Question 1: 10 Marks

You are given as input a 0-1 matrix M[n][n] representing a relation R on a set. Write a code fragment to determine whether or not the relation R is Transitive.

Question 2: 10 Marks

You are given as input a 0-1 matrix M[n][n] representing a relation R on a set. Write a code fragment to compute the Transitive Closure of R.

Question 3: 10 Marks

You are given as input two 2-dimsntional arrays representing two n-ary relations of degree 10 and 8 respectively (you may assume number of tuples/records in each table by yourself). Write a code fragment to compute  $J_5$  on the input tables.

Question 4: 10 Marks

Let A be the set of students at your school and B the set of books in the school library. Let R1 and R2 be the relations consisting of all ordered pairs (a, b), where student a is required to read book b in a course, and where student a has read book b, respectively. Describe the ordered pairs in each of these relations.

- **a)** *R*1 ∪ *R*2
- **b)**  $R1 \cap R2$
- c) R1  $\oplus$  R2
- **d)** R1 R2
- **e)** R2 R1

Question 5: 10 Marks

Let R be the relation on the set of people consisting of pairs (a, b), where a is a parent of b. Let S be the relation on the set of people consisting of pairs (a, b), where a and b are siblings (brothers or sisters). What are  $S \circ R$  and  $R \circ S$ ?