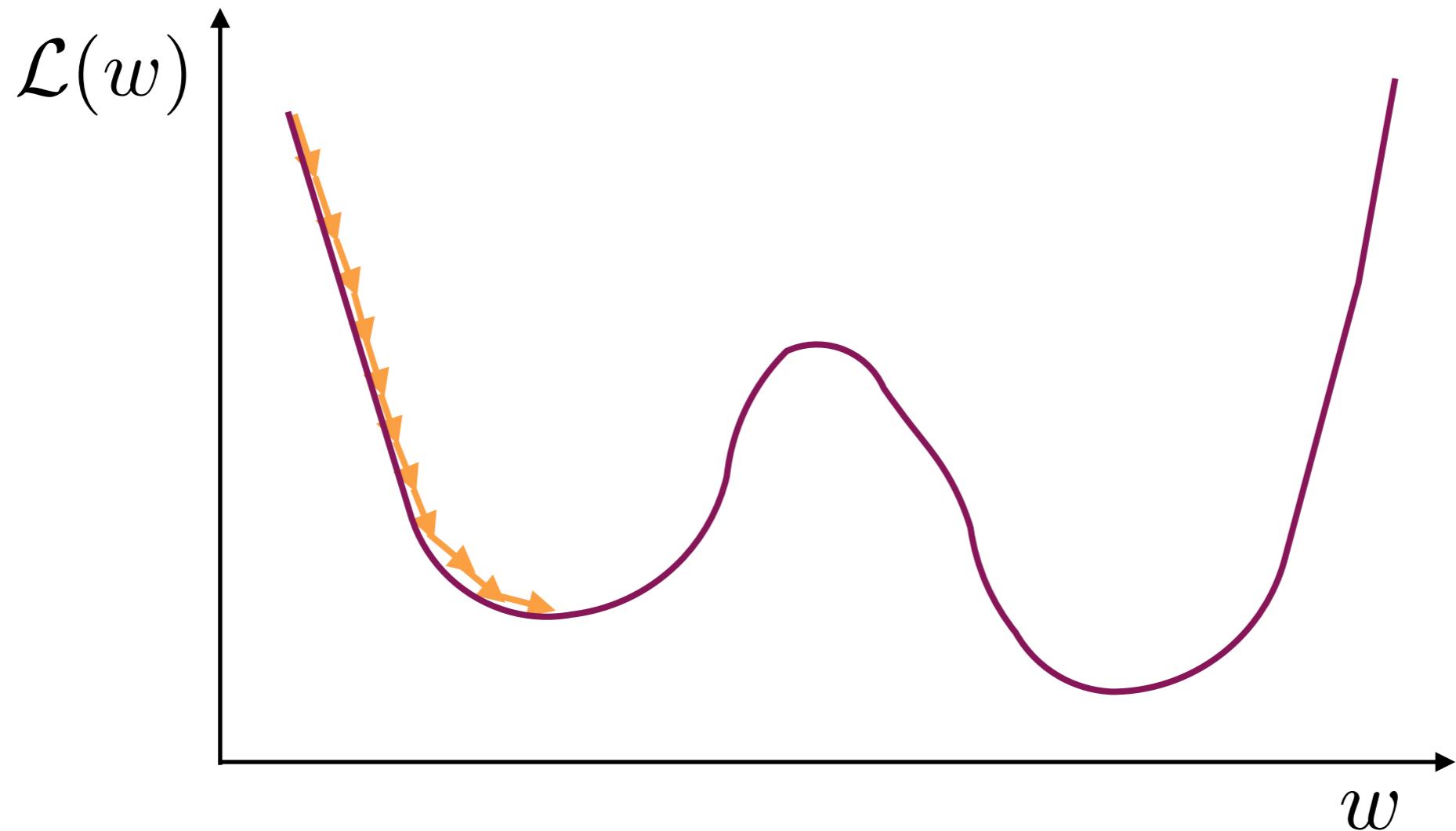
# Quick Aside on Learning Rate

- We can get problems if the learning rate is:
  - Too large - can fail to converge on the minimum



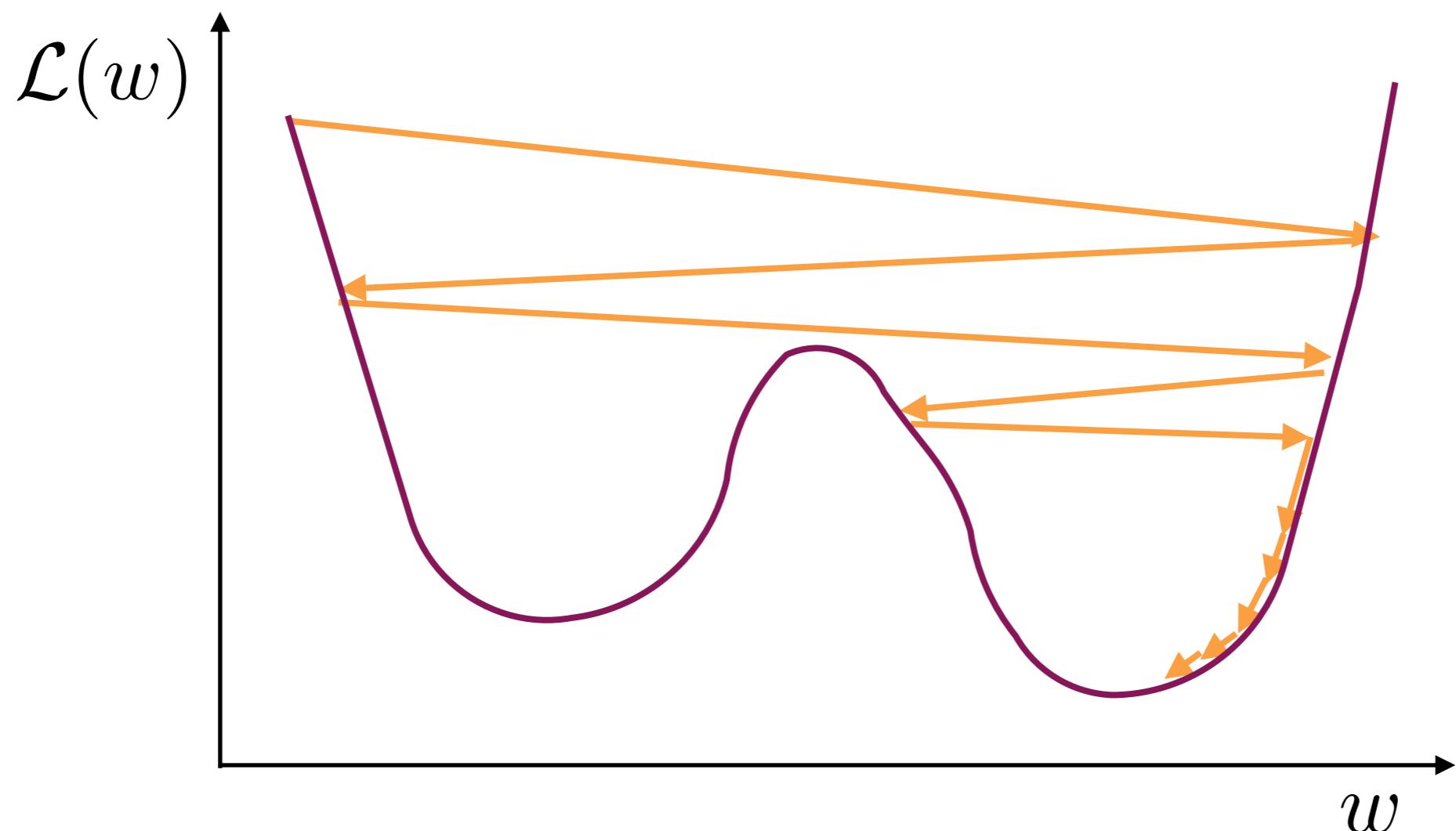
# Quick Aside on Learning Rate

- We can get problems if the learning rate is:
  - Too large - can fail to converge on the minimum
  - Too small - can be very slow and find a local minimum



# Quick Aside on Learning Rate

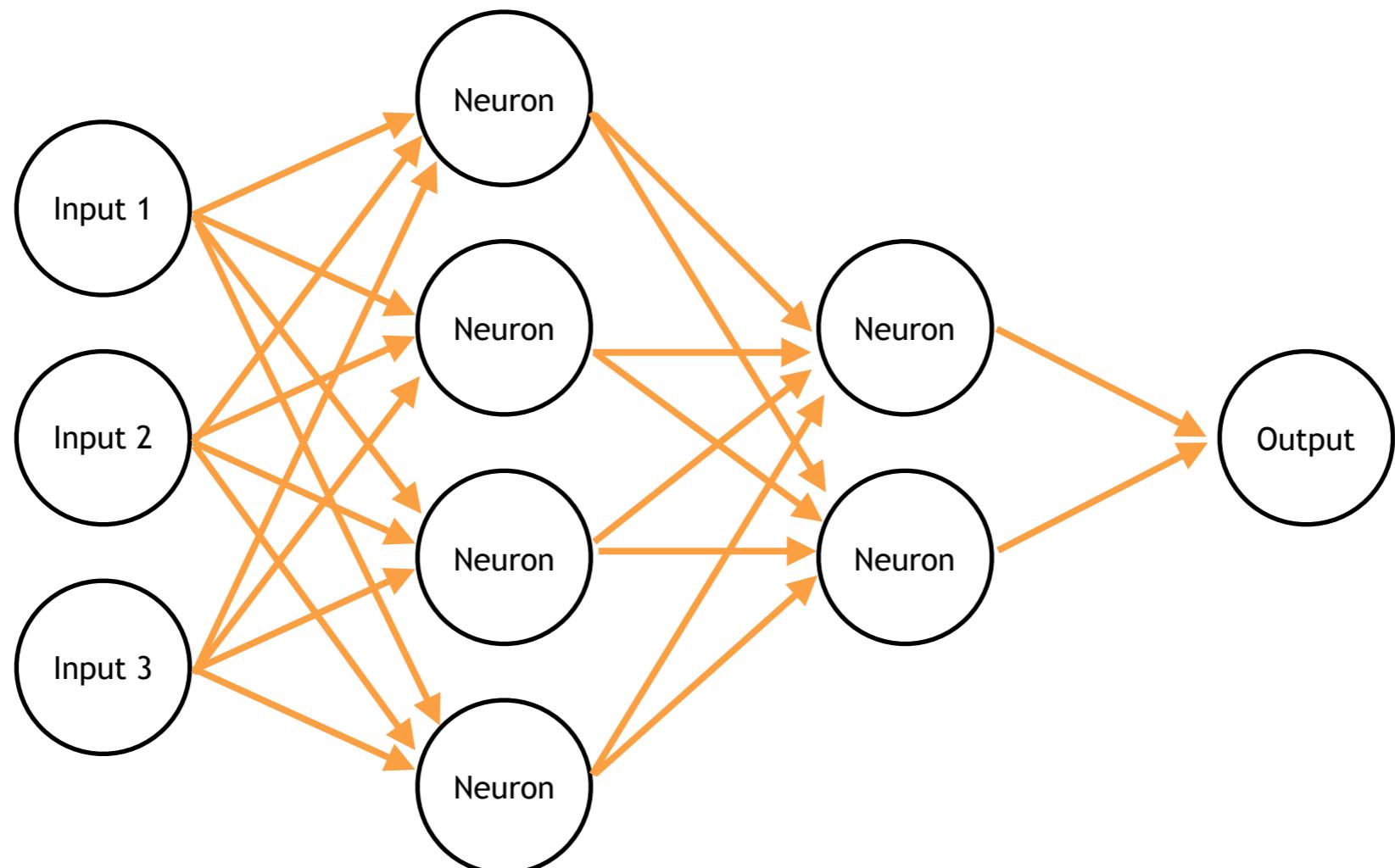
- Once thing we can try is learning rate decay
  - Start with a large rate and reduce with iterations



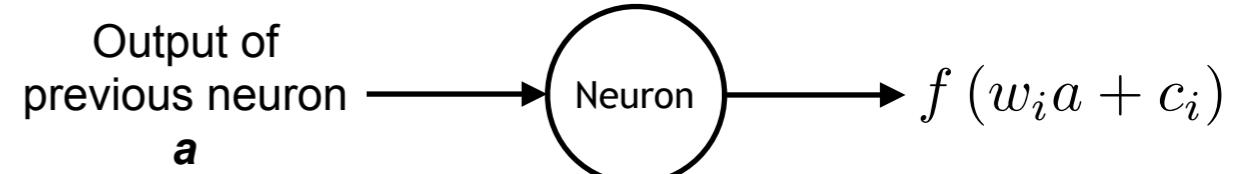
- NB: this isn't always necessary, but something useful to know about

# Going deeper

- ANNs consist of a number of neurons organised in layers

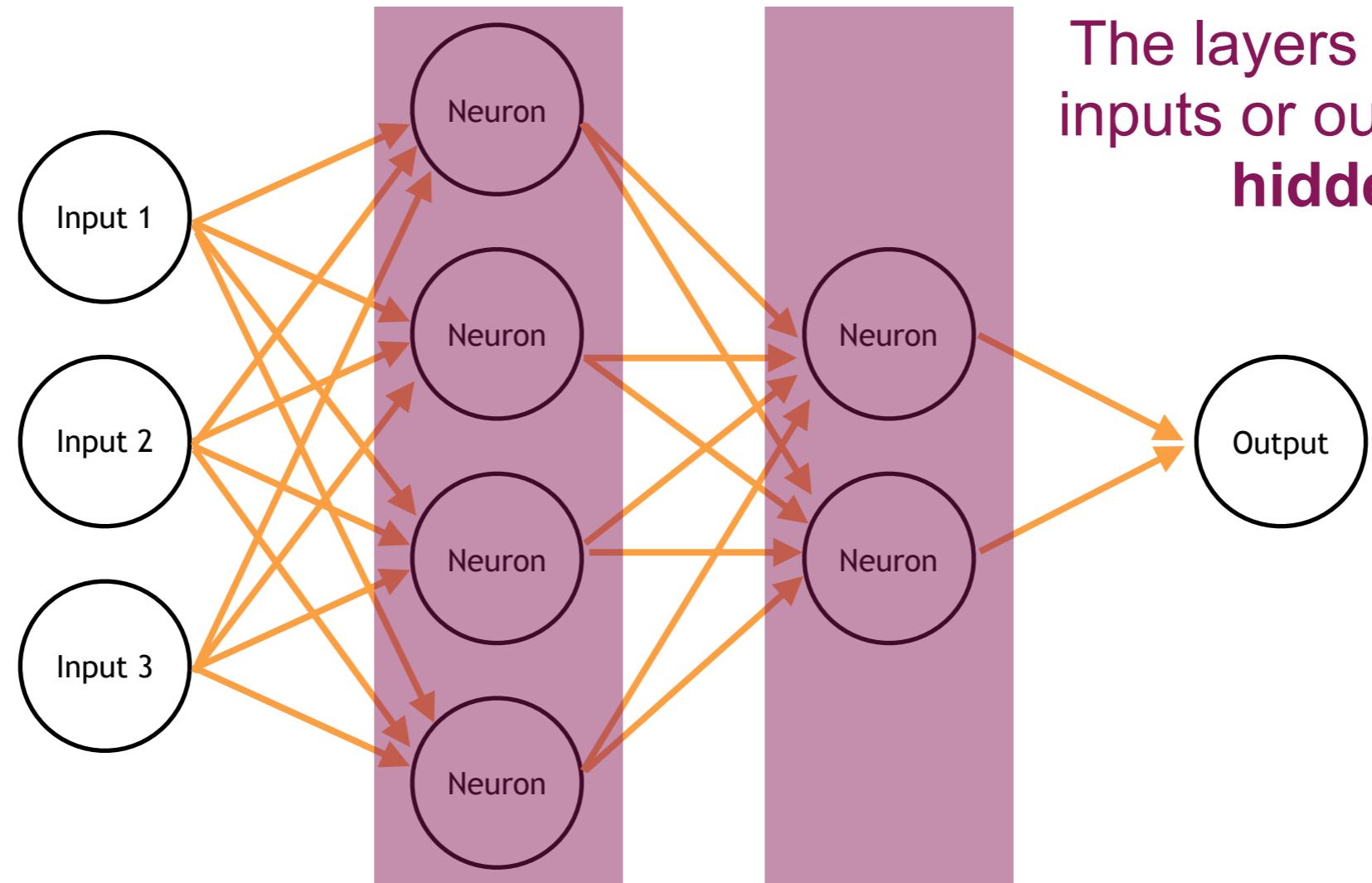


Each neuron here is just the same as in the simple example



# Going deeper

- ANNs consist of a number of neurons organised in layers



The layers that are not the inputs or outputs are called **hidden layers**

- Deep Learning refers to the use of deep neural networks - networks with many hidden layers

# Training networks

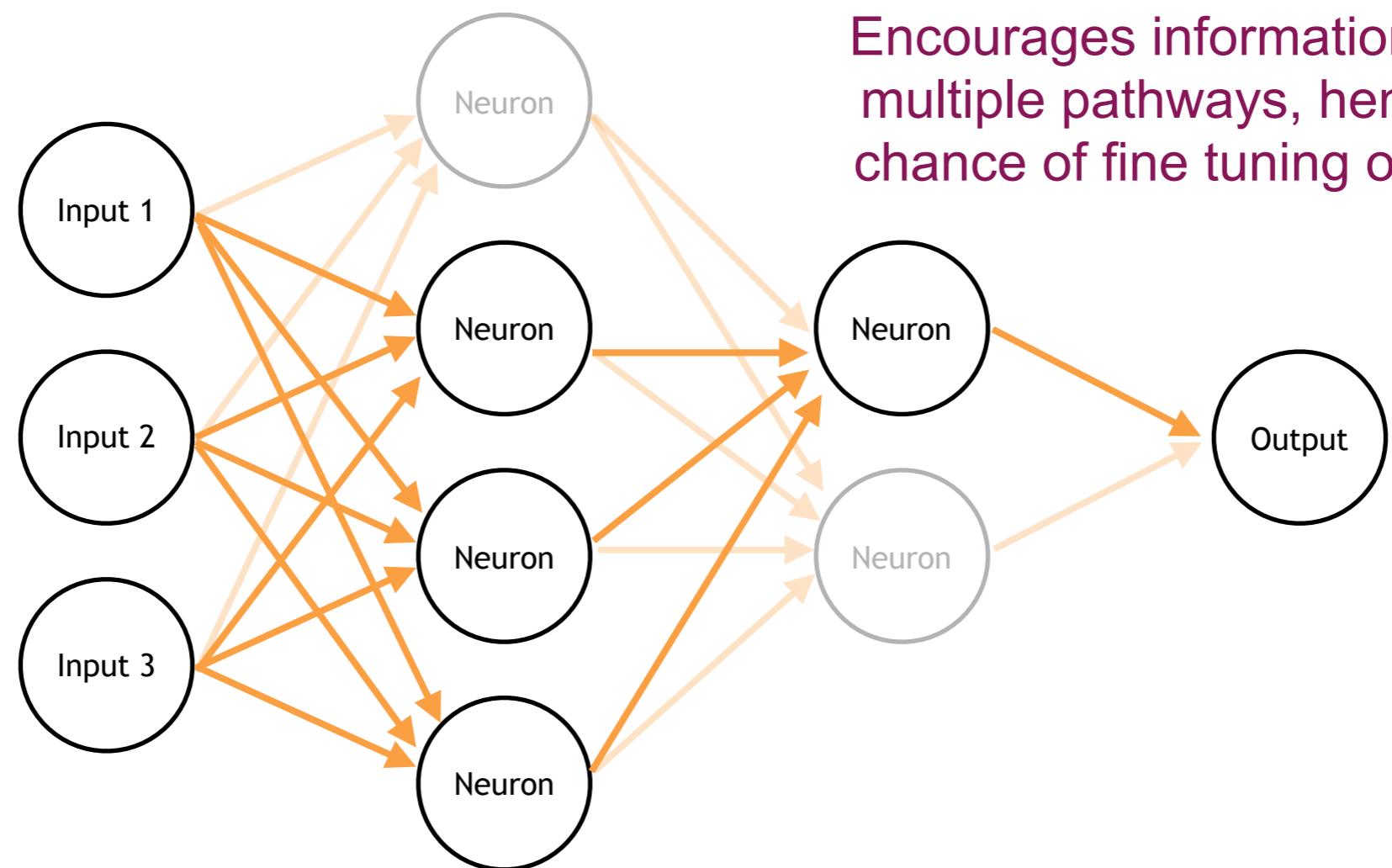
- Typically use three data samples:
- Training sample:
  - These are the events that the network learns from via the forward- and back-propagation
- Validation sample:
  - After one epoch the validation sample is used to measure the performance of the network
- Testing sample:
  - Once the network has finished learning, the test set provides a way to test the network generalisation

# Overtraining

- A common concern is that networks can eventually learn fine details of training events that prevents generalisation to unseen events
  - This is known as overtraining
- Causes:
  - Too few training examples
  - Training set is not representative of the entire sample
  - Training for too long
- Potential solutions
  - Get more training data
  - Stop the training once the validation sample loss stops reducing
  - Look at techniques such as dropout...

