

Malicious Code Analysis

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Overview

01

Control Flow Graph

02

**Program
Dependency Graph**

03

Call Graph



Part One

01

Control Flow Graph

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Control flow graphs

The most commonly used program representation.

Vulnerability
analysis

Malware analysis



Program
Optimization



Program representation: Basic blocks



- ❑ A **basic block** in program P is a sequence of consecutive statements with a single entry and a single exit point. Thus a block has unique entry and exit points.



- ❑ Control always enters a basic block at its entry point and exits from its exit point. There is no possibility of exit or a halt at any point inside the basic block except at its exit point. The entry and exit points of a basic block coincide when the block contains only one statement.



Basic blocks: Example

Example: Computing x raised to y

1	begin	10	while (power! = 0) {
2	int x, y, power;	11	z=z*x;
3	float z;	12	power = power-1;
4	scanf("%d %d", &x, &y);	13	}
5	if (y < 0)	14	if (y < 0)
6	power=-y;	15	z=1/z;
7	else	16	printf("%f", z);
8	power=y;	17	end
9	z=1;		



Basic blocks: Example (contd.)

Basic blocks

Block	Lines	Entry point	Exit point
1	2, 3, 4, 5	1	5
2	6	6	6
3	8	8	8
4	9	9	9
5	10	10	10
6	11, 12	11	12
7	14	14	14
8	15	15	15
9	16	16	16



Basic blocks: Example

Example: Computing maximum

1	main:	10	call ExitProcess
2	call _CRT_INIT		
3	push rbp		
4	mov rbp, rsp		
5	sub rsp, 32		
6	mov rcx, 100		
7	mov rdx, 200		
8	call print_max		
9	xor eax, eax		



Basic blocks: Example (contd.)

Basic blocks

Block	Lines	Entry point	Exit point
1	2, 3,4,5,6,7,8	2	8
2	9,10	9	10



Control Flow Graph (CFG)

- ❑ A **control flow graph** (or flow graph) G is defined as a finite set N of nodes and a finite set E of edges. An edge (i, j) in E connects two nodes n_i and n_j in N . We often write $G = (N, E)$ to denote a flow graph G with nodes given by N and edges by E .



Control Flow Graph (CFG)

- » In a flow graph of a program, each basic block becomes a node and edges are used to indicate the flow of control between blocks.
- » An edge (i, j) connecting basic blocks b_i and b_j implies that control can go from block b_i to block b_j .
- » We also assume that there is a node labeled **Start** in N that has no incoming edge, and another node labeled **End**, also in N , that has no outgoing edge.

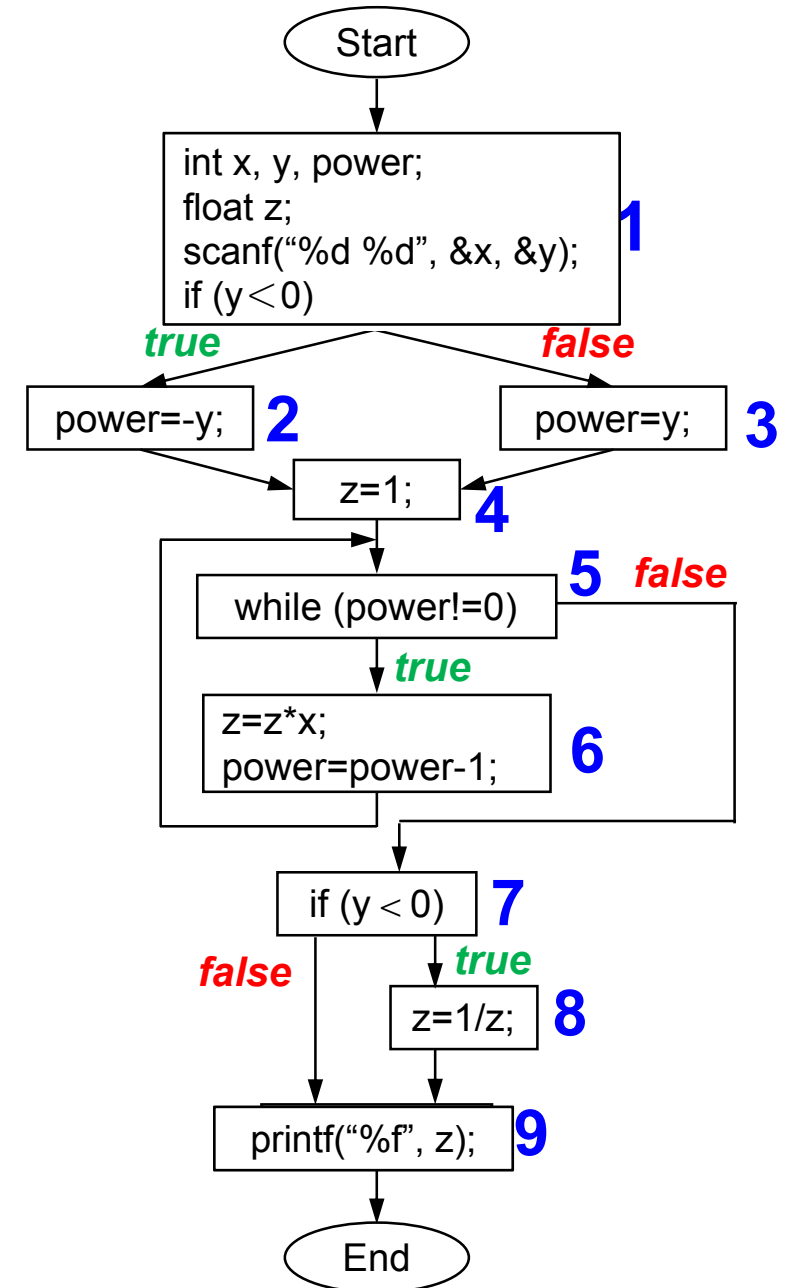




CFG Example

🔑 $N = \{\text{Start}, 1, 2, 3, 4, 5, 6, 7, 8, 9, \text{End}\}$

🔑 $E = \{(\text{Start}, 1), (1, 2), (1, 3), (2, 4), (3, 4), (4, 5), (5, 6), (6, 5), (5, 7), (7, 8), (7, 9), (9, \text{End})\}$

