

VIT-AP UNIVERSITY

Final Review and Lab Report

MATLAB

WIN SEM 2019-20

SLOT: L 13-14

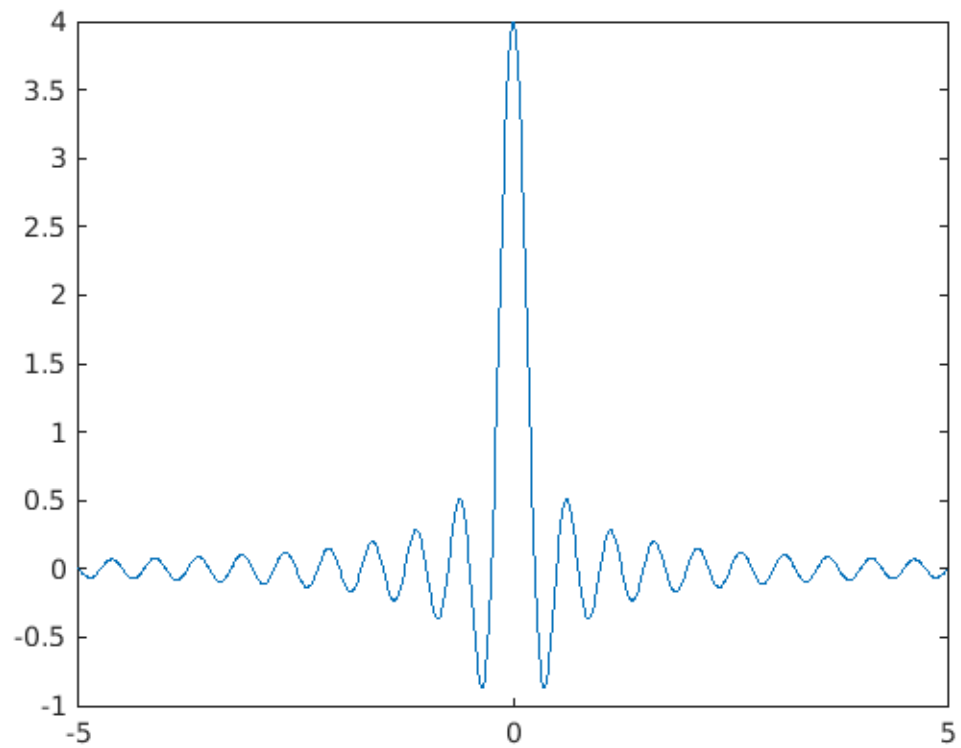
CONTENT

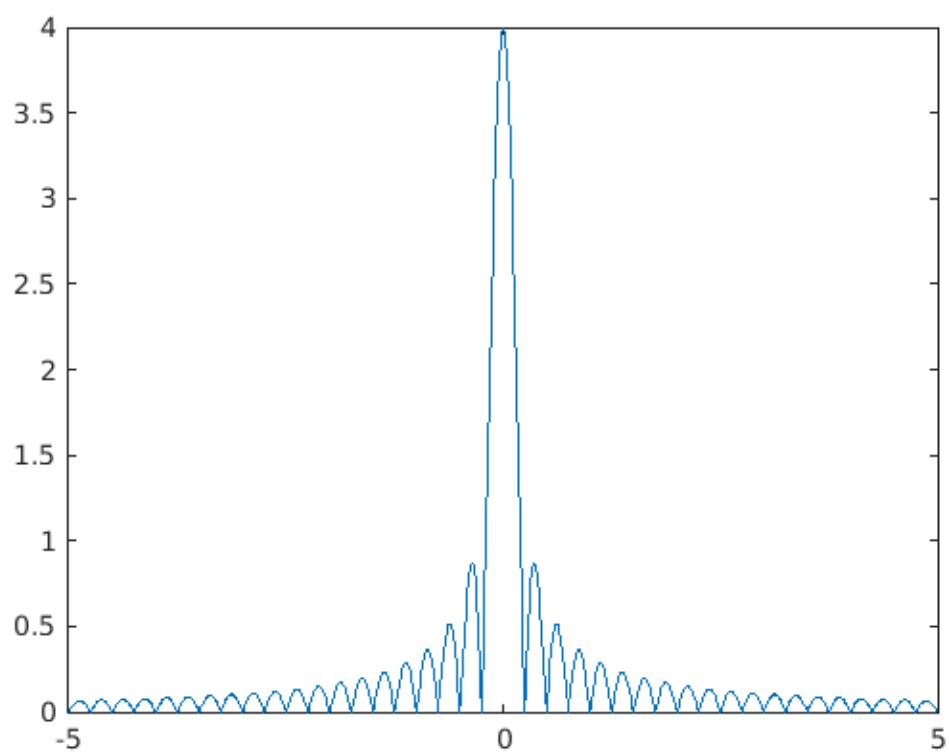
1	Fourier Series of a Periodic Function with Graphs
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```
%SHASHWAT KUMAR
%19BCE7600
%Fourier Series of a Periodic Function
clc
clear all

f=-5:0.01:5;
X=4*sinc(4*f);

plot(f,X)
figure
plot(f,abs(X))
```





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```
%SHASHWAT KUMAR
%19BCE7600
%Fourier Series of a Periodic Function
clc
clear all

F=0;
t=-2:0.01:2;
trapz(t,exp(-j*2*pi*F*t))
```

```
ans =
```

```
4
```