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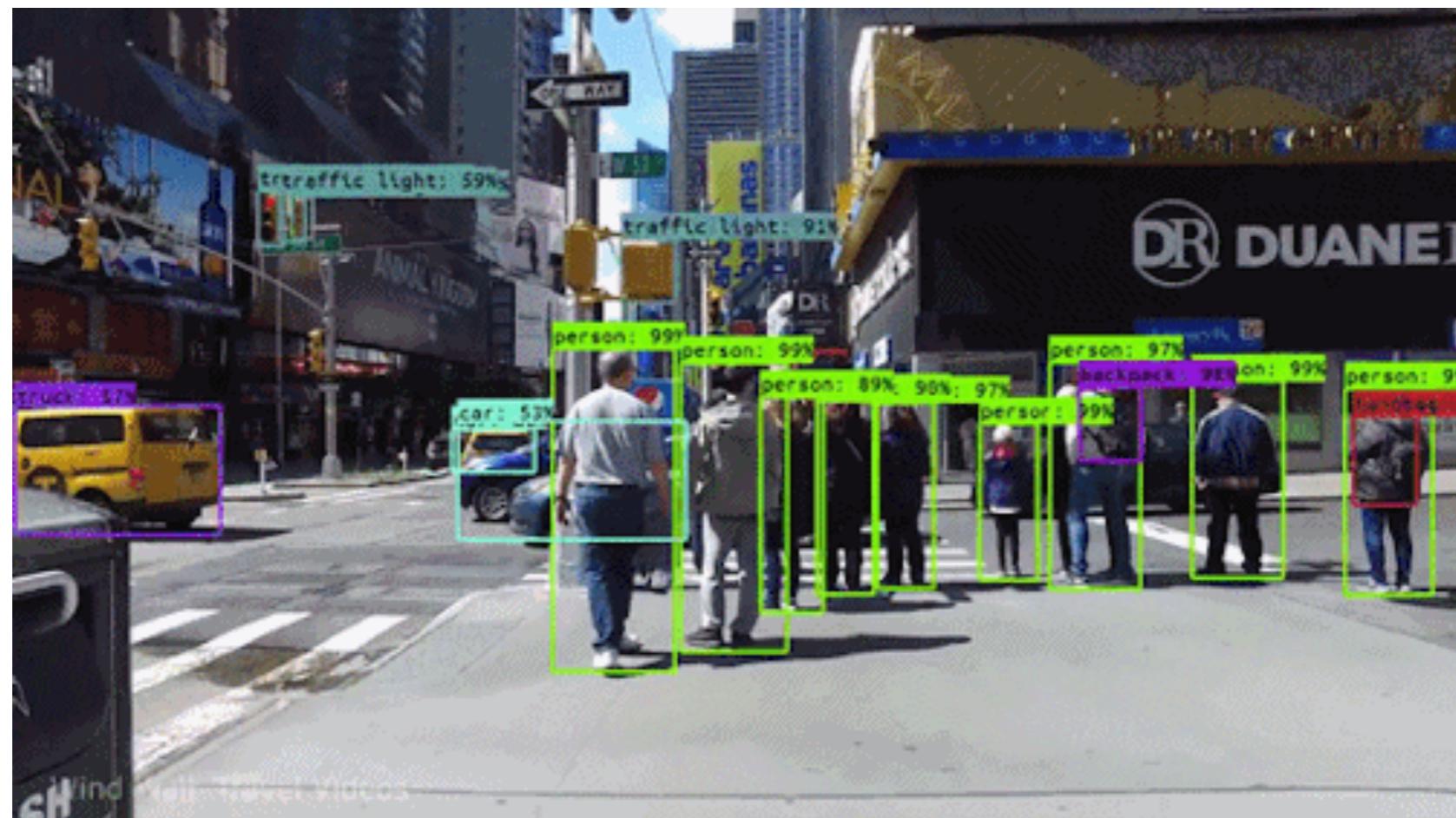
- Dropout: randomly ignore a given fraction of neurons each iteration

# Image Recognition

- There has been a lot of work in the last couple of decades on automated image recognition
- There are many examples of where it is required and used
- Self driving cars are a good example
  - Need to be able to automatically recognise road signs and instructions as well as unexpected obstacles, pedestrians etc
  - The techniques have to be robust and reliable since cars can be very dangerous

# Image Recognition

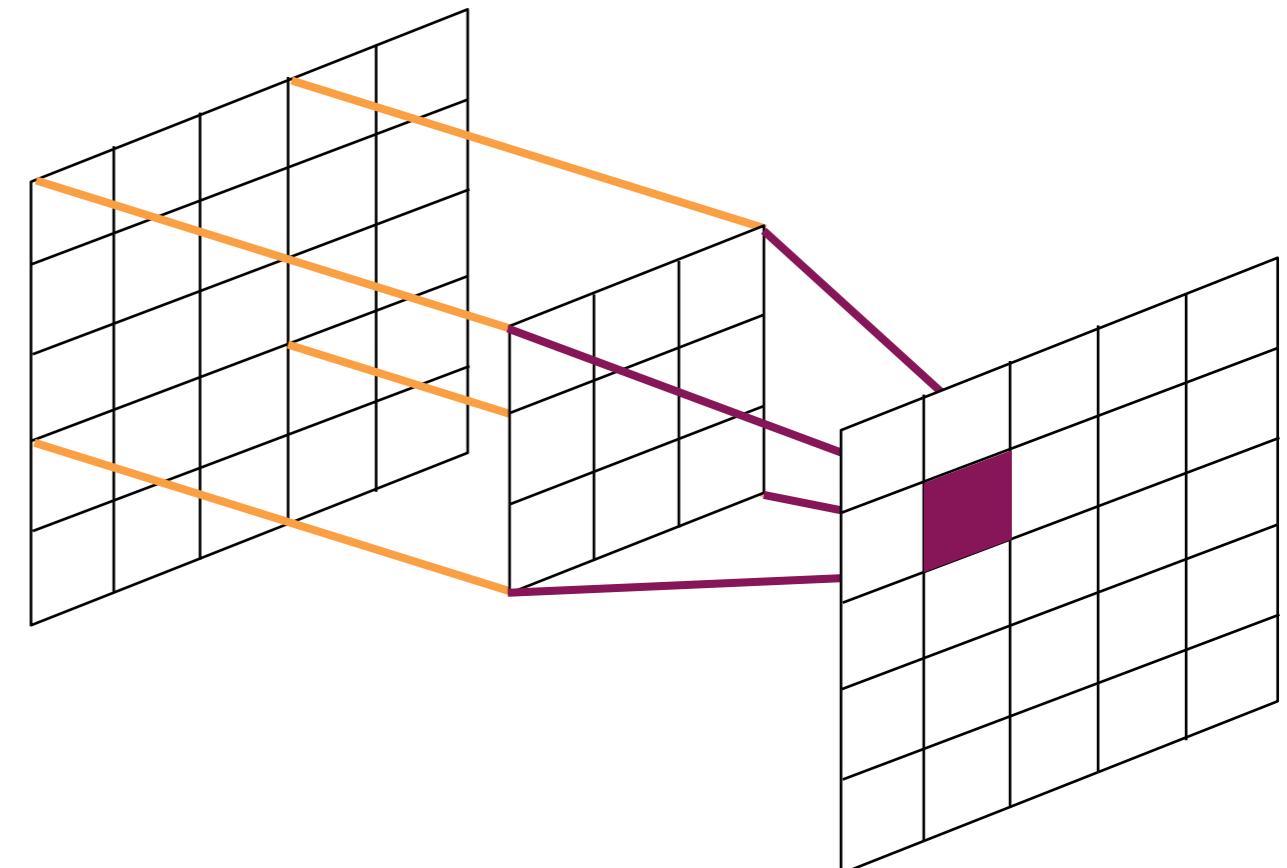
- Whichever algorithm is used, the goal is the same: to extract features from the images that allow you to classify them in some way



Picture from <https://towardsdatascience.com/how-do-self-driving-cars-see-13054aee2503>

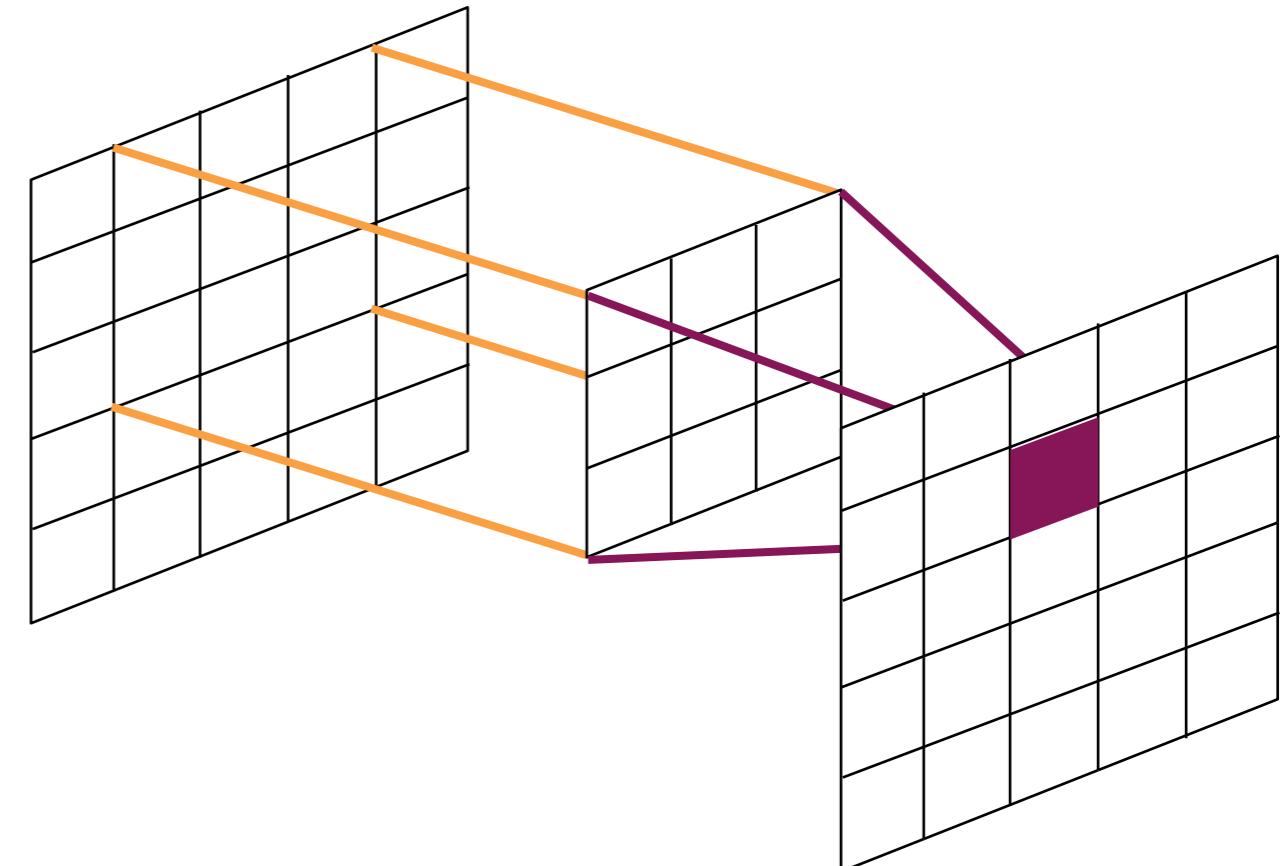
# Convolutional Neural Networks

- Convolutional neural networks are designed for image recognition tasks
  - They have been the best performing class of algorithm for the last ~10 years
- Conceptually quite simple:  
apply filters to images to extract features
  - The filters are learned during training and not predefined
- Will use the example from DUNE neutrino event classification here



