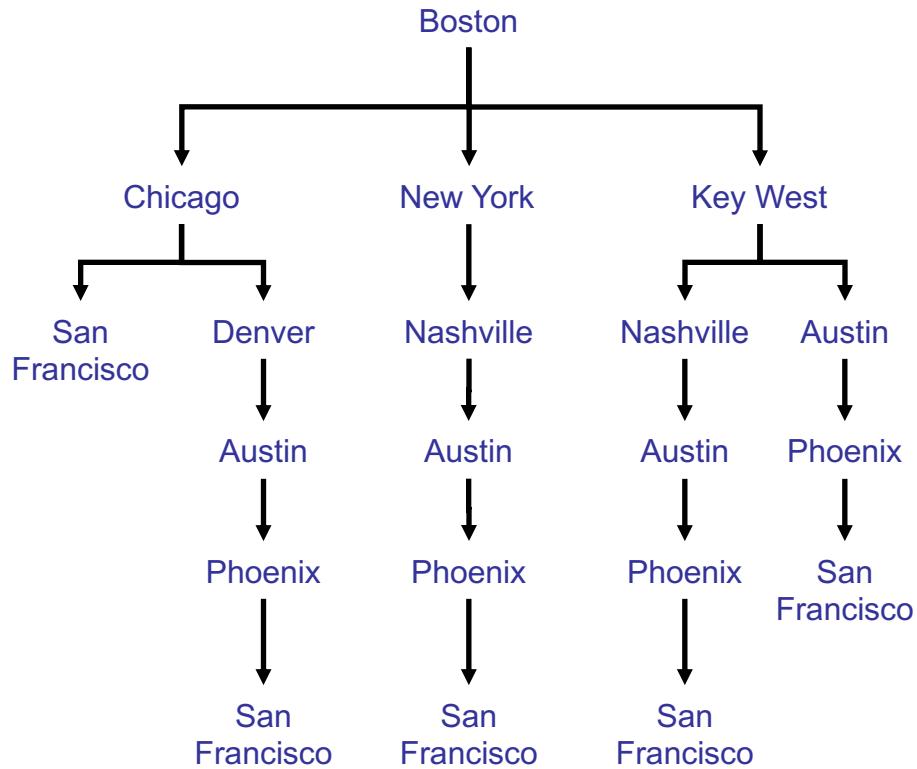
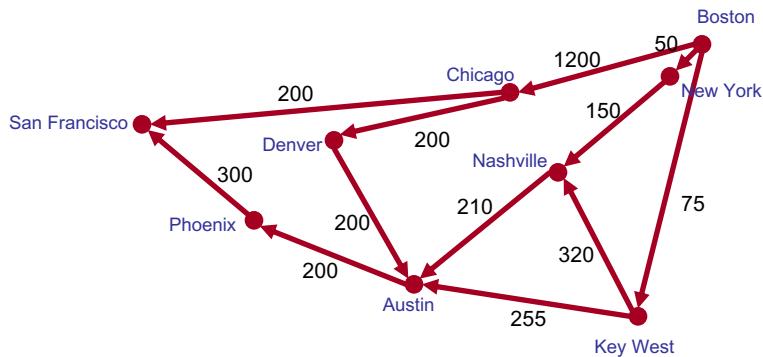


