```
Clixo 1.0 (G, \alpha, \beta, m)
Inputs: Weighted graph G representing proteins (nodes) and pairwise
IAS scores (edges); nonnegative floats \alpha, \beta in (0, 1]; positive float
m < 1
Outputs: C, a set of protein communities, where each community is a
set of proteins
Initializations:
E = \text{Stack of all edges} \subseteq G_{\ell} sorted by descending weight
Score threshold t = Weight(Top(E))
C = \emptyset; G_{infer} = \emptyset; G_{actual} = \emptyset
while (E \neq \emptyset \text{ and } t > 0) {
        E_{\text{new}} \leftarrow \text{Pop edges from } E \text{ with weight } > (t - \alpha)
        G_{infer} \leftarrow G_{infer} + E_{new};
        G_{actual} \leftarrow G_{actual} + E_{new};
        C_{current} \leftarrow  findCliques (G_{infer});
        C_{new} \leftarrow C_{current};
        for all cliques c_k \in C_{current} {
                while C_{new} \neq \emptyset {
                         C_1 \leftarrow \text{pop}(C_{new});
                         if isSimilar(C_k, C_l, G_{actual}, \beta) {
                                 c_{merge} = c_k \cup c_1;
                                 G_{infer} \leftarrow G_{infer} + G[c_{merge}];
                                 C_{current} \leftarrow C_{current} \setminus \{c_k, c_1\} \cup \{c_{merge}\};
                                 C_{new} \leftarrow C_{new} \cup \{c_{merge}\};
                         }
                 }
        }
        for (c \in C_{current})
                 if (c \notin C) && isModular(c, m, G_{actual})
                        C \leftarrow C \cup \{c\};
        t \leftarrow t - \alpha;
}
```

For **findCliques** we used a maximal clique enumeration algorithm proposed by Chiba and Nishizeki (Chiba and Nishizeki, 1985). Other subroutines used in the algorithm above are described as follows:

$$\text{isSimilar}(\textit{c_{1}, c_{2}, $\textit{$G$, β})}$$
 if
$$S = \frac{\sum\limits_{v \in C_{1}, w \in C_{2}} \max(A_{vw} - k_{v}k_{w}/2n, 0)}{\sum\limits_{i,j \in C_{1} \cup C_{2}} |A_{ij} - k_{i}k_{j}/2n|} > \beta$$
 return true; else return false;

where A is the graph adjacency matrix with $A_{ij} = 1$ if (i, j) is an edge in G, otherwise 0; k_i is the degree of vertex i in G; and n is the number of edges in G. This function evaluates the similarity between two protein sets c_1 and c_2 given network G and similarity threshold G. The more similar C_1 and C_2 , the edges in G induced by $C_1 \cup C_2$ become more similar to the edges between C_1 and C_2 . The similarity calculation weighs edges according to their contribution to modularity.

$$\begin{aligned} \mathbf{isModular}(c, \ m, \ G) \\ Q &= \frac{1}{2n} \sum_{i,j \in C} (A_{ij} - \frac{k_i k_j}{2n}) \\ &\text{if } \mathcal{Q} > m \\ &\text{return true;} \\ &\text{else return false;} \end{aligned}$$

where n is the number of edges in the current graph G. For a set of proteins c, this function calculates its quality function Q (contribution to modularity).