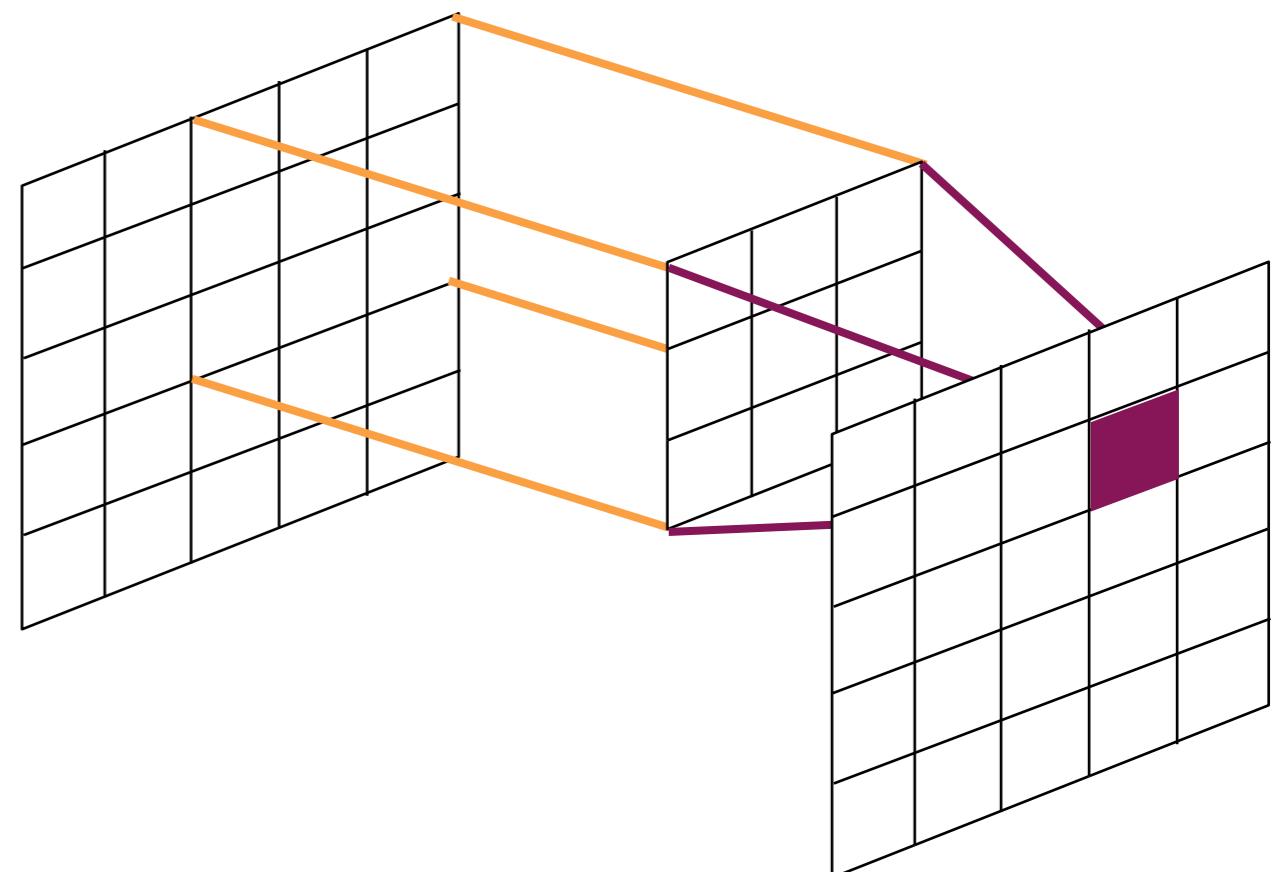
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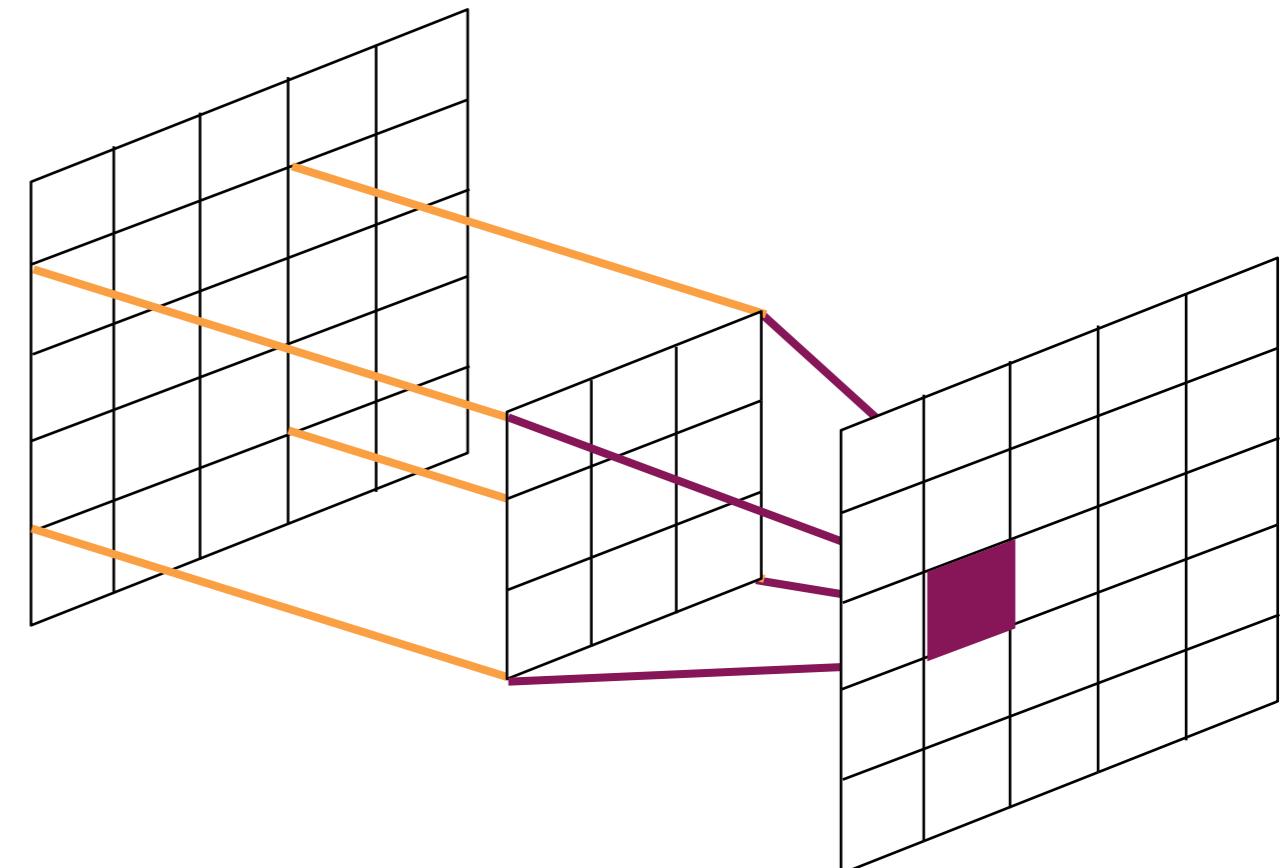
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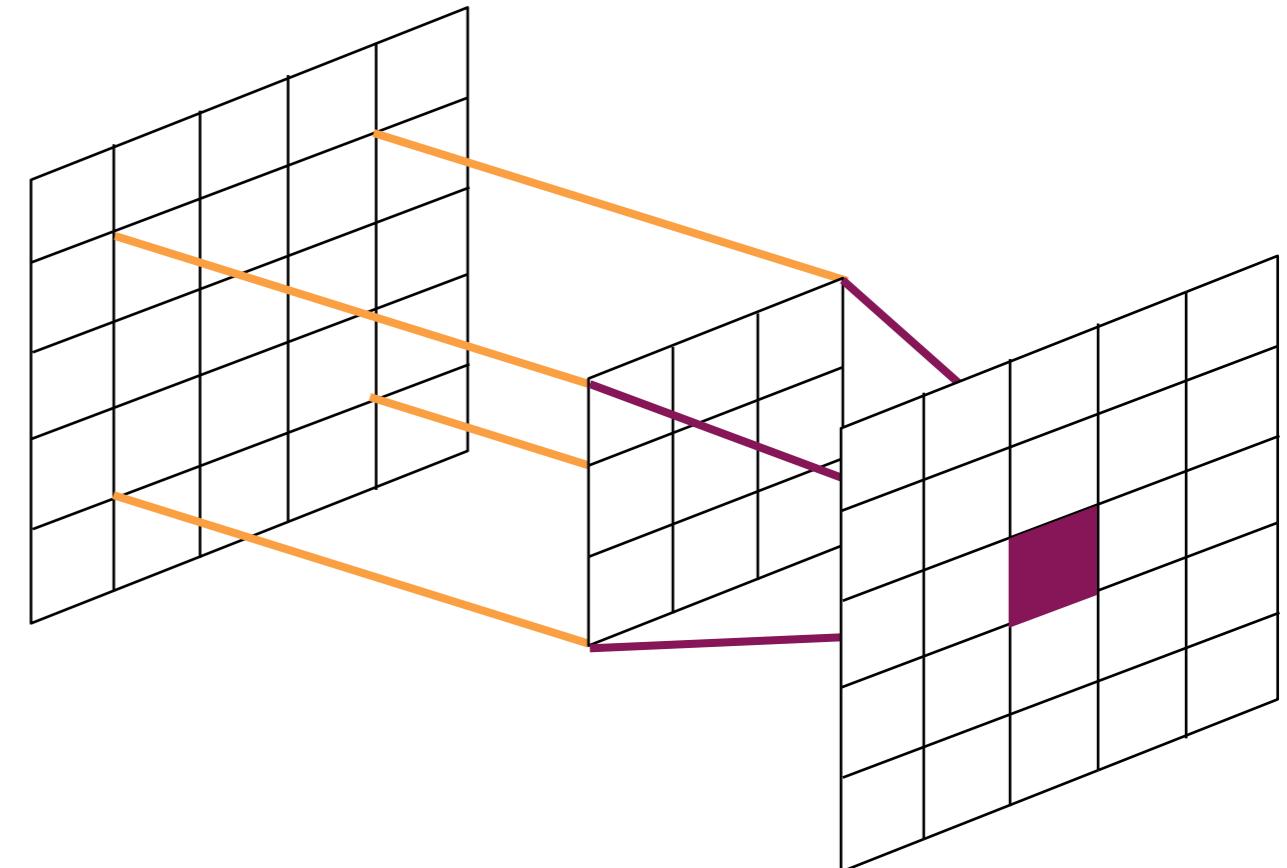
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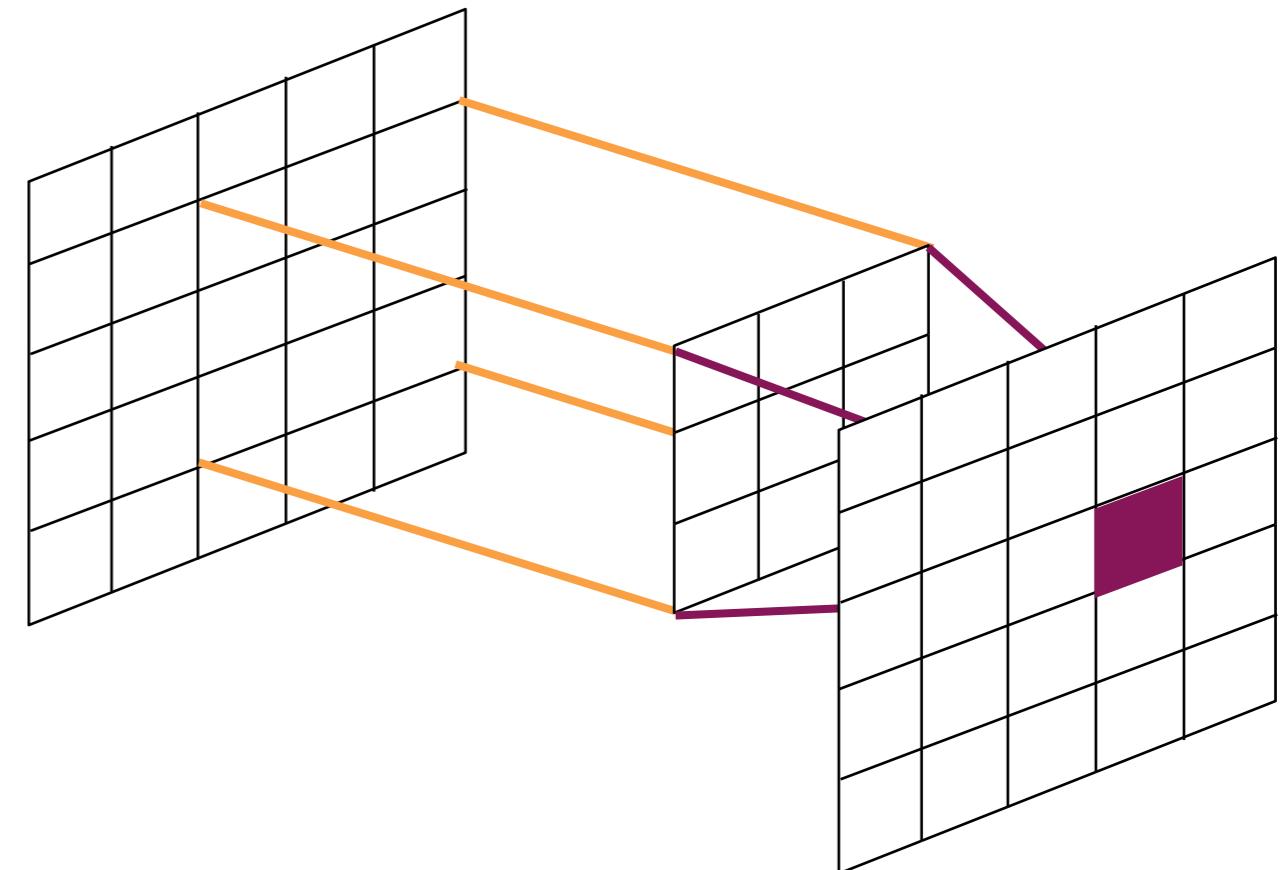
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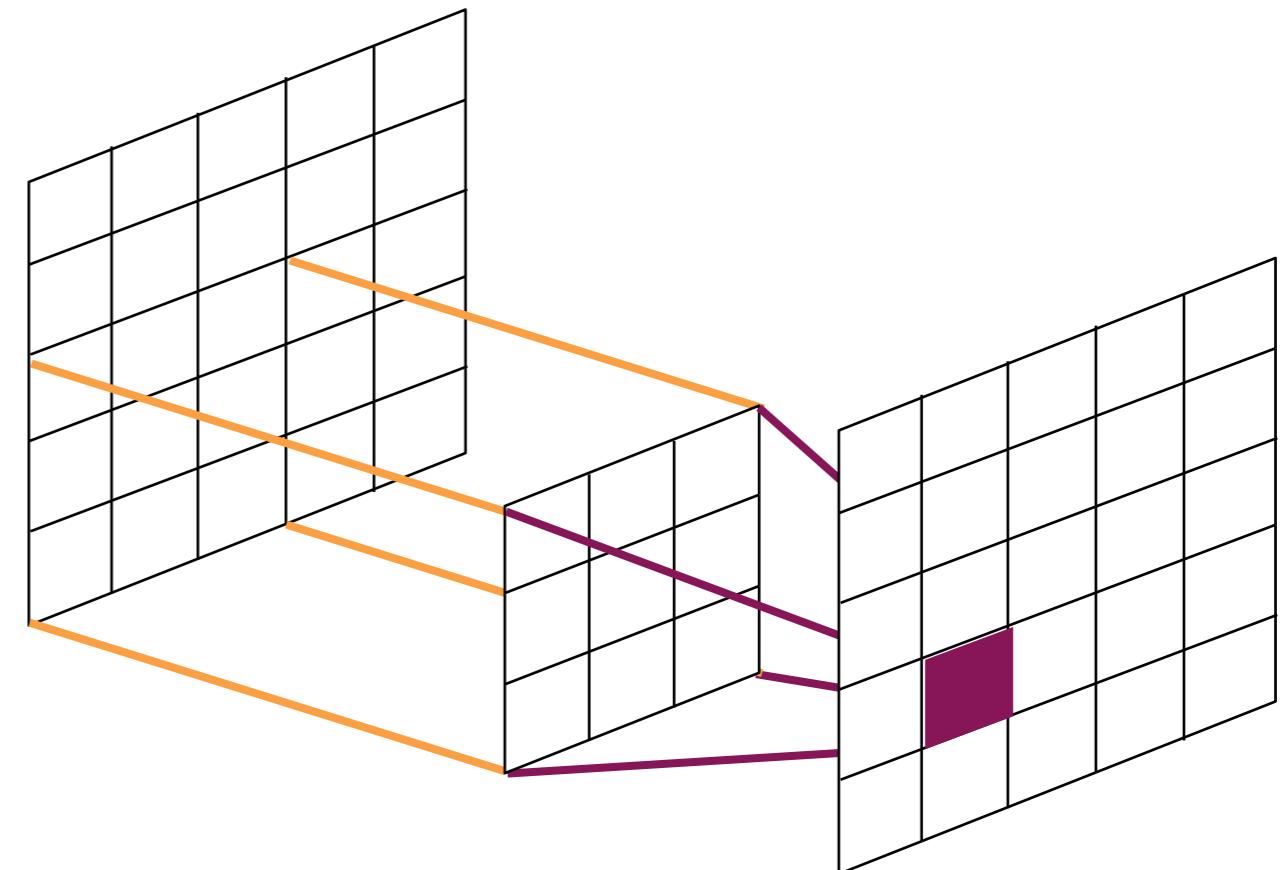
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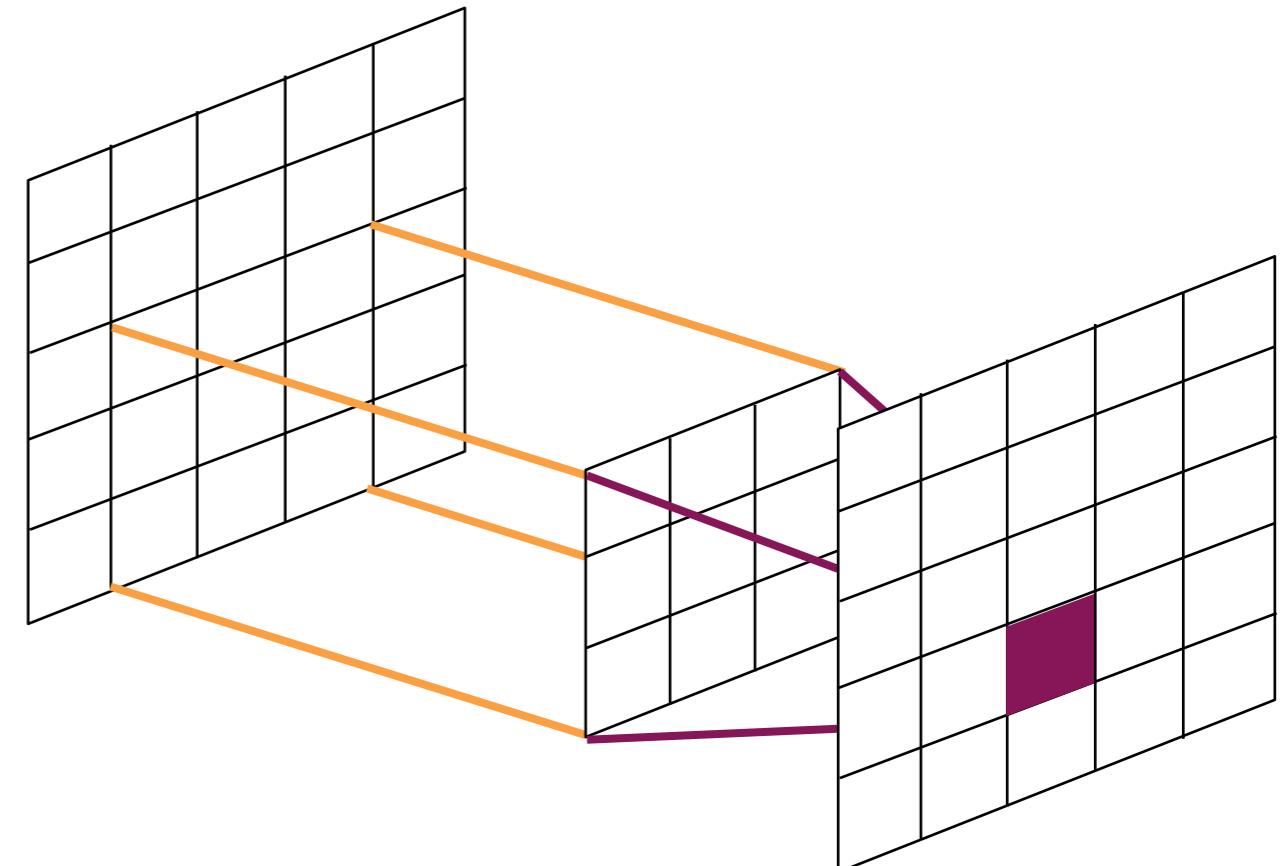
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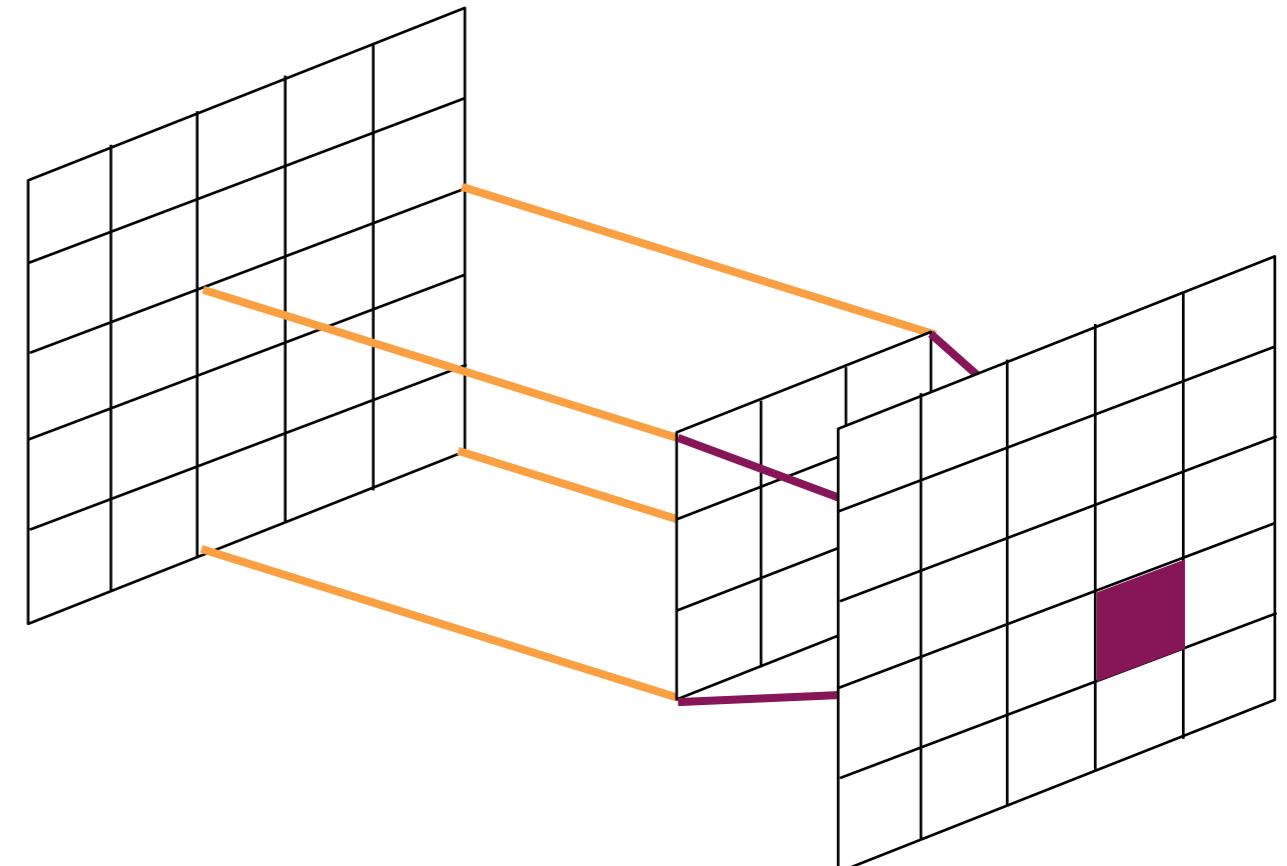
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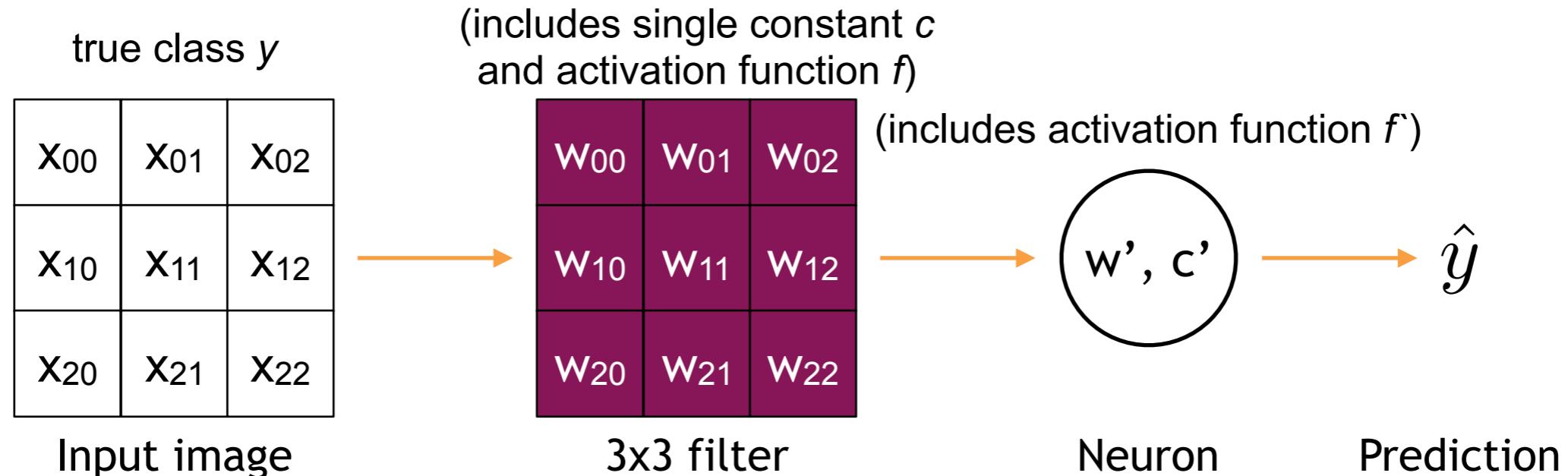
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# Convolutional Neural Networks

