FluiDB: Adaptive storage layout using reversible relational operators

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FluiDB at a glance

- FluiDB is an intermediate result (IR) recycling, in-memory RDBMS
- FluiDB materializes all intermediate results and garbage collects when she runs out of space, unifying query planning and IR recycling
- Radical approach to IR recycling: **adapt** data layout to the workload:
 - enable efficient plans
 - constrained (quality) budget
- The main novelty relates to the introduction of reversible relational operations which affords a new perspective on query planning and view selection.

Example 1: Workload based on template query

\$\{\text{min_date}\}\) is instantiated for each query in the workload.

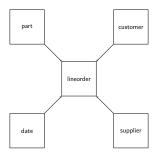
select n_name, avg(l_discount)

from lineitem, customer, nation, order

where l_orderkey = o_orderkey

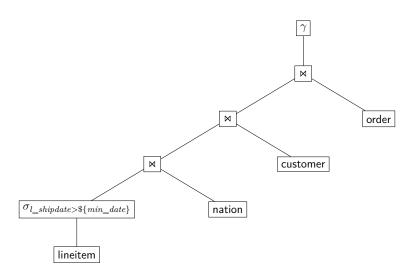
and l_shipdate > \${min_date}

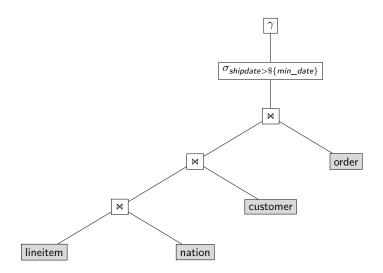
group by n_name

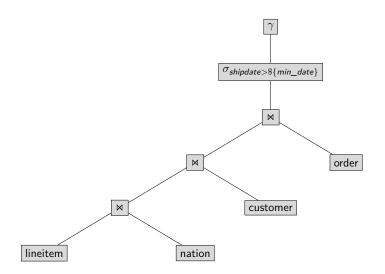


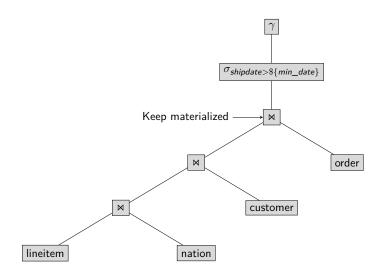
Example 1: Traditional single-query plan