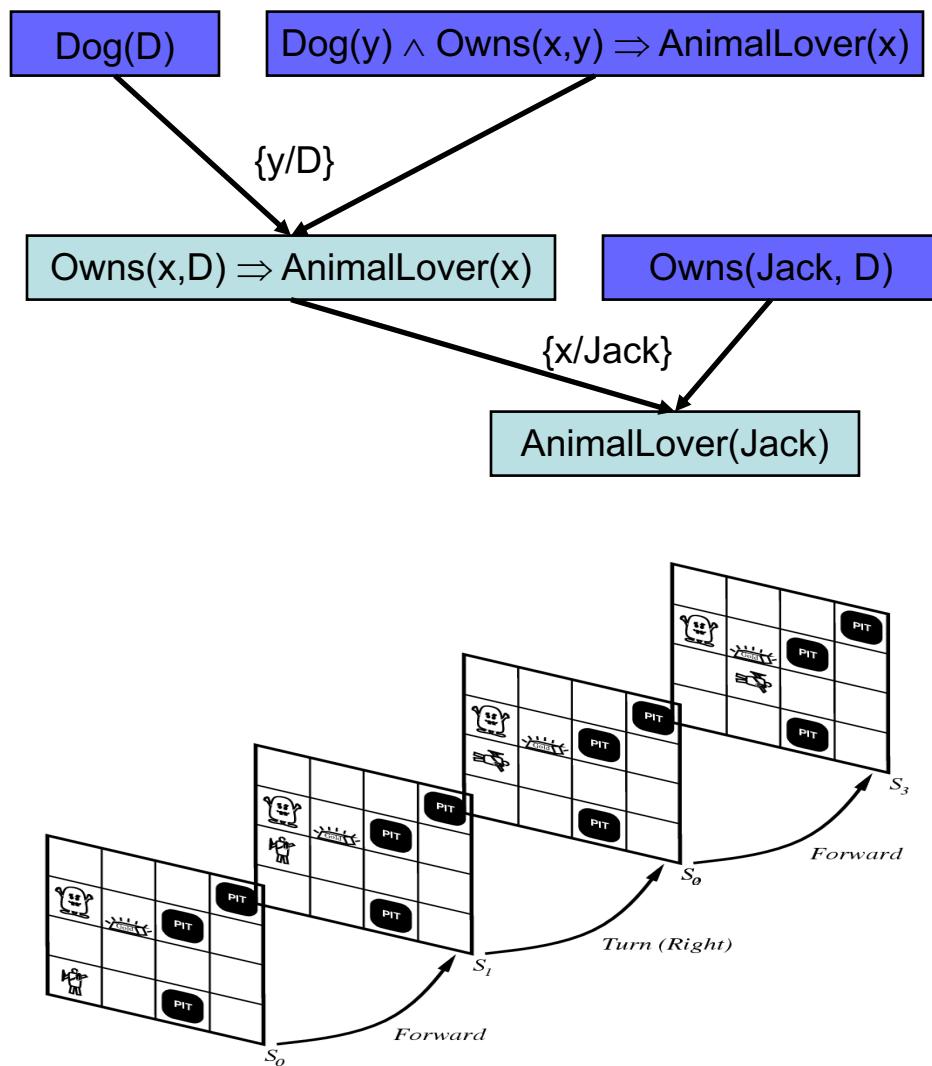
Learning from Observations

CPSC 470 – Artificial Intelligence
Brian Scassellati

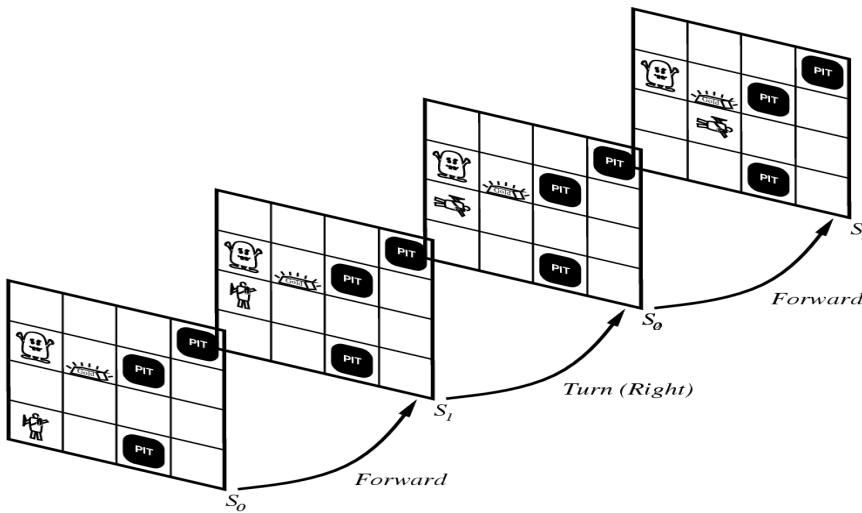
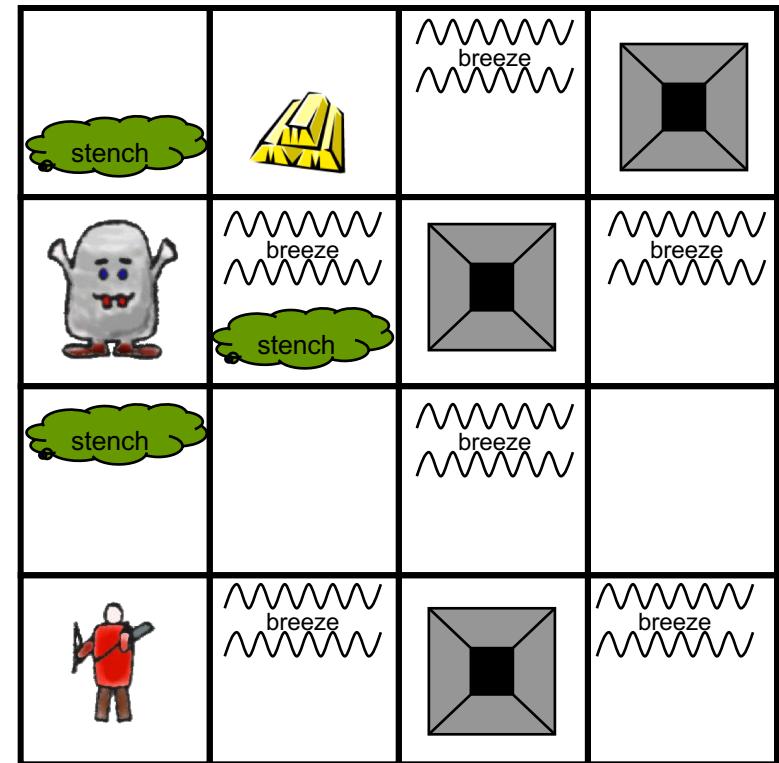
Problem Solving via Search



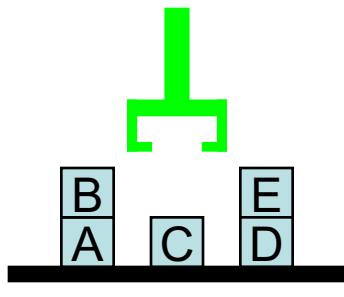
Knowledge Representation and Logical Reasoning



Wumpus World



Planning



Grip(\emptyset)

On(B,A)

TopClear(B)

OnTable(A)

TopClear(C)

OnTable(C)

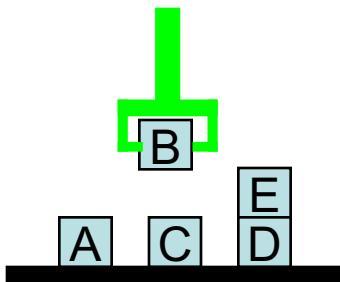
On(E,D)

TopClear(E)

OnTable(D)



UnStack(B,A)



Grip(B)

TopClear(A)

~~TopClear(B)~~

OnTable(A)