- Let's have a look at some maths
  - Assume we have a very simple (and unrealistic) network:

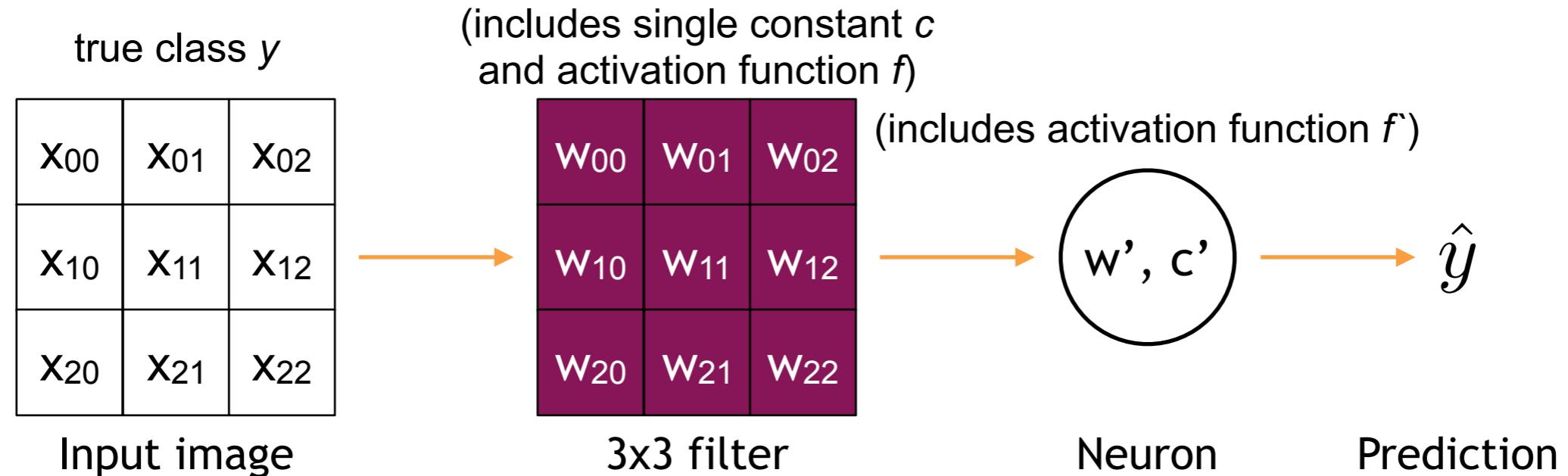


- The convolution here returns a single number since the image and filter are the same size. It is an element-wise matrix multiplication

$$a = f \left( \left[ \sum_i \sum_j x_{ij} w_{ij} \right] + c \right)$$

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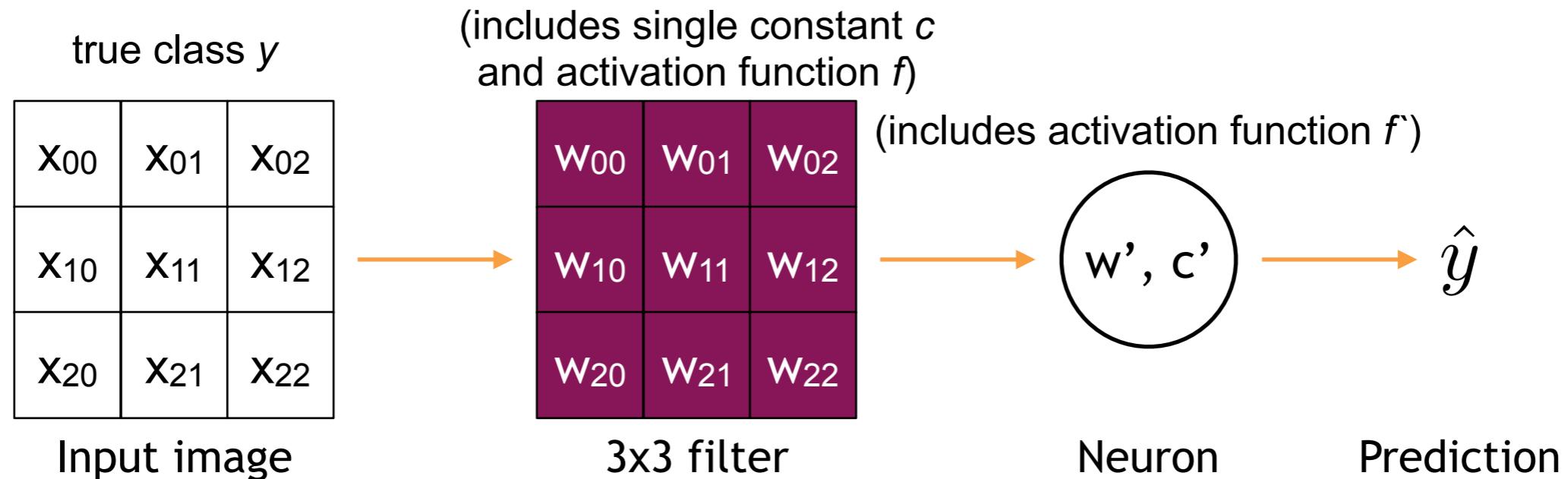


- We then propagate this activation  $a$  through the single neuron

$$\begin{aligned}
 \hat{y} &= f'(w'a + c') \\
 &= f' \left( w'f \left( \left[ \sum_i \sum_j x_{ij} w_{ij} \right] + c \right) + c' \right)
 \end{aligned}$$

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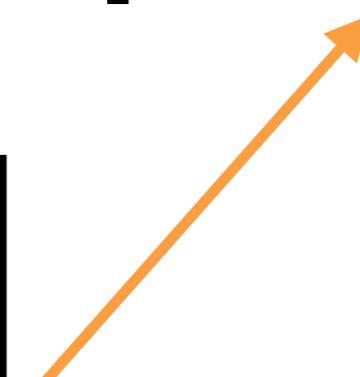
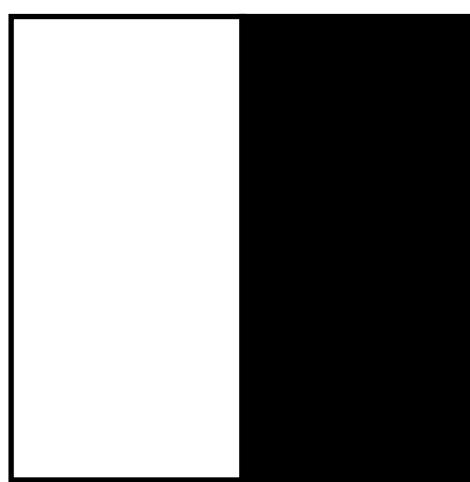


- Again, there is no magic here, just maths!
  - Just an extension to what we know already
  - I won't write down the back propagation here, but you just need to do chain-rule differentiation from right to left
  - Once for each of the twelve parameters!

# Convolutional Neural Networks

- Let's have a look at what different filters could do

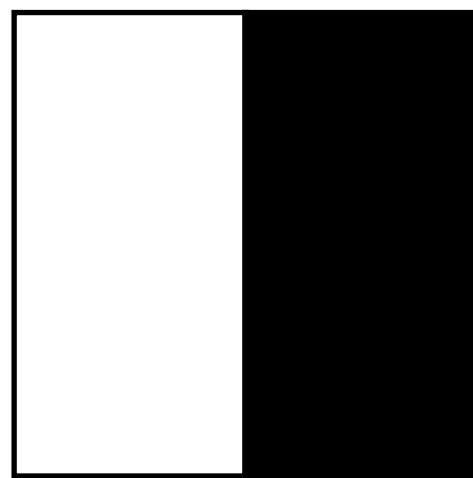
$$\begin{bmatrix} 1 & 1 & 1 & 0 & 0 & 0 \\ 1 & 1 & 1 & 0 & 0 & 0 \\ 1 & 1 & 1 & 0 & 0 & 0 \\ 1 & 1 & 1 & 0 & 0 & 0 \\ 1 & 1 & 1 & 0 & 0 & 0 \\ 1 & 1 & 1 & 0 & 0 & 0 \end{bmatrix} * \begin{bmatrix} 1 & 0 & -1 \\ 1 & 0 & -1 \\ 1 & 0 & -1 \end{bmatrix} = \begin{bmatrix} ? & ? & ? & ? \\ ? & ? & ? & ? \\ ? & ? & ? & ? \\ ? & ? & ? & ? \end{bmatrix}$$



# Convolutional Neural Networks

- Let's have a look at what different filters could do

$$\begin{bmatrix} 1 & 1 & 1 & 0 & 0 & 0 \\ 1 & 1 & 1 & 0 & 0 & 0 \\ 1 & 1 & 1 & 0 & 0 & 0 \\ 1 & 1 & 1 & 0 & 0 & 0 \\ 1 & 1 & 1 & 0 & 0 & 0 \\ 1 & 1 & 1 & 0 & 0 & 0 \end{bmatrix} * \begin{bmatrix} 1 & 0 & -1 \\ 1 & 0 & -1 \\ 1 & 0 & -1 \end{bmatrix} = \begin{bmatrix} ? & ? & ? & ? \\ ? & ? & ? & ? \\ ? & ? & ? & ? \\ ? & ? & ? & ? \end{bmatrix}$$



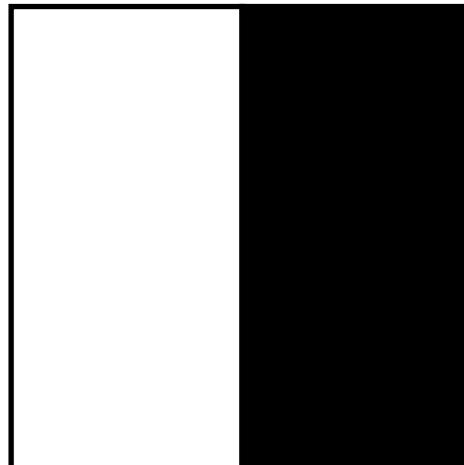
An orange arrow points from the first column of the input matrix to the first column of the filter matrix. Below the equation is the calculation:

$$3 * (1*1 + 1*0 + -1 * 1) = 0$$

# Convolutional Neural Networks

- Let's have a look at what different filters could do

$$\begin{bmatrix}
 1 & 1 & 1 & 0 & 0 & 0 \\
 1 & 1 & 1 & 0 & 0 & 0 \\
 1 & 1 & 1 & 0 & 0 & 0 \\
 1 & 1 & 1 & 0 & 0 & 0 \\
 1 & 1 & 1 & 0 & 0 & 0 \\
 1 & 1 & 1 & 0 & 0 & 0 \\
 1 & 1 & 1 & 0 & 0 & 0
 \end{bmatrix} * \begin{bmatrix}
 1 & 0 & -1 \\
 1 & 0 & -1 \\
 1 & 0 & -1
 \end{bmatrix} = \begin{bmatrix}
 0 & ? & ? & ? \\
 ? & ? & ? & ? \\
 ? & ? & ? & ? \\
 ? & ? & ? & ?
 \end{bmatrix}$$

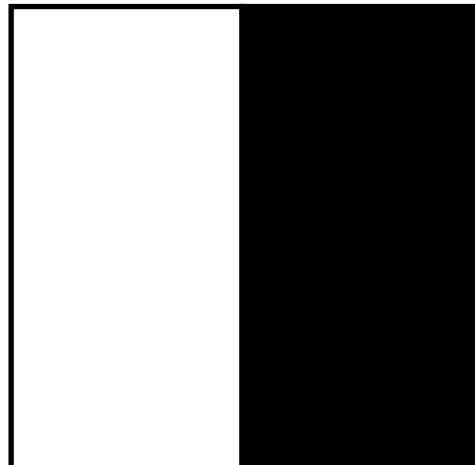

 An orange arrow points from the top-left element of the input matrix (1) to the first element of the filter (1).

$3 * (1*1 + 1*0 + 1 * -1) = 0$   
 $3 * (1*1 + 1*0 + 0 * -1) = 3$

# Convolutional Neural Networks

- Let's have a look at what different filters could do

$$\begin{bmatrix}
 1 & 1 & 1 & 0 & 0 & 0 \\
 1 & 1 & 1 & 0 & 0 & 0 \\
 1 & 1 & 1 & 0 & 0 & 0 \\
 1 & 1 & 1 & 0 & 0 & 0 \\
 1 & 1 & 1 & 0 & 0 & 0 \\
 1 & 1 & 1 & 0 & 0 & 0 \\
 1 & 1 & 1 & 0 & 0 & 0
 \end{bmatrix} * \begin{bmatrix}
 1 & 0 & -1 \\
 1 & 0 & -1 \\
 1 & 0 & -1
 \end{bmatrix} = \begin{bmatrix}
 0 & 3 & ? & ? \\
 ? & ? & ? & ? \\
 ? & ? & ? & ? \\
 ? & ? & ? & ?
 \end{bmatrix}$$

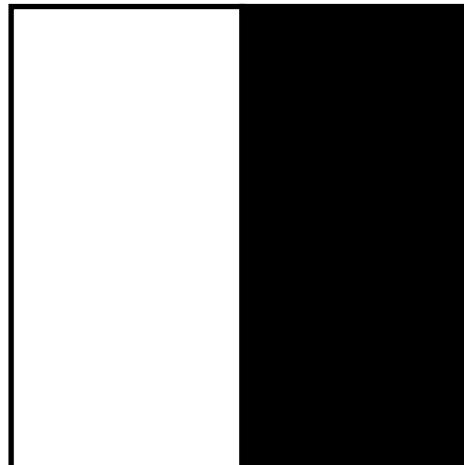
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# Convolutional Neural Networks

- Let's have a look at what different filters could do

$$\begin{bmatrix}
 1 & 1 & 1 & 0 & 0 & 0 \\
 1 & 1 & 1 & 0 & 0 & 0 \\
 1 & 1 & 1 & 0 & 0 & 0 \\
 1 & 1 & 1 & 0 & 0 & 0 \\
 1 & 1 & 1 & 0 & 0 & 0 \\
 1 & 1 & 1 & 0 & 0 & 0 \\
 1 & 1 & 1 & 0 & 0 & 0
 \end{bmatrix} * \begin{bmatrix}
 1 & 0 & -1 \\
 1 & 0 & -1 \\
 1 & 0 & -1
 \end{bmatrix} = \begin{bmatrix}
 \textcolor{orange}{0} & \textcolor{violet}{3} & \textcolor{teal}{3} & \boxed{?} \\
 ? & ? & ? & ? \\
 ? & ? & ? & ? \\
 ? & ? & ? & ?
 \end{bmatrix}$$

 An orange arrow points from the bottom-left cell of the input matrix to the first row of the filter matrix.

