

# Brightness of Solar Magnetic Elements as a Function of Magnetic Flux at High Spatial Resolution

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## Introduction - Magnetic elements

- Brightness of magnetic features in Plage and Network has been a subject of major studies
- Insights into radiative energy transport
- Enhanced brightness in both continuum and line core of spectral lines
- Contribution of magnetic elements to the TSI variations over the solar cycle: 30% at continuum wavelengths, and 60% at wavelengths below 400 nm (Krivova et al. 2006)
- Chromospheric structuring and heating of the outer atmosphere (Schrijver et al. 1989)

# Brightness of magnetic elements vs. $B_{\text{LOS}}$

- Topka et al. (1992,1997); Title et al. (1992)
- Swedish Solar Observatory at 676.8, 557.6 and 630.2 nm
- Spatial resolution: 0.3''
- Contrast decreases with magnetic flux at disc centre for active regions

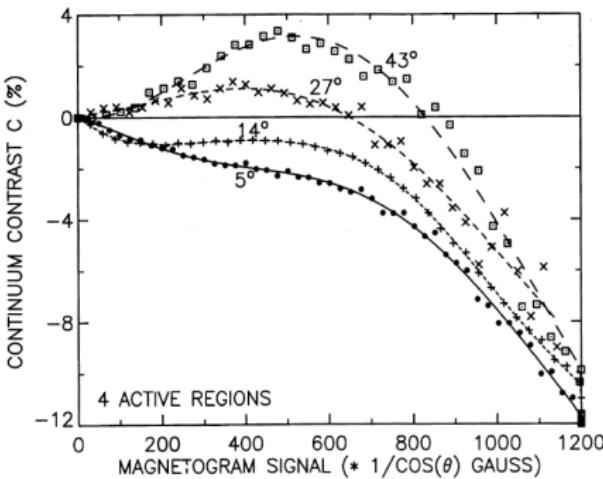
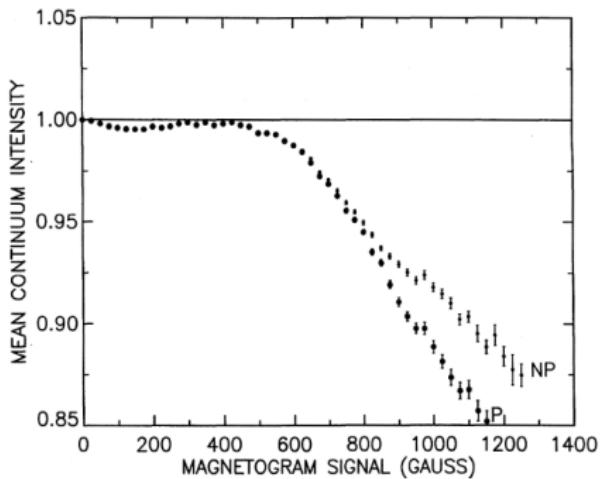


Figure : Title et al.(1992); Topka et al.(1992)

## Brightness of magnetic elements vs. $B_{\text{LOS}}$

- Lawrence et al. (1993): QS network data/SSO
- Contrast is positive at intermediate field strengths, and increases for higher values

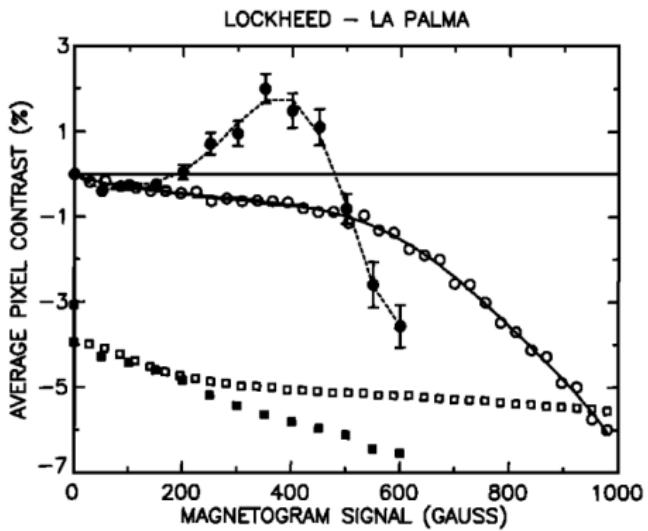
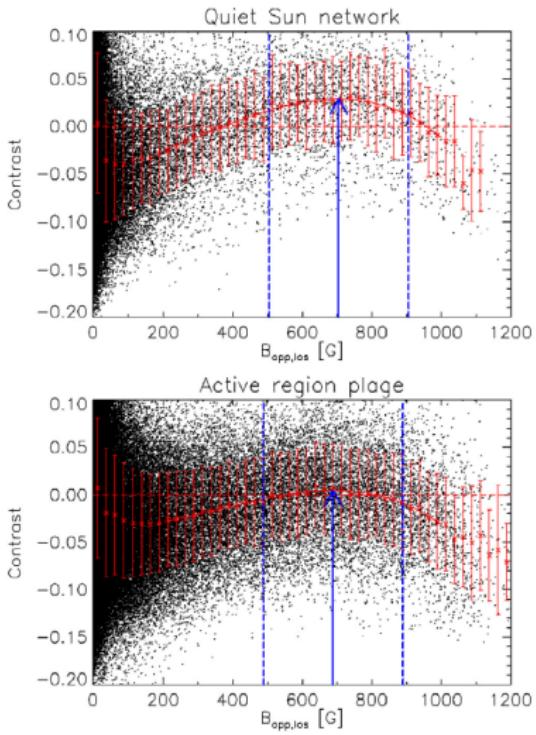