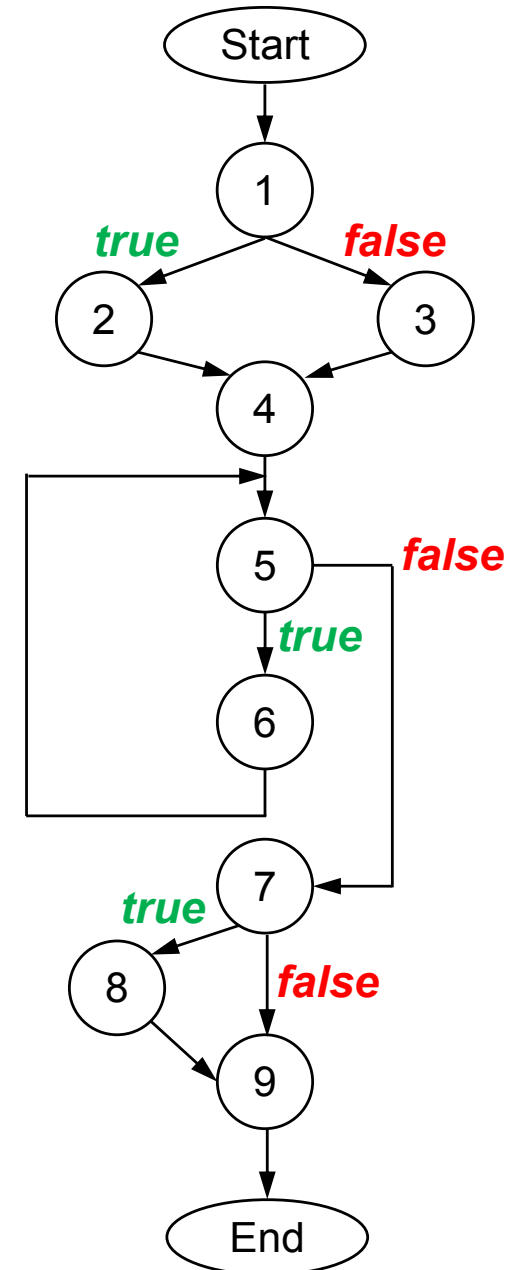




CFG Example

★ Same CFG with statements removed.

- 🏷️ $N = \{\text{Start}, 1, 2, 3, 4, 5, 6, 7, 8, 9, \text{End}\}$
- 🏷️ $E = \{(\text{Start}, 1), (1, 2), (1, 3), (2, 4), (3, 4), (4, 5), (5, 6), (6, 5), (5, 7), (7, 8), (7, 9), (9, \text{End})\}$





Paths

- Consider a flow graph $G = (N, E)$. A sequence of k edges, $k > 0$, (e_1, e_2, \dots, e_k) , denotes a path of length k through the flow graph if the following sequence condition holds.
- Given that n_p, n_q, n_r , and n_s are nodes belonging to N , and $0 < i < k$, if $e_i = (n_p, n_q)$ and $e_{i+1} = (n_r, n_s)$ then $n_q = n_r$. }
- Complete path: a path from start to end
- Subpath: a subsequence of a complete path



Paths: sample paths through the exponentiation flow graph



Two feasible and complete paths:

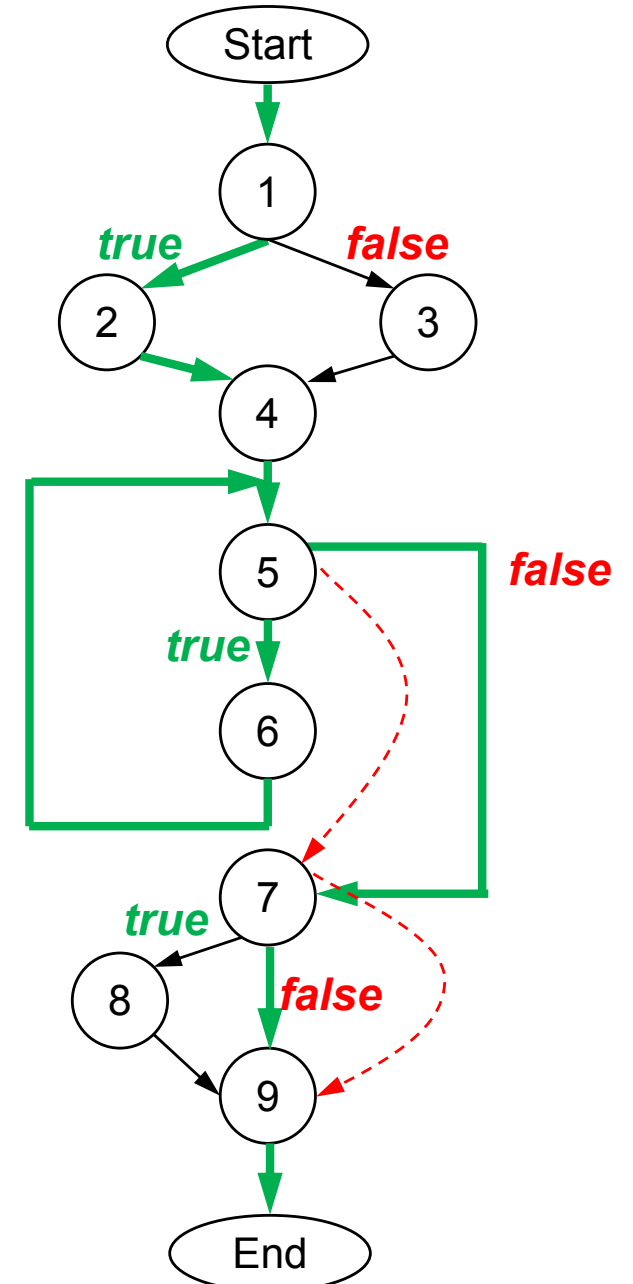
- $p_1 = (\text{Start}, 1, 2, 4, 5, 6, 5, 7, 9, \text{End})$
- $p_2 = (\text{Start}, 1, 3, 4, 5, 6, 5, 7, 9, \text{End})$