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```

%19BCE7600
%Shashwat Kumar
%Eigen value problem
clc
clear all

A=[0 1 0 1/3 0;1/2 0 1/2 0 1/3;0 0 0 1/3 1/3;0 0 0 0 1/3;1/2 0 1/2 1/3
0];
d=eig(A)
[n,n2]=size(d);

[V D]=eig(A);

Vr=round(V,5)
dr=round(d,5)
for i=1:n
    M=A*Vr(:,i);
    N=Vr(:,i);

    if(M(i,1)==N(i,1))
        [k]=i;
    end

end

[m m2]=size(k);

for i=1:m
    Vr(:,k(i))
end

d =

    1.0000 + 0.0000i
   -0.5719 + 0.2441i
   -0.5719 - 0.2441i
    0.1437 + 0.0000i
    0.0000 + 0.0000i

Vr =

Columns 1 through 4

   -0.6230 + 0.0000i   -0.3424 + 0.4151i   -0.3424 - 0.4151i   -0.7311 +
0.0000i
   -0.5711 + 0.0000i    0.2026 - 0.2748i    0.2026 + 0.2748i   -0.1681 +
0.0000i
   -0.2077 + 0.0000i   -0.1935 - 0.0019i   -0.1935 + 0.0019i    0.6283 +
0.0000i

```

```
-0.1557 + 0.0000i  -0.3242 - 0.1384i  -0.3242 + 0.1384i  0.1893 +  
0.0000i  
-0.4673 + 0.0000i  0.6575 + 0.0000i  0.6575 + 0.0000i  0.0816 +  
0.0000i
```

Column 5

```
0.7071 + 0.0000i  
0.0000 + 0.0000i  
-0.7071 + 0.0000i  
0.0000 + 0.0000i  
0.0000 + 0.0000i
```

dr =

```
1.0000 + 0.0000i  
-0.5718 + 0.2441i  
-0.5718 - 0.2441i  
0.1437 + 0.0000i  
0.0000 + 0.0000i
```

ans =

```
0.7071  
0  
-0.7071  
0  
0
```

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```
% 19BCE7600
% Shahswat Kumar
% Hill Cypher Encryption
clc
clear all

A='CALCULUS';

key=[3,1;0,5];
s2=size(key);

A1=double(A);

A1=A1-65;

s1=size(A1);
j=1;

for i=1:s1(2)

    if(mod(i,2)==0)
        A2(2,j)=A1(i);
        j=j+1;

    else
        A2(1,j)=A1(i);

    end

end

A3=key*A2;

A4=mod(A3,26);

j=1;
for i=1:s1(2)

    if(mod(i,2)==0)
        A5(i)=A4(2,j);
        j=j+1;
    else
        A5(i)=A4(1,j);

    end

end

A5=A5+65;
```

```
A6=char(A5)
```

```
A6 =
```

```
 'GAJKTDAM'
```

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```
%19BCE7600
%SHASHWAT KUMAR
%Power Series Solution
clear all
clc

syms x

n=20;
a=sym('a',[1 (n+1)]);
y=sum(a.*x.^[0:n]);

Dy=diff(y,x);
D2y=diff(y,x,2);

ode=-8*y+D2y;

ode=collect(ode,x);
cof=coeffs(ode,x)

condn1=subs(y,x,0)==1;
condn2=subs(Dy,x,0)==2;

a=solve([condn1,condn2,cof(3:n)],[a(1:n+1)]);

y=subs(y,a)

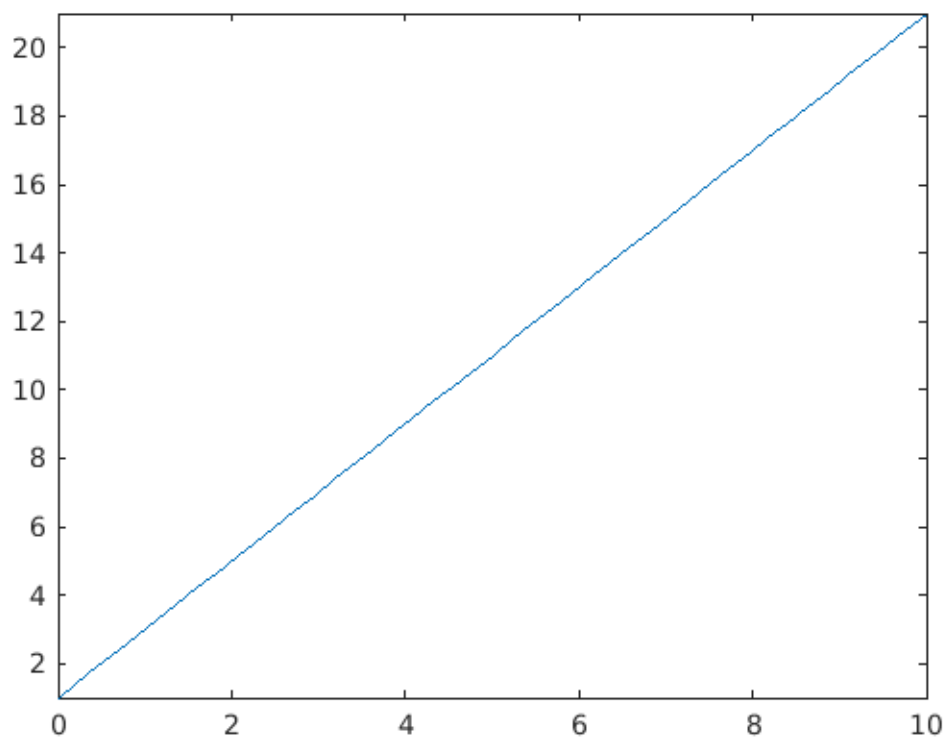
fplot(y,[0,10])