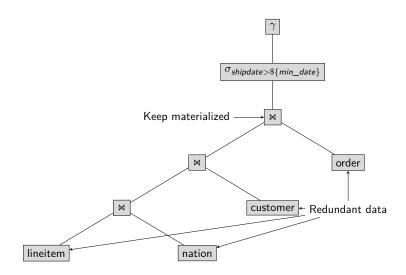
Selection push down

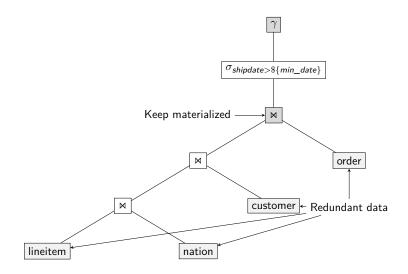


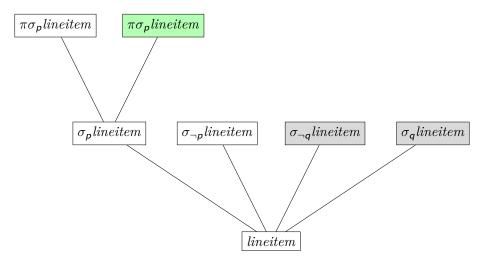


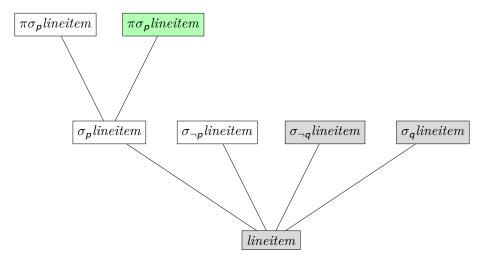


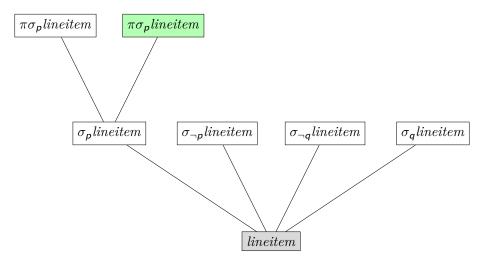


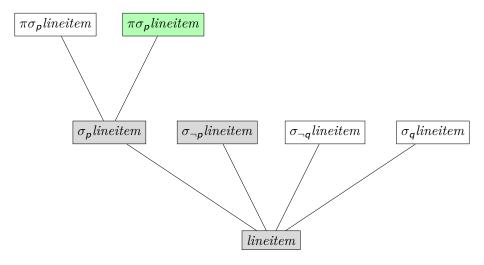


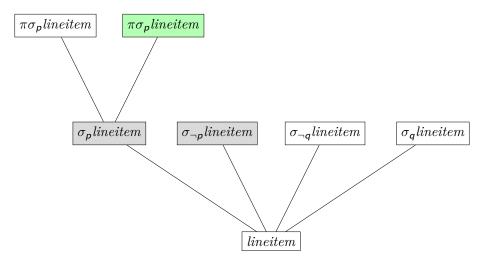


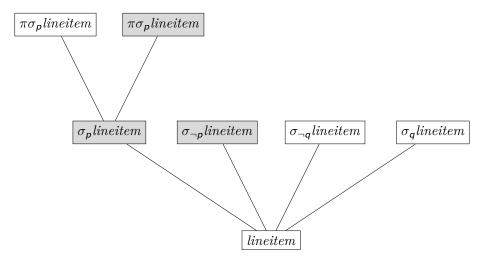








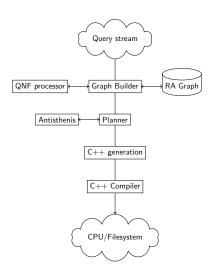




The interesting components

- Graph management and query normal form representation
- Logical planning infrastructure
- Antisthenis: An incremental numeric evaluation system for cost estimation.
- Logical planning algorithm and garbage collector
- Code generation system.

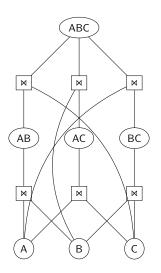
Architecture



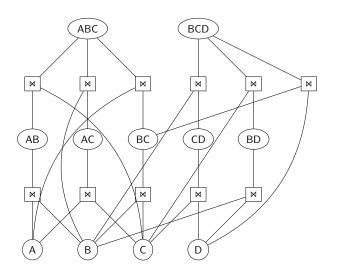
Logical planning

- Bipartite query graph RA operations/relations unified for all queries
- Join ordering enumeration
- QNF $\pi\sigma(Q_1 \times Q_2 \times ...)$ or $\gamma\sigma(Q_1 \times Q_2 \times ...)$

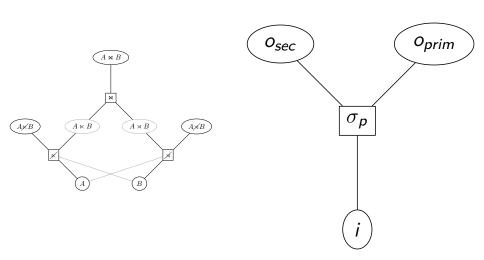
AND/OR DAG (join ordering enumeration)



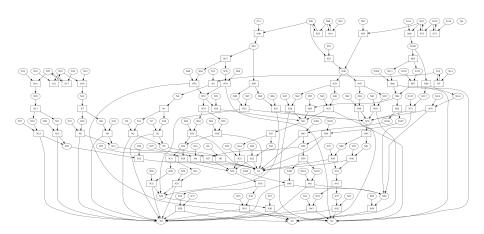
AND/OR DAG (join ordering enumeration)



