

1. 通过深度优先搜索得到每个节点的度数, 之后再遍历每一条边选择度数较多的顶点即可

Algorithm Cover (T)

Input: Tree $T = (V, E)$

Output: the cover

begin

Use DFS to count v .component for all vertex in V ; for all vertex v .cover=false

Use DFS with the following postWork

if w was unmarked and v .cover=false and w .cover=false then.

v .component > w .component ? v .cover=true:

w .cover=true.

end

2. 建立坐标系简单判断即可

Algorithm if line (V, Π)

Input V, Π

Output if line

begin

$$1. \frac{y - V[0].y_0}{y - V[2].y_0} = \frac{x - V[0].x_0}{x - V[2].x_0}$$

verify if all vertex in line; return;

end

1. 利用凸包的思想去求解这个问题,

如果点在一个凸包内, 那么相交边最少为1,

如果在多个凸包内则先删除最外的凸包再求解

Algorithm least edge $(P_1, P_2, \dots, P_n, P)$

Input: P_1, P_2, \dots, P_n (a set of points in the plane),
 P (that point)

Output: num, point.

begin.

$S = (P_1, P_2, \dots, P_n)$.

$P = \text{Graham's Scan. } (P_1, P_2, \dots, P_n, P)$.

for v in P :

for w link with v

if w both in P

else add link $w-v$

$S = S - v$

if P in P

find vertex v out of P and $v-p$
only cross one point with S

return $(0, v)$

for every new polygon. P_i and new
added edge e_i

if $\text{least edge}(P_i, p) \cdot \text{point} - p$
cross e_i

if $\min > \text{least edge}(P_i, p) \cdot \text{num} - 1$

$\min = \text{least edge}(P_i, p) \cdot \text{num} - 1$

$\text{point} = \text{least edge}(P_i, p) \cdot \text{point}$

else if $\min > \text{least edge}(P_i, p) \cdot \text{num} + 1$

$\min = \text{least edge}(P_i, p) \cdot \text{num} + 1$

$\text{point} = \text{a point in } P - \text{least}$
 $\text{edge}(P_i, p) \cdot \text{point} -$
 $\text{and out of } P$

return (\min , point)