

MICISO: Towards High Performance Ontology Learning

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Abstract

We put forward a hypothesis that there exist common meaningful structures among ontologies whose domains are analogous to each other. The initial motivation of our hypothesis is to make full use of the structural information in existing ontologies, in order to guide the process of ontology learning and improve its quality especially in structural aspect. To support the hypothesis we give a series of definitions, algorithms and some preliminary experiments. We suppose that our work will spark a novel promising thinking for the domain of ontology, i.e. to study existing ontologies for useful things.

1 Introduction

There are a number of methods for such ontology learning today [Maedche, 2002], however, the quality of these methods is not so satisfactory [Gomez & Manzano, 2003]. We infer that an important reason is that they have not made full use of the existing ontologies. With this idea we put forward a hypothesis that there exist some common meaningful structures among ontologies whose domains are analogous to each other. If such structures are obtained, we can apply them as guidelines in ontology learning, in order to improve the structural quality of the results. We would like to lead people to the scene during construction of ontologies demonstrated in fig.1.

2 Definitions

We suppose that such common meaningful structures exist in different ontologies, however, they are equal from the point view of graph theory. Meanwhile, we prefer such structures as complex and large as possible. Based on the above consideration we present the definition as follows.

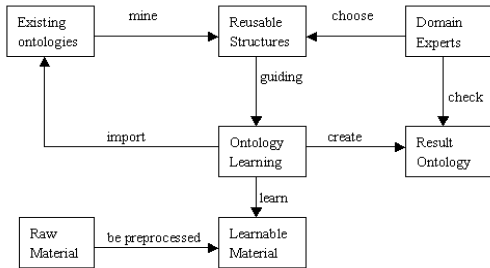


Fig. 1. The proposed model for ontology learning with our hypothesis

We will begin with the definition of ontology with reference of the description of ontology [Gruber, 1993], the semantics of OWL [Patel *et al.*, 2004].

Definition 1 Core Ontology (CO) A core ontology is a structure $O_C = (C, \leq_C, R, \sigma_R, P, A)$, which omit instances, data types, and values in ontology.

Definition 2 Induced Sub-Ontology For any ontology $O_0 = (C_0, \leq_{C_0}, R_0, \sigma_{R_0}, P_0, A_0)$, $O = (C, \leq_C, R, \sigma_R, P, A)$, if C_x is a concept set and P_x is a predicate set, O is called the induced sub-ontology of O_0 on concept set C_x and predicate set P_x , which is denoted as $O = \pi(O_0 | C_x, P_x)$, iff (1) $C = C_x \cap C_0$ (2) $\leq_C = \leq_{C_0} \cap C \times C$ (3) $R = \{r | r \in R_0, \text{ and for any } 1 \leq i \leq |\sigma_{R_0}(r)|, \pi_i(\sigma_{R_0}(r)) \in C\}$ (4) σ_R is the restriction of σ_{R_0} on R (5) $P = P_x \cap P_0$ (6) $A = \{a | a \in A_0, \text{ the predicate of } A \text{ is from } P, \text{ and the individuals of } A \text{ are all from } C \cup R\}$

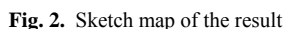
Definition 3 Ontology Isomorph For ontologies $O_1 = (C_1, \leq_{C_1}, R_1, \sigma_{R_1}, P_1, A_1)$, and $O_2 = (C_2, \leq_{C_2}, R_2, \sigma_{R_2}, P_2, A_2)$, we call that O_1 is isomorphic with O_2 , denoted as $O_2 \approx O_1$, iff there exist two bijections $f: C_1 \rightarrow C_2, g: R_1 \rightarrow R_2$ and a mapping $h: R_1 \rightarrow N$, where $N = \{k | k \in K[n], \text{ and } n \in \mathbb{Z}^+, K[n] \text{ is the set of all the } n\text{-rank permutations}\}$, so that (1) For any $c_1, c_2 \in C_1, c_1 \leq_{C_1} c_2$ iff $f(c_1) \leq_{C_2} f(c_2)$ (2) For any $r \in R_1, |\sigma_{R_1}(r)| = |\sigma_{R_2}(g(r))|$, and for any $1 \leq x \leq |\sigma_{R_1}(r)|$, if $y = [h(r)](x)$, then $\pi_x(\sigma_{R_1}(r)) = f(\pi_y(\sigma_{R_2}(g(r))))$ (3) $P_1 = P_2$ (4) $a \in A_1$ iff $h(f, g, h) \in A_2$, denoted as $O_1(f, g, h) = O_2$.