Reversible operators



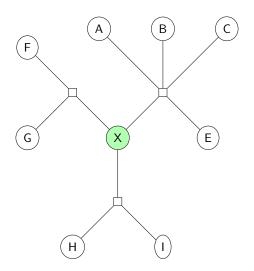
Reversible operations



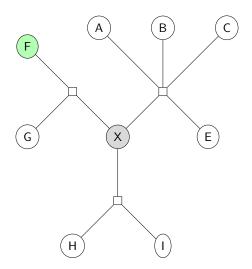
Planning algorithm [TODO shapes]

- A network with reverse nodes
- Check depsets for materializable
- Chose an output set
- Garbage collect to create the output set
- Halt by combining
 - History cost
 - Current tirgger
 - Input cost
- Recurse on chosen inputs
- Mark outputs as materialized

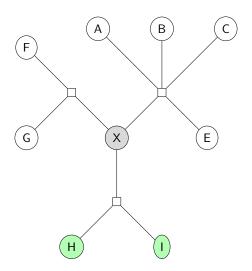
Materialize node X (if it is not already materialized)



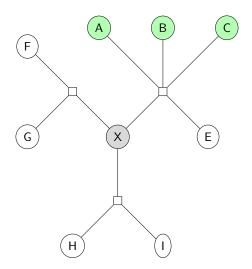
For each input set



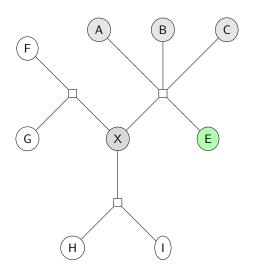
For each input set



For each input set

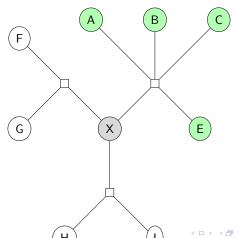


For each output set containing the node



Schedule the current branch

$$\textit{priority} = \sum_{\textit{op} \in \mathsf{planned ops}} \textit{cost}(\textit{op}) + \sum_{\textit{h} \in \textit{hist.}} \textit{cost}_{\textit{stoch.}}(\textit{h}) + \sum_{\textit{d} \in \textit{deps}} \textit{cost}_{\textit{exp.}}(\textit{d})$$



Antisthenis

Dynamically scheduled incremental computation

Materializablility and cost inference are numerical operations:

- Input is mostly the same between runs: incremental.
- Order of computation highly affects the performance (eg absorbig elements, min).
- Self referrential computations may appear earlier than the absorbing element.

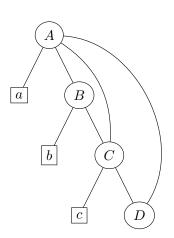
Antisthenis: Expression graphs

$$A = a + B + C + D$$

$$B = C \times b$$

$$C = D + c$$

$$D = 0$$



Antisthenis: Absorbing element

$$A = B \times C \times D$$

$$B = \sum_{i} i$$

$$C = 10 - 10$$

$$D = \sum_{i} i$$

Antisthenis: Early stopping – recursive expressions

While expressions may be self-referential, we can sometimes still evaluate them.

$$A = min(B, C, D)$$

$$B = b_1 + b_2 \cdot D$$

$$C = c_1 + c_2 \cdot A$$

$$D = d_1 + d_2 \cdot B$$

$$b_1 = b_2 = d_1 = d_2 = 1$$

 $c_1 = 3$
 $c_2 = 0$

Kinds of operations: Materializability

$$\mathit{matable}(\mathit{n}) := \bigvee_{\mathit{depset} \in \mathit{depsets}(\mathit{n})} \bigwedge_{\mathit{dep} \in \mathit{depset}} \mathit{mat}(\mathit{dep}) \lor \mathit{matable}(\mathit{dep})$$

Kinds of operations: Materializability

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- Recursive normally we would maintain a visited set.
- Incremental evaluation is inhibited.
- Bot \wedge and \vee have absorbing elements.