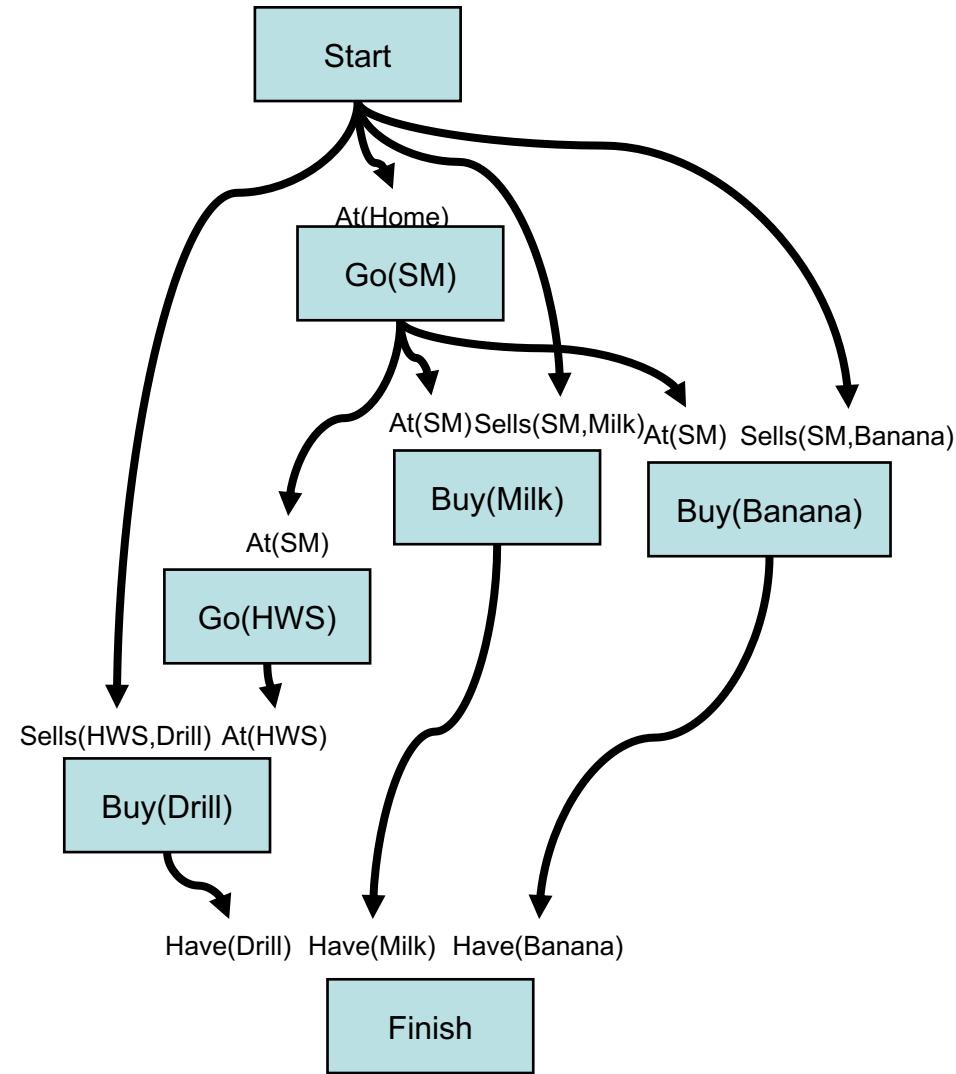
TopClear(C)

OnTable(C)

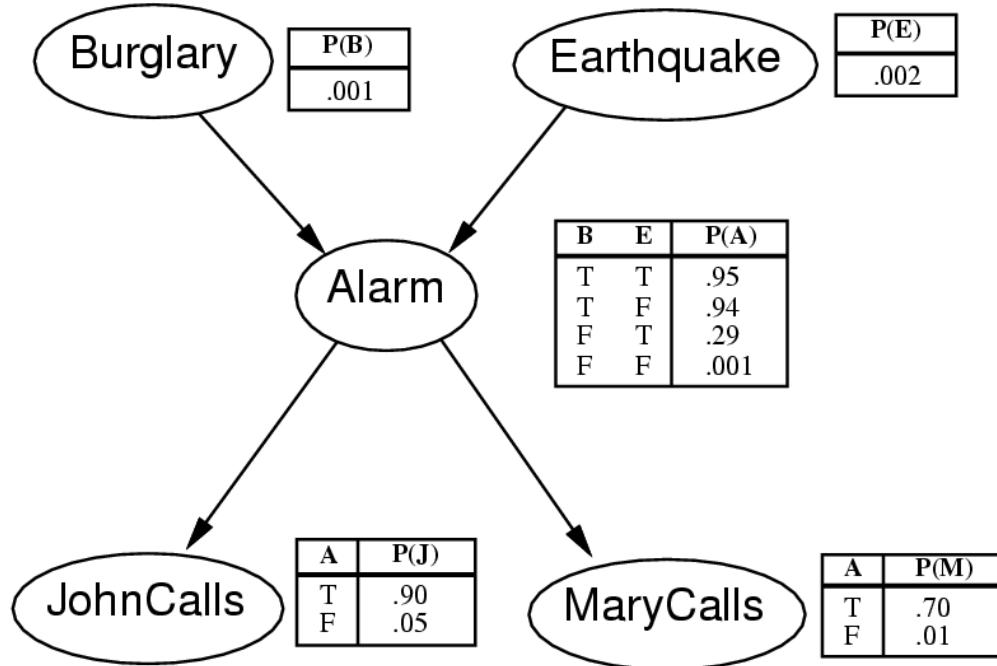
On(E,D)

TopClear(E)