Specified unambiguously using edges:

- $p_1 = ((\text{Start}, 1), (1, 2), (2, 4), (4, 5), (5, 6), (6, 5), (5, 7), (7, 9), (9, \text{End}))$

👉 *Green bold edges: complete path.*
👉 *Red dashed edges: subpath.*





Paths: infeasible paths



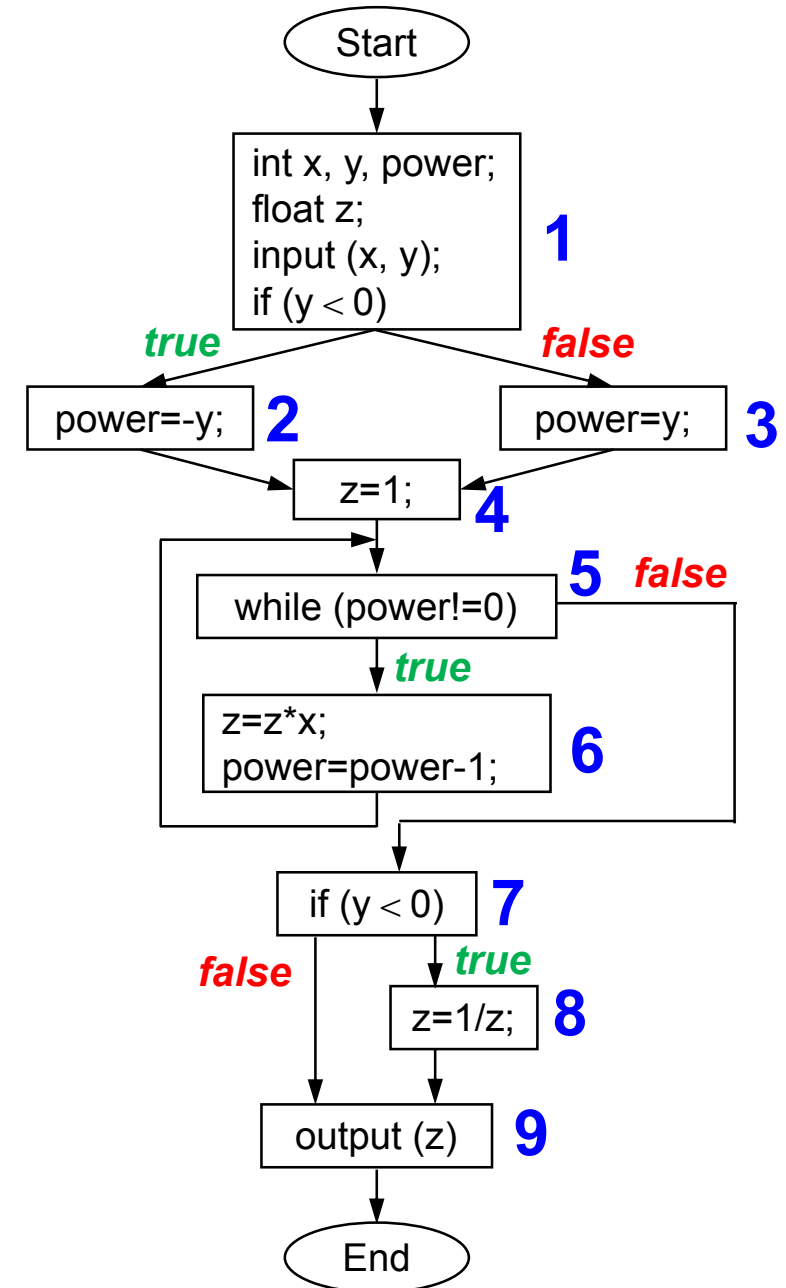
A path p through a flow graph for program P is considered **feasible** if there exists at least one test case which when input to P causes p to be traversed.



$p_1 = (\text{Start}, 1, 3, 4, 5, 6, 5, 7, 8, 9, \text{End})$



$p_2 = (\text{Start}, 1, 2, 4, 5, 7, 9, \text{End})$





Number of paths

- There can be many distinct paths through a program. A program with no condition contains exactly one path that begins at node Start and terminates at node End.
- Each additional condition in the program can increase the number of distinct paths by at least one.
- Depending on their location, conditions can have a multiplicative effect on the number of paths.





A Simplified Version of CFG



Each statement is represented by a node.

- For readability.
- Not for efficient implementation.





