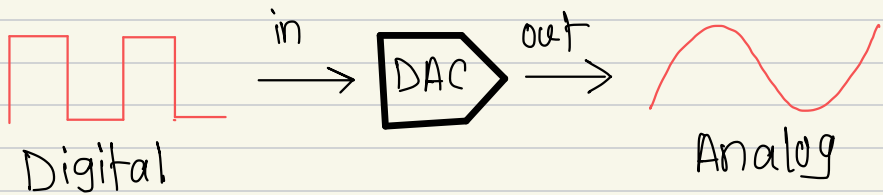
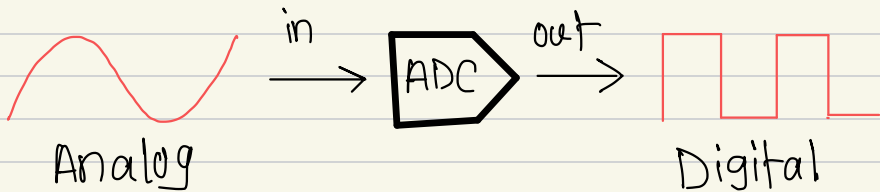


# # (ADC & DAC)

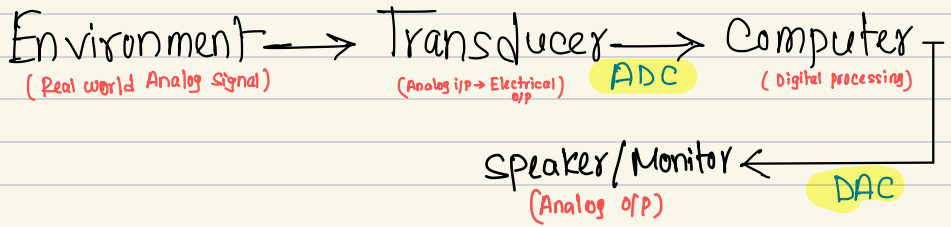
ADC  $\rightarrow$  Analog to Digital Conversion

DAC  $\rightarrow$  Digital to Analog Conversion



**Analog** means data could take any real value at each instant of time. It is continuous in time and amplitude. All physical world's signals informations are analog (Temp, pressure, sound...)

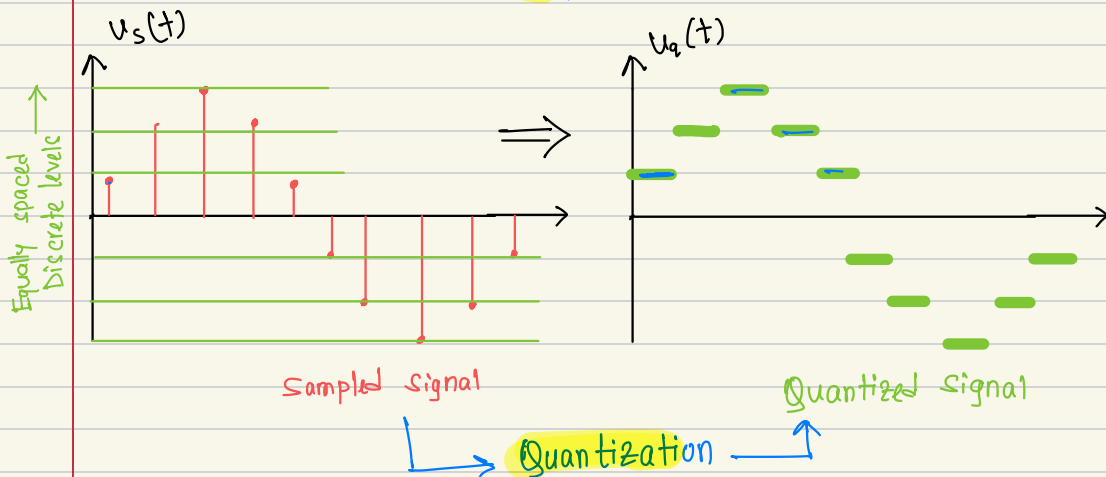
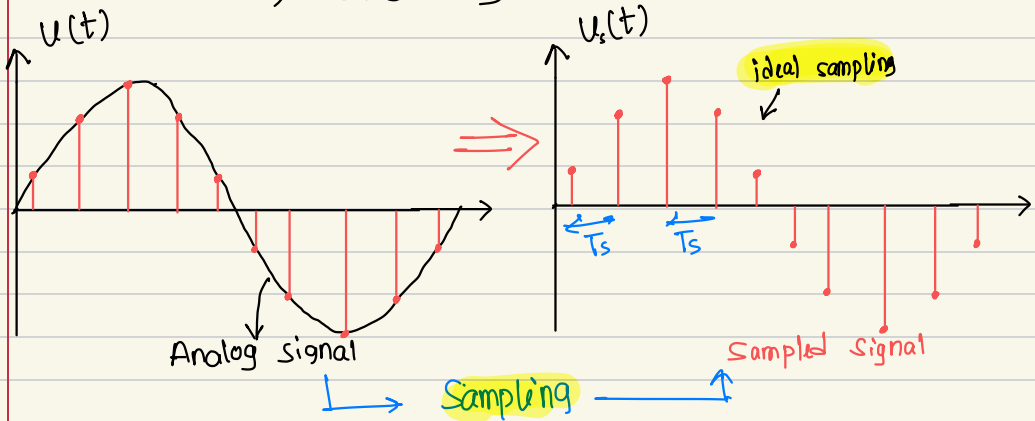
**Digital** data could take only two values (high or low). It means binary bit of strings. In order to store/process we use digital data in our computers and microprocessors.