Figure : Lawrence et al.(1993), disc centre

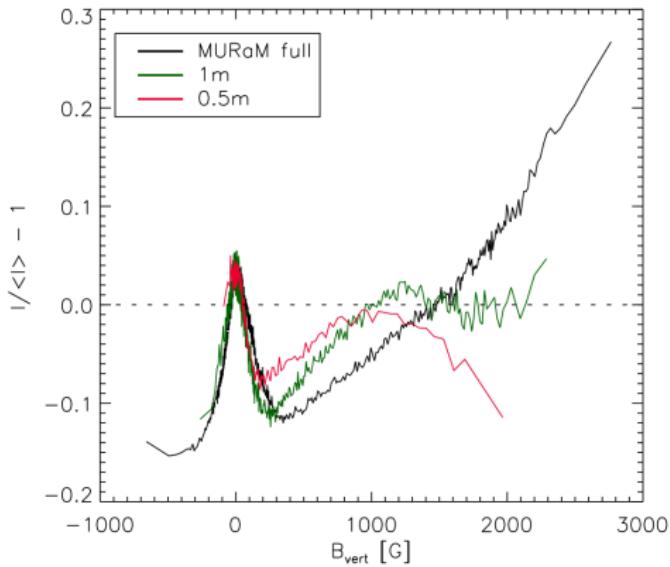
# Brightness of magnetic elements vs. $B_{\text{LOS}}$

- Kobel et al. (2011)
- Solar Optical Telescope/Hinode
- Resolution: 0.3''
- Fe I 630.15 and 630.25 nm
- Contrast peaks at  $\approx$  700 G for both regions



# Brightness of magnetic elements vs. $B_{\text{LOS}}$

- Röhrbein et al. (2011)
- MURaM simulations (Vögler et al. 2005)
- Plage region (200 G)
- $\lambda = 630.2 \text{ nm}$
- Convolution with  $D = 1 \text{ m}, 0.5 \text{ m}$  Airy functions



# Aims & Motivation

- SUNRISE: Balloon-borne solar observatory/1 m telescope/UV filter imager/imaging vector polarimeter ( $\odot \sim 37$  km)
- Diffraction limited angular resolution:  $0.05''$  (35 km) at 214 nm, and  $0.1''$  (70 km) in the visible
- High angular, temporal, and spectral resolution observations, in the visible and UV down to 200 nm

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## Aims

- Relationship between the brightness in the continuum and NUV, with  $B_{los}$
- Relationship between the lower chromosphere emission and  $B_{los}$
- Constrain radiative MHD simulations of flux tube models

# IMaX and SuFI Data

## Imaging Magnetograph eXperiment

- Time series 14:22 to 15:00 UT (40 quiet Sun magnetograms).
- Fe I ( $\lambda_0 = 5250.2 \text{ \AA}$ ) spectral line ( $g=3$ ).
- Exposure time = 250 ms, cadence = 32 sec.
- $\Delta\lambda = \{-80, -40, +40, +80, +227\} \text{ m\AA}$ .
- plate scale = 0.054458 arcsec/pixel (40 km/pixel).
- FOV =  $50'' \times 50''$  (936×936 pixels).

## Sunrise Filter Imager

$\lambda(\text{nm})$	FWHM(nm)	Exp.time(sec)	plate scale("'/pixel)
214 <sup>1</sup>	10	30	0.01983
300	5	0.3	0.0207
313(OH-band)	1.2	0.2	0.0203
388(CN-band)	0.8	0.1	0.01987
397(Ca II H-line core) <sup>2</sup>	0.18	1	0.01983