Dominator



X **dominates** Y if all possible
program paths from START to Y have
to pass X.



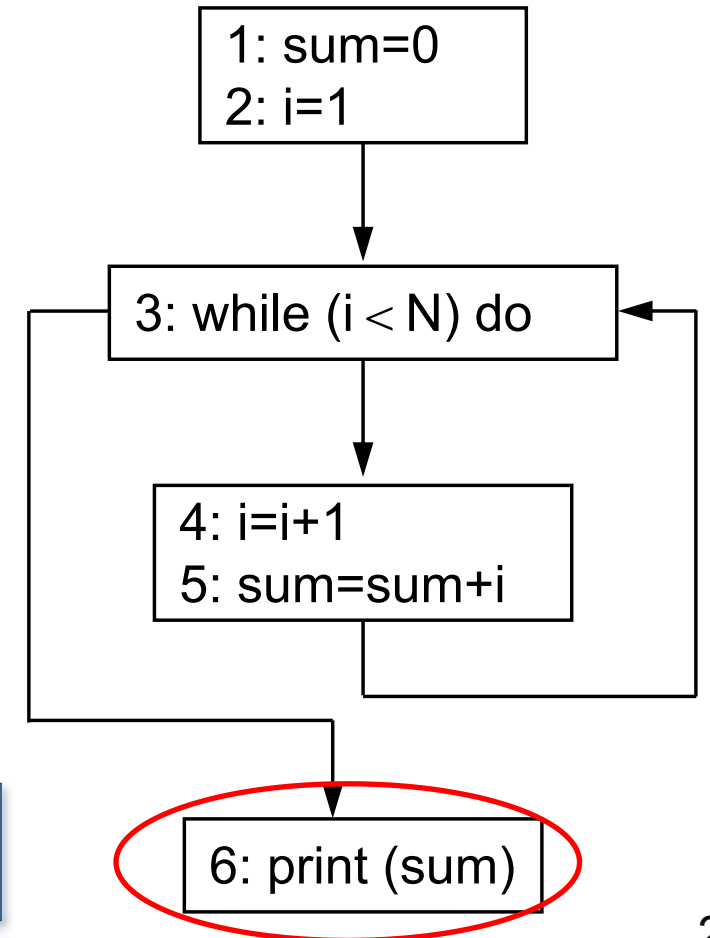


Dominator

 X **dominates** Y if all possible program path from START to Y has to pass X.

1	sum=0
2	i=1
3	while (i < N) do
4	i=i+1
5	sum=sum+i
	endwhile
6	print (sum)

➤ $DOM(6)=\{1,3,6\}$





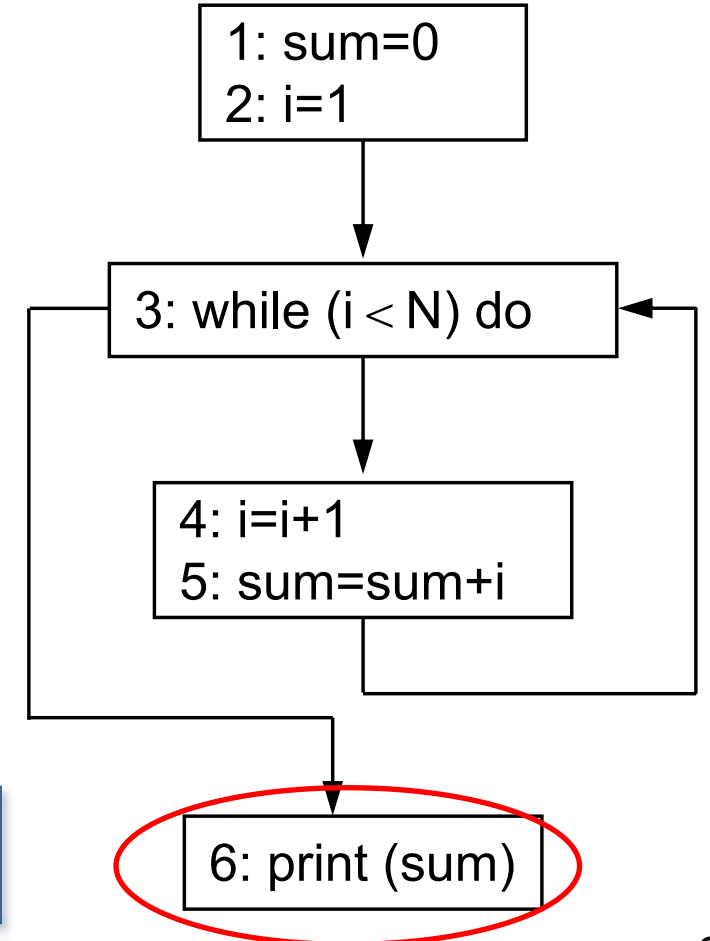
Dominator



X **strictly dominates** Y if X dominates Y and $X \neq Y$

1	sum=0
2	i=1
3	while (i < N) do
4	i=i+1
5	sum=sum+i
	endwhile
6	print (sum)