$3 * (1*1 + 1*0 + 1 * -1) = 0$   
 $3 * (1*1 + 1*0 + 0 * -1) = 3$   
 $3 * (1*1 + 0*0 + 0 * -1) = 3$   
 $3 * (1*1 + 1*0 + 1 * -1) = 0$

# Convolutional Neural Networks

- Let's have a look at what different filters could do
  - Once we've multiplied it all out we get this

$$\begin{bmatrix} 1 & 1 & 1 & 0 & 0 & 0 \\ 1 & 1 & 1 & 0 & 0 & 0 \\ 1 & 1 & 1 & 0 & 0 & 0 \\ 1 & 1 & 1 & 0 & 0 & 0 \\ 1 & 1 & 1 & 0 & 0 & 0 \\ 1 & 1 & 1 & 0 & 0 & 0 \end{bmatrix} * \begin{bmatrix} 1 & 0 & -1 \\ 1 & 0 & -1 \\ 1 & 0 & -1 \end{bmatrix} = \begin{bmatrix} 0 & 3 & 3 & 0 \\ 0 & 3 & 3 & 0 \\ 0 & 3 & 3 & 0 \\ 0 & 3 & 3 & 0 \end{bmatrix}$$

- The filter gives a response where the vertical edge in our image is
  - This filter is a vertical edge finder

# Convolutional Neural Networks

- Let's have a look at what different filters could do
  - Let's check what happens with a horizontal edge finder

$$\begin{bmatrix} 1 & 1 & 1 & 0 & 0 & 0 \\ 1 & 1 & 1 & 0 & 0 & 0 \\ 1 & 1 & 1 & 0 & 0 & 0 \\ 1 & 1 & 1 & 0 & 0 & 0 \\ 1 & 1 & 1 & 0 & 0 & 0 \\ 1 & 1 & 1 & 0 & 0 & 0 \end{bmatrix} * \begin{bmatrix} 1 & 1 & 1 \\ 0 & 0 & 0 \\ -1 & -1 & -1 \end{bmatrix} = \begin{bmatrix} 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 \end{bmatrix}$$

- The filter no response since there are no horizontal edges

# Convolutional Neural Networks

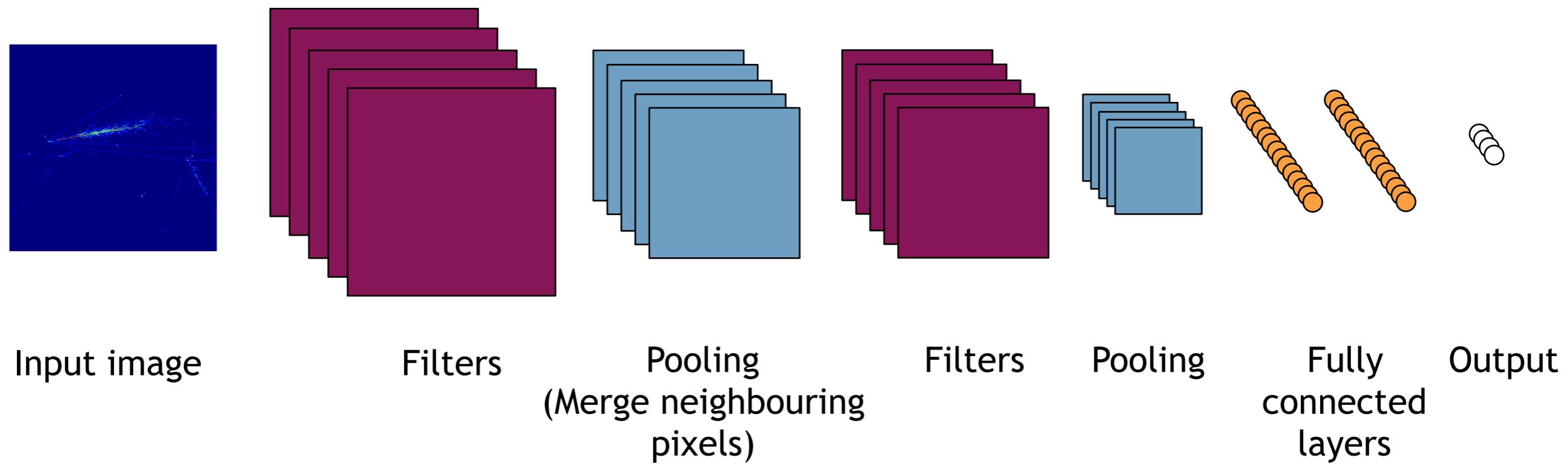
- Each element of the filter is basically like the single neuron that we saw earlier
  - So we have nine weights in a 3x3 filter plus a constant c

$$\begin{bmatrix} w_{00} & w_{01} & w_{02} \\ w_{10} & w_{11} & w_{12} \\ w_{20} & w_{21} & w_{22} \end{bmatrix}$$

- These are the weights that are learned during the training
  - Thus, we **do not tell** the CNN which filters to use
  - It learns which filters it needs to extract the information that it needs to solve the problem

# Convolutional Neural Networks

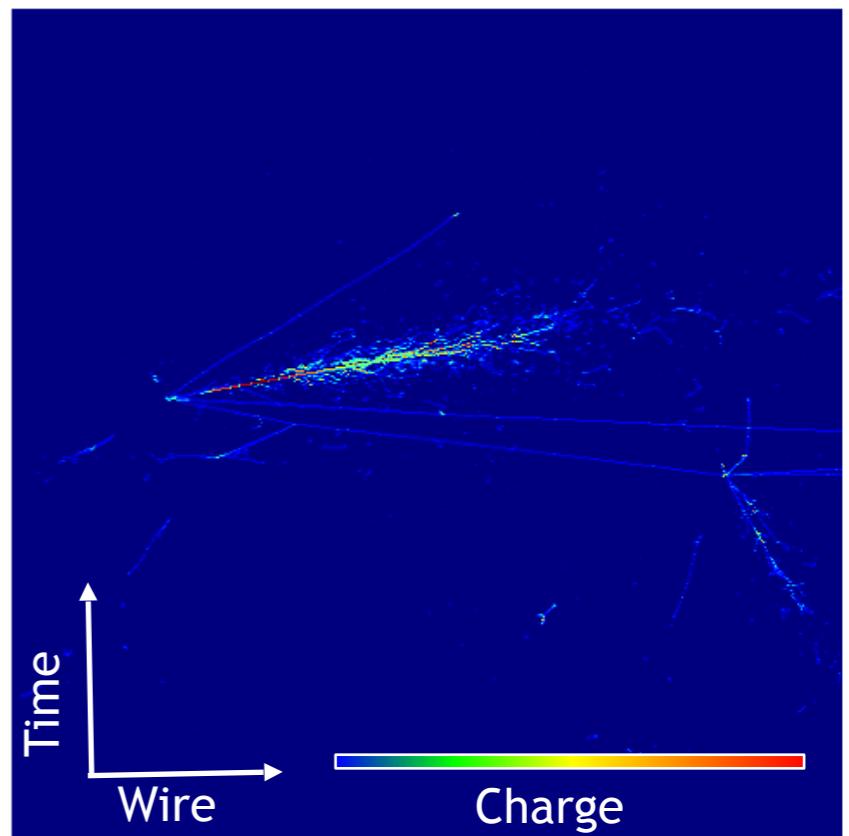
- The output from each filter then forms the basis of the next layer which can include further filters



- Different architectures can be considerably more complex than the above toy example

# Deep Learning in LArTPCs

- LArTPCs contain fine detail of interactions and lend themselves nicely to image recognition techniques
- Things we could classify
  - Type of neutrino that interacted
  - Individual particle types
  - Individual hits... is this pixel part of a track- or shower-like energy deposit
- Things to measure (regression tasks)
  - The neutrino energy
  - Interaction vertex location
  - ...

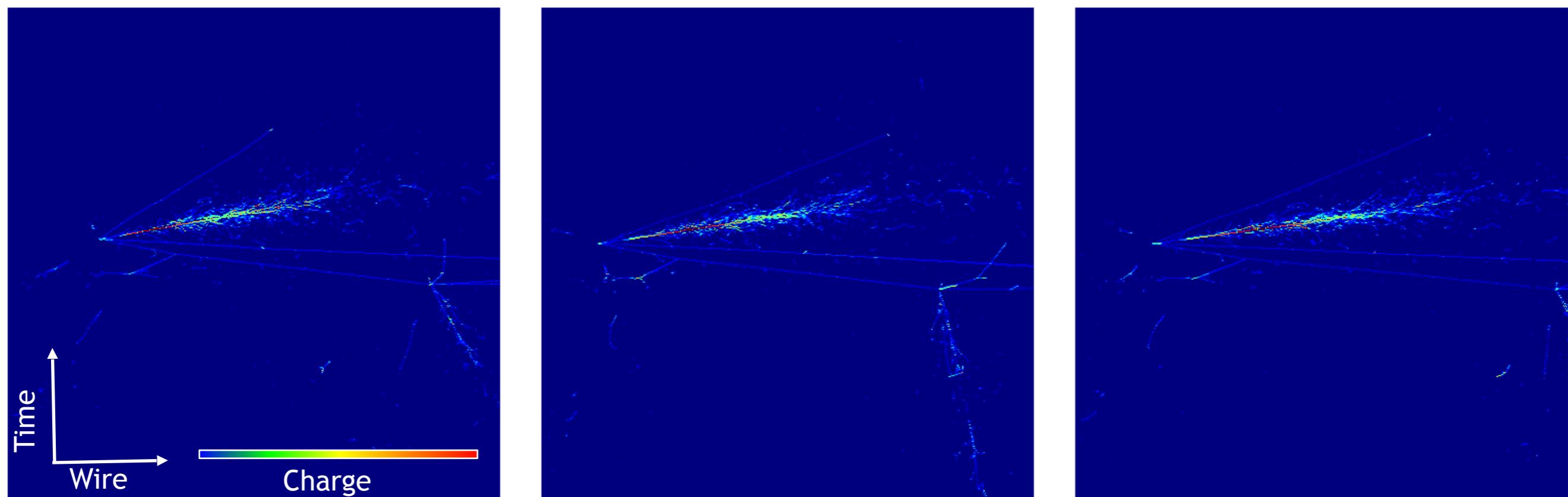


Example from the DUNE Simulation

# Neutrino Interaction Images

- We build images from our TPC using reconstructed hits in the (wire number, time) parameter space
- The TPC has three readout views, so we make three images (we could use one image with red / green / blue channels)

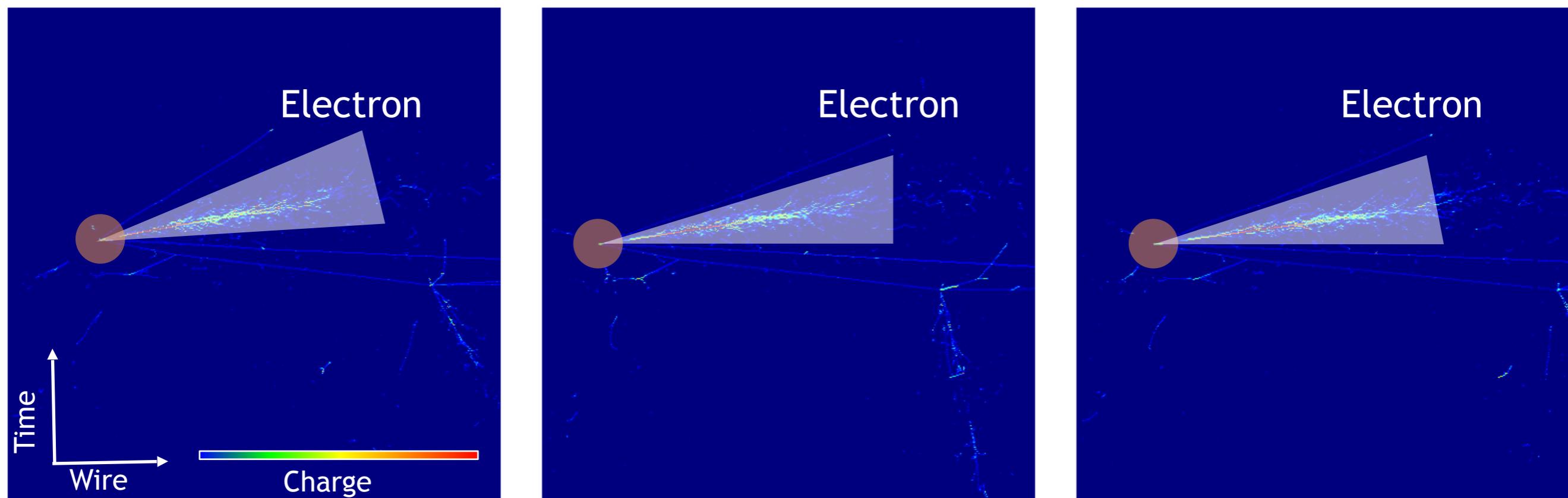
DUNE Far Detector Simulation CC  $\nu_e$  interaction



# Neutrino Interaction Images

- By eye you can easily see features that would help you to identify this event as an electron neutrino interaction
- We can see there is an electromagnetic shower emanating from the primary vertex

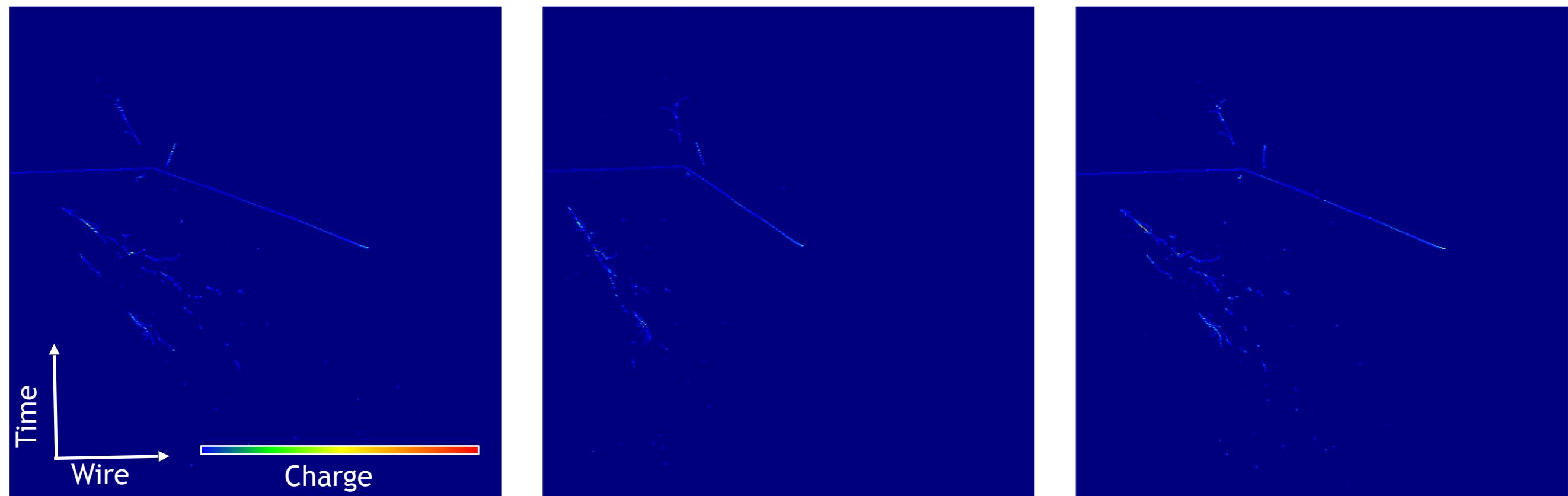
DUNE Far Detector Simulation CC  $\nu_e$  interaction



# Neutrino Interaction Images

- Similarly, you can tell that this is a background interaction - a neutral current event producing a neutral pion
- We can see two electromagnetic showers not emanating from the primary vertex

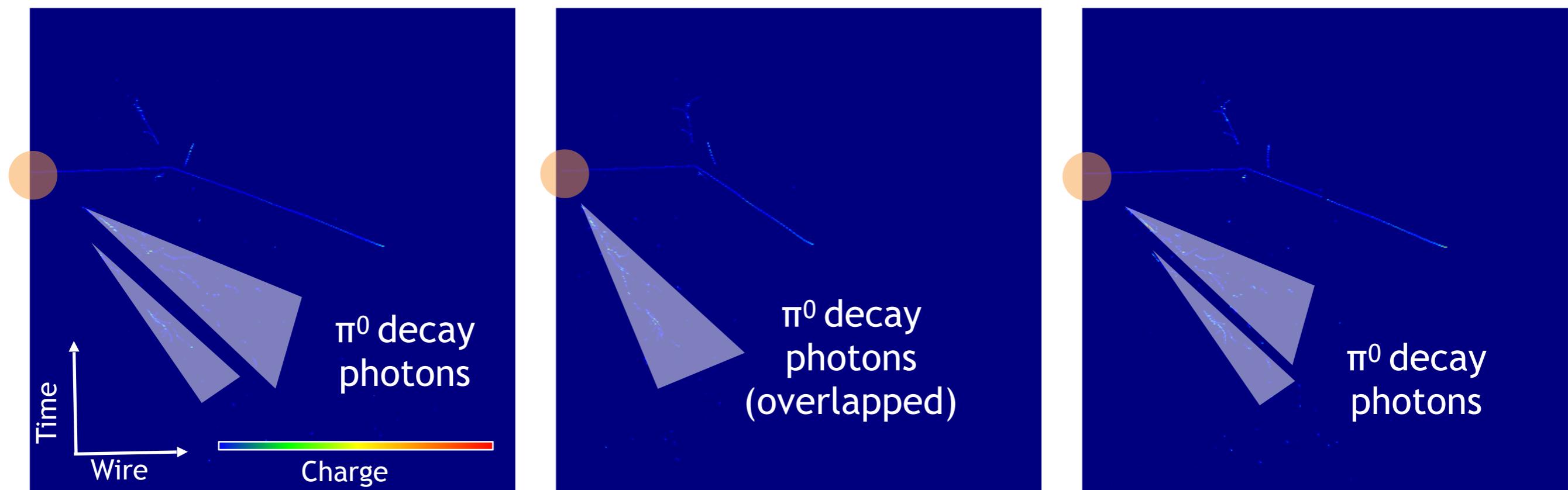
DUNE Far Detector Simulation NC $\pi^0$  interaction



# Neutrino Interaction Images

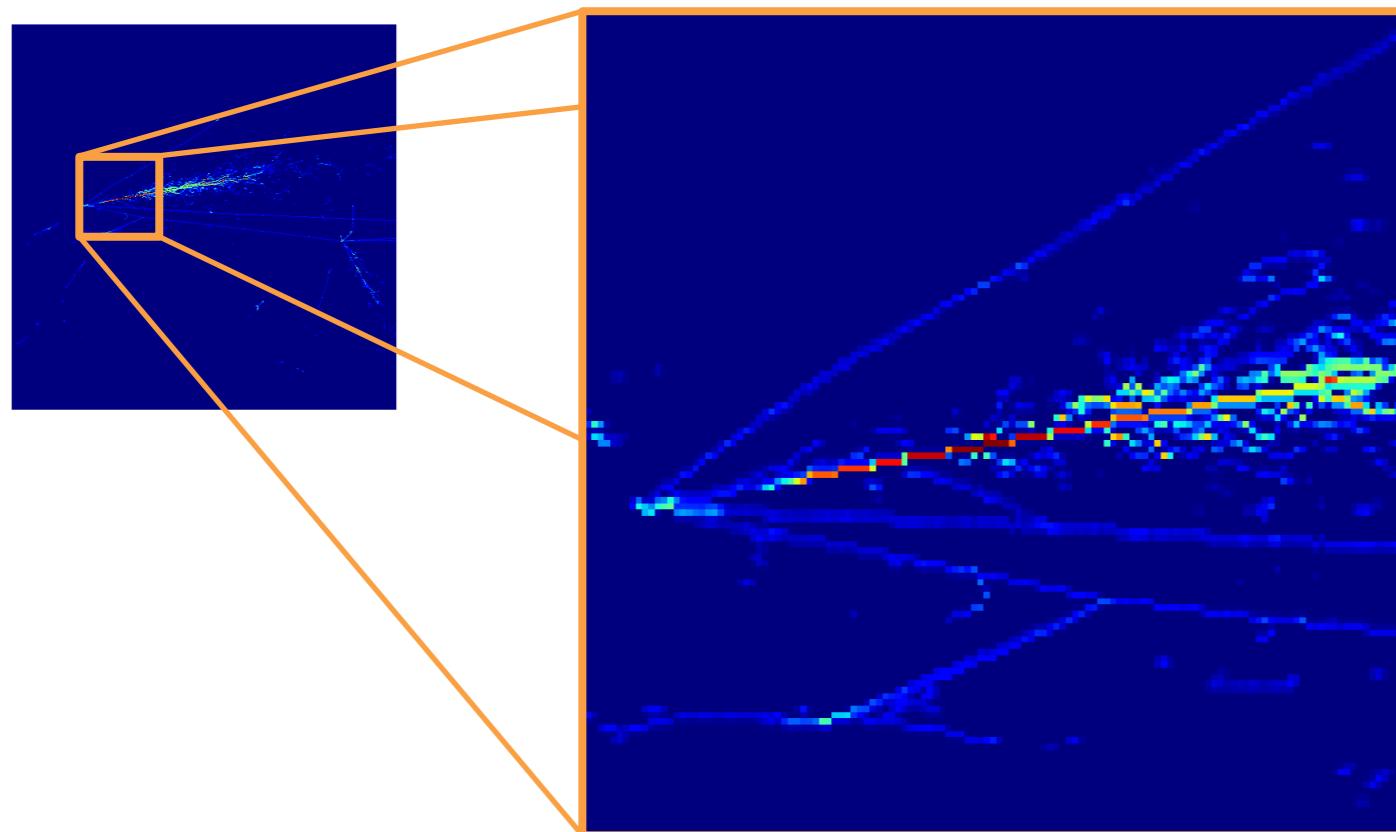
- Similarly, you can tell that this is a background interaction - a neutral current event producing a neutral pion
- We can see two electromagnetic showers not emanating from the primary vertex