<sup>1</sup>middle/upper photosphere

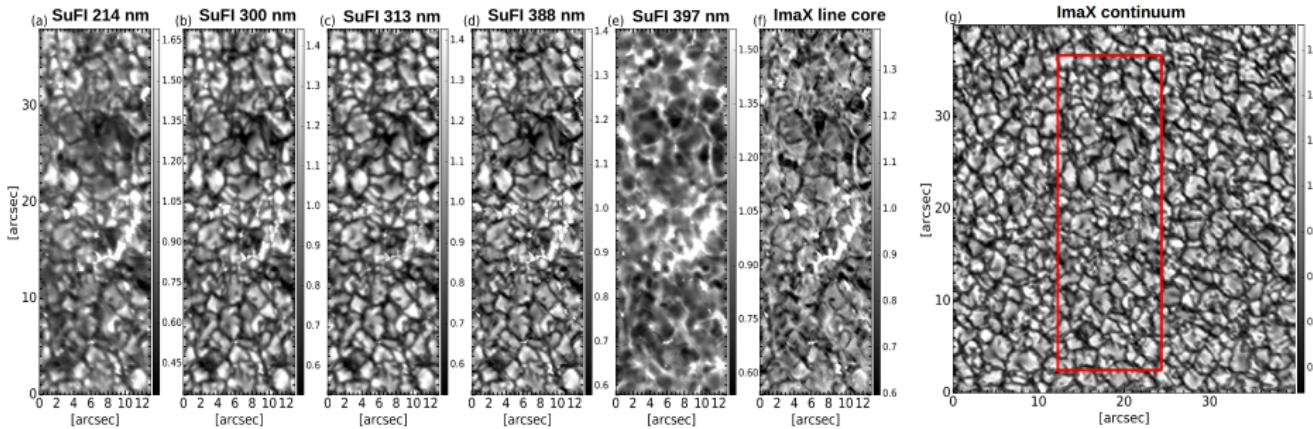
<sup>2</sup>lower chromosphere

# Data Preparation - Stokes inversions

- Stokes images corrected for 12% global stray light
- Spectral scans interpolated with respect to time
- Data PD reconstructed and de-jittered
- Inversion with SPINOR (The **S**tokes-**P**rofiles-**I**Nversion-**O**-**R**outines) code:
  - Three temperature nodes at  $\log \tau = -2.5, -0.9, 0$
  - Height independent  $B$ ,  $V_{\text{LOS}}$ , micro-turbulence
  - **Quantity of interest:**  $B_{\text{LOS}} = |B| \times \cos \gamma$

# Data Preparation - Image alignment

- SuFI at 214 nm, 300 nm, 313 nm, and 388 nm with IMaX Stokes I continuum at 525.02 nm.
- SuFI at 397 nm (core of Call H) with IMaX stokes I line core
- Resampling to the same pixel size (IMaX's 0.05'' /pixel)
- Cross-Correlation technique to find IMaX-SuFI offsets to a sub-pixel accuracy  $\Rightarrow$  Common FOV off all images ( $13'' \times 38''$ )



# Data Analysis - Contrast

- Contrast at each pixel for each wavelength band

$WB = \{CONT, LC, 214, 300, 313, 388, 397\}$  is computed as follows:

$$C_{WB} = \frac{I_{WB}}{I_{WB, QS}}$$

- $C_{CONT}, C_{LC}$ : the IMaX Stokes  $I$  continuum and line-core (derived from Gaussian fits) intensity contrasts
- $I_{WB, QS}$  is the mean quiet-Sun intensity averaged over the entire common FOV (CFOV)
  - SUFI+IMaX: CFOV is  $13'' \times 38''$
  - IMaX intensity+B maps:  $40'' \times 40''$

## Results - Visible continuum contrast vs. $B_{LOS}$

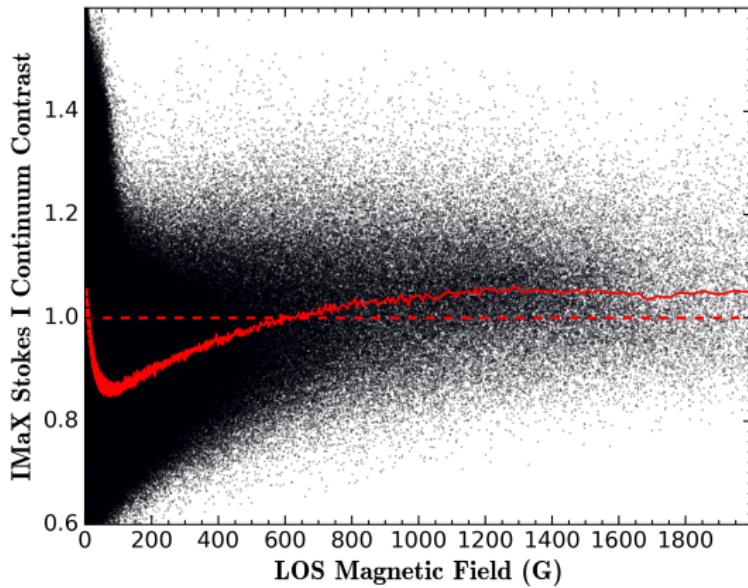


Figure : IMaX (0.15'' /FeI 525.04 nm), Kahil et al. (2016)

