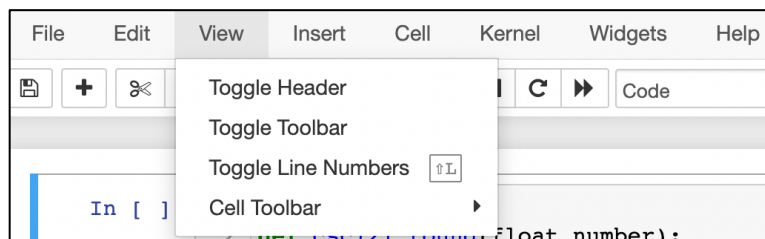


Lecture 4.2. Functions

Question 1. For the code block on the right, write below the print messages in the order in which they appear when the code block is executed.

Order	Print statement
1	
2	
3	
4	
5	
6	
7	
8	
9	
10	

Pro tip: If you ever want to see line numbers for your code cell in Jupyter Notebook, go to *View* in the toolbar and select *Toggle Line Numbers*.



```
1 print('Line 1')
2 def csc121_round(float_number):
3
4     print('Line 4')
5     fractional_part = float_number % 1
6
7     print('Line 7')|
8     integer_part = float_number // 1
9
10    print('Line 10')
11    to_ceil = fractional_part >= 0.5
12
13    print('Line 13')
14    rounded = integer_part + to_ceil
15
16    print('Line 16')
17    return rounded
18
19 print('Line 19')
20 number = 2.9
21
22 print('Line 22')
23 number_rounded = csc121_round(number)
24
25 print('Line 25')
26 print(number_rounded)
27
28 print('Line 28')
```

Question 2. Starting from line 10 in the code block on the right, fill in the table below tracking:

1. Flow of execution using the first *Line number* column
2. State of variables, for each line number

If the variable is (or becomes) undefined at any line of code, state so in the appropriate row of the table below.

```
1 def csc121_round(float_number):
2
3     fractional_part = float_number % 1
4     integer_part = float_number // 1
5     to_ceil = fractional_part >= 0.5
6     rounded = integer_part + to_ceil
7
8     return rounded
9
10 number = 2.9
11 number_rounded = csc121_round(number)
12 print(number_rounded)
```

[illegible]

Question 3. Implement a function `square_root` that computes square root of the input. At the bottom are examples of how the function is expected to be called and the output(s) expected for given input(s).

```
num = 4
num_sqrt = square_root(num)
print("num_sqrt") # Should print 2
```

```
num = 9
num_sqrt = square_root(num)
print(num_sqrt) # Should print 3
```

```
num = 16
num_sqrt = square_root(num)
print(num_sqrt) # Should print 4
```

Question 4. Implement a function `euclidean` that accepts four integers `x1`, `y1`, `x2`, `y2` as inputs, representing two points `(x1, y1)` and `(x2, y2)`. Use **`square_root`** from Question 3.

$$euclidean_distance = \sqrt{(x2 - x1)^2 + (y2 - y1)^2}$$

```
x1 = 1
y1 = 5
x2 = 1
y2 = 5
dist = euclidean(x1, y1, x2, y2)
print(dist) # Should print 0

dist = euclidean(0, 25, 0, 16)
print(dist) # Should print 9
```