➤ $SDOM(6) = \{1, 3\}$





Dominator

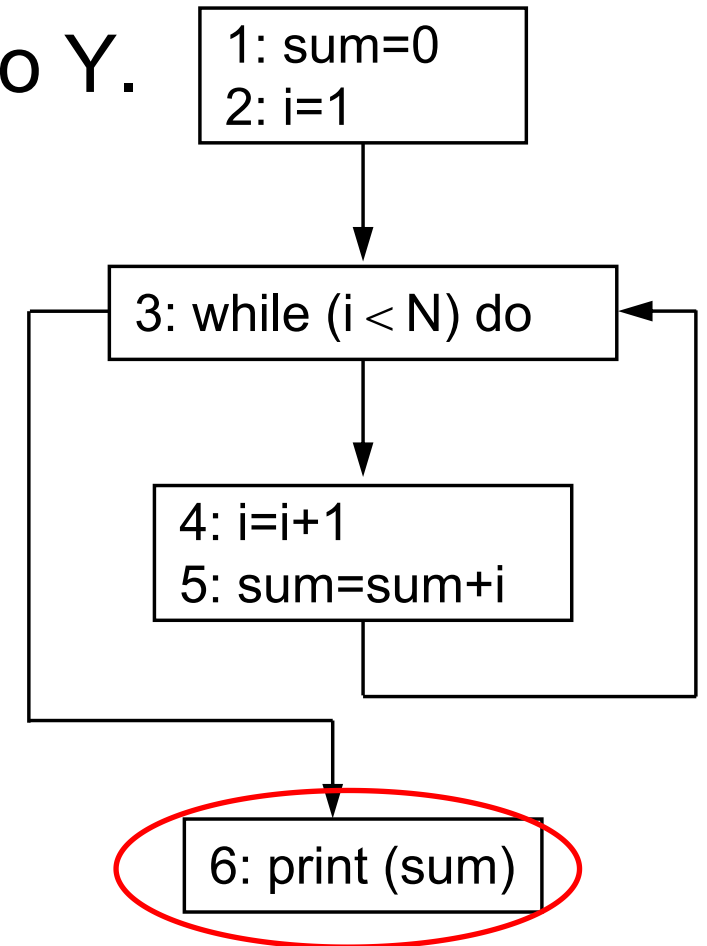


X is **the immediate dominator** of Y if X is the last dominator of Y along a path from Start to Y.

1	sum=0
2	i=1
3	while (i < N) do
4	i=i+1
5	sum=sum+i
	endwhile


6 print (sum)

➤ IDOM(6)={3}





Dominator

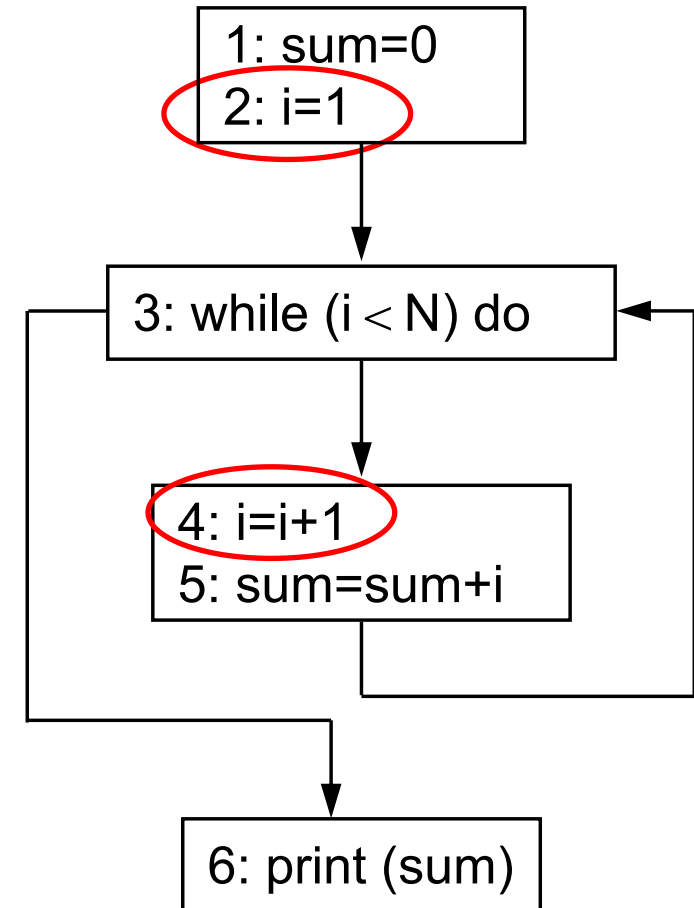
 X **post-dominates** Y if every possible program path from Y to End has to pass X.

- Strict post-dominator, immediate post-dominance.

1	sum=0
2	i=1
3	while (i < N) do
4	i=i+1
5	sum=sum+i
	endwhile

6 print (sum)

- $SPDOM(4) = \{3, 6\}$
- $IPDOM(4) = 3$



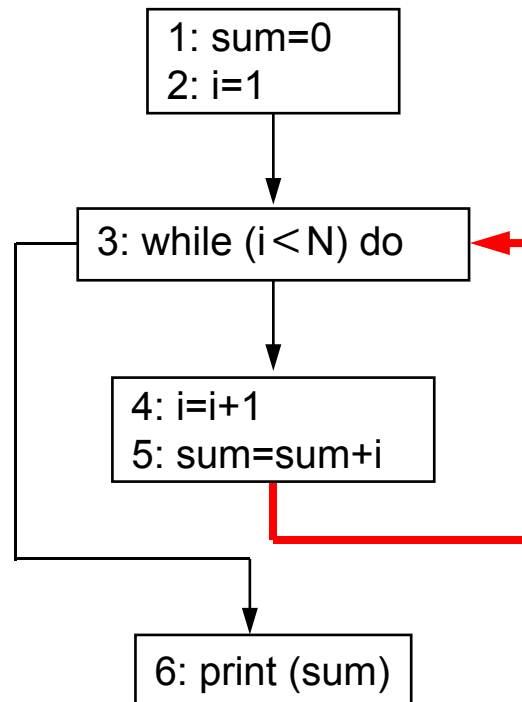


Back Edges



A back edge is an edge whose head dominates its tail

- Back edges often identify loops.





