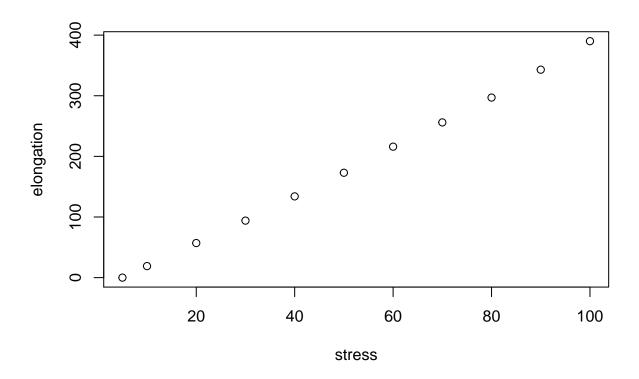
## DATA609 HW3

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### 1) p113 #2

```
stress < c(5,10,20,30,40,50,60,70,80,90,100)
elongation \leftarrow c(0,19,57,94,134,173,216,256,297,343,390)
data.frame(stress, elongation)
      stress elongation
## 1
          5
## 2
          10
                     19
## 3
         20
                     57
## 4
         30
                     94
## 5
         40
                    134
## 6
         50
                    173
## 7
         60
                    216
## 8
         70
                    256
## 9
                    297
         80
## 10
                    343
         90
                    390
## 11
         100
fit <- lm(elongation ~ stress)
summary(fit)
##
## Call:
## lm(formula = elongation ~ stress)
## Residuals:
    Min
             1Q Median
                            3Q
                                  Max
## -5.059 -3.253 -2.673 2.941 8.474
##
## Coefficients:
##
                Estimate Std. Error t value Pr(>|t|)
                            2.65303 -9.577 5.12e-06 ***
## (Intercept) -25.40713
                            0.04483 90.773 1.21e-14 ***
## stress
                 4.06933
## Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
## Residual standard error: 4.599 on 9 degrees of freedom
## Multiple R-squared: 0.9989, Adjusted R-squared: 0.9988
## F-statistic: 8240 on 1 and 9 DF, p-value: 1.212e-14
plot(stress, elongation)
```

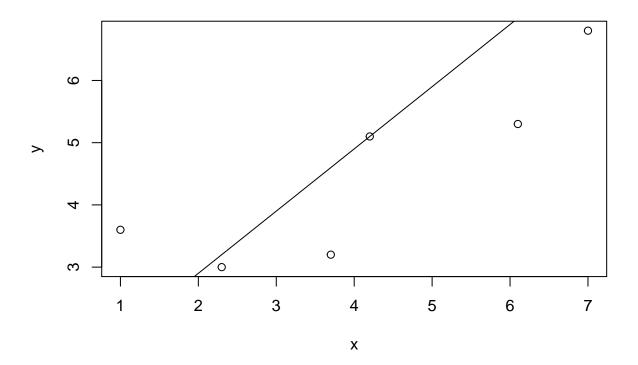


Graphically, fitting this model to e = c1 \* S, it looks like c1 = 4

# 2) p121 #2a - MINIMIZE THE LARGEST DIFFERENCE $\ensuremath{\mathrm{w/CHEB}}$

```
library(cheb)
x \leftarrow c(1.0, 2.3, 3.7, 4.2, 6.1, 7.0)
y \leftarrow c(3.6, 3.0, 3.2, 5.1, 5.3, 6.8)
plot(y ~ x)
# try all slopes from 0 to 10
smallest_largest_deviation <- 1000</pre>
m_smallest_largest_deviation <- -1
b_smallest_largest_deviation <- -1</pre>
for(m in seq(from=1, to=10, by=0.1)){
  for(b in seq(from=-5, to=5, by=0.1)){
    largest_deviation_for_combo <- 0</pre>
    for(idx in 1:6){
      y_val_est <- m*x[idx] + b
      y_val_diff <- abs(y_val_est - y[idx])</pre>
      if(y_val_diff > largest_deviation_for_combo){
         largest_deviation_for_combo <- y_val_diff</pre>
```

```
}
}
if(largest_deviation_for_combo < smallest_largest_deviation){
    smallest_largest_deviation <- largest_deviation_for_combo
    m_smallest_largest_deviation <- m
    b_smallest_largest_deviation <- b
}
}
abline(b_smallest_largest_deviation, m_smallest_largest_deviation)</pre>
```



smallest\_largest\_deviation

## [1] 1.7

 ${\tt m\_smallest\_largest\_deviation}$ 

## [1] 1

b\_smallest\_largest\_deviation

## [1] 0.9

### 3) p127 #10 (extra)

```
periods <- c(7.6*10^6, 1.94*10^7, 3.16*10^7, 5.94*10^7, 3.74*10^8, 9.35*10^8, 2.64*10^9, 5.22*10^9)
 \text{sundistance} \leftarrow c(5.79*10^10, \ 1.08*10^11, \ 1.5*10^11, \ 2.28*10^11, \ 7.79*10^11, \ 1.43*10^12, \ 2.87*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^12, \ 4.58*10^1
set.seed(2016)
m <- nls(periods~a*sundistance^(3/2))</pre>
cor(periods, predict(m))
## [1] 0.9999945
eval(m$call[[2]])
## periods ~ a * sundistance^(3/2)
4) p136 #7
       a)
length <- c(14.5,12.5,17.25,14.5,12.625,17.75,14.125,12.625)
weight <-c(27,17,41,26,17,49,23,16)
set.seed(2016)
model <- nls(weight~k*length^3)</pre>
cor(weight, predict(model))
## [1] 0.9940134
eval(model$call[[2]])
## weight ~ k * length^3
      b)
length <- c(14.5,12.5,17.25,14.5,12.625,17.75,14.125,12.625)
girth \leftarrow c(9.75,8.375,11.0,9.75,8.5,12.5,9.0,8.5)
weight <-c(27,17,41,26,17,49,23,16)
set.seed(2016)
m <- nls(weight~k*length*girth^2)</pre>
cor(weight, predict(m))
## [1] 0.9927134
```

#### eval(m\$call[[2]])

```
## weight ~ k * length * girth^2
```

c) The first model fits the data more fully because its prediction's correlation is higher.