## # A/D conversion process

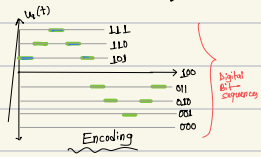
$\rightarrow$  It involves 3 basic steps

- $\rightarrow$  i) Sampling
- $\rightarrow$  ii) Quantization
- $\rightarrow$  iii) Encoding

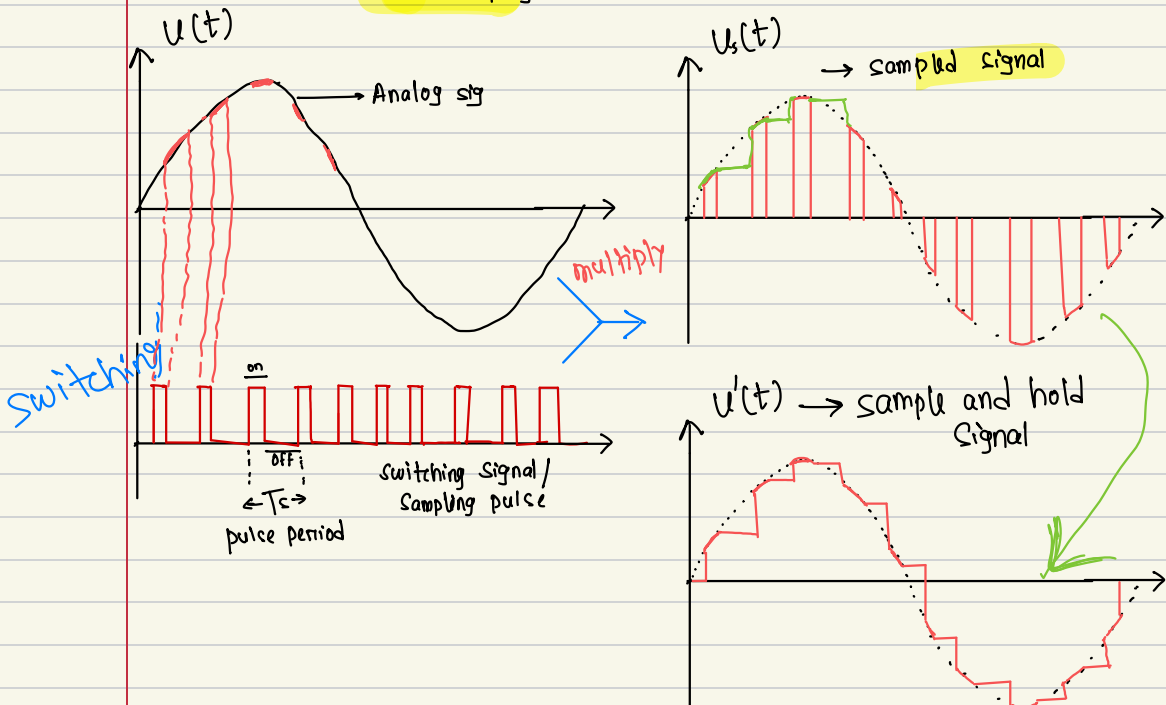
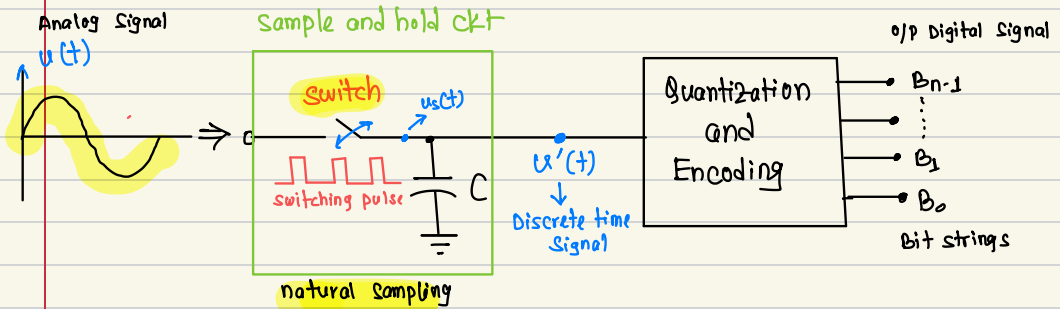


