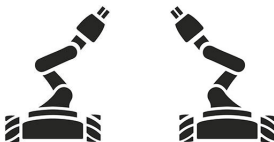


# Cooperative Object Transportation through an Unstructured Environment

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# Outline



## 1 Introduction

## 2 The theory

## 3 The practice

## 4 Our work

- Obstacle avoidance with a single youBot
- Obstacle avoidance with both youBots

## 5 Results

# Introduction

## KUKA youBot



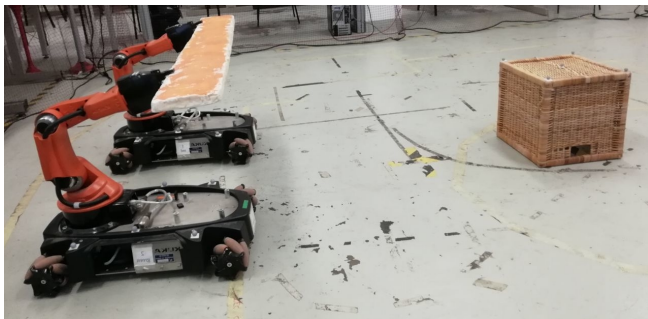
- **KUKA youBot:** a omnidirectional mobile platform with 4 wheels and a 5 DOF arm with a two-finger gripper.

# Introduction



This work presents a solution to control mobile manipulators in difficult environments.

In particular, it involves cooperation between two KUKA youBots that must avoid an obstacle while carrying a common load.



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# The theory

## TPIK: the idea



Our work is based on the TPIK (Task Priority Inverse Kinematic) theory. It concerns different tasks with different priorities (e.g. considering joint limits, **avoiding obstacles**, reaching a desired configuration...) that the robot must satisfy.

The goal is to find a control which makes the robot achieve the wanted tasks.

# The theory

## TPIK: the math



In math terms, we have to find the system velocity reference vector  $\dot{\mathbf{y}}$  that satisfies **at best** the requirements (i.e. all the tasks).

$$S_k \triangleq \left\{ \arg \min_{\dot{\mathbf{y}} \in S_{k-1}} \left\| \mathbf{A}_k (\dot{\mathbf{x}}_k - \mathbf{J}_k \dot{\mathbf{y}}) \right\|^2 \right\}$$

- $\dot{\mathbf{x}}_k$  is the stacked vector of all the desired output velocities.
- $\mathbf{J}_k$  is the Jacobian relationship expressing the current rate of change of the  $k$ -th task vector  $[\dot{x}_{1,k}, \dots, \dot{x}_{m,k}]^T$  with respect to the system velocity vector  $\dot{\mathbf{y}}$ .
- $\mathbf{A}_k$  is the diagonal matrix of all the activation functions of the  $k$ -th task.
- $S_{k-1}$  is to consider that the task must be satisfied only **after** satisfying all other **higher** priority tasks.

# The theory

## TPKI: cooperation



Things become a bit complicated because we must consider that we have two robots carrying a common load.

First, each robot acts as if it were alone. So we found the Cartesian **non-cooperative** tool-frame velocities for each agent:

$$\dot{\mathbf{x}}_{t,i} = \mathbf{J}_{t,i} \dot{\mathbf{y}}_i, \quad i = a, b$$



# The theory

## TPKI: cooperation



The idea is to give more way of action to the robot in more trouble finding a Cartesian **cooperative** tool-frame velocity that is a **weighted compromise** between the two Cartesian non-cooperative tool-frame velocities:

$$\dot{\mathbf{x}}_t = \frac{1}{\mu_a + \mu_b} (\mu_a \dot{\mathbf{x}}_{t,a} + \mu_b \dot{\mathbf{x}}_{t,b}), \quad \mu_a, \mu_b > 0$$

In the general case, the result might not lay in the space of feasible object velocities; therefore it must be projected on this subspace to obtain a feasible solution.

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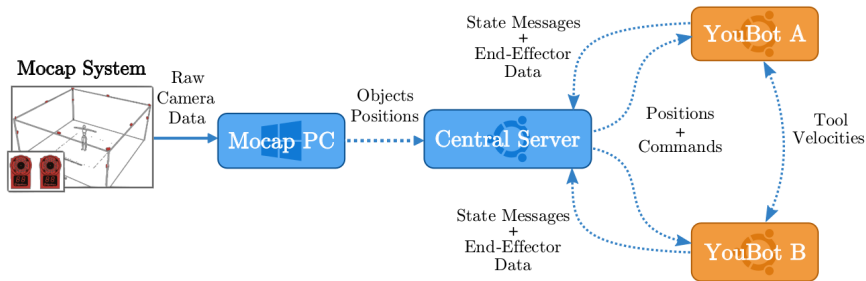
5 Results

# The practice

## System architecture: MoCap & Central Server



- **MoCap System:** 8 OptiTrack Flex3 cameras which detect markers and a Motive software to send the robot positions.
- **Central Server:** a unified console to control the two youBots.



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# Obstacle avoidance with a single youBot



## Reference Rate

We implement the task adding to the TPIK list the formula

$$\dot{\hat{x}}_{ja} = \gamma_{ja}((r + \Delta_{ja}) - \|\mathbf{d}\|)$$

which finds the reference rate which makes the joint go away from the obstacle.

With:

- $\gamma_{ja}$  the control gain.
- $r$  the radius of the obstacle.
- $\Delta_{ja}$  a constant that defines a safety distance from the obstacle.
- $\|\mathbf{d}\|$  the norm of the distance between the joint and the obstacle.

# Obstacle avoidance with a single youBot



## Task Induced Jacobian & Activation Function

Also the joint avoidance Jacobian must be added to find the suitable solution:

$$\mathbf{J}_{ja} = \mathbf{n}^T \mathbf{J}(\mathbf{c})$$

With:

- $\mathbf{n}^T = \frac{\mathbf{d}}{\|\mathbf{d}\|}$  the distance versor.
- $\mathbf{J}(\mathbf{c})$  the joint Jacobian, in function of the robot configuration vector  $\mathbf{c}$ .

And, as last, a suitable activation matrix  $\mathbf{A}_{ja}$  is built to activate the task in the  $\Delta_{ja}$  transition zone.

Initially this was implemented only for a single joint, then we added both formulas for each arm joint.

# Obstacle avoidance with a single youBot

## MoCap & UDP



The odometry is not accurate in general.

Also, we need a world reference frame for when the two youBot will cooperate.

So:

- We use the cameras to understand the position of the youBot through MoCap bridge.
- Through UDP infrastructure, the central Server controls the robot.



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# Obstacle avoidance with both youBots



For the **cooperation**, the most important thing is to not make the tool fall or break while performing the **obstacle avoidance** and the other tasks:

- The two robots agree on a common frame for the carried tool, i.e. maintaining a certain fixed distance from the frame object.
- They collaborate thanks to the data shared with the central Server through the UDP.

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# Results



The video is also visible [HERE](#).

# Thank you for the attention!