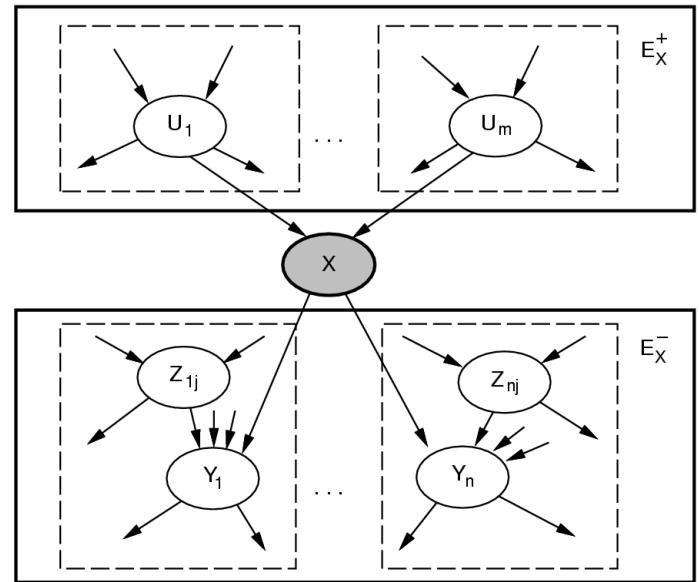
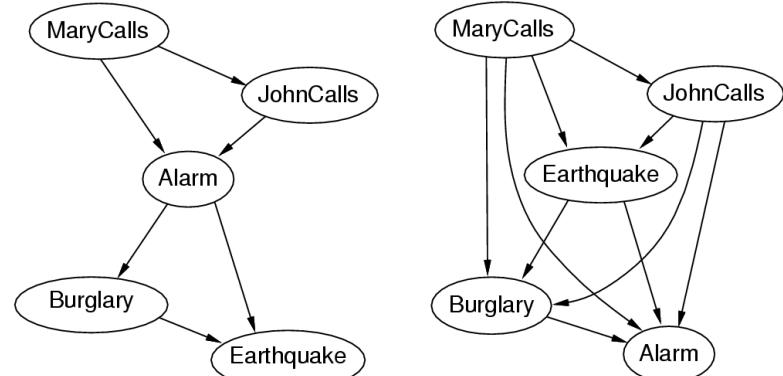
OnTable(D)



Making Decisions under Uncertainty



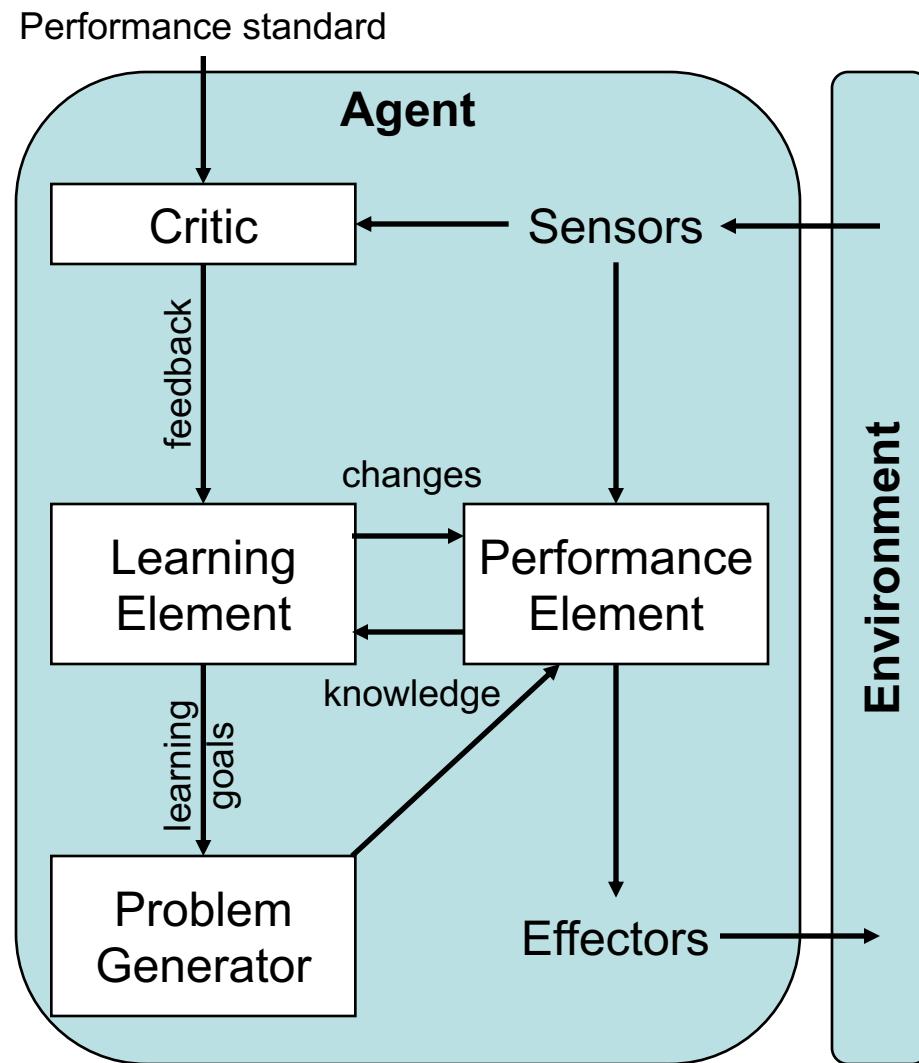
A conditional probability table gives the likelihood of a particular combination of values



Solving Problems

- How to *Do the Right Thing*™
 - Try all possibilities (search)
 - Build a Knowledge Base and Apply logical rules (inference)
- Dealing with the difficulties of the world
 - Dealing with uncertainty
 - Attempting to perform a plan
- What do you do when
 - You don't know what the right answer really is
 - There are too many choices for search
 - **Attempt to automatically learn the correct function**

Parts of Learning Agents



- **Performance element**
 - Maps sensory states to actions (may use internal state, etc.)
- **Learning element**
 - Uses feedback to modify the performance element in order to improve future action selection
- **Critic**
 - Maps percepts to performance measures to provide feedback (optional)
- **Problem generator**
 - Suggests actions that will allow for better learning (optional)

Questions when Designing a Learning Agent

- Taxi-Driver Agent example
- Which components of the performance element are to be improved?
 - Steering angle, acceleration rules
 - Knowledge of road conditions
 - Navigation
- What representation is used for those components?
 - Polynomial function? Logical format? Search tree?
- What feedback is available?
 - Instructor? Honking horns? Crashes?
- What prior information is available?
 - First time behind the wheel, drove three years ago or drove yesterday?
 - Did we have a driving course or read a manual?

