

Interval Query (Sqrt Decomposition Ver.)

Time Limit: 1 Second
Memory Limit: 256 MB

You are asked to solve a classic problem: given an array a_1, \dots, a_n of n elements and m intervals $(l_1, r_1), \dots, (l_m, r_m)$ ($\forall i \in \{1, \dots, m\}, l_i \leq r_i$). For each interval (l_i, r_i) , find the sum of element of a_{l_i}, \dots, a_{r_i} .

To make sure you are really using sqrt decomposition to solve this problem, instead of finding $\sum_{i=l}^r a_i$, we ask you to find $\sum_{i=l}^r (-1)^{\text{lowbit}(l \oplus \lfloor \frac{i}{\sqrt{n}} \rfloor)} a_i$, where \oplus is bitwise XOR, and $\text{lowbit}(x) = x \& -x$ gets the lowest set bit in a binary number.

Input

The first line contains two integers n and m ($1 \leq n, m \leq 5 \times 10^4$, \sqrt{n} is an integer) - the number of elements in the array and the number of intervals.

The second line contains n integers a_1, \dots, a_n ($1 \leq a_i \leq 10^9$) - the elements in the array.

The last m lines describe the intervals. The i -th line contains two integers l_i and r_i ($1 \leq l_i \leq r_i \leq n$), denoting the boundary of the i -th interval.

Output

For each interval, output a single integer denoting the sum $\sum_{i=l}^r (-1)^{\text{lowbit}(l \oplus \lfloor \frac{i}{\sqrt{n}} \rfloor)} a_i$.

Sample Inputs

```
4 3
3 2 1 3
1 3
2 3
2 4
```

Sample Outputs

```
0
-3
0
```
