

Beviskontroll med Prolog

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Functional Dependencies

An FD on a relation R is defined by:

If two tuples of R agree on all attributes A_1, \dots, A_n then they must also agree on all attributes B_1, \dots, B_m . We say that A_1, \dots, A_n determines B_1, \dots, B_m , denoted as $A \rightarrow B$.

A set $K = \{A_1, \dots, A_n\}$ of attributes is key for relation R if: - K functionally determines all other attr. of R. - No proper subset of K functionally determines all other attr. of R, that is, all keys are minimal.

A set of attr. that contains a key is called a superkey.

FD Reasoning

FD's can be inferred from other FD's. - If $R(A, B, C)$ satisfies $A \rightarrow B$ and $B \rightarrow C$ then $A \rightarrow C$ and $A \rightarrow B, C$ can be inferred. - If $A_1, \dots, A_m \rightarrow B_1, \dots, B_m$ then $A_1, \dots, A_n \rightarrow B_1, \dots, B_m$, $A_1, \dots, A_n \rightarrow B_m$.

Trivial FD's. A constraint on a relation R is trivial if holds for every instance of R, regardless of other constraints. - An FD $A \rightarrow B$ is trivial if B is a subset of A. Ex: $A_1, A_2 \rightarrow A_2$ always holds and thusly is trivial.

Attribute Closures If A is a set of attr $\{A_1, \dots, A_n\}$ and S is a set of FD's then the closure of A under the FD's in S is the set of attributes B such that every relation that satisfies all of S also satisfies $A \rightarrow B$, that is, $A \rightarrow B$ follows from the FD's of S. The closure of a A is denoted as A^{++}