DUNE Far Detector Simulation NC $\pi^0$  interaction



# Convolutional Neural Networks

- CNNs are used to classify images by applying **filters** to small patches of the image (using a convolution)
- Scans over the image with a number of  $N \times N$  pixel filters

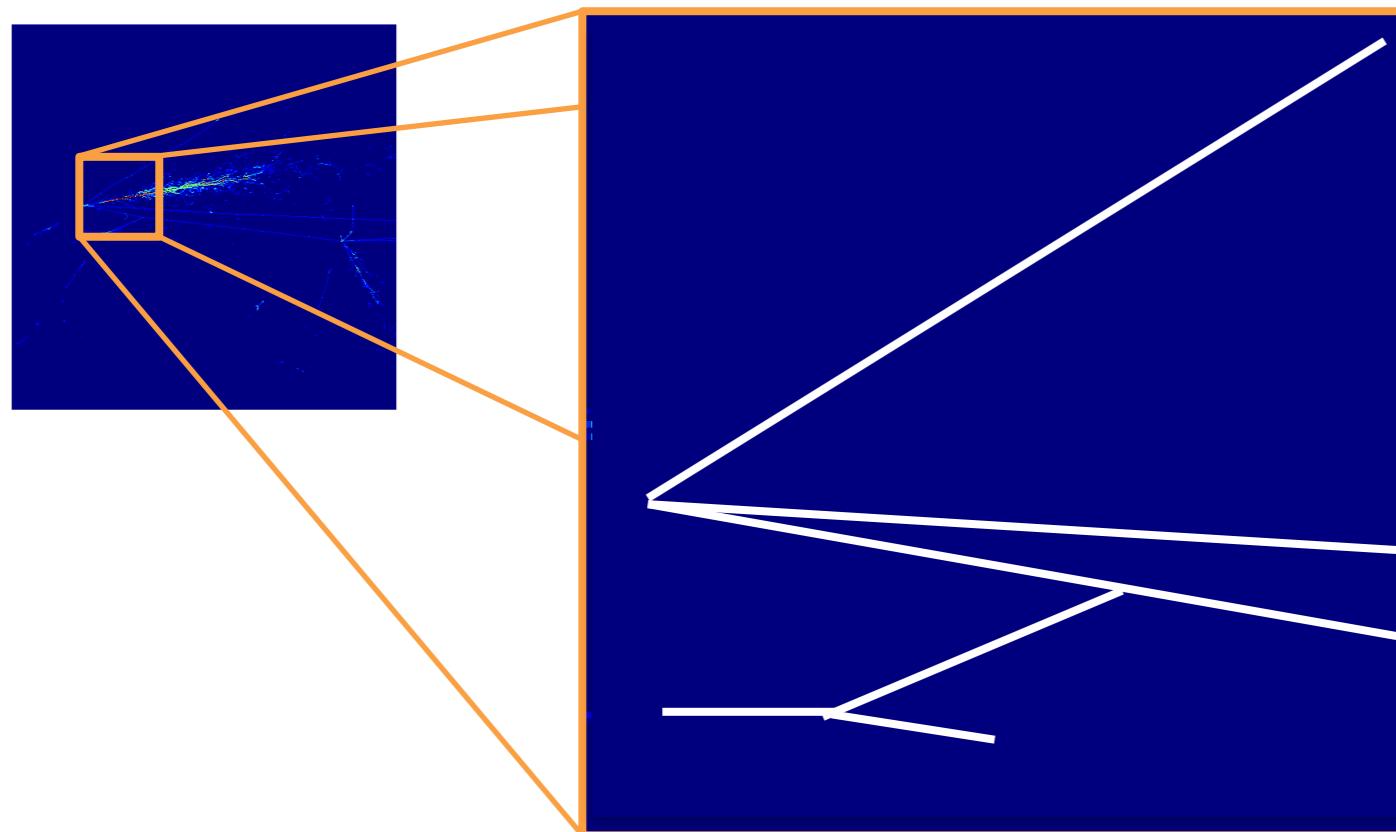


- Each filter **extracts some feature** from the image

NB: This is just a visual example. Filters typically have sizes of 3x3 or 7x7, much smaller than in this demonstration

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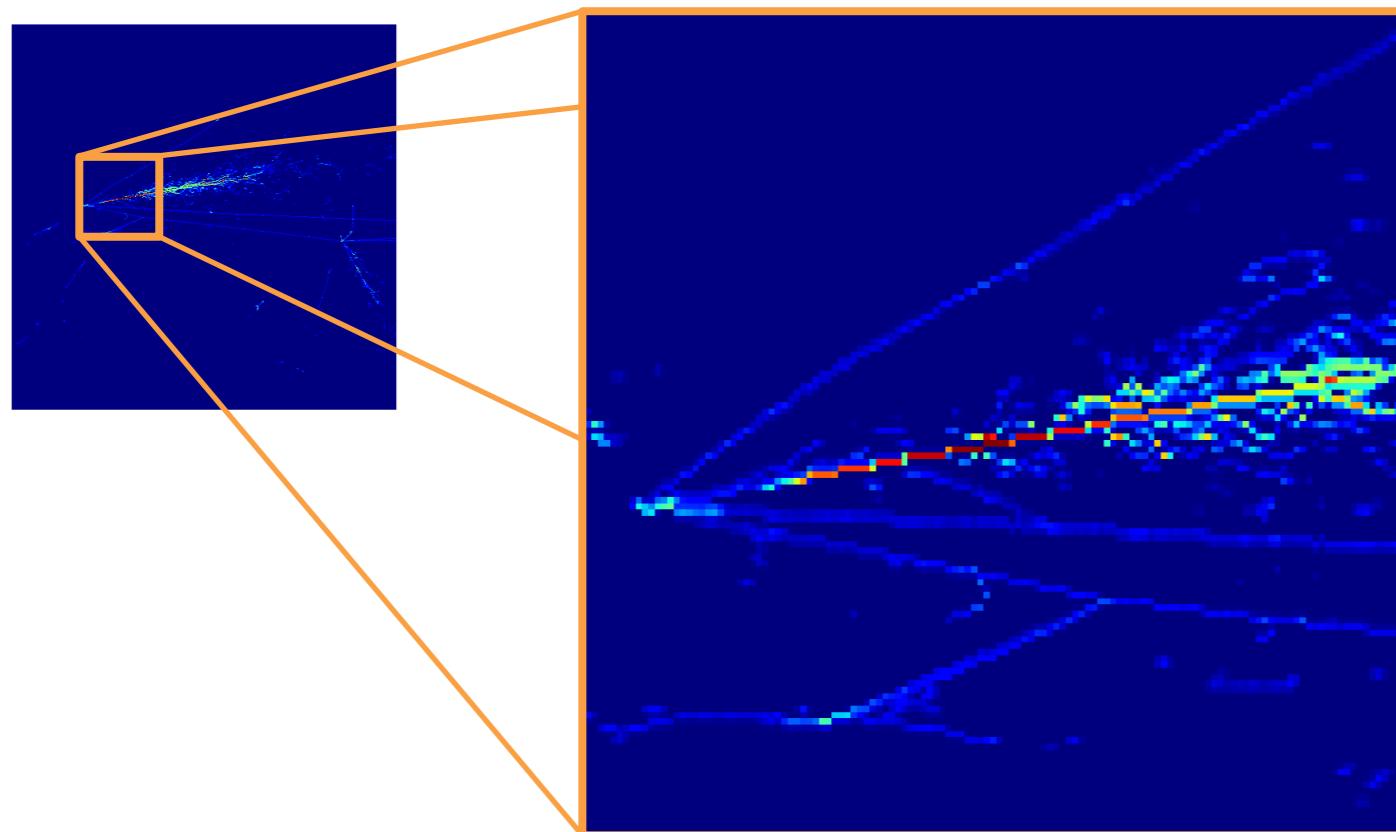


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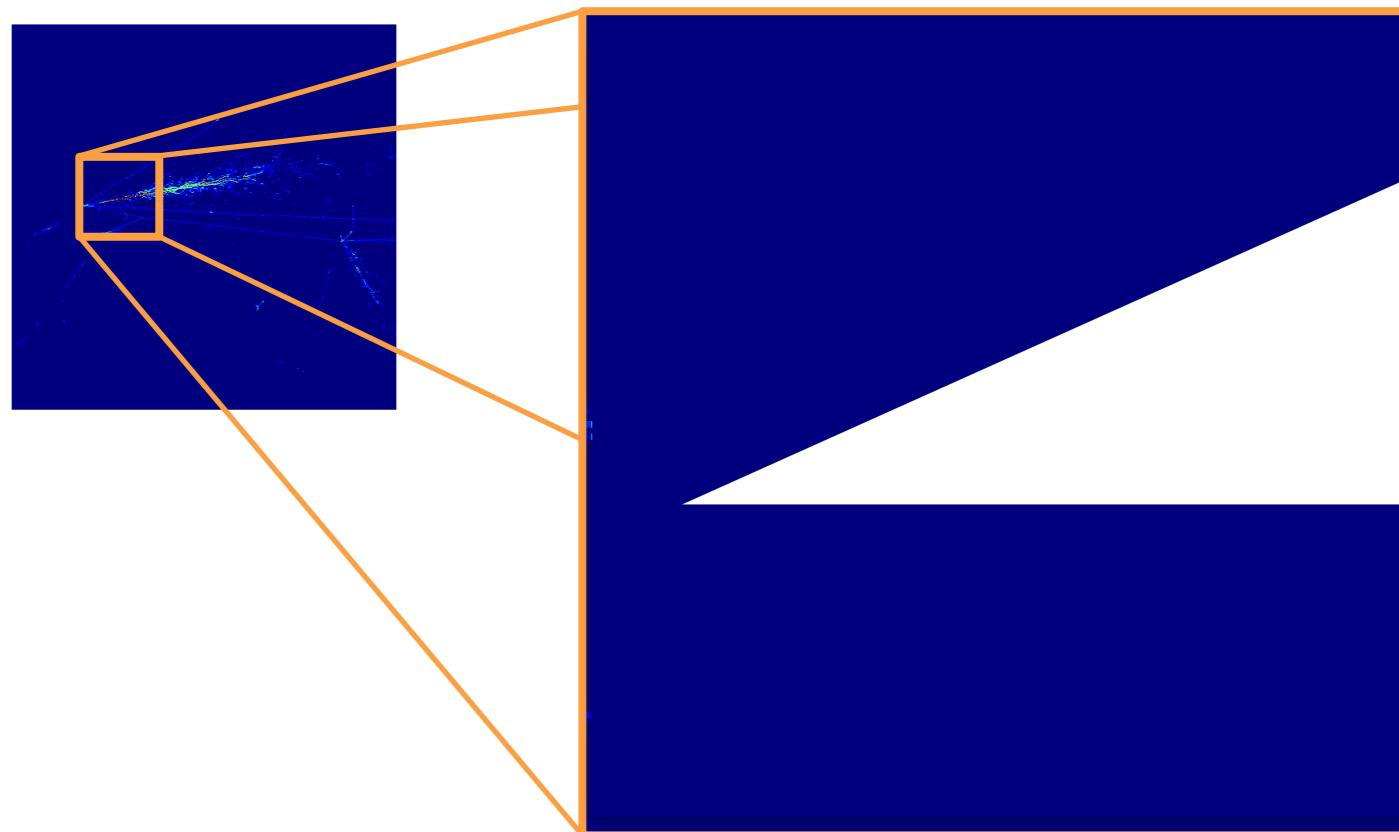


- Each filter **extracts some feature** from the image
- For example, filter one might find tracks

NB: This is just a visual example. Filters typically have sizes of  $3 \times 3$  or  $7 \times 7$ , much smaller than in this demonstration

# Convolutional Neural Networks

- CNNs are used to classify images by applying **filters** to small patches of the image (using a convolution)
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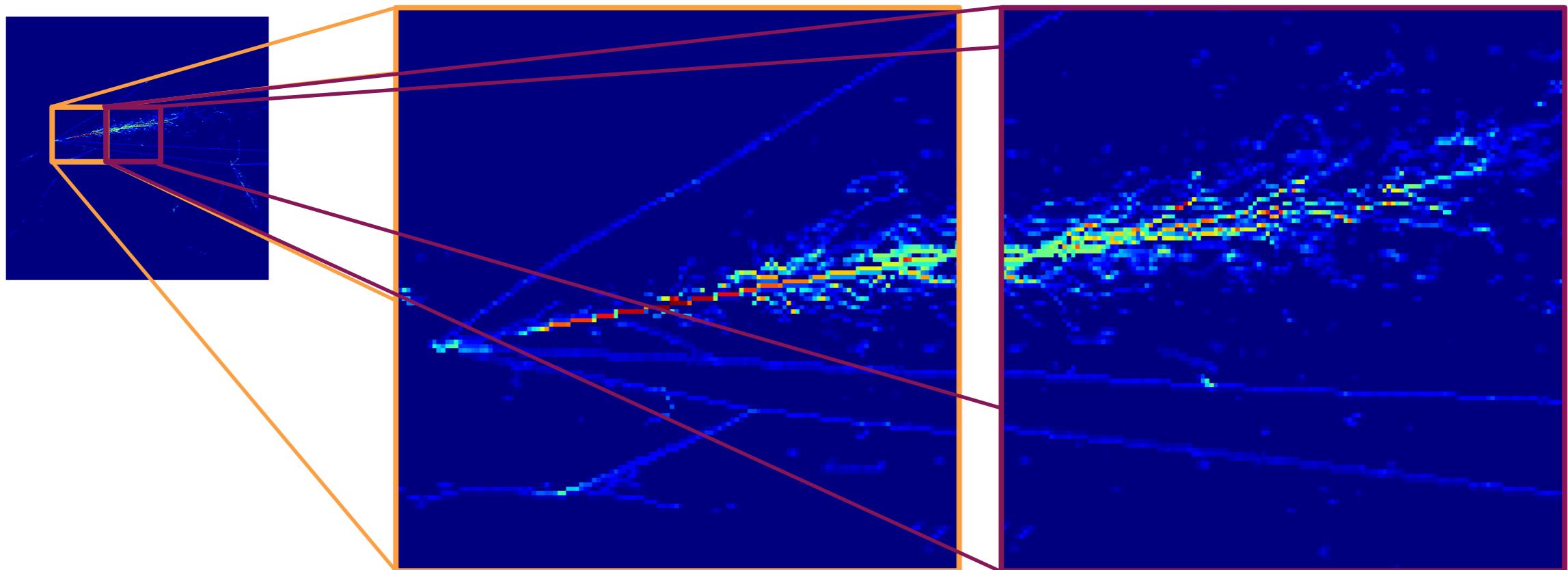


- Each filter **extracts some feature** from the image
- For example, filter one might find tracks
- Filter two might look for showers

NB: This is just a visual example. Filters typically have sizes of 3x3 or 7x7, much smaller than in this demonstration

# Convolutional Neural Networks

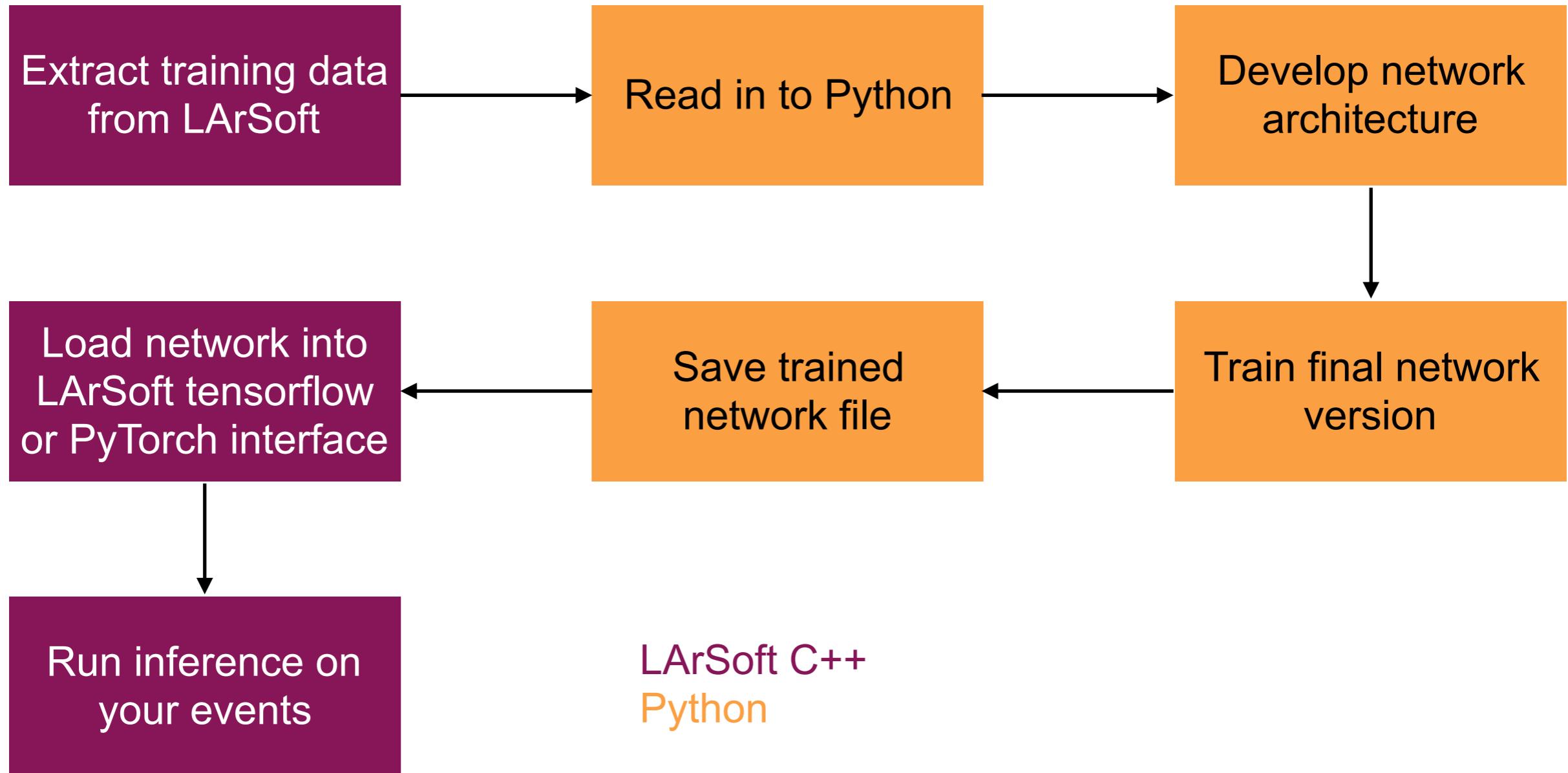
- CNNs are used to classify images by applying **filters** to small patches of the image (using a convolution)
- Scans over the image with  $N \times N$  pixel filters



- Then move onto the next patch of the image and repeat the process

# Workflow using LArSoft

- The workflow can be a little convoluted, this is the one we use in DUNE for the CVN (a neutrino event classifier):



# Workflow using LArSoft

- Write some sort of analysis module to extract the training data you require:
  - For CNNs this is typically the 2D hits for each wire plane in the format of wire vs time images
  - One could also use natively 3D techniques such as graph neural networks and extract the 3D space points instead
- For the DUNE CVN we save this as a type of compressed file that we can easily load into python
- Our whole development cycle takes place in python