## Results - Visible continuum contrast vs. $B_{LOS}$

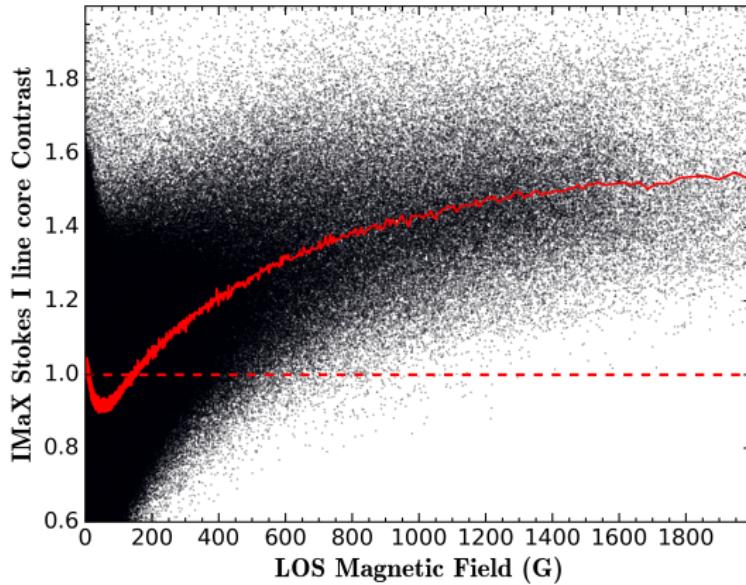


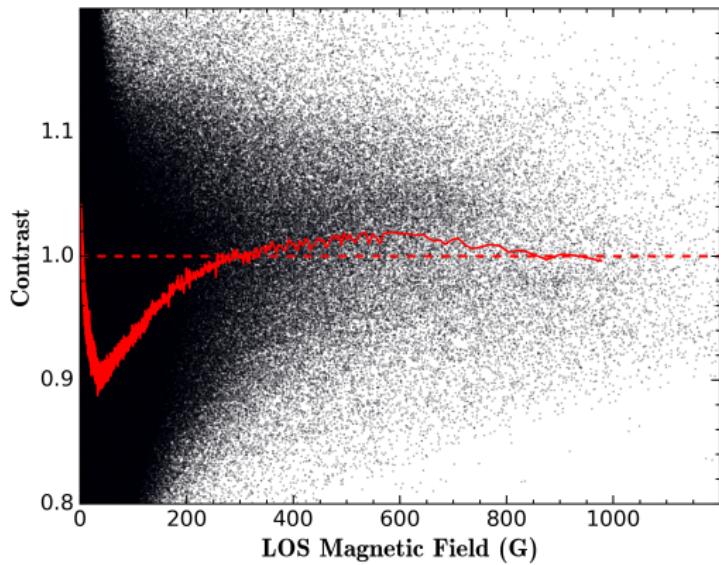
Figure : Line core contrast vs.  $B_{LOS}$

## Results - Visible continuum contrast vs. $B_{LOS}$

- Stokes I and V degraded to Hinode's spatial resolution
- Convolution with a Gaussian of FWHM = 0.32''
- Centre of gravity method (C-O-G) to derive  $B_{LOS}$

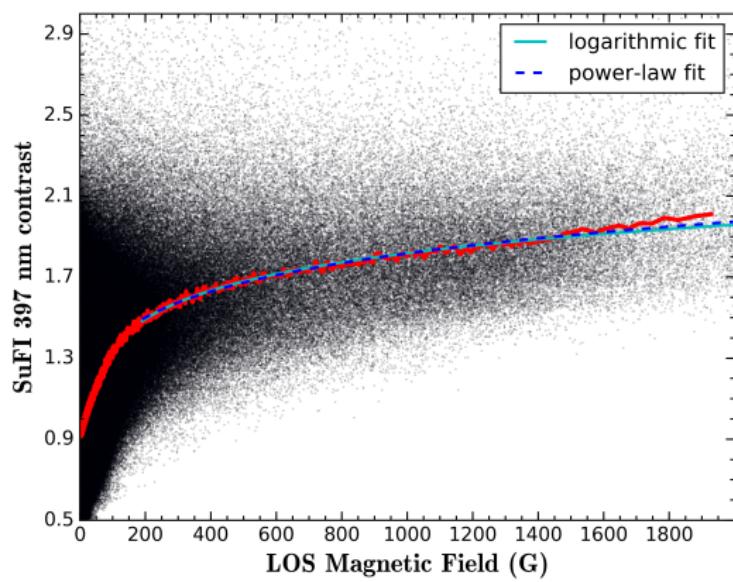
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# Results - Chromospheric emission vs. $B_{\text{LOS}}$