cof =

[ 2*a3 - 8*a1, 6*a4 - 8*a2, 12*a5 - 8*a3, 20*a6 - 8*a4, 30*a7 - 8*a5,
 42*a8 - 8*a6, 56*a9 - 8*a7, 72*a10 - 8*a8, 90*a11 - 8*a9, 110*a12 -
 8*a10, 132*a13 - 8*a11, 156*a14 - 8*a12, 182*a15 - 8*a13, 210*a16 -
 8*a14, 240*a17 - 8*a15, 272*a18 - 8*a16, 306*a19 - 8*a17, 342*a20 -
 8*a18, 380*a21 - 8*a19, -8*a20, -8*a21]

y =

2*x + 1
```



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```
%19BCE7600
%SHASHWAT KUMAR
%Power Series Solution
clear all
clc
syms r(t)

odeq=diff(r,t,2)-8*r;
dr=diff(r,t);
condit1=r(0)==1;
condit2=dr(0)==2
sol=dsolve(odeq,[condit1,condit2])

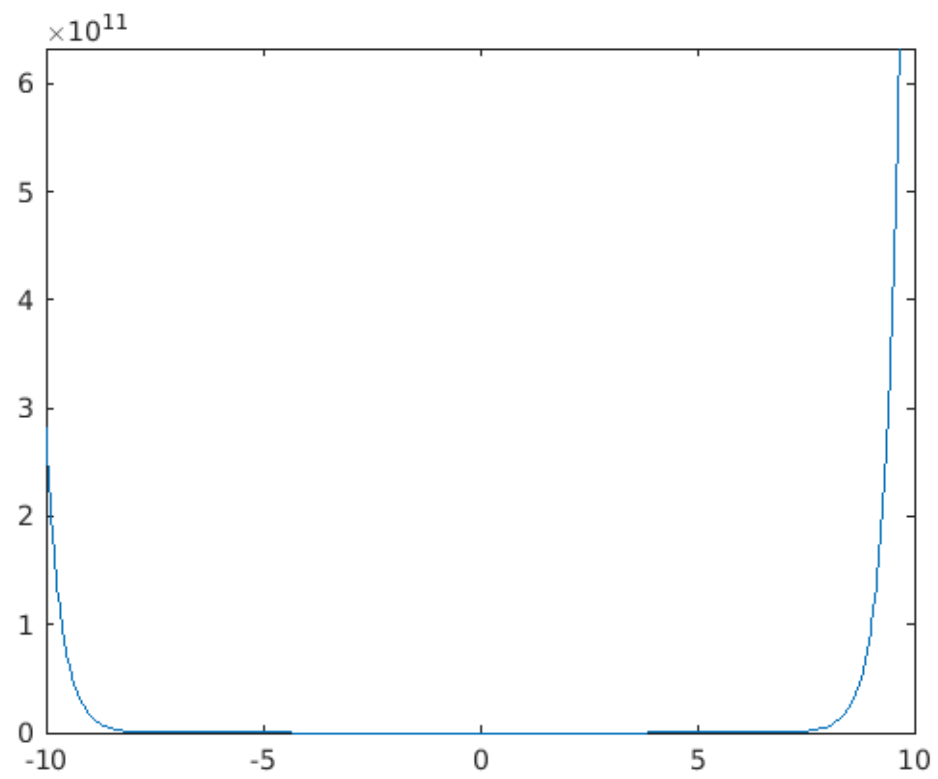
fplot(sol,[-10,10])

condit2 =

subs(diff(r(t), t), t, 0) == 2

sol =

(2^(1/2)*exp(2*2^(1/2)*t)*(2^(1/2) + 1))/4 -
exp(-2*2^(1/2)*t)*(2^(1/2)/4 - 1/2)
```



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```
%19BCE7600
%SHASHWAT KUMAR
%PowerSeriesFrobeniousMethod
clear all
clc

syms x r

n=4;

a=sym('a',[1 (n+1)]);
y=sum(a.*x.^[0:n])*x.^r;

