

Thesis

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# Chapter 1

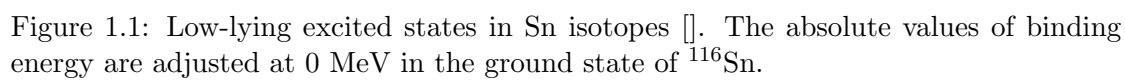
## Introduction

### 1.1 Pairing interaction in nuclei

Pairing correlation plays an important role near the Fermi energy. Pairing correlation is the two-body interaction which couples two identical nucleons into  $J^\pi = 0^+$  state. There are many evidences of pairing correlation detected from experiment. The most clear evidence is shown in Fig. 1.1. All of the ground states of even-even Sn isotopes are  $J^\pi = 0^+$  states. It indicates that the ground states consist of the  $J^\pi = 0^+$  pairs is more stable than other configurations. In addition, the ground states between even-even nuclei and neighborhood odd nuclei has large gaps of binding energy. In odd nuclei, the unpaired last neutron is the last single-particle level. The odd-even mass difference. To break the  $J^\pi = 0^+$  pair, we need large energy which is about  $2\Delta \approx 24A^{-1/2}$  MeV.

#### 1.1.1 A subsection

More text.



## Chapter 2

# Pairing model

To examine the pairing dynamics influencing the structure of nuclei, we can only concentrate the nucleons near the Fermi energy. The Hamiltonian of pairing model is

$$H = \sum_l \epsilon_l n_l - g \sum_{l,l'} S_l^+ S_{l'}^-, \quad (2.1)$$

where

$$n_l = \sum_m a_{lm}^\dagger a_{lm} \quad (2.2)$$

$$S_l^+ = \sum_{m>0} a_{lm}^\dagger a_{l\bar{m}}^\dagger, \quad S_l^- = S_l^{+\dagger} \quad (2.3)$$

### 2.1 Exact solution

### 2.2 TDHFB dynamics





## Chapter 3

# Requantization of TDHFB in integrable system

- 3.1 Canonical quantization
- 3.2 Fourier decomposition
- 3.3 Stationary phase to the path integral
- 3.4 Result



## Chapter 4

# Requantization of TDHFB in non-integrable system

- 4.1 Derivation of the collective subspace in adiabatic self-consistent collective coordinate method
- 4.2 Application of SPA in non-integrable system
- 4.3 Result



## Chapter 5

## Discussion



Chapter 6

Conclusion