- QS is responsible for the heating of the outer chromosphere.
- Ca II-H line: chromospheric diagnostic



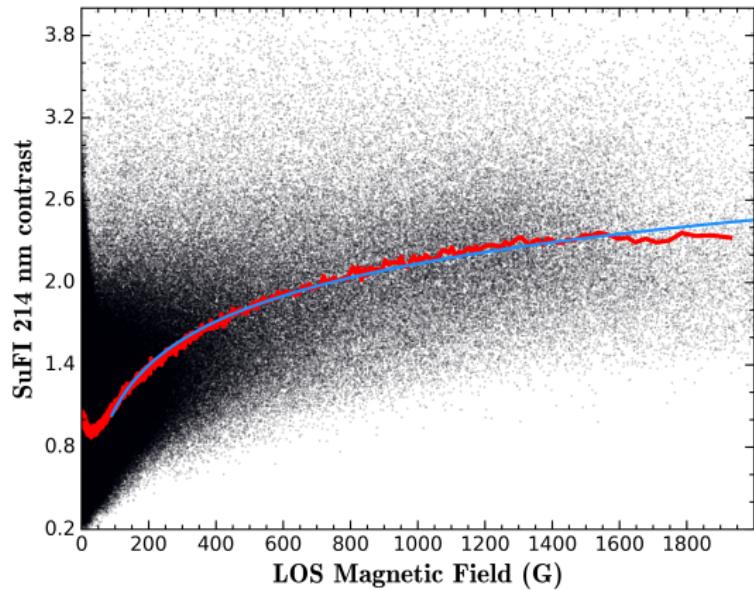
author	b	comments
Schrijver et al.(1989)	0.66	Mount Wilson (AR's)
Ortiz and Rast(2005)	0.6	SOHO/MDI (QS)
Rezai et al.(2007)	0.2	VTT (QS N+IN)
Loukitcheva et al.(2009)	0.31	BBSO+SOHO/MDI (time averaged data)

$$I = a \cdot B_{\text{LOS}}^b + I_0 \quad (1) \quad I_0: \text{basal flux}$$

$$I = a' \cdot \log_{10}(B_{\text{LOS}}) + b' \quad (2)$$

cut(G)	b	$\chi^2$ (1)	$\chi^2$ (2)
190	$0.14 \pm 0.02$	0.91	1.00
210	$0.16 \pm 0.03$	0.86	0.96
230	$0.21 \pm 0.03$	0.81	0.94
250	$0.28 \pm 0.04$	0.72	0.90

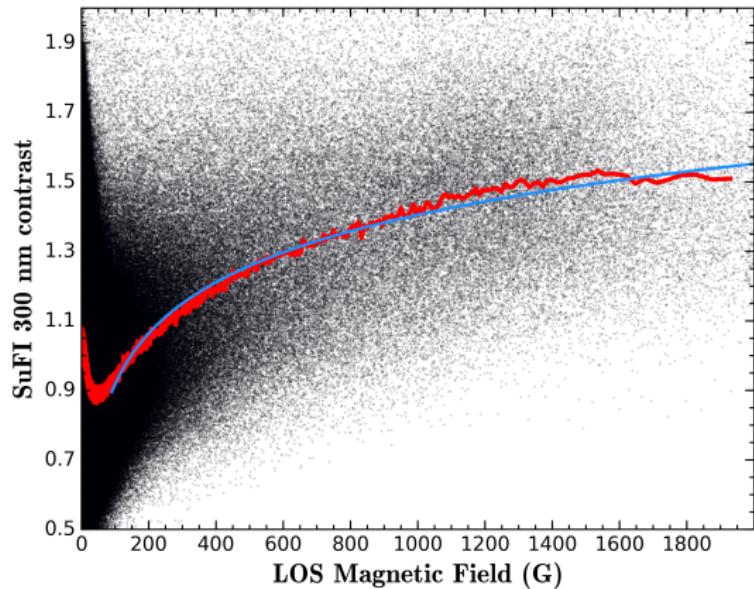
# Results - UV brightness vs. $B_{\text{LOS}}$



$$\frac{I}{\langle I_{qs} \rangle} = a \cdot \log_{10}(B_{\text{LOS}}) + b$$

cut(G)	a	b	$\chi^2$
90	$1.06 \pm 0.004$	$-1.04 \pm 0.009$	2.38
100	$1.07 \pm 0.004$	$-1.07 \pm 0.01$	1.94
150	$1.10 \pm 0.005$	$-1.17 \pm 0.01$	1.13
200	$1.11 \pm 0.007$	$-1.2 \pm 0.02$	0.93
250	$1.11 \pm 0.009$	$-1.18 \pm 0.02$	0.82

