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Branch: SE Computer A (Batch A)
Practical No.: 1
Bubble Sort
#include<stdio.h>
#define MAX 100
int main()
{
     int a[MAX],n,i,j,temp;
     printf("Enter the size of array: ");
     scanf("%d",&n);
     printf("Enter the array elements: ");
     for(i=0;i<n;i++)
         scanf("%d",&a[i]);
     for(i=1;i<n;i++)
         for(j=0;j<n-i;j++)
              if(a[j]>a[j+1])
              {
                   temp=a[j];
                   a[j]=a[j+1];
                   a[j+1]=temp;
              }
         }
     printf("\nArray after using bubble sort: ");
     for(i=0;i<n;i++)
         printf("%d ",a[i]);
     return 0;
}
 C:\Users\dmell\OneDrive\Desktop\Subjects\AOA\BubbleSort.exe
Enter the size of array: 5
Enter the array elements: 8
                                    25
                                                      4
                                                               6
Array after using bubble sort: 1 4 6 8 25
Process returned 0 (0x0) execution time : 13.759 s
Press any key to continue.
```

```
Modifed Bubble Sort
```

```
#include<stdio.h>
#define MAX 100
int main()
{
     int a[MAX],n,i,j,temp,flag=-1;
     printf("Enter the size of array: ");
     scanf("%d",&n);
     printf("Enter the array elements: ");
     for(i=0;i<n;i++)
          scanf("%d",&a[i]);
     for(i=1;i<n && flag==-1;i++)
     {
          flag=0;
          for(j=0;j<n-i;j++)
          {
               if(a[j]>a[j+1])
                    temp=a[j];
                    a[j]=a[j+1];
                    a[j+1]=temp;
                    flag=-1;
               }
          }
     printf("\nArray after using bubble sort: ");
     for(i=0;i<n;i++)
          printf("%d ",a[i]);
     return 0;
}
```

C:\Users\dmell\OneDrive\Desktop\Subjects\AOA\ModifiedBubbleSort.exe

```
Enter the size of array: 5
Enter the array elements: 5 25 8 1 9
Array after using bubble sort: 1 5 8 9 25
Process returned 0 (0x0) execution time : 7.009 s
Press any key to continue.
```

(Da) Bubble Sort Time Complexity
$$f(n) = \sum_{pan-1}^{n-1} \sum_{i=0}^{n-pan-1}$$

$$= n(n-1)$$

$$= h^2 - h$$

By ignoring the lower order terms and the constant coefficient of higher order terms we get $f(n) = O(n^2)$

Thus, a time complexity is quadratic

b) Modified Bubble Sort Time Complexity

1) Best Care

This case is when array is already scaled eg. 112/3/4/5/

There will be I pare but there are 4 comparisons.

in I pars (n-1) comparison

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	Bu l'Oussi 1
	By ignoring lower order terms and the constant coefficient
	$f(n) = \Omega(n)$ Thus, best case = 1
1	Thus, best case to time complexity is linear
i	Worst Can
	eg 5 4 3 2 11
	In this coal modified a first
	In this case, modified sort works as bubble sort
Ausin	$f(n) = o(n^2)$
	f(n) = o(n2) Worst case complexity is quadratic
	1 mg s quadrance months to
3)	Average Can :
	Here we have to consider all the input cases
	let ((i) denote array get sorted after pars i
	Therefore
	c(i) comparisons
	(n-1)
	e(2) (n-1)+(n-2)
	(n-1) $(n-1)+(n-2)+1$
	$c(i) = \sum_{j=1}^{i} h-j$
	$v = \sum_{i=1}^{j} h - \sum_{j=1}^{j} j$
	$= n \times i - \frac{(i+1)(i)}{n}$
	Yi.

Assuming all cases are occurring equally, likely time taken = $\frac{c(1)}{n-1} + \frac{c(n-1)}{n-1}$

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AAR	$\frac{\sum_{i=1}^{n-1} c(i)!}{(n+1)} = \frac{\sum_{i=1}^{n-1} c(i)!}{(n+1)$
	(n+) lop an equal with multiple
	$= 1 = n^{-1} \left(n \cdot (i+1) \cdot i \cdot n \right) = (n)$
	n-1 2)
	$= \frac{1}{(n-1)n} - \frac{1}{2(n-1)} = \frac{2n-1}{2(n-1)} = \frac{2n-1}{2(n-1)$
	(n-1) 2 $2(n-1)$ $i=1$ $2(n-1)$ $3/4$
	$= n^2 - 1 (n-1)n(2n-1) = 1 n(n-1)$
	2 2(n-1) 6 2 (n-1) 2
	100 zilne z 2n2-nloce nt so los Moores, sono side at
	2 2 4 20219 (2021) (1-11)
	: By ignoring lover order terms and constant coefficient
	of higher order was a dissipated seem land.
	$f(n) = \theta(n^2)$
٠,	Average case complexity is quadratic
,	the section of the section of such set set