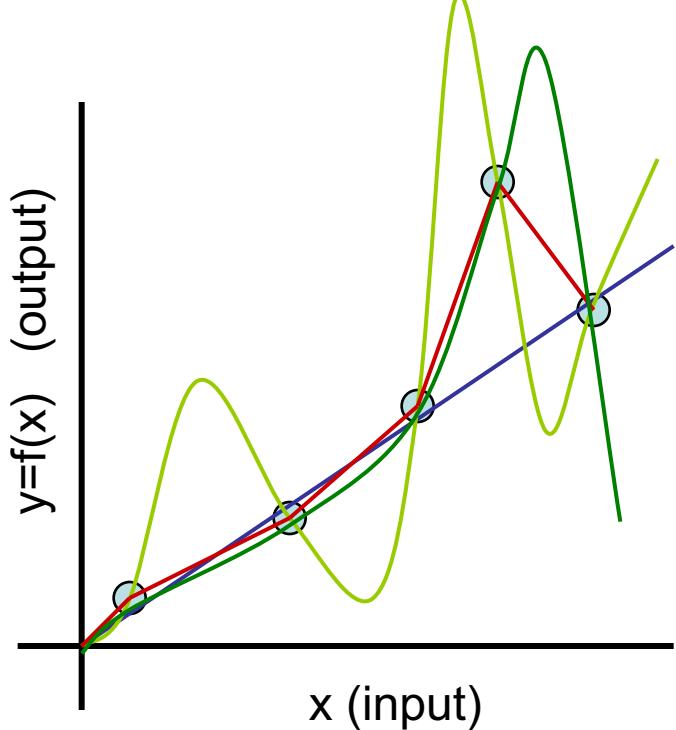
The Machine Learning Toolbox



Feedback is Critical

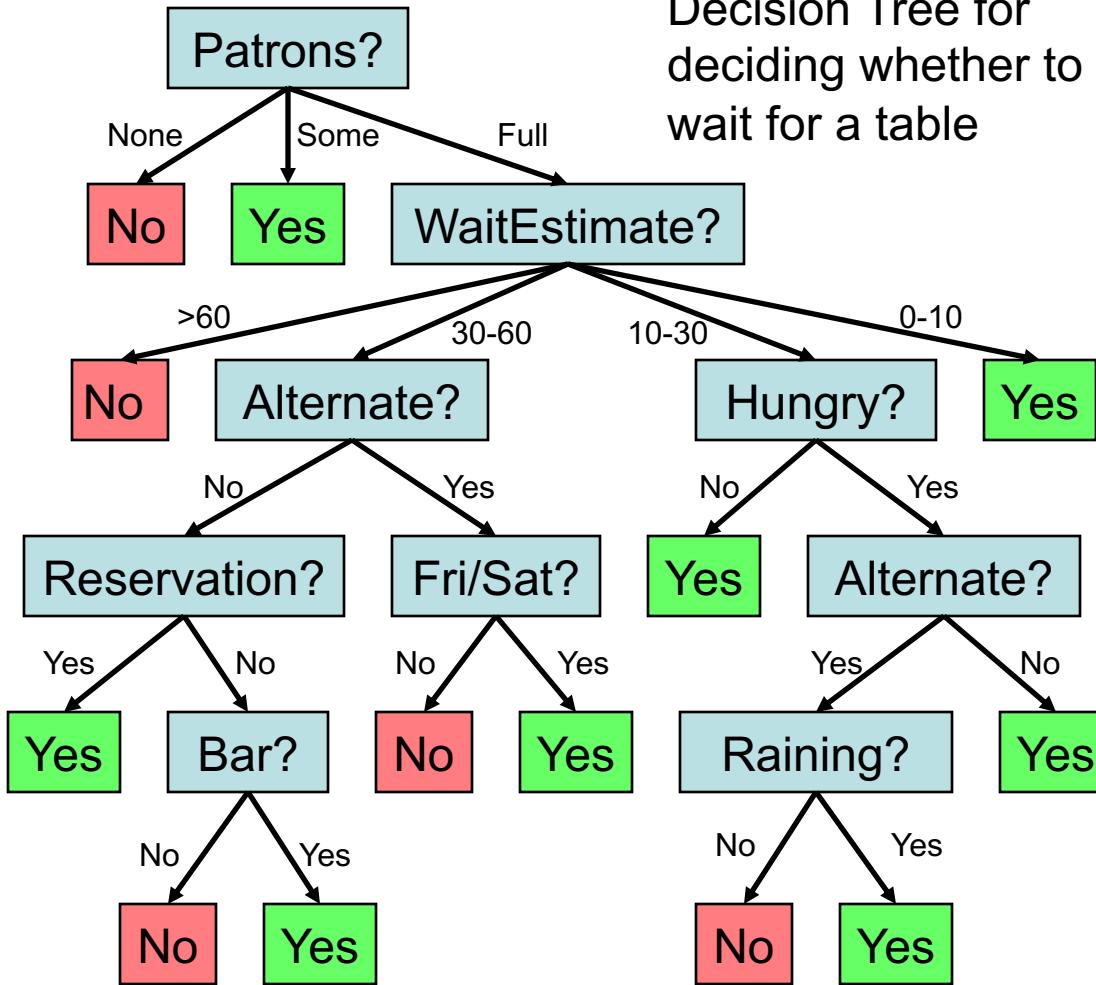
- **Supervised learning:** when an error occurs, agent receives the correct output
- **Reinforcement learning:** when an error occurs, agent receives an evaluation of its output, but is not told the correct output
- **Unsupervised learning:** no indication is given whether an output was correct or incorrect