Dy=diff(y,x);
D2y=diff(y,x,2);

ode=(x^2)*D2y-x*Dy+y==0;

ode=collect(ode,x);
cof=coeffs(ode,x)

cof =

a5*r*x^(r - 2)*(r - 1)*x^6 + (7*a5*r*x^(r - 1) + a4*r*x^(r - 2)*(r -
1))*x^5 + (9*a5*x^r + 5*a4*r*x^(r - 1) + a3*r*x^(r - 2)*(r - 1))*x^4
+ (4*a4*x^r + 3*a3*r*x^(r - 1) + a2*r*x^(r - 2)*(r - 1))*x^3 +
(a3*x^r + a2*r*x^(r - 1) + a1*r*x^(r - 2)*(r - 1))*x^2 + (-a1*r*x^(r
- 1))*x + a1*x^r == 0
```

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```
%19BCE7600
%SHASHWAT KUMAR
%Bessels eqn
clear all
clc

z=0:0.1:10;

for i = 0:4
    J(i+1,:) = besselj(i,z);
end

for i = 0:4
    J1(i+1,:) = bessely(i,z);
end

for i = 0:4
    J2(i+1,:) = besseli(i,z);
end

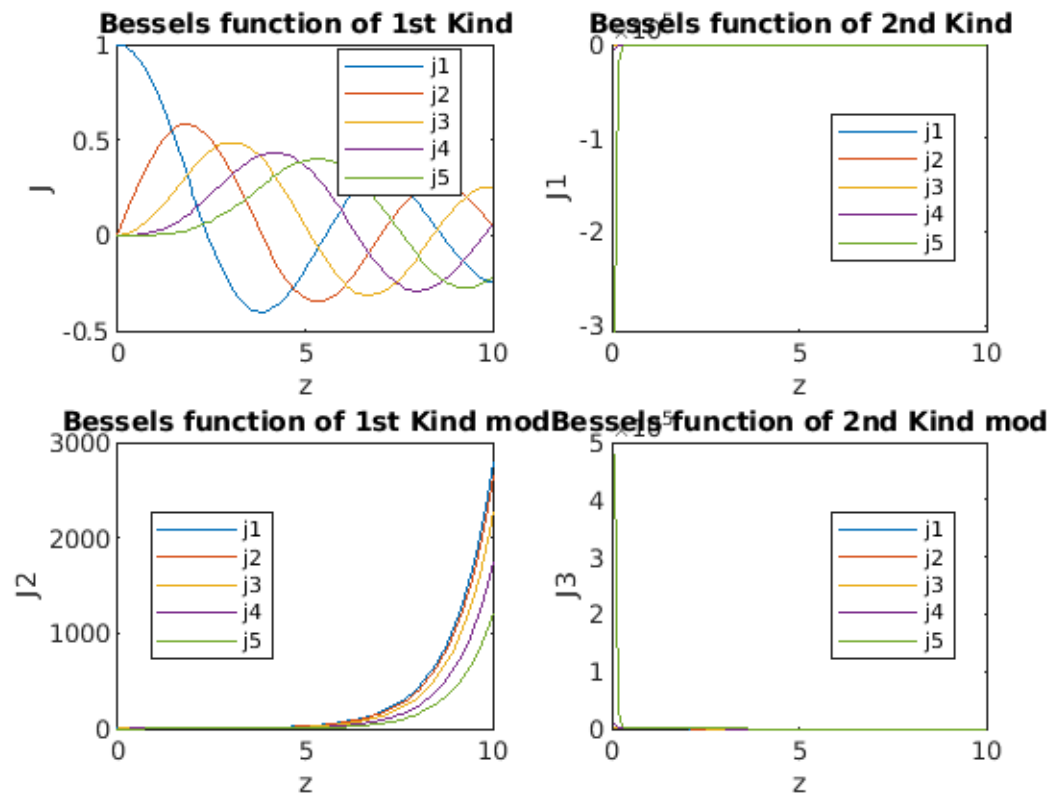
for i = 0:4
    J3(i+1,:) =esselk(i,z);
end

subplot(2,2,1);
plot(z,J)
title('Bessels function of 1st Kind')
xlabel('z')
ylabel('J')
legend('j1','j2','j3','j4','j5','location','best')

subplot(2,2,2);
plot(z,J1)
title('Bessels function of 2nd Kind')
xlabel('z')
ylabel('J1')
legend('j1','j2','j3','j4','j5','location','best')

subplot(2,2,3);
plot(z,J2)
title('Bessels function of 1st Kind mod')
xlabel('z')
ylabel('J2')
legend('j1','j2','j3','j4','j5','location','best')

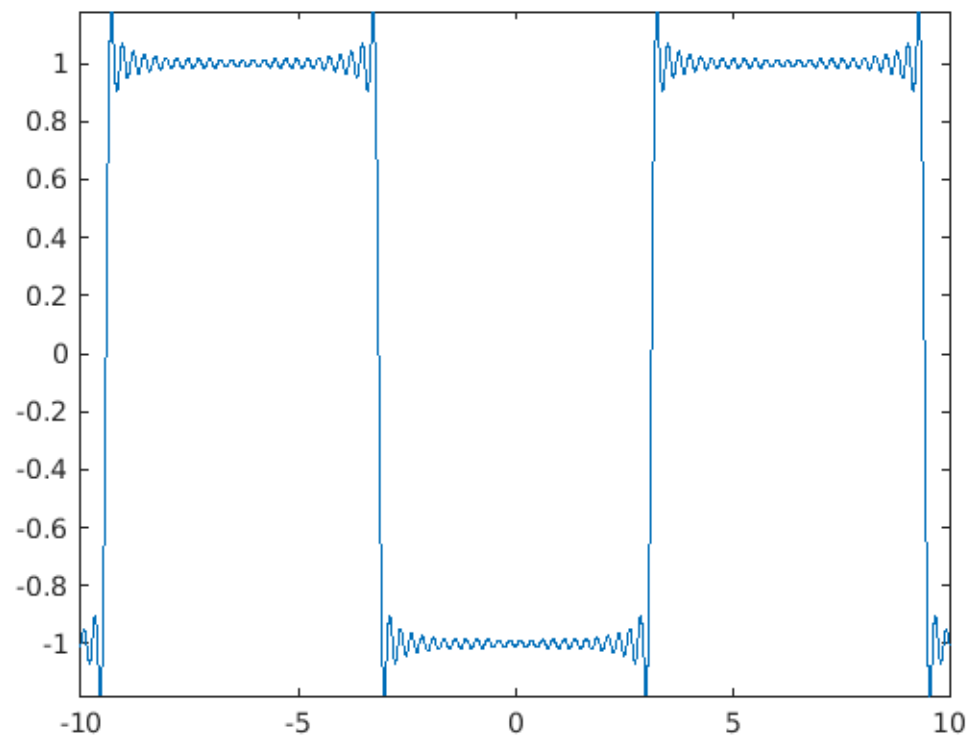
subplot(2,2,4);
plot(z,J3)
title('Bessels function of 2nd Kind mod')
xlabel('z')
ylabel('J3')
legend('j1','j2','j3','j4','j5','location','best')
```