Quantized signal  $u_q(t) \Rightarrow$  Assigned to corresponding Binary values  $\{u_e\}$  (Digital sig)

Encoding



## # Practical implementation of ADC



This hold operation is done by using capacitor.

## # Quantization

→ It is a process by which we assign sampled and hold signal data to some fixed preassigned values / levels.

→ for  $n$  bit quantization

num. of levels,  $L = 2^n$

gaps btwn two levels → Resolution.

Step Size / → Resolution,  $\Delta = \frac{V_{\max} - V_{\min}}{2^n}$

$V_{\max}$  → max value of Analog signal

$V_{\min}$  → min " " " "

$n \uparrow, L \uparrow, \Delta \downarrow \rightarrow$  Quantization error  $\downarrow$

### # 2 types

- i) Mid-rise type Quantization
- ii) Mid-tread type Quantization.

## # Mid-rise type

→ if i/p sample is in b/w  $u_k$  and  $u_{k+1}$

Quantization o/p will be  $V_k = \frac{u_k + u_{k+1}}{2}$

$u_k, u_{k+1} \rightarrow$  pre assigned values / levels

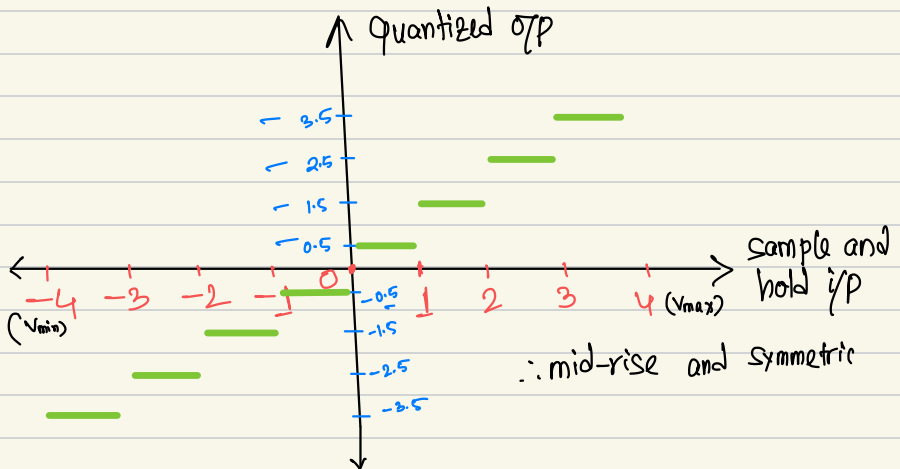
→ rounding

→  $-\Delta/2 \leq \text{error} \leq \Delta/2$

→ Symmetric

Let,  $V_{\max} = 4, V_{\min} = -4, n = 3, 2^n = 8$  bits

$$\Delta = \frac{V_{\max} - V_{\min}}{2^n} = \frac{4 - (-4)}{8} = 1$$



## # Encoding

We can choose binary values for each quantized levels

→ 4 to 4  $\Delta = 1$

Sampled i/p (V <sub>c</sub> )	Quantized Signal (V <sub>q</sub> )	Encoding	
		Digital Binary o/p (V <sub>q</sub> )	Digital Signal
3 to 4 ✓	3.5	111	
2 to 3 ✓	2.5	110	
1 to 2 ✓	1.5	101	
0 to 1 ✓	0.5	100	
-1 to 0 ✓	-0.5	011	
-2 to -1 ✓	-1.5	010	
-3 to -2 ✓	-2.5	001	
-4 to -3 ✓	-3.5	000	