Inductive Learning



- A form of supervised learning
- Output is some function of the input
 $y=f(x)$
- **Examples** are samples of the function f
- **Hypothesis** (h) is an estimate of f
- Many hypotheses are possible
- **Bias** is a preference of one hypothesis over another

Decision Trees

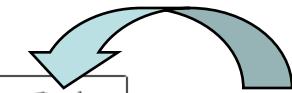


Decision Tree for deciding whether to wait for a table

- Represents a Boolean function (the **goal predicate WillWaitForTable()**)
- Internal nodes are tests of a feature/property
- Leaves are Boolean values
- Represent a propositional logic statement
 - Each path could be a line in a truth table

Inducing Decision Trees from Examples

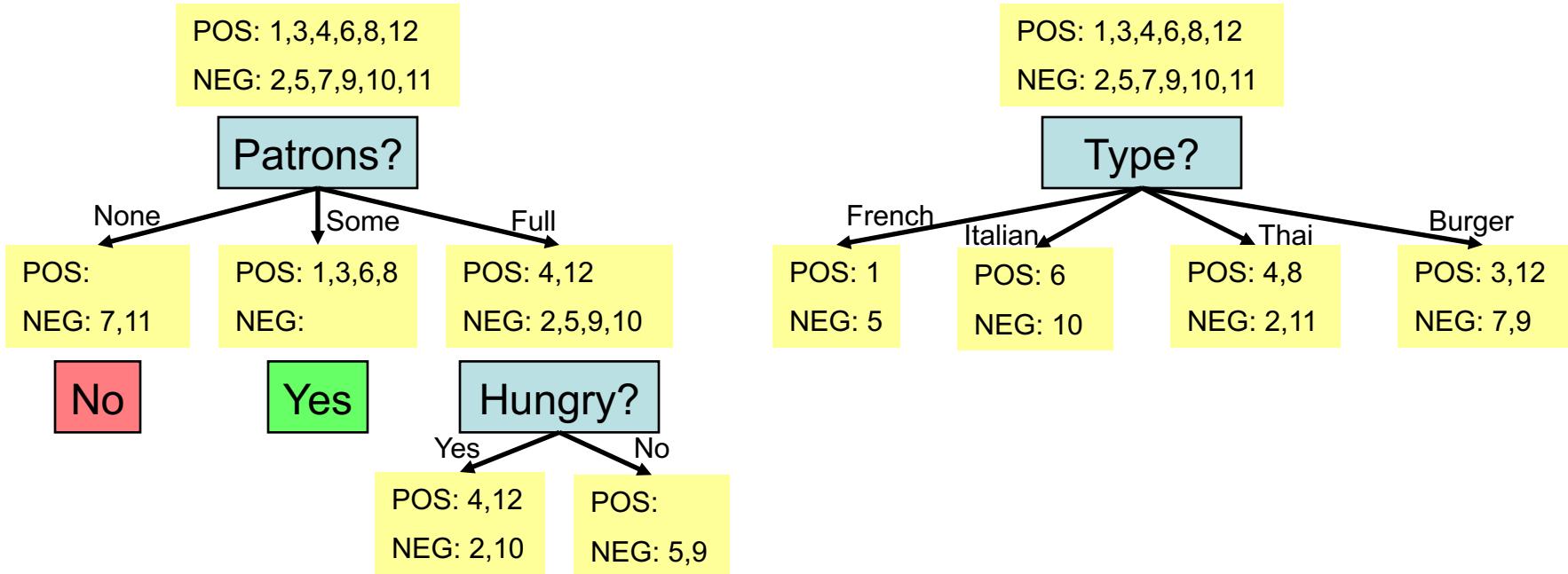
Example	Attributes										Goal <i>WillWait</i>
	<i>Alt</i>	<i>Bar</i>	<i>Fri</i>	<i>Hun</i>	<i>Pat</i>	<i>Price</i>	<i>Rain</i>	<i>Res</i>	<i>Type</i>	<i>Est</i>	
<i>X</i> ₁	Yes	No	No	Yes	Some	\$\$\$	No	Yes	French	0–10	Yes
<i>X</i> ₂	Yes	No	No	Yes	Full	\$	No	No	Thai	30–60	No
<i>X</i> ₃	No	Yes	No	No	Some	\$	No	No	Burger	0–10	Yes
<i>X</i> ₄	Yes	No	Yes	Yes	Full	\$	No	No	Thai	10–30	Yes
<i>X</i> ₅	Yes	No	Yes	No	Full	\$\$\$	No	Yes	French	>60	No
<i>X</i> ₆	No	Yes	No	Yes	Some	\$\$	Yes	Yes	Italian	0–10	Yes
<i>X</i> ₇	No	Yes	No	No	None	\$	Yes	No	Burger	0–10	No
<i>X</i> ₈	No	No	No	Yes	Some	\$\$	Yes	Yes	Thai	0–10	Yes
<i>X</i> ₉	No	Yes	Yes	No	Full	\$	Yes	No	Burger	>60	No
<i>X</i> ₁₀	Yes	Yes	Yes	Yes	Full	\$\$\$	No	Yes	Italian	10–30	No
<i>X</i> ₁₁	No	No	No	No	None	\$	No	No	Thai	0–10	No
<i>X</i> ₁₂	Yes	Yes	Yes	Yes	Full	\$	No	No	Burger	30–60	Yes