Part Two

02

Program Dependency Graph

An isometric illustration of a modern office environment. In the foreground, a man in a white shirt and dark pants is walking towards the left. In the background, a woman in a dark dress and a man in a white shirt are standing and talking. There are several large computer monitors displaying various data visualizations, including a calendar, a bar chart, and a line graph. A large padlock icon is visible on the right side of the image. The overall color scheme is light blue and white, with a purple accent on the left side.



Program Dependence Graph

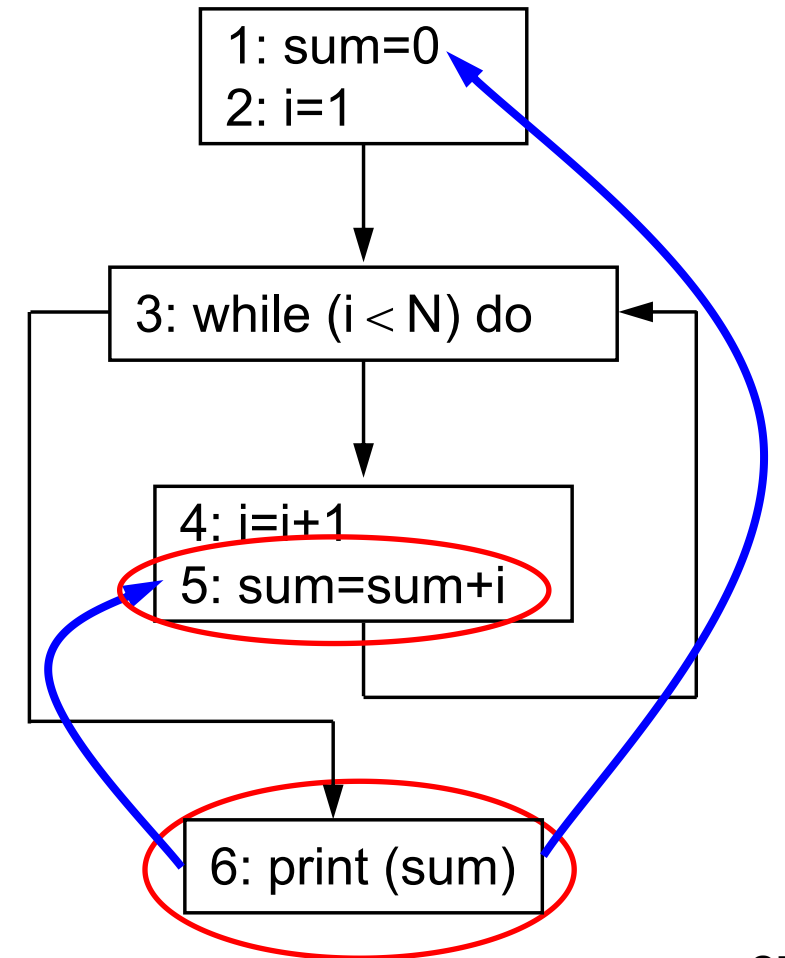
- 🏆 The second widely used program representation.
- 🏆 Nodes are constituted by statements instead of basic blocks.
- 🏆 Two types of dependences between statements.
 - Data dependence
 - Control dependence





Data Dependence

🏆 X is data dependent on Y if (1) there is a variable v that is defined at Y and used at X and (2) there exists a path of nonzero length from Y to X along which v is not re-defined.





Computing Data Dependence is Hard in General

- 🏆 Aliasing
- A variable can refer to multiple memory locations/objects.

```
1  int x, y, z, ...;
```

```
2  int * p;
```

```
3  x=...;
```

```
4  y=...;
```

```
5  p=& x;
```

```
6  p=p+z
```

```
7  ...=*p;
```

```
1  foo (ClassX x, ClassY y) {
```

```
2      x.field=...;
```

```
3      ...=y.field;
```

```
4  }
```

```
foo (o, o);
```

```
o1=new ClassX();
```

```
o2=new ClassY();
```

```
foo (o1, o2);
```



Control Dependence

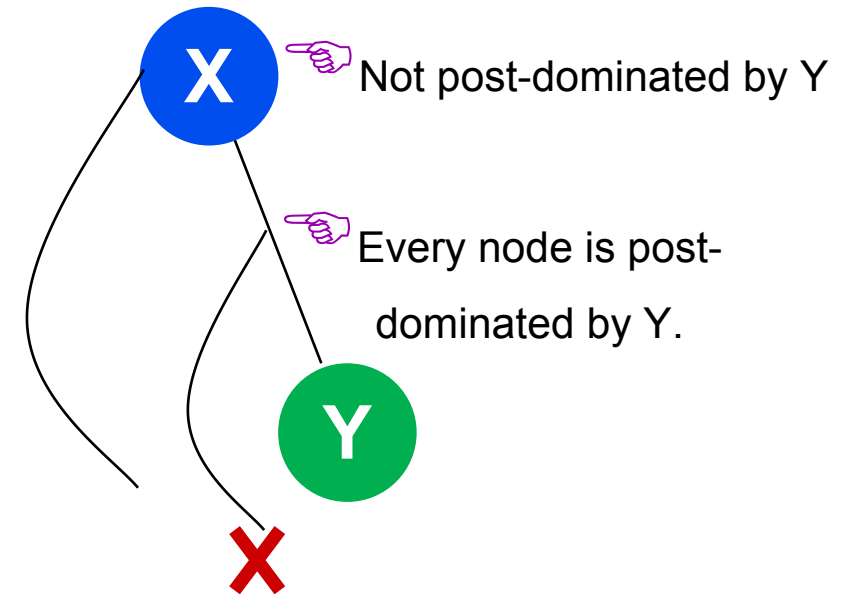
🏆 Intuitively, Y is control-dependent on X **iff** X directly determines whether Y executes (statements inside one branch of a predicate are usually control dependent on the predicate).