# Workflow using LArSoft

- Once we are happy with our trained network then we export the trained architecture as a tensorflow .pb file
- We wrote a C++ tensorflow interface inside LArSoft where we load this network
  - We can then pass the data (that we previously extracted) directly into tensorflow to obtain the results for each event
- An equivalent interface for PyTorch also exists
  - There is one in Pandora
- Development in python lets us do things much more quickly and in a light-weight environment

# Summary

- Deep learning techniques are widespread in HEP and neutrino physics
  - Typically using CNNs that came from image recognition
- Field is rapidly advancing and taking advantage of progress in computer science
- Many other techniques becoming popular
  - Sparse CNNs
  - Graph neural networks
  - Generative Adversarial Networks
- Lots of resources available online

# Selected CNN Highlights

- Some examples that you can investigate:
  - NOvA
    - Neutrino ID CNN<sup>[1]</sup> was the first CNN used in neutrino physics
    - Particle identification<sup>[2]</sup>
  - MicroBooNE:
    - Example of semantic segmentation to select neutrino events<sup>[3]</sup>
    - Particle identification<sup>[4]</sup>
  - DUNE neutrino ID CNN<sup>[5]</sup>
    - Very powerful classifier based on the SE-ResNet<sup>[6,7]</sup> architecture

[1] NOvA Collaboration, A convolutional neural network neutrino event classifier, JINST 11 09 P09001, 2016

[2] NOvA Collaboration, Context-enriched identification of particles with a convolutional network for neutrino events, Phys. Rev. D 100 073005, 2019

[3] MicroBooNE Collaboration, Convolutional neural networks applied to neutrino events in a liquid argon time projection chamber, JINST 12 03 P03011, 2017

[4] MicroBooNE Collaboration, Deep neural network for pixel-level electromagnetic particle identification in the MicroBooNE liquid argon time projection chamber, Phys. Rev. D 99 092001, 2019

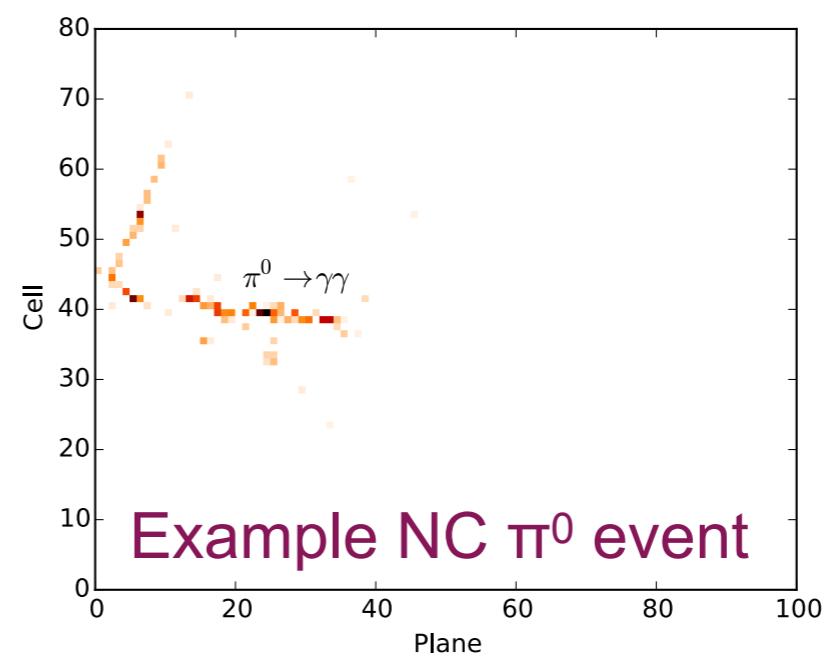
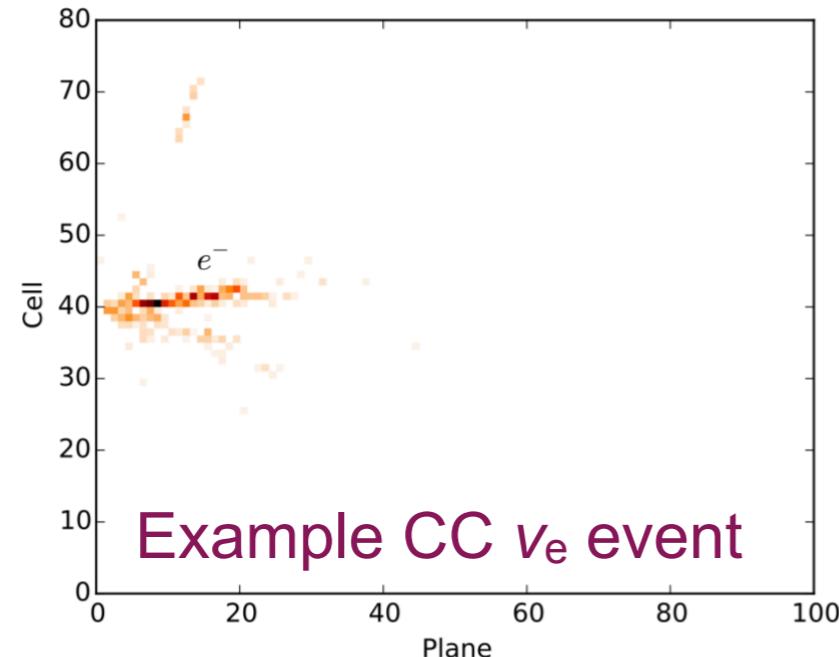
[5] DUNE Collaboration, Neutrino interaction classification with a convolutional neural network in the DUNE far detector, Phys. Rev. D 102 092003, 2020

[6] H. Kaiming et al., Deep residual learning for image recognition, CoRR, arXiv 1512.03385, 2015

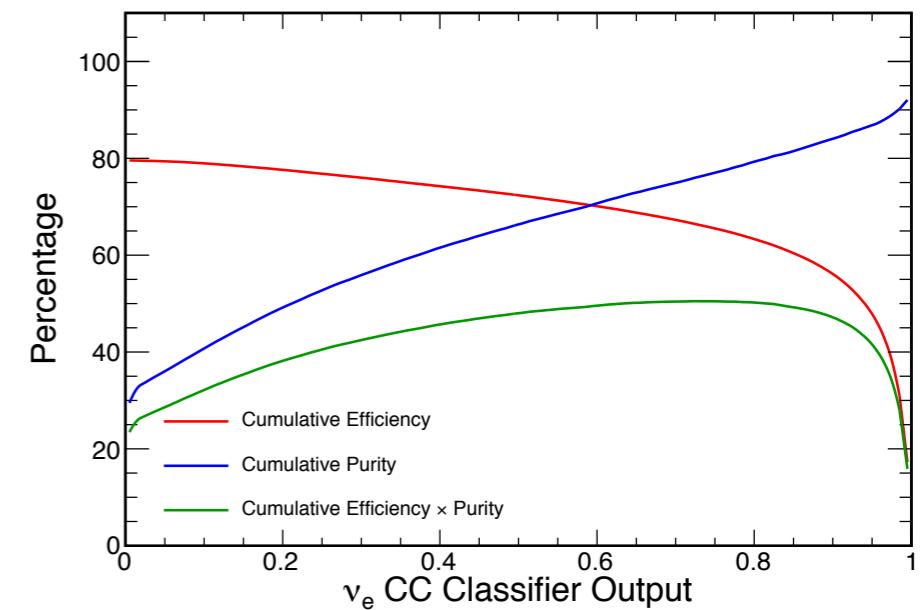
[7] J. Hu et al., Squeeze-and-Excitation Networks, arXiv 1709.01507, 2017

# Selected CNN Highlights - NOvA

- Trailblazed the use of CNNs in neutrino physics
  - Scintillator detector that is less fine-grained than LArTPCs

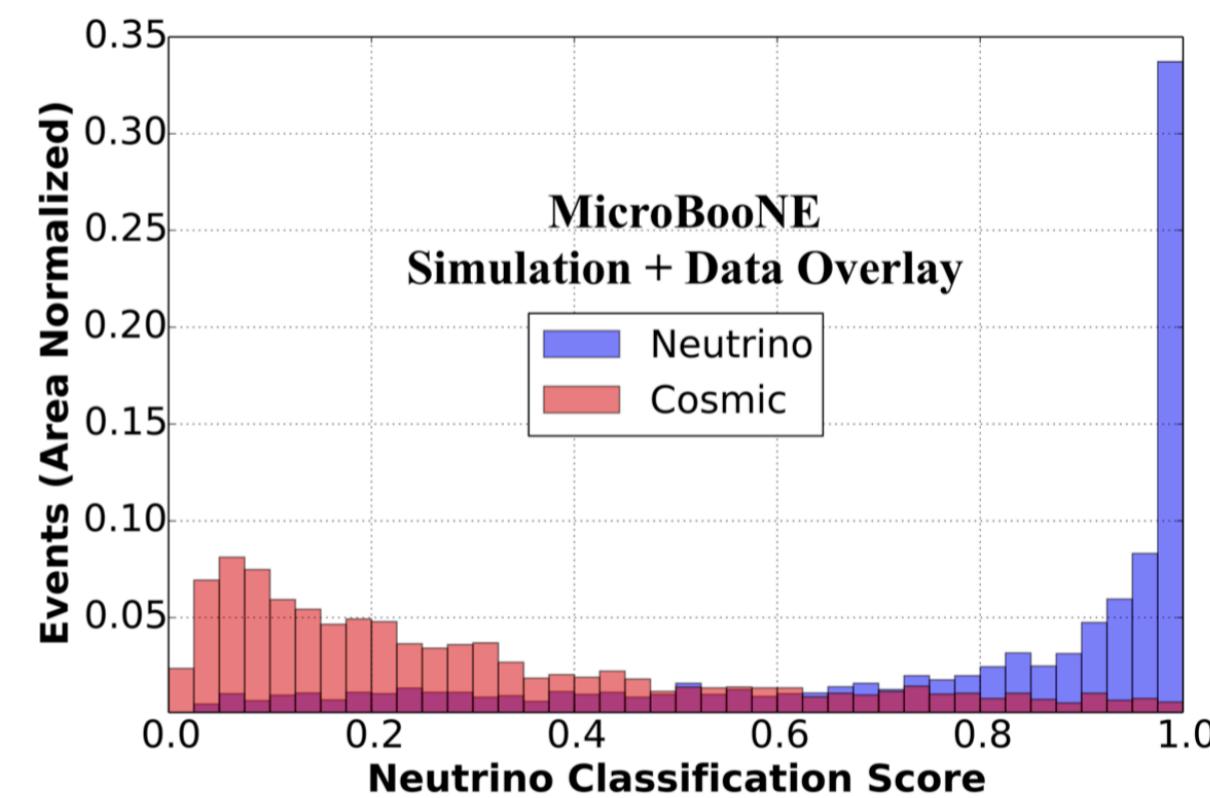
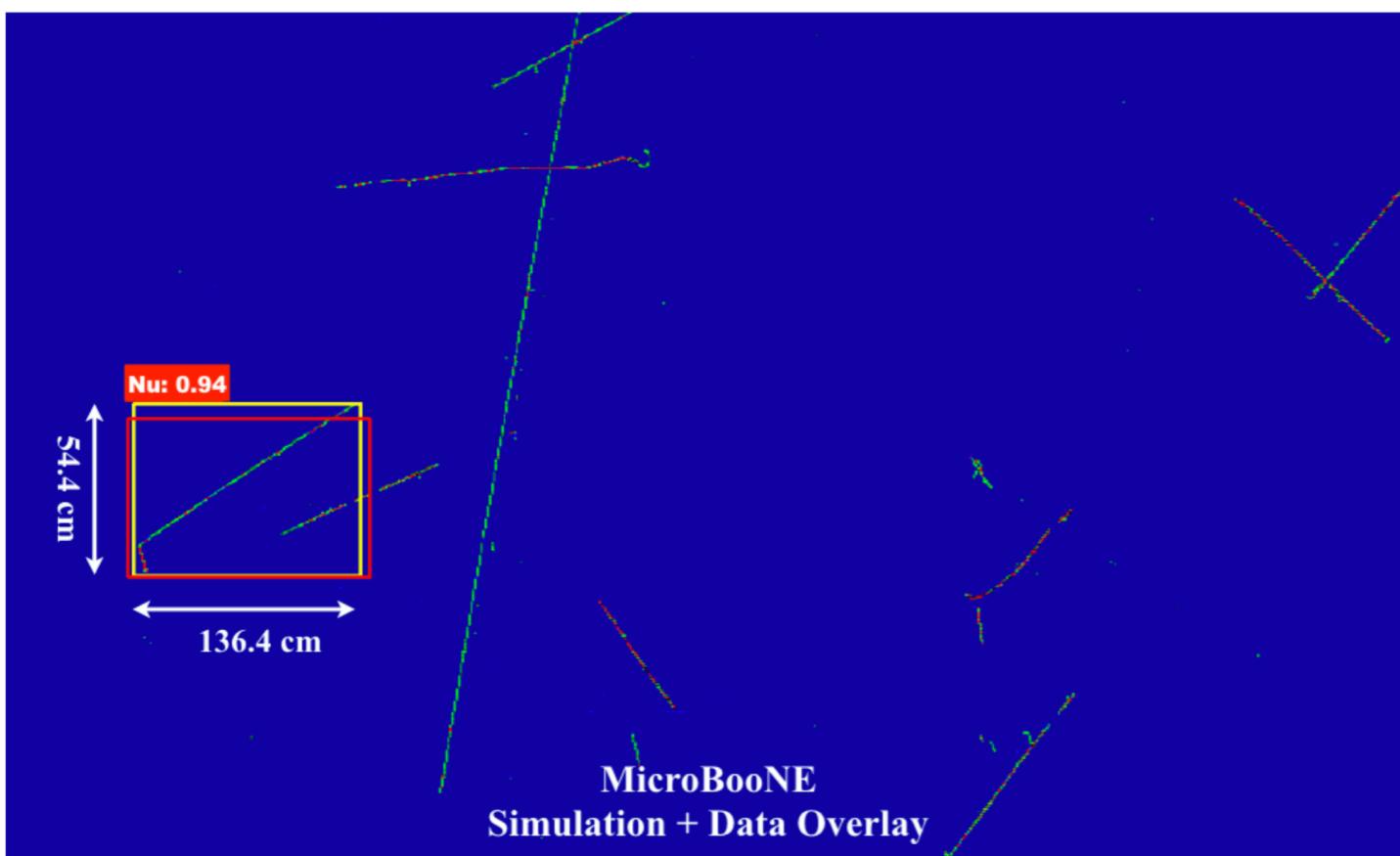


- Achieved a large performance increase (40% in efficiency) over their traditional techniques



# Selected CNN Highlights - MicroBooNE

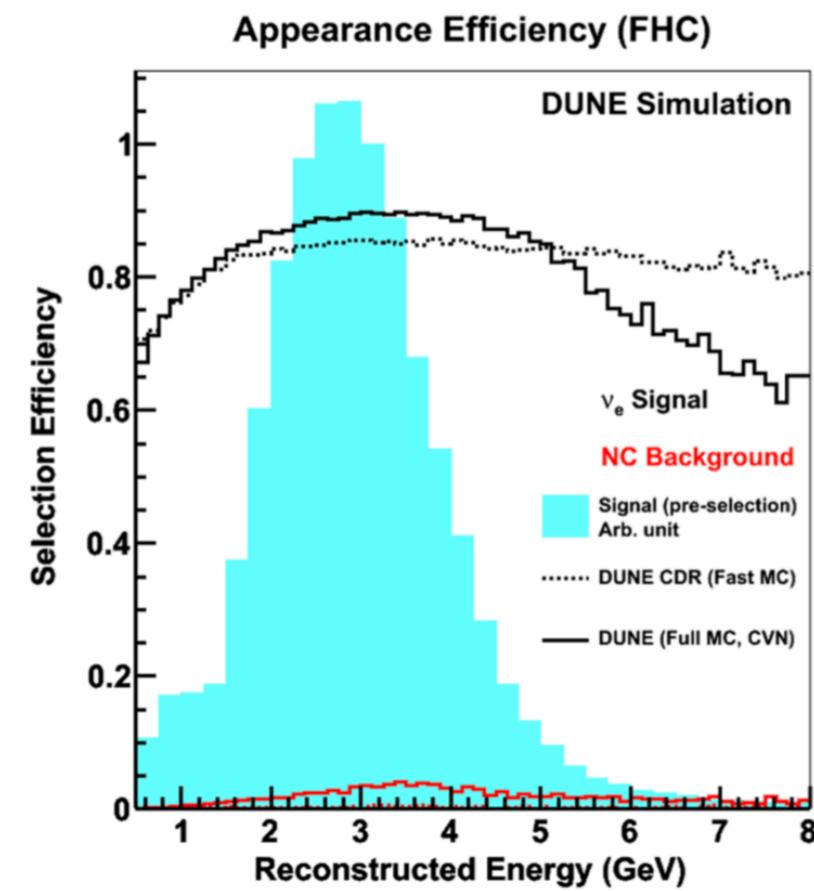
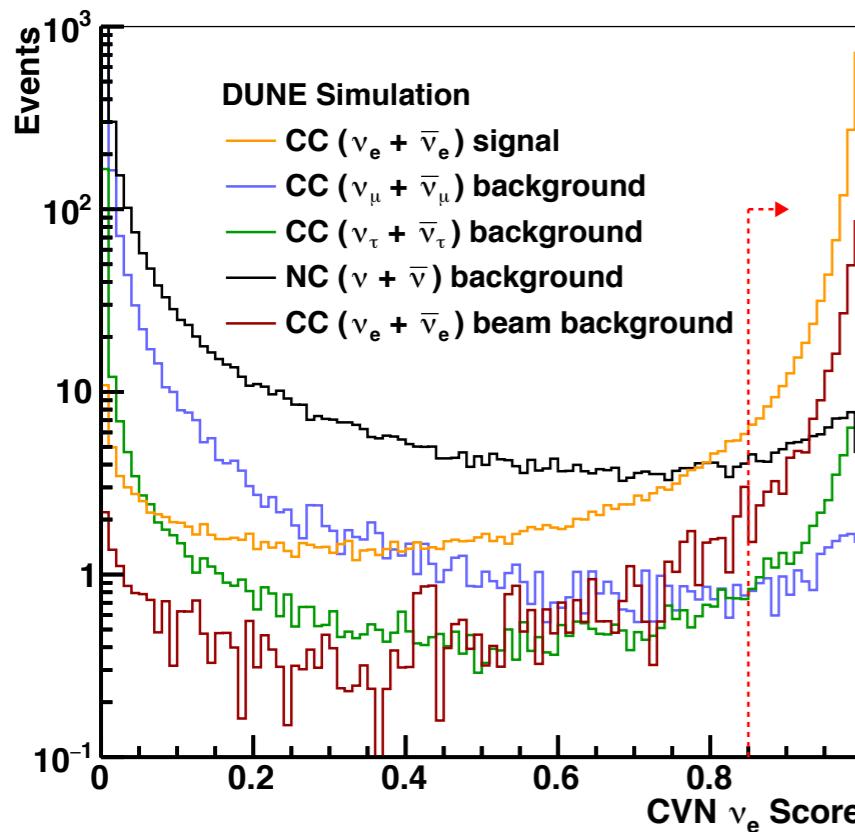
- Use CNNs to select regions of interest (semantic segmentation) and classify the selected events
  - Selects the neutrino from within the cosmic background