Goal Predicate
(classification)

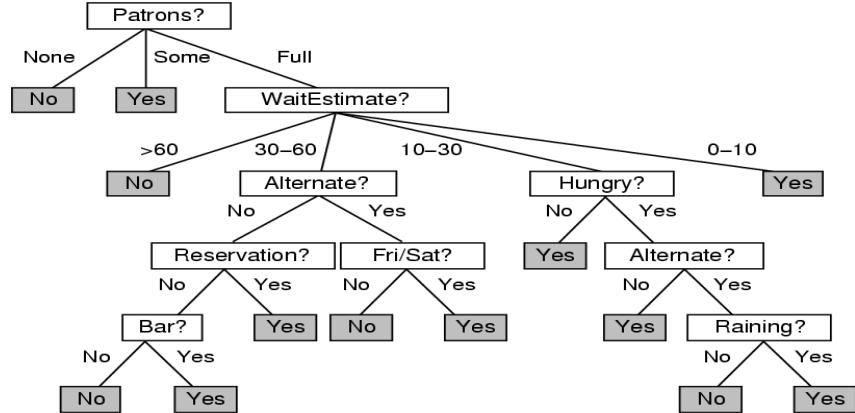
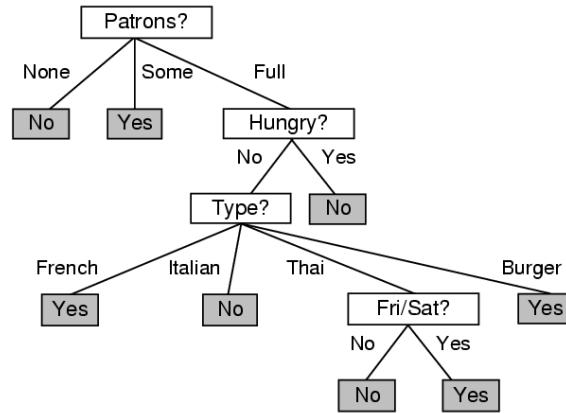
- A set of examples is a training set
 - Positive examples (YES result) and negative examples (NO result)
- A trivial solution:
 - Build a tree that has one path for each example
- Ockham's Razor
 - The most likely hypothesis is the simplest one that is consistent with the data

Guidelines for Finding a Small Decision Tree



- Test the most important feature first
- If you have only one type of example, return a leaf
- Else, choose the next most important feature
- If you run out of examples, return a default value (no data)
- If you run out of features, you are in trouble (two examples have same description: noisy data)

Decision Tree Learning



- Following this algorithm, we generate the tree at left
- But the examples were generated by the agent acting on the original tree at right
- There is nothing wrong with the learning algorithm...
 - The algorithm generates a hypothesis that matches the examples, not necessarily the underlying function
 - May be considerably simpler
 - May uncover unexpected regularities

How do you Determine which Feature is Better?

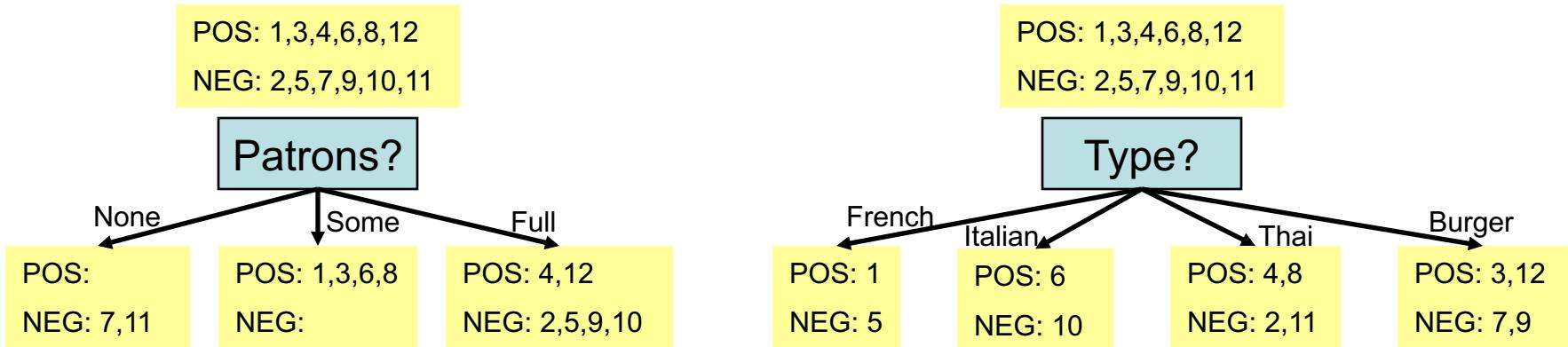
- Information Theory!
- Information is measured in bits

$$I(P(v_1), \dots, P(v_n)) = \sum_{i=1}^n -P(v_i) \log_2 P(v_i)$$

- Flipping a fair coin gives one bit of information
$$I(\frac{1}{2}, \frac{1}{2}) = -\frac{1}{2} \log_2 \frac{1}{2} - \frac{1}{2} \log_2 \frac{1}{2} = \frac{1}{2} + \frac{1}{2} = 1 \text{ bit}$$
- After we make a choice, we still need additional info to make the correct choice

$$\text{Remainder}(A) = \sum_{i=1}^v \frac{p_i + n_i}{p+n} I\left(\frac{p_i}{p_i + n_i}, \frac{n_i}{p_i + n_i}\right)$$