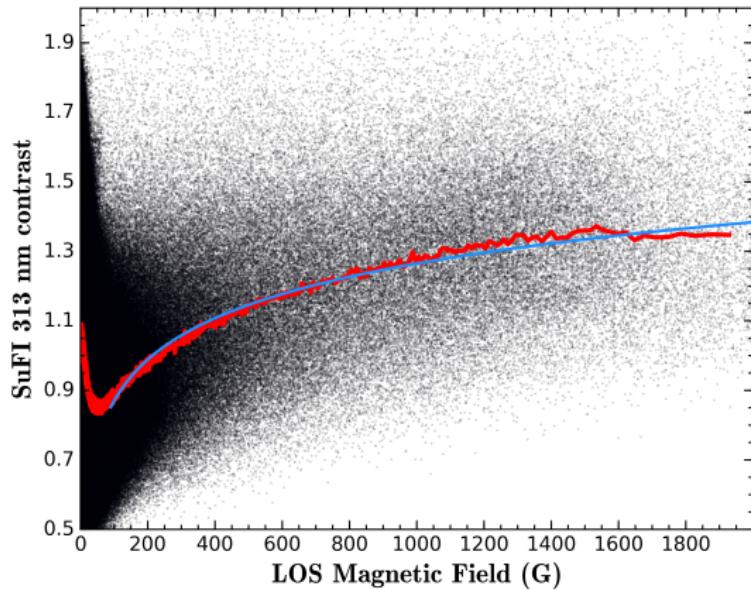
# Results - UV brightness vs. $B_{\text{LOS}}$



$$\frac{I}{\langle I_{qs} \rangle} = a \cdot \log_{10}(B_{\text{LOS}}) + b$$

cut(G)	a	b	$\chi^2$
90	$0.48 \pm 0.002$	$-0.06 \pm 0.006$	3.34
100	$0.50 \pm 0.002$	$-0.08 \pm 0.006$	2.82
150	$0.52 \pm 0.002$	$-0.16 \pm 0.007$	1.35
200	$0.54 \pm 0.003$	$-0.20 \pm 0.008$	0.91
250	$0.54 \pm 0.004$	$-0.22 \pm 0.01$	0.80

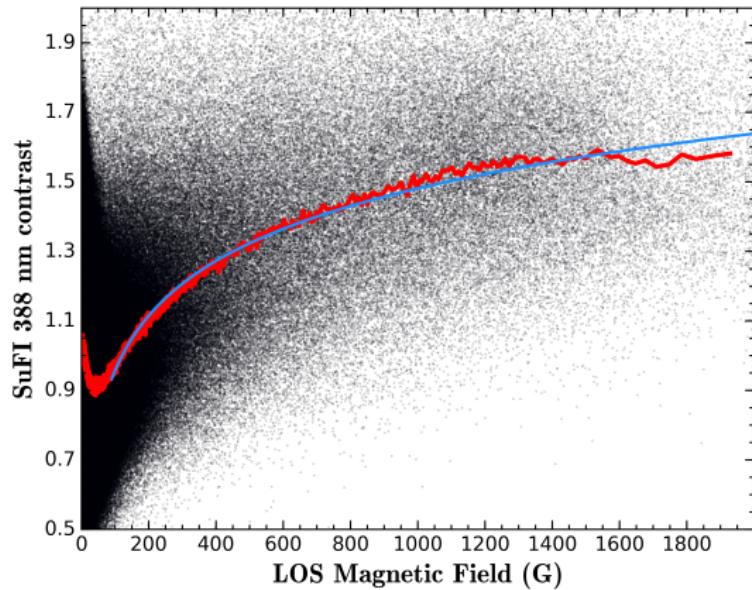
# Results - UV brightness vs. $B_{\text{LOS}}$



$$\frac{I}{\langle I_{qs} \rangle} = a \cdot \log_{10}(B_{\text{LOS}}) + b$$

cut(G)	a	b	$\chi^2$
90	$0.39 \pm 0.002$	$0.08 \pm 0.004$	2.84
100	$0.40 \pm 0.002$	$0.06 \pm 0.005$	2.25
150	$0.42 \pm 0.002$	$0.06 \pm 0.005$	1.11
200	$0.43 \pm 0.002$	$-0.03 \pm 0.007$	0.84
250	$0.44 \pm 0.003$	$-0.04 \pm 0.009$	0.72