📌 X is not strictly post-dominated by Y .

➤ **There is a path from X to End that does not pass Y or $X==Y$.**

📌 There exists a path from X to Y s.t. every node in the path other than X and Y is post-dominated by Y .

➤ **No such paths for nodes in a path between X and Y .**





Control Dependence - Example

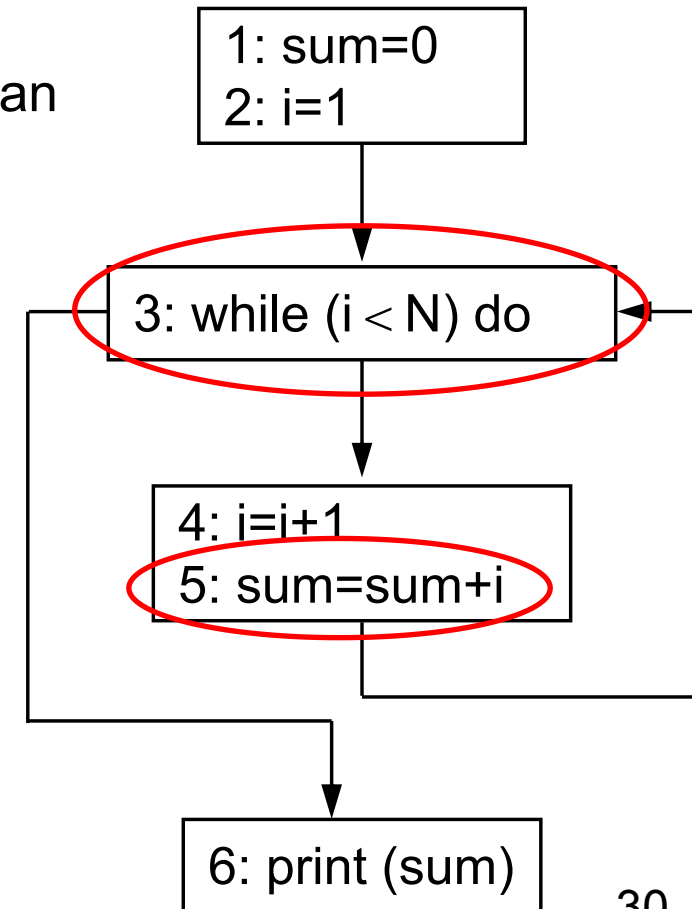
🏆 Y is control-dependent on X iff X directly determines whether Y executes.

- X is not strictly post-dominated by Y.
- There exists a path from X to Y s.t. every node in the path other than X and Y is post-dominated by Y.

1	sum=0
2	i=1
3	while (i < N) do
4	i=i+1
5	sum=sum+i
	endwhile
6	print (sum)

👉 CD(5)=3

👉 CD(3)=3,
tricky!



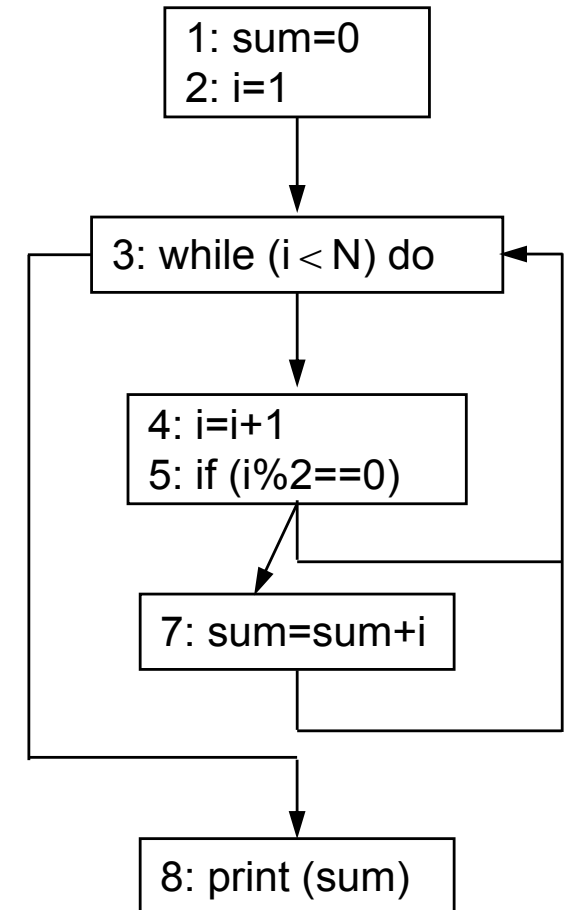


Note: Control Dependence is not Syntactically Explicit

🏆 Y is control-dependent on X iff X directly determines whether Y executes.

- X is not strictly post-dominated by Y.
- There exists a path from X to Y s.t. every node in the path other than X and Y is post-dominated by Y.