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$$\begin{aligned}
& \pi - (0.30769230769230757928378583443418 \cdot \cos((13 \cdot x)/2)) / \pi - \\
& (0.000000000000000010269456563960962110229141166667 \cdot \cos(15 \cdot x)) / \pi \\
& + (0.000000000000000029271357328868828570776282236615 \cdot \cos(16 \cdot x)) / \pi \\
& \pi + (0.2666666666666666135471208676221977 \cdot \cos((15 \cdot x)/2)) / \pi - \\
& (0.000000000000000045301417015151176246309224585512 \cdot \cos(17 \cdot x)) / \pi \\
& - (0.000000000000000045319650809894085341511527076364 \cdot \cos(18 \cdot x)) / \pi \\
& \pi - (0.23529411764705880551890038177021 \cdot \cos((17 \cdot x)/2)) / \pi - \\
& (0.00000000000000002673805440367945354324745422279 \cdot \cos(19 \cdot x)) / \pi \\
& - (0.000000000000000022280354644577116118853155057877 \cdot \cos(20 \cdot x)) / \pi \\
& \pi + (0.21052631578947370873632072285631 \cdot \cos((19 \cdot x)/2)) / \pi - \\
& (0.000000000000000085323345581168192459025194766802 \cdot \cos(21 \cdot x)) / \pi \\
& + (0.000000000000000021141942363467336463145329616964 \cdot \cos(22 \cdot x)) / \pi \\
& \pi - (0.19047619047619048101259442429267 \cdot \cos((21 \cdot x)/2)) / \pi - \\
& (0.000000000000000011223170606385197372510058519857 \cdot \cos(23 \cdot x)) / \pi \\
& - (0.000000000000000034748679628160417109938862267882 \cdot \cos(24 \cdot x)) / \pi \\
& \pi + (0.17391304347826084695724513373705 \cdot \cos((23 \cdot x)/2)) / \pi - \\
& (0.000000000000000050069987227272352533639687046624 \cdot \cos(25 \cdot x)) / \pi \\
& \pi - (0.15999999999999999855497534451132 \cdot \cos((25 \cdot x)/2)) / \pi \\
& + (0.14814814814814802239675839423683 \cdot \cos((27 \cdot x)/2)) / \pi \\
& - (0.13793103448275772864549393315059 \cdot \cos((29 \cdot x)/2)) / \pi \\
& + (0.12903225806450605950108367903084 \cdot \cos((31 \cdot x)/2)) / \pi \\
& - (0.12121212121215592003812405730301 \cdot \cos((33 \cdot x)/2)) / \pi \\
& + (0.11428571428571432388749534725392 \cdot \cos((35 \cdot x)/2)) / \pi \\
& - (0.10810810810813046927390812523839 \cdot \cos((37 \cdot x)/2)) / \pi \\
& + (0.10256410256404729604891995498051 \cdot \cos((39 \cdot x)/2)) / \pi - \\
& (0.097560975609756062131364129363931 \cdot \cos((41 \cdot x)/2)) / \pi + \\
& (0.093023255813953513752509461021134 \cdot \cos((43 \cdot x)/2)) / \pi - \\
& (0.088888888888888896726465926878546 \cdot \cos((45 \cdot x)/2)) / \pi + \\
& (0.085106382978723394924260026161988 \cdot \cos((47 \cdot x)/2)) / \pi - \\
& (0.081632653061224453141034307357415 \cdot \cos((49 \cdot x)/2)) / \pi - \\
& (0.000000000000000049388762911255041576124100372394 \cdot \sin(2 \cdot x)) / \pi - \\
& (0.0000000000000000069388939039072283776476979255676 \cdot \sin(x/2)) / \pi + \\
& (0.000000000000000029490299091605720605002716183662 \cdot \sin(3 \cdot x)) / \pi - \\
& (0.0000000000000000028952033430735714024270060006467 \cdot \sin(4 \cdot x)) / \pi + \\
& (0.0000000000000000014745149545802860302501358091831 \cdot \sin((3 \cdot x)/2)) / \pi \\
& + (0.0000000000000000021684043449710088680149056017399 \cdot \sin(5 \cdot x)) / \pi \\
& - (0.0000000000000000037467337380952100586964045790159 \cdot \sin(6 \cdot x)) / \pi \\
& - (0.0000000000000000014745149545802860302501358091831 \cdot \sin((5 \cdot x)/2)) / \pi \\
& \pi - (0.000000000000000022985086056692694000957999378443 \cdot \sin(7 \cdot x)) / \pi \\
& + (0.0000000000000000037467337380952100526778735028058 \cdot \sin(8 \cdot x)) / \pi - \\
& (0.0000000000000000031225022567582527699414640665054 \cdot \sin((7 \cdot x)/2)) / \pi \\
& - (0.0000000000000000032526065174565133020223584026098 \cdot \sin(9 \cdot x)) / \pi \\
& - (0.000000000000000005211366017532428520757492155438 \cdot \sin(10 \cdot x)) / \pi - \\
& (0.0000000000000000065052130349130266040447168052197 \cdot \sin((9 \cdot x)/2)) / \pi \\
& \pi - (0.000000000000000026020852139652106416178867220879 \cdot \sin(11 \cdot x)) / \pi \\
& \pi - (0.000000000000000014441955499566991442291612241355 \cdot \sin(12 \cdot x)) / \pi \\
& - \\
& (0.0000000000000000097578195523695399060670752078295 \cdot \sin((11 \cdot x)/2)) / \pi \\
& \pi - (0.000000000000000041633363423443370265886187553406 \cdot \sin(13 \cdot x)) / \pi \\
& + (0.000000000000000026116437215313657369369961642918 \cdot \sin(14 \cdot x)) / \pi - \\
& (0.000000000000000021250362580715886906546074897051 \cdot \sin((13 \cdot x)/2)) / \pi \\
& - (0.000000000000000083266726846886740531772375106812 \cdot \sin(15 \cdot x)) / \pi \\
& - (0.000000000000000016179077505411134301803409070373 \cdot \sin(16 \cdot x)) / \pi - \\
& (0.000000000000000047271214720367993322724942117929 \cdot \sin((15 \cdot x)/2)) / \pi
\end{aligned}$$