## # Practice

$$V_{\min} = 0V, V_{\max} = 10V, n = 3, L = 2^n = 8$$

$$\Delta = \frac{V_{\max} - V_{\min}}{L} = \frac{10 - 0}{8} = 1.25$$

Sampled i/p (V <sub>c</sub> )	Quantized Signal (V <sub>q</sub> )	Encoding	
		Digital Binary o/p (V <sub>q</sub> )	
8.75 - 10	9.375	111	
7.5 - 8.75	8.125	110	
6.25 - 7.5	6.875	101	
5 - 6.25	5.625	100	
3.75 - 5	4.375	011	
2.5 - 3.75	3.125	010	
1.25 - 2.5	1.875	001	
0 - 1.25	0.625	000	

## # Mid-tread type

→ if i/p sample is in b/w  $u_k$  and  $u_{k+1}$

$u_{k+1}$  — Quantization op will be,  $V_k = u_k$

$u_k$  —  $V_k$   $u_k, u_{k+1} \rightarrow$  pre assigned values / levels

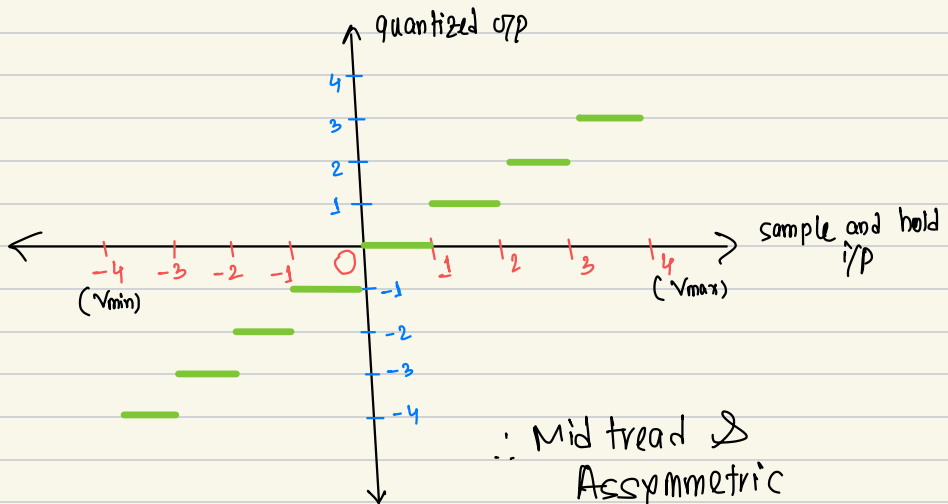
→ Truncation

→  $0 < \text{error} < \Delta$

→ Asymmetric

Let,  $V_{\max} = 4, V_{\min} = -4, n = 3, 2^n = 8$  lvs

$$\Delta = \frac{V_{\max} - V_{\min}}{2^n} = \frac{4 - (-4)}{8} = 1$$



Sampled i/p ( $U_c$ )	Quantized Signal ( $U_q$ )	Encoding
		Digital Binary output
3 to 4	3	111
2 to 3	2	110
1 to 2	1	101
0 to 1	0	100
-1 to 0	-1	011
-2 to -1	-2	010
-3 to -2	-3	001
-4 to -3	-4	000

## # Practice

$$V_{\min} = 0V, V_{\max} = 10V, N = 3$$

Sampled i/p ( $U_c$ )	Quantized Signal ( $U_q$ )	Encoding
		Digital Binary output



## # Practice

For the following sequences

$$\{1.2, -0.2, -0.5, 0.4, 0.89, 1.3\}$$

quantize it using a uniform midrise type quantizer and write the quantized and encoded sequence.

Quantizer range is  $(-1.5, 1.5)$  with 4 levels

Sol<sup>n</sup>:

$\{u_s\}$	$\{u_q\}$	$\{u_e\}$

$$\langle u_5 \rangle = \{1.2, -0.2, -0.5, 0.4, 0.89, 1.3\}$$

$$|u_q\rangle = | \quad \rangle$$

$$\oint_{\partial U} u_{\epsilon} \nu = 1$$