1	sum=0
2	i=1
3	while (i < N) do
4	i=i+1
5	if (i%2==0)
6	continue
7	sum=sum+i
	endwhile
8	print (sum)



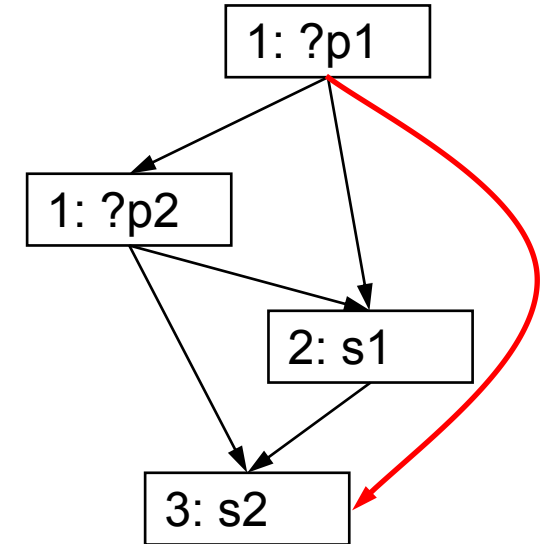
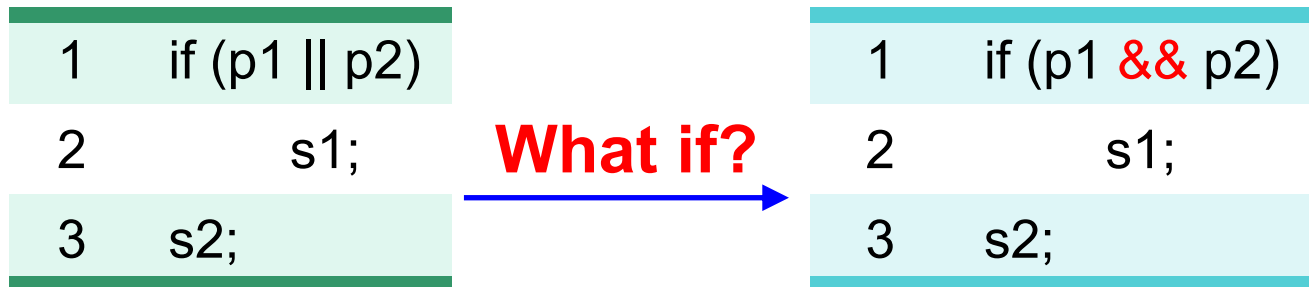


Control Dependence is Tricky!

🏆 Y is control-dependent on X iff X directly determines whether Y executes.

- X is not strictly post-dominated by Y.
- There exists a path from X to Y s.t. every node in the path other than X and Y is post-dominated by Y.

? Can one statement control depends on two predicates?





The Use of PDG

- 🏆 A program dependence graph consists of control dependence graph and data dependence graph.
- 🏆 Why it is so important to software reliability?
 - In debugging, what could possibly induce the failure?
 - In security.

```
p=getpassword();
```

```
...
```

```
send (p);
```

```
p=getpassword();
```

```
...
```

```
if (p=="zhang") {
```

```
    send (m);
```

```
}
```

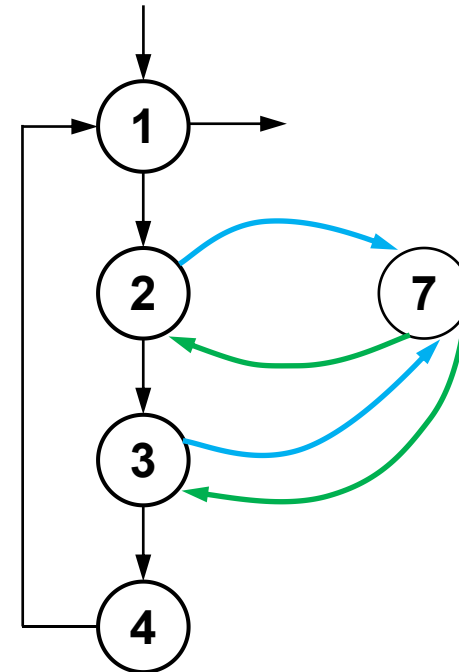


Super Control Flow Graph (SCFG)

🏆 Besides the normal intraprocedural control flow graph, additional edges are added connecting?

- Each call site to the beginning of the procedure it calls.
- The return statement back to the call site.

```
1  for (i=0; i < n, i++) {  
2    t1=f(0);  
3    t2=f(234);  
4    x[i]=t1+t2+t3;  
5  }  
6  int f (int v) {  
7    return (v+1);  
8  }
```





Part Three

03

2025-10-27

Call Graph





Call Graph (CG)

- Each node represents a function; each edge represents a function invocation.

```
void A() {
```

```
    B();
```

```
    C();
```

```
}
```

```
void C() {
```

```
    D();
```

```
    A();
```

```
}
```

```
void B() {
```

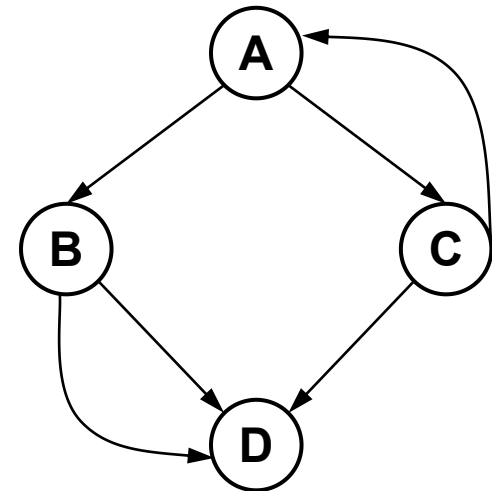
```
    L1: D();
```

```
    L2: D();
```

```
}
```

```
void D() {
```

```
}
```



THE END

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