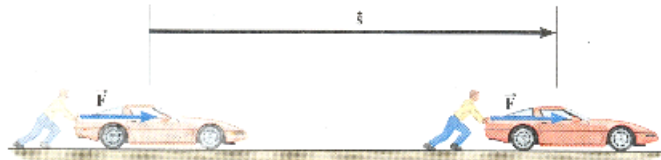


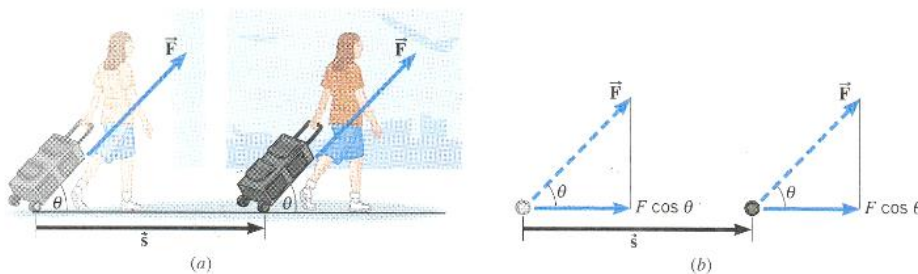
6.1 - Work Done by a Constant Force

Tuesday, January 2, 2018 9:34 PM

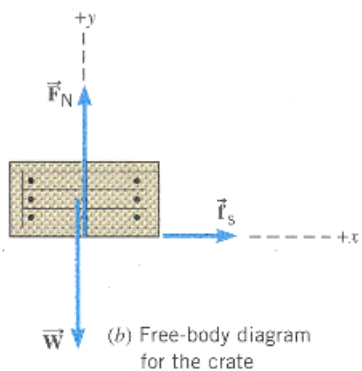
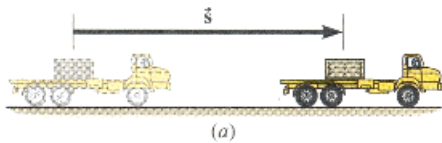
- **Work** - transferring energy (ex. Pushing a car)
- Two essential elements: **force** and **displacement**



- Diagram shows constant pushing force, \vec{F}
- Displacement, \vec{s} points in same direction
- Customary to use s instead of x when dealing with displacement and work.
- In this case, work is defined as magnitude F of the force times the magnitude s of the displacement. $W = Fs$
- Work **is the same regardless of direction**, i.e. it's a scalar quantity.
- **Units**: unit of force times the unit of distance -> newton times meter.
 - SI: Nm -> Joule (J)
 - CGS: erg
 - BE: ft * lb
- If the object does not move, the force acting on the object does no work.



- What if the force *isn't* the same direction as the displacement?
 - In the image, displacement is parallel to floor but force is applied at an angle relative to the ground, θ .
 - In this case, only the component of F that's the **same direction** as displacement is doing work. That's F_x , in this case the angle is adjacent to the horizontal, so we use cosine (**SOH CAH TOA**).
 - Therefore, the equation is $W = (F \cos \theta)s$
- To do work, there **must** be a force *and* a displacement.
 - Suppose there's a perpendicular force. If there's no displacement in the perpendicular direction, the force does no work. Makes sense: $\cos(90) = 0$, so $W = 0$!
- Work can be either positive or negative.
 - Positive work: force and displacement go in the **same** direction.
 - Negative work: force and displacement go in **opposite** directions.
 - Example: lifting weights.
 - When pushing weight up, angle between force and displacement is 0. $\cos(0) = 1$, so $W = Fs$
 - When lowering the weight, angle between force and displacement is 180, because they're opposite. $\cos(180) = -1$, so $W = -Fs$ (note the negative!)



- What about static friction? Oh boy.
 - The crate doesn't slip when the truck is moved, so that means static friction is playing a role.
 - W and F_n are perpendicular to the displacement, so they do no work.
 - Static friction is in the same direction as the displacement. This is the net force, so to find the net work, all we have to do is solve for that!
 - $f_s = ma = (120\text{kg})(1.5\text{ m/s}^2) = 180\text{N}$
 $W = (f_s \cos 0)(65\text{m}) = 1.2 * 10^4\text{J}$