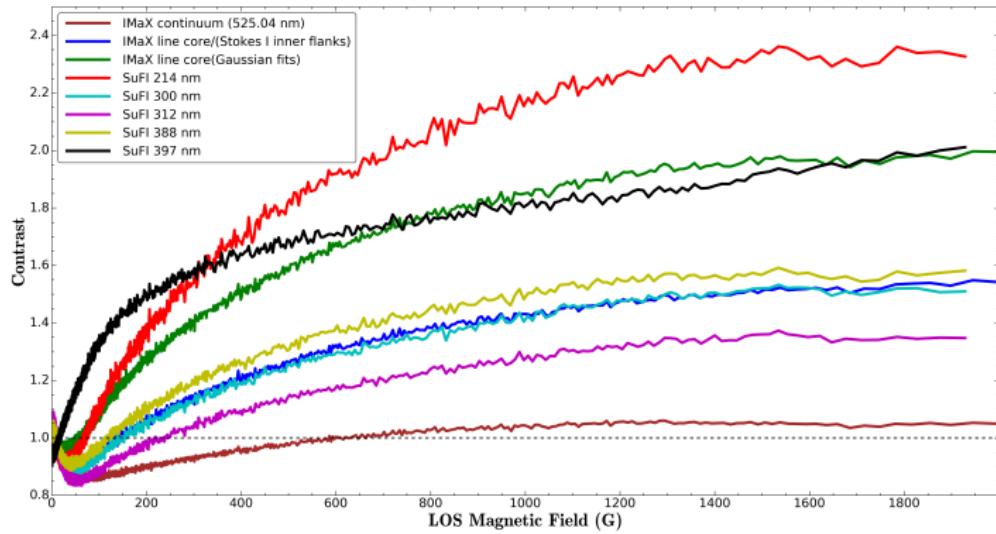
# Results - UV brightness vs. $B_{\text{LOS}}$



$$\frac{I}{\langle I_{qs} \rangle} = a \cdot \log_{10}(B_{\text{LOS}}) + b$$

cut(G)	a	b	$\chi^2$
90	$0.52 \pm 0.002$	$-0.09 \pm 0.005$	2.56
100	$0.53 \pm 0.002$	$-0.11 \pm 0.005$	2.10
150	$0.54 \pm 0.003$	$-0.16 \pm 0.007$	1.43
200	$0.55 \pm 0.004$	$-0.17 \pm 0.01$	1.24
250	$0.55 \pm 0.005$	$-0.16 \pm 0.01$	1.15

# All wavelengths



# C-O-G vs. Inversions

- C-O-G applied on stray-light corrected stokes profiles (lev2.3)  
*Centre of gravity method* (Rees & Semel 1979):

$$\lambda_{\pm} = \frac{\int_{-\infty}^{+\infty} \Delta\lambda [I_c - (I \pm V)] d\Delta\lambda}{\int_{-\infty}^{+\infty} (I_c - (I \pm V)) d\Delta\lambda}$$

$$B_{LOS} = \frac{|\Delta\lambda_Z|}{C_0 \times g \times \lambda_0^2}, \quad \Delta\lambda_Z = \frac{\lambda_+ - \lambda_-}{2}$$