$$\begin{aligned}
& + (0.0000000000000000067654215563095476682065054774284 \sin(17x))/\pi \\
& - (0.0000000000000000025264906820292018738378393584631 \sin(18x))/\pi - \\
& (0.0000000000000000027321894746634711736987810581923 \sin((17x)/2))/\pi \\
& - (0.000000000000000007285838599102589796530082821846 \sin(19x))/\pi + \\
& (0.0000000000000000026227136166666470314578334833749 \sin(20x))/\pi + \\
& (0.0000000000000000027972416050126014397392282262444 \sin((19x)/2))/\pi \\
& - (0.0000000000000000071123662515049090870888903737068 \sin(21x))/\pi \\
& + (0.0000000000000000064886616100648864925226747629506 \sin(22x))/\pi \\
& - (0.0000000000000000021250362580715886906546074897051 \sin((21x)/2))/\pi \\
& \pi - (0.0000000000000000082399365108898336984566412866116 \sin(23x))/\pi \\
& + (0.0000000000000000020010964283008508207469307170975 \sin(24x))/\pi + \\
& (0.0000000000000000055511151231257827021181583404541 \sin((23x)/2))/\pi \\
& + (0.0000000000000000013400738851920834804332116618752 \sin(25x))/\pi + \\
& (0.0000000000000000016740081543176188461075071245432 \sin((25x)/2))/\pi \\
& - (0.0000000000000000012143064331837649660883471369743 \sin((27x)/2))/\pi \\
& \pi - \\
& (0.0000000000000000012316536679435330370324663817883 \sin((29x)/2))/\pi \\
& + (0.0000000000000000025500435096859064287855289876461 \sin((31x)/2))/\pi \\
& \pi - \\
& (0.0000000000000000011709383462843447887280490249395 \sin((33x)/2))/\pi \\
& + (0.0000000000000000010581813203458523275912739336491 \sin((35x)/2))/\pi \\
& \pi + \\
& (0.0000000000000000020729945537922844778222497552633 \sin((37x)/2))/\pi \\
& - (0.0000000000000000075460471204991108606918714940548 \sin((39x)/2))/\pi \\
& \pi - \\
& (0.0000000000000000048572257327350598643533885478973 \sin((41x)/2))/\pi \\
& - (0.0000000000000000048572257327350598643533885478973 \sin((43x)/2))/\pi \\
& \pi - \\
& (0.0000000000000000055294310796760726134380092844367 \sin((45x)/2))/\pi \\
& - (0.0000000000000000017347234759768070944119244813919 \sin((47x)/2))/\pi \\
& \pi - \\
& (0.0000000000000000029490299091605720605002716183662 \sin((49x)/2))/\pi \\
& - (0.0000000000000000057904066861471428108725430775035 \cos(x))/\pi - \\
& (0.0000000000000000034694469519536141888238489627838 \sin(x))/\pi
\end{aligned}$$