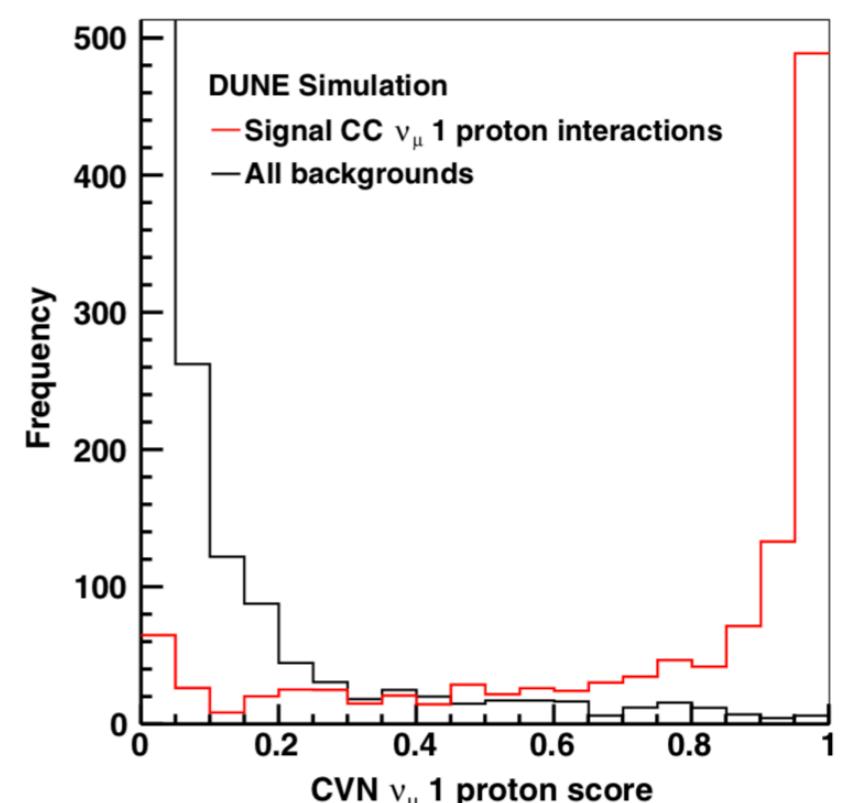
# Selected CNN Highlights - DUNE

- The DUNE network has multiple outputs
  - Flavour classification
  - Particle counting: protons, pions (charged + neutral) and neutrons

Performance of the CNN electron neutrino interaction classifier and the corresponding selection efficiency

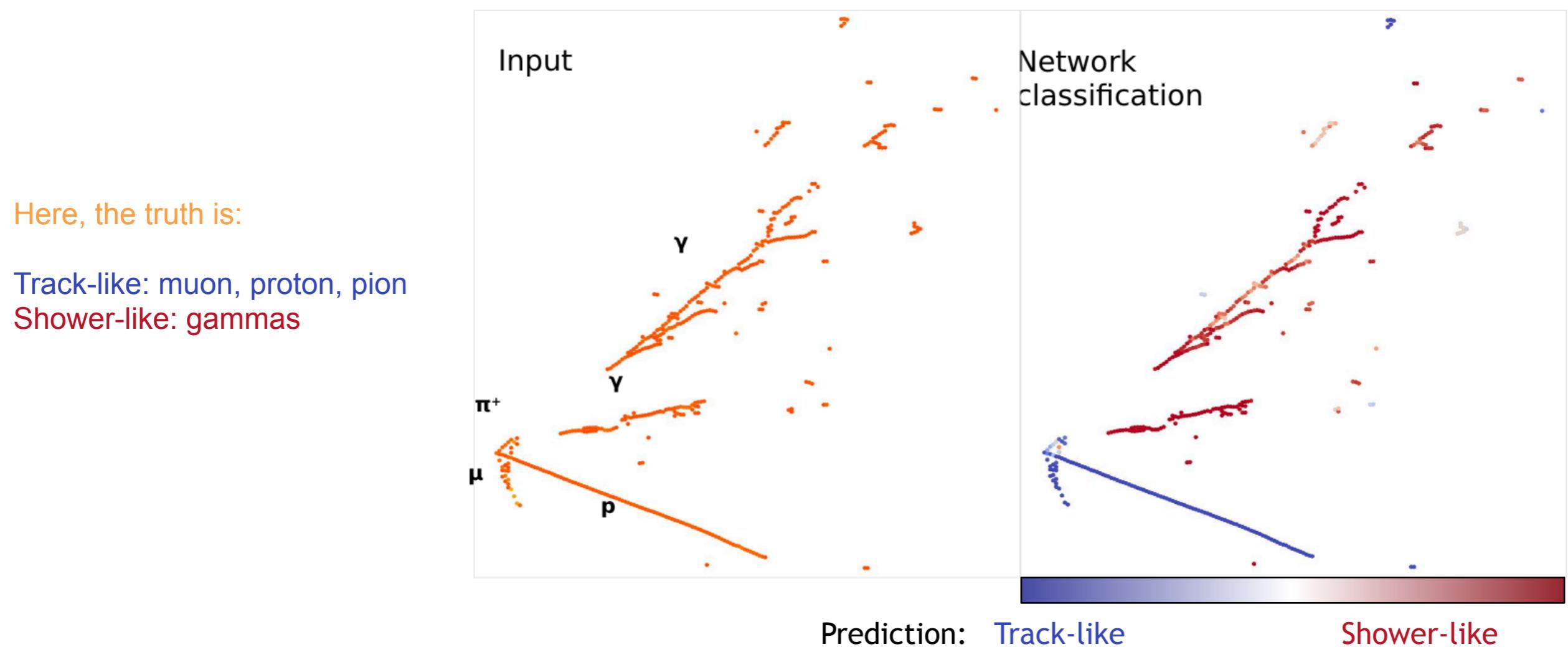


Multiply scores from different outputs for final-state selection



# Selected CNN Highlights - Pandora

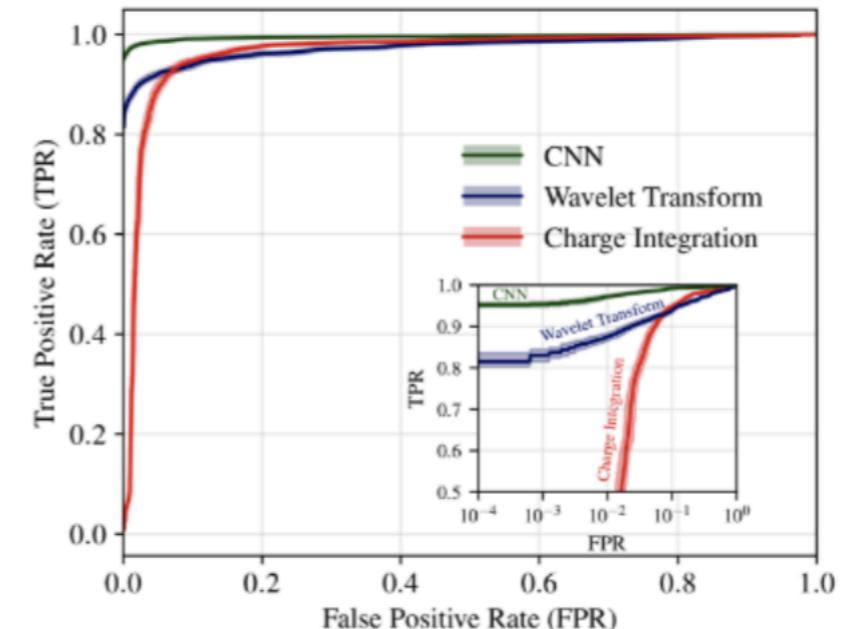
- Andy C. has been working on semantic segmentation to identify track- and shower-like hits in Pandora



- We can leverage deep learning in many places!

# Selected CNN Highlights

- Note that CNNs don't have to be two dimensional
- I wrote a particle ID algorithm that uses 1D convolutions applied to the  $dE/dx$  profile of particles
- Other examples include signal processing and region-of-interest finding
  - Example from SoLiD:  
<https://arxiv.org/abs/1807.06853>
- 3D CNNs can be used for classification of video (which is just a time sequence of images)

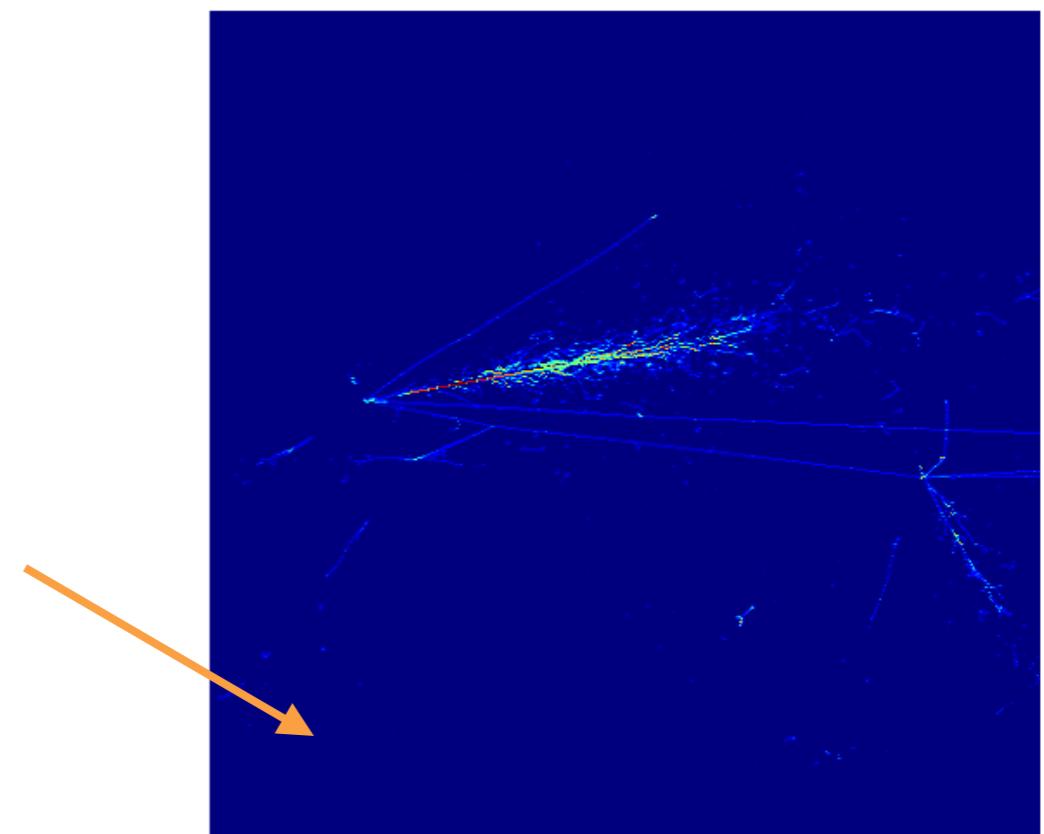


# Sparse CNNs

- The images I have shown have lots of empty pixels so computational effort is wasted.
- Sparse CNNs get around this by (cleverly) avoiding calculations on the zero value elements
  - Much more computationally efficient
  - They often work slightly better too since they avoid smearing

All dark blue pixels are empty and contain no information at all

... and there are a lot of them!



# Graph Neural Networks

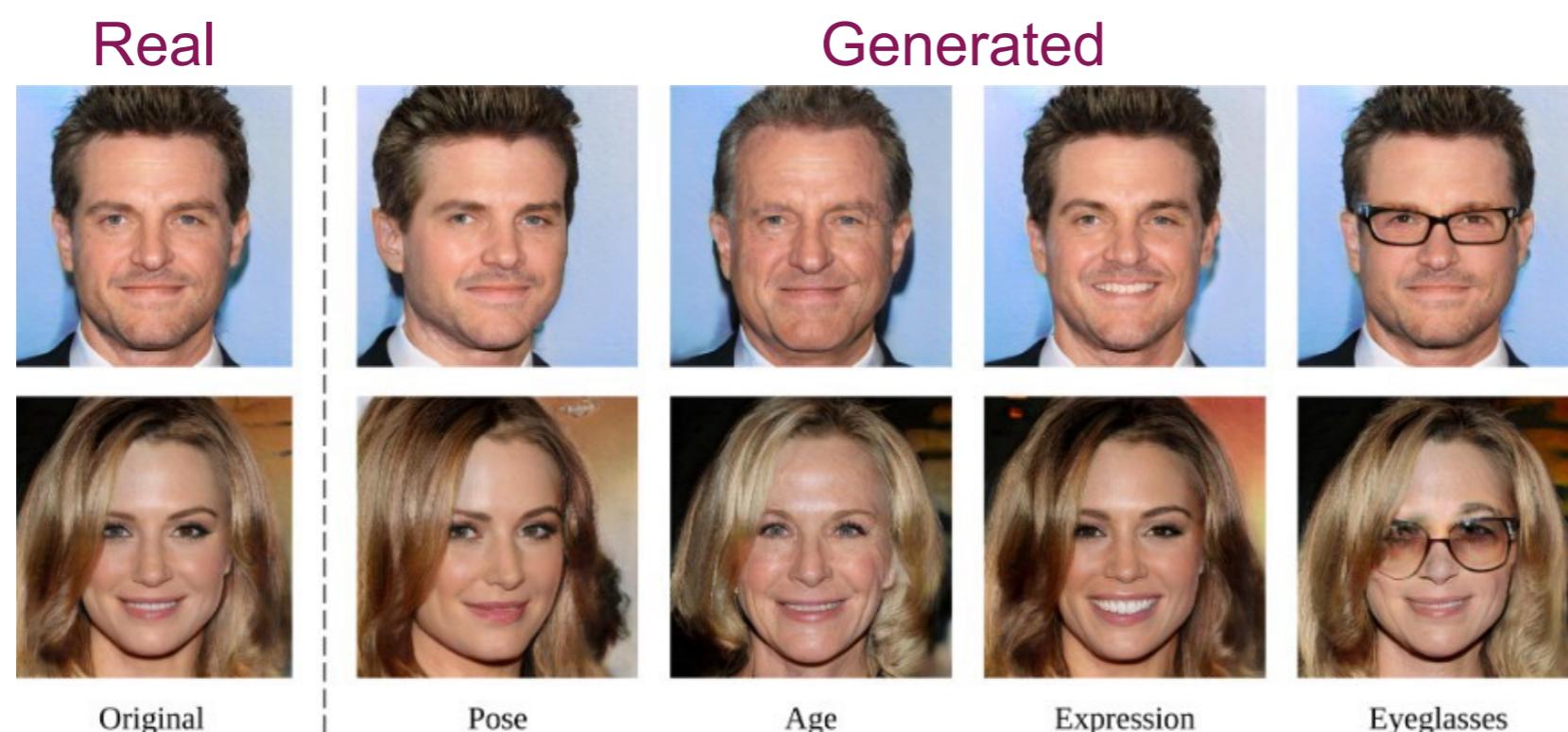
- Quite often you might find your data is difficult to format as an image
  - It might be best to consider a **Graph Neural Network** instead of shoe-horning it into an image
- Each detector element is a node in the graph
  - Various features can be attached to nodes: charge, time, etc...
- Nodes are connected by “edges”
  - Can be defined by adjacency, or hits from the same particle etc
- IceCube used a GNN for event classification<sup>[1]</sup>
- Worked on a project to use a GNN to remove ghost hits<sup>[2]</sup>

[1] N. Choma, et al., Graph Neural Networks for IceCube Signal Classification, 2018 17th IEEE International Conference on Machine Learning and Applications (ICMLA), Orlando, FL, 2018, pp. 386-391, doi: 10.1109/ICMLA.2018.00064

[2] S. Alonso Monsalve, Graph neural network for 3D classification of ambiguities and optical crosstalk in scintillator-based neutrino detectors, *Phys. Rev. D* 103 (2021) 3, 032005

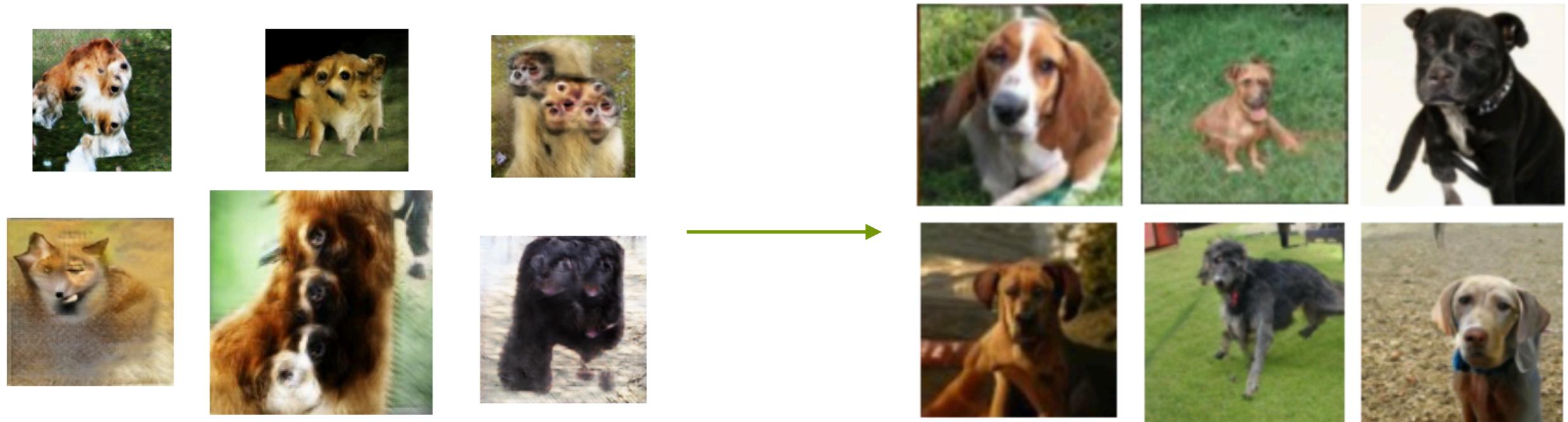
# Generative Adversarial Networks

- GANs are a type of neural network composed of two different networks
  - Typically one is known as the *generator* and the other, the *discriminator*
  - Invented by Ian Goodfellow in 2014 ([arXiv:1406.2661](https://arxiv.org/abs/1406.2661))
- They are typically used for generating images



# Generative Adversarial Networks

- They have come a long way in the last few years



Ian Goodfellow, NIPS 2016 Tutorial: Generative Adversarial Networks

<https://www.kaggle.com/c/generative-dog-images>



[https://twitter.com/goodfellow\\_ian/status/1084973596236144640](https://twitter.com/goodfellow_ian/status/1084973596236144640)



# Generative Adversarial Networks

- Simulations in HEP are generally very time consuming
  - There is a lot of appetite to make faster simulations
- Generative Adversarial Networks have two neural networks, one of which tries to trick the other. In this use case:
  - Discriminator tries to separate simulated and generated data
  - Generator tries to trick the discriminator into thinking its data are true
  - In this way, the generator learns to mimic the (complex) simulation
- Quite a few physics examples now, mostly in collider physics

Shameless plug: S. Alonso-Monsalve and L. H. Whitehead, "Image-Based Model Parameter Optimization Using Model-Assisted Generative Adversarial Networks," in *IEEE Transactions on Neural Networks and Learning Systems*, doi: 10.1109/TNNLS.2020.2969327