# C-O-G vs. Inversions

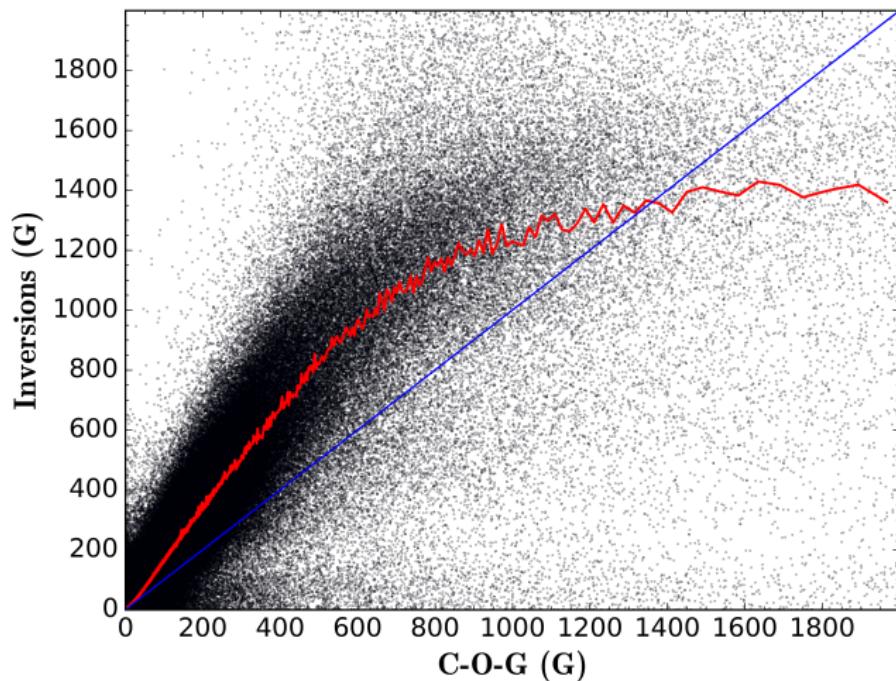
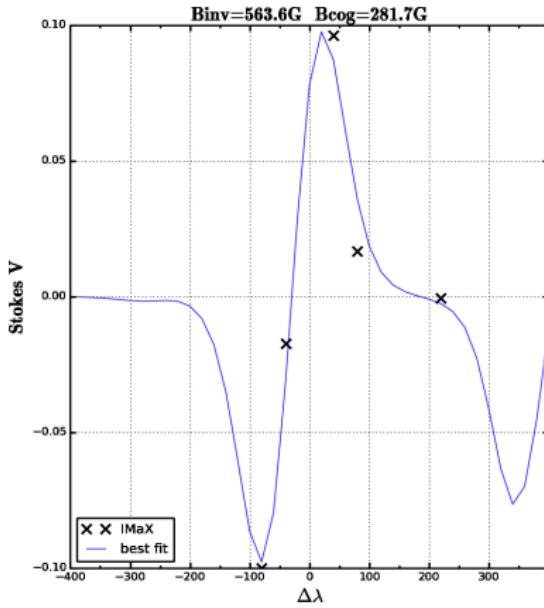
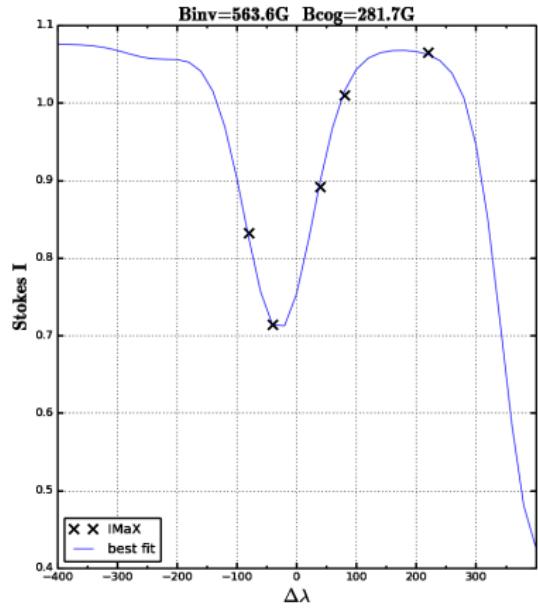


Figure :  $B_{los}$  derived from inversions vs.  $B_{los}$  from C-O-G on IMaX data points

# C-O-G vs. Inversions



# C-O-G vs. Inversions

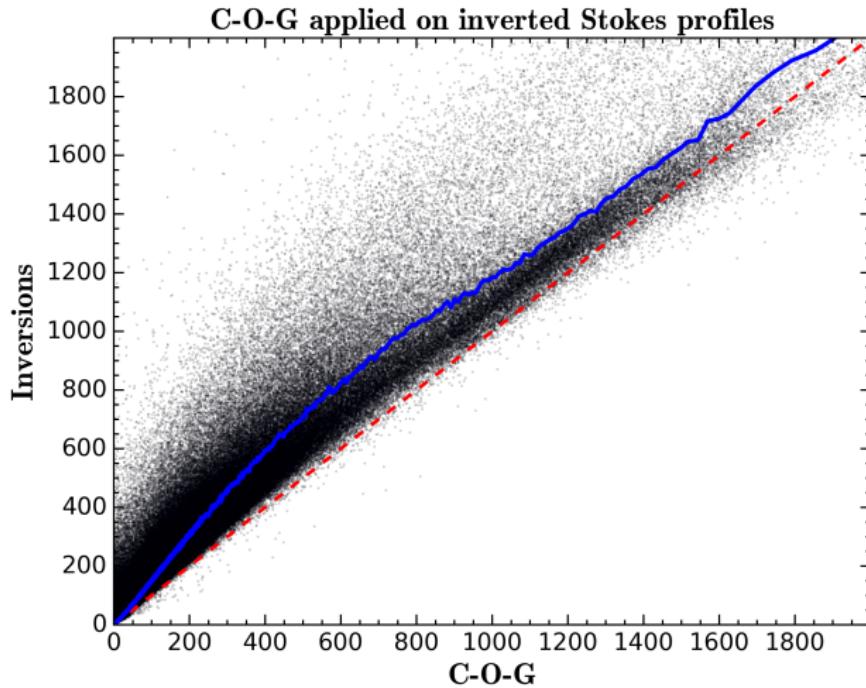


Figure :  $B_{los}$  derived from inversions vs.  $B_{los}$  from C-O-G on inverted profiles

## Future projects

- Carry the same study for different heliocentric angles
- Extend the study to active region Plage (SUNRISE II)
- Compare MHD simulations with observational results to asses the effect of limited spatial resolution

# Thank you for your attention!