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```
%19BCE7600
%Shashwat Kumar
%Application of Matrices: Google Page Rank
clc
clear all

A=[0 1 0 1/3 0;1/2 0 1/2 0 1/3;0 0 0 1/3 1/3;0 0 0 0 1/3;1/2 0 1/2 1/3
  0];
d=eig(A);
[n,n2]=size(d);

[V,D]=eig(A);

Vr=round(V,5);
dr=round(d,5);
for i=1:n
    M=A*Vr(:,i);
    N=Vr(:,i);

    if(M(i,1)==N(i,1))
        [k]=i;
    end

end

[m,m2]=size(k);

for i=1:m
    Vr(:,k(i))
end

ans =

    0.7071
         0
   -0.7071
         0
         0
```

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```

%19BCE7600
%Shashwat Kumar
%Determine the probability to #ip a coin n times and have no
    successive heads
%Using Z transform

clc
clear all

syms f(n) z F
assume(n>=0 & in(n,'integer'))
eq = f(n+2) - f(n+1) - f(n)
Zt = ztrans(eq,n,z)
Zt = subs(Zt,ztrans(f(n),n,z),F)
F = solve(Zt,F)
pSol = iztrans(F,z,n);
pSol = simplify(pSol);
pSol = pSol/(2^n)
pSol = subs(pSol,[f(0) f(1)],[1 2])
nvalues = 1:10;
pSolValues = subs(pSol,n,nvalues);
pSolValues = double(pSolValues);
pSolValues = real(pSolValues)
stem(nvalues,pSolValues)
title('Probability to #ip a coin n times and have no successive
    heads')
xlabel('No. of times tossed (n)')
ylabel('Probability f(n)')
grid on

eq =

f(n + 2) - f(n + 1) - f(n)

Zt =

z*f(0) - z*ztrans(f(n), n, z) - z*f(1) + z^2*ztrans(f(n), n, z) -
    z^2*f(0) - ztrans(f(n), n, z)

Zt =

z*f(0) - F*z - F - z*f(1) + F*z^2 - z^2*f(0)

F =

-(z*f(1) - z*f(0) + z^2*f(0))/(- z^2 + z + 1)

pSol =

```

```
(2*(-1)^(n/2)*cos(n*(pi/2 + asinh(1/2)*1i))*f(1) + (2^(2 -
n)*5^(1/2)*(5^(1/2) + 1)^(n - 1)*(f(0)/2 - f(1)))/5 - (2*2^(1 -
n)*5^(1/2)*(1 - 5^(1/2))^(n - 1)*(f(0)/2 - f(1)))/5)/2^n
```

```
pSol =
```

```
(4*(-1)^(n/2)*cos(n*(pi/2 + asinh(1/2)*1i)) - (3*2^(2 -
n)*5^(1/2)*(5^(1/2) + 1)^(n - 1)))/10 + (3*2^(1 - n)*5^(1/2)*(1 -
5^(1/2))^(n - 1))/5)/2^n
```

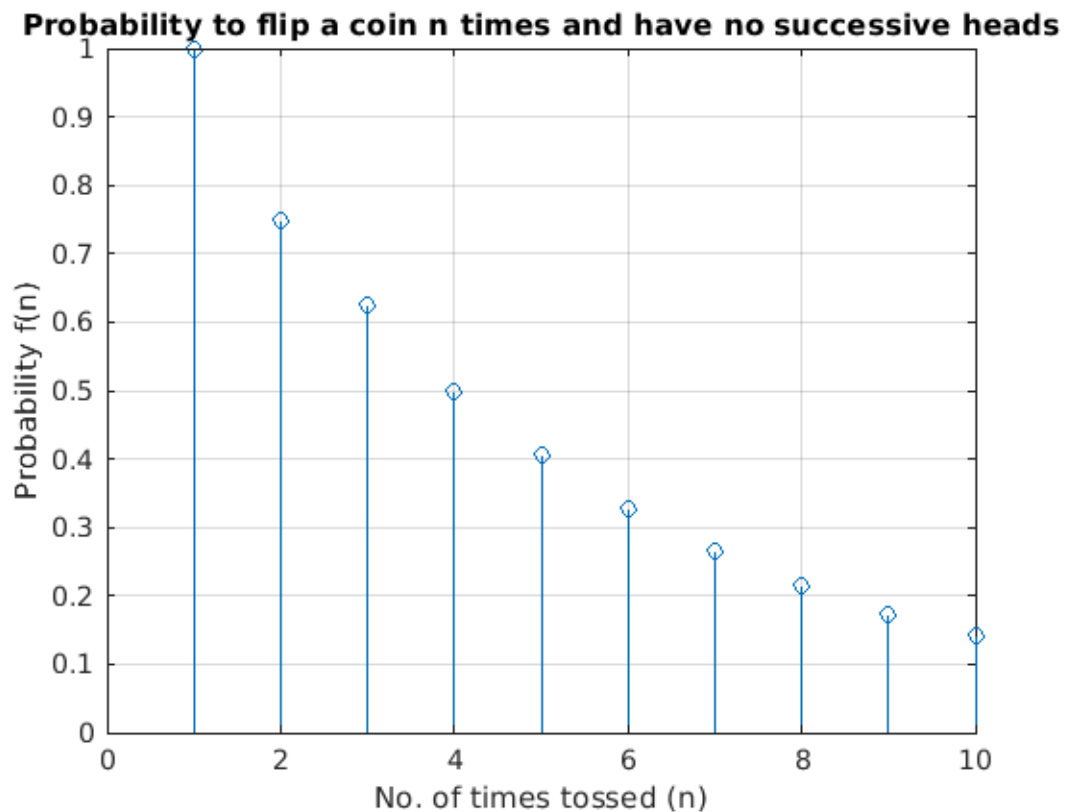
```
pSolValues =
```

```
Columns 1 through 7
```

```
1.0000    0.7500    0.6250    0.5000    0.4062    0.3281    0.2656
```

```
Columns 8 through 10
```

```
0.2148    0.1738    0.1406
```