Kinds of operations: Estimated cost

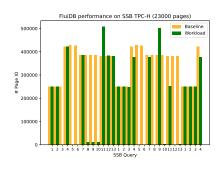
$$\textit{cost}(\textit{n}) := \min_{\textit{depset} \in \textit{depsets}(\textit{n})} \left[\textit{cost}_\textit{op}(\textit{operator}(\textit{depset})) + \sum_{\textit{dep} \in \textit{depset}} \neg \textit{mat}(\textit{n}) \cdot \textit{cost}(\textit{dep}) \right]$$

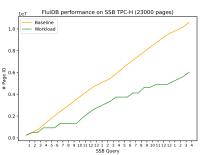
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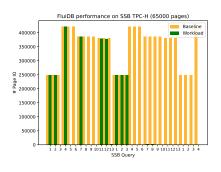
- Recursive Incremental evaluation is inhibited.
- min can be exploited for early stopping

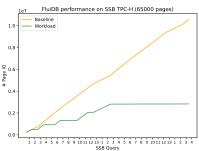
Evaluation: 23K pages budget





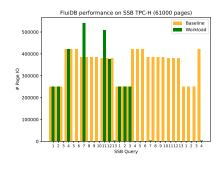
Evaluation: 65K pages budget

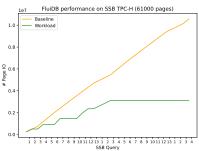




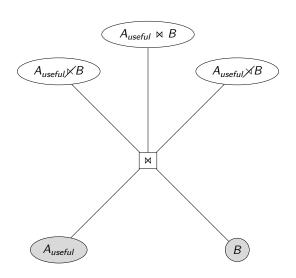
Evaluation: But ... 61K pages budget

lineorder is deleted at 6 because all join outputs were materialized

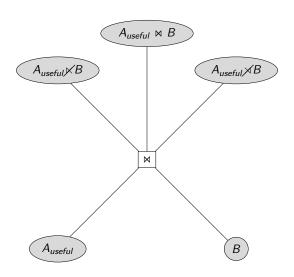




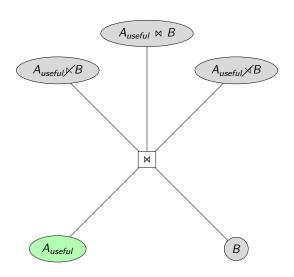
Plenty of memory



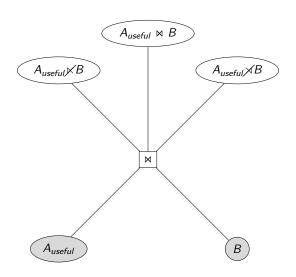
Plenty of memory



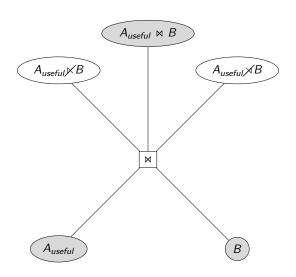
Plenty of memory



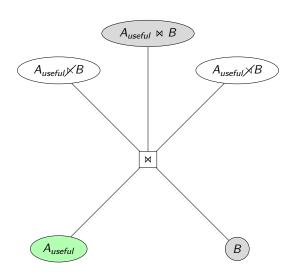
Being on a budget

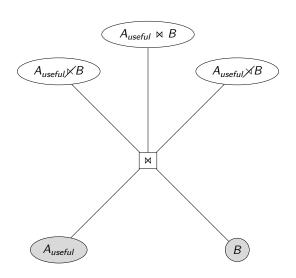


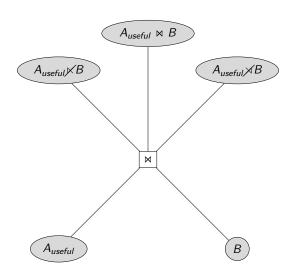
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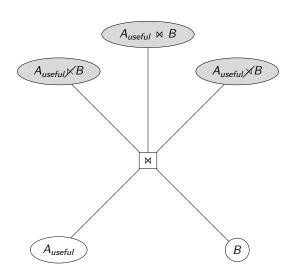


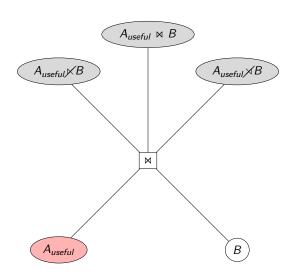
Being on a budget











Conclusions

- FluiDB can efficiently use memory budget to store useful intermediate results.
- FluiDB is virtually always better than the naive case.
- FluiDB can incrementally adapt to the workload.