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