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```

%19BCE7600
%Shashwat Kumar
% A bank account gives an interest rate of 5% compounded monthly.
% If you invest initially Rs. 1000, and add Rs. 10 every month.
% How much money do you have after 5 years?
%Using Z transform

clc
clear all

syms f(n) z F
assume(n>=0 & in(n,'integer'))
eq= f(n) - 0.6*f(n+1) + 120
Zt = ztrans(eq,n,z)
Zt = subs(Zt,ztrans(f(n),n,z),F)
F = solve(Zt,F)
pSol = iztrans(F,z,n);
pSol = simplify(pSol);
pSol = subs(pSol,f(0),1000)
nvalues = 1:5;
pSolValues = subs(pSol,n,nvalues);
pSolValues = double(pSolValues);
pSolValues = real(pSolValues)
stem(nvalues,pSolValues)
title('Compound Intrest')
xlabel('No. of years (n)')
ylabel('Balance Amount f(n)')
grid on

eq =

f(n) - (3*f(n + 1))/5 + 120

Zt =

(120*z)/(z - 1) - (3*z*ztrans(f(n), n, z))/5 + (3*z*f(0))/5 +
ztrans(f(n), n, z)

Zt =

F + (120*z)/(z - 1) - (3*F*z)/5 + (3*z*f(0))/5

F =

((120*z)/(z - 1) + (3*z*f(0))/5)/((3*z)/5 - 1)

pSol =

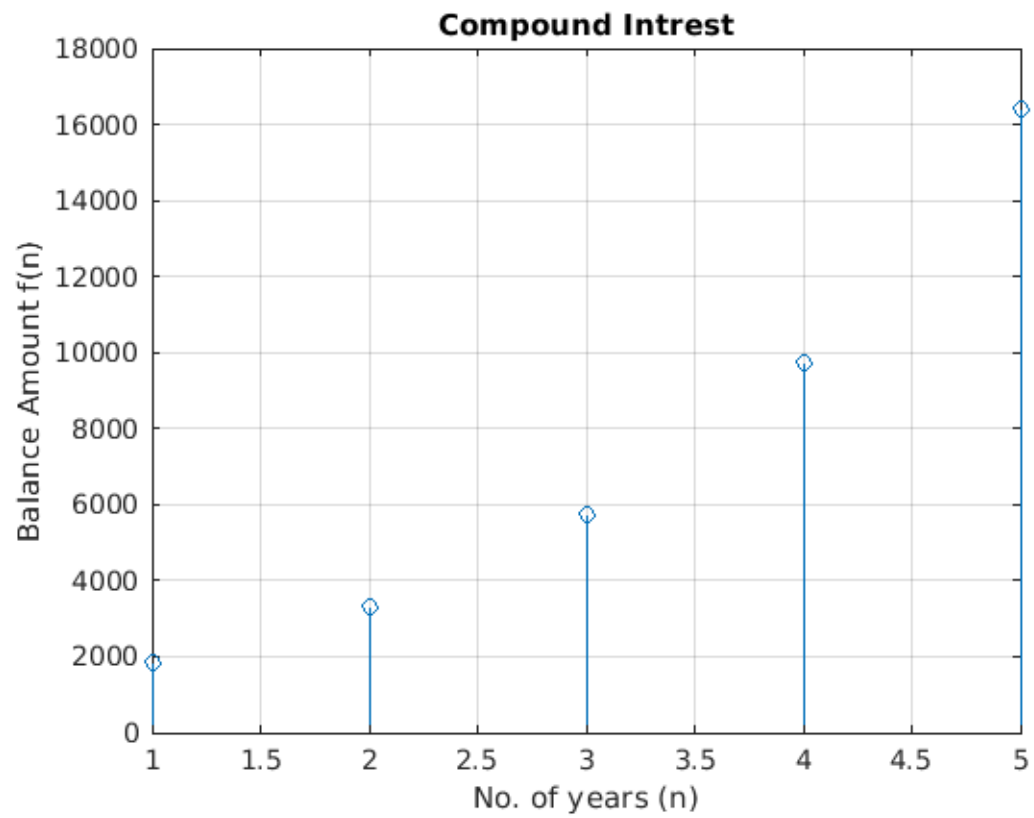
```

$$1300 \cdot (5/3)^n - 300$$

pSolValues =

1.0e+04 *

0.1867 0.3311 0.5719 0.9731 1.6418



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