Example of Information Content



$$Remainder(A) = \sum_{i=1}^v \frac{p_i + n_i}{p+n} I\left(\frac{p_i}{p_i + n_i}, \frac{n_i}{p_i + n_i}\right)$$

$$I(P(v_1), \dots, P(v_n)) = \sum_{i=1}^n -P(v_i) \log_2 P(v_i)$$

$$Remainder(Patrons) = \frac{2}{12} I(0,1) + \frac{4}{12} I(1,0) + \frac{6}{12} I\left(\frac{2}{6}, \frac{4}{6}\right)$$

$$Remainder(Patrons) \approx 0 + 0 + \frac{6}{12} \left(-\frac{2}{6} \log \frac{2}{6} - \frac{4}{6} \log \frac{4}{6}\right)$$

$$Remainder(Patrons) \approx 0.459 \text{ bits}$$

Needs less info to make a perfect choice

$$Remainder(Type) = \frac{2}{12} I\left(\frac{1}{2}, \frac{1}{2}\right) + \frac{2}{12} I\left(\frac{1}{2}, \frac{1}{2}\right) + \frac{4}{12} I\left(\frac{2}{4}, \frac{2}{4}\right) + \frac{4}{12} I\left(\frac{2}{4}, \frac{2}{4}\right)$$

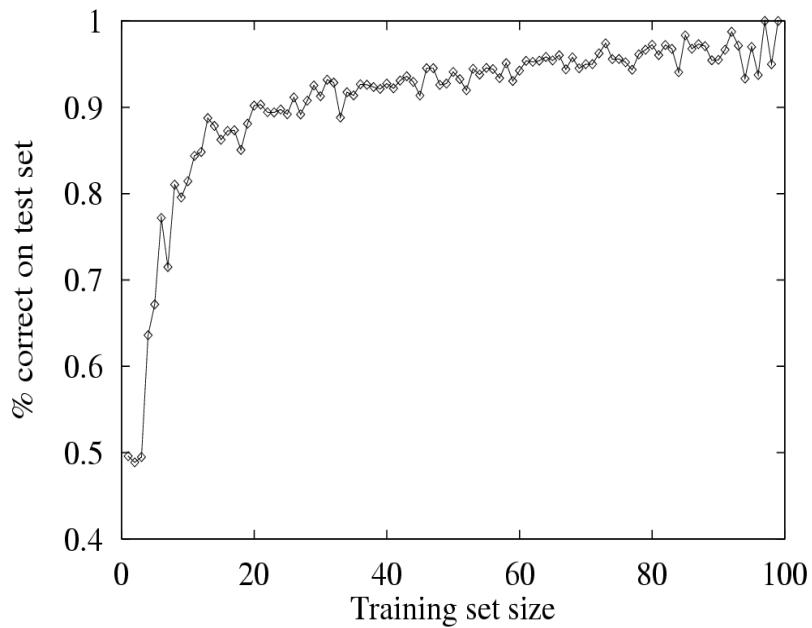
$$Remainder(Type) = \frac{2}{12}(1) + \frac{2}{12}(1) + \frac{4}{12}(1) + \frac{4}{12}(1)$$

$$Remainder(Type) = 1$$

Practical Examples of Decision Trees

- Designing oil platform equipment
 - GASOIL (1986 – BP)
 - Designing gas-oil separation systems for offshore platforms
 - 2500 rules
 - Would have taken 10 person-years to build by hand
 - Decision tree took 100 person-days to implement and train
- Learning to Fly
 - C4.5 (1992 - Sammut et al.)
 - Cessna on a flight simulator
 - Observe 3 human pilots make 30 assigned flights
 - Create training example every time a control is touched
 - Flies better than the human instructors!
 - (allows generalization across errors)

Assessing the Performance of a Learning Algorithm



- Divide the examples into a **training set** and a **test set**
 - Determine the percentage of examples in each set
 - Randomly select examples for each
- Vary the percentage
- Plot this data as a **learning curve**

Limits of Decision Trees

- Propositional logic limits
 - Difficult to express existential quantifiers
 - But can be done by defining new operators
- May be exponentially large (i.e. Parity function)
 - Consider a function with n features/attributes
 - 2^n rows in a truth table (can define a function with 2^n bits)
 - 2^{2^n} different functions
 - For example, with $n=6$ then $2^{2^6} = 2 \times 10^{19}$
- Needed extensions
 - Missing data attributes (what if you don't know all the relevant features?)
 - Multi-valued attributes (if there are too many choices, the information content gives an irrelevant measure)
 - Continuous-valued attributes (height, weight)

Noise and Overfitting

- In the presence of noise, some feature vectors will have multiple examples with conflicting results
- If there are many possible hypotheses, you must be careful to avoid finding meaningless “regularity” in the data (**overfitting**)
 - Every time I flip a coin with my left hand it comes up heads
 - I always encounter less traffic on Mondays (but I’m always late on Mondays)
- There are techniques for dealing with overfitting, but they rely on domain information

Administrivia

- Coming up next:
 - Wednesday: Guest Lecture (Marynel Vazquez)
 - Friday
 - Supervised Learning: Neural Networks
 - Friday 3:30-4:30 in Davies
 - Q&A session. Email questions by Thursday at 9pm
 - Monday
 - Midterm exam

Midterm Exam

- Monday, during class.
 - CS470: Report to Davies
 - CS570: Report to ML 211
- 50 minute exam (10:30-11:20). Do not be late.
- No calculators, textbooks, notes, phones, or computers
- You **MAY** bring one 8.5x11in sheet of paper
- Coverage:
 - Lectures up to and including 2/22 (Uncertainty)
 - Problem sets #0-4 (inclusive)
 - Reading up to and including 2/22 (CH 14)
 - **NOT** including Motion planning or CH 25