Definition 4 Isomorphic Common Induced Sub-Ontology (ICISO) For an ontology set $S = \{O_i | O_i = (C_i, \leq_{C_i}, R_i, \sigma_{R_i}, P_i, A_i), 1 \leq i \leq n\}$, a predicate set P , and an ontology O , O is called a common isomorphic sub-ontology of S on P , iff for any $1 \leq i \leq n$, there exists a concept set C_i' , which is a subset of C_i , so that $\pi(O_i | C_i', P) \approx O$. And the set of all the ICISOs of S on P is denoted as $\text{Com}(S, P)$.

Definition 5 Maximum Isomorphic Common Induced Sub-Ontology (MICISO) For an ontology set S and a predicate set P , an ontology O is called a maximum common isomorphic sub-ontology, iff (1) $O \in \text{Com}(S, P)$ (2) There exists no O' so that $O' \in \text{Com}(S, P)$, $O' \neq O$, $O \leq_O O'$. The set of all the MICISO of S on P is denoted as $\text{MC}(S, P)$.

3 Search MICISO

Based on the definition of MICISO, we are to specify the problem of search MICISO, and further design algorithms for it.



The problem is to derive all the MICISOs of the two ontologies on the predicate set, when two ontologies and a predicate set are given. In fact, it is a novel data-mining problem, thus we can it MISICO mining

TABLE 1

Ontology on University			Ontology on Corporation		
Relation	Domain	Range	Relation	Domain	Range
Stipulate	Founder	School-regulation	Stipulate	Shareholder	Constitution
Own	Founder	University	Own	Shareholder	Corporation
Donate	Founder	Bonus	Provide	Shareholder	Bonus
Administrate	School-regulation	Component	Control	Constitution	Component
Encourage	Bonus	Personnel	Encourage	Bonus	Personnel
Include	University	Component	Include	Corporation	Component
Co-stipulate	Personnel	School-regulation	Co-stipulate	Personnel	Constitution
Promote	Staff	Manager	Promote	Staff	Manager
Provide	Material	Personnel	Provide	Material	Personnel
Manage	HR-Manager	Staff	Manage	HR-Manager	Staff
Manage	Material-Manager	Material	Manage	Material-Manager	Material
Grow	Student	Tutor	Develop	Staff	Project-leader
Provide	Tutor	Education	Lead	Project-leader	Project
Learn	Student	Education	Engage in	Staff	Project
Ensure	Material	Education	Support	Material	Project
Generate	Student	Learning result	Generate	Staff	Result
Enhance	Reputation	University	Develop	Fame	Corporation
Reward	Talents	Founder	Reward	Margin	Shareholder

Furthermore we create a random version of the algorithm in order to reduce the computing complexity, which will not be presented for lack of space.

We have implemented MICISO mining on several pairs of existing ontologies, and get some interesting result. Specifically, we will take a pair of ontologies, whose domains are corporation and university respectively, for example. We demonstrate the MICISO by displaying its corresponding sub-ontologies in the two original ontologies respectively in fig.2, and the detailed description in English is listed in table 1.

Our future work is engaged in two aspects. (1) To implement our algorithm on more ontologies to further verify our hypothesis, while to gain more MICISOs for future usage. (2) To implement further study on the structural information of the existing ontologies to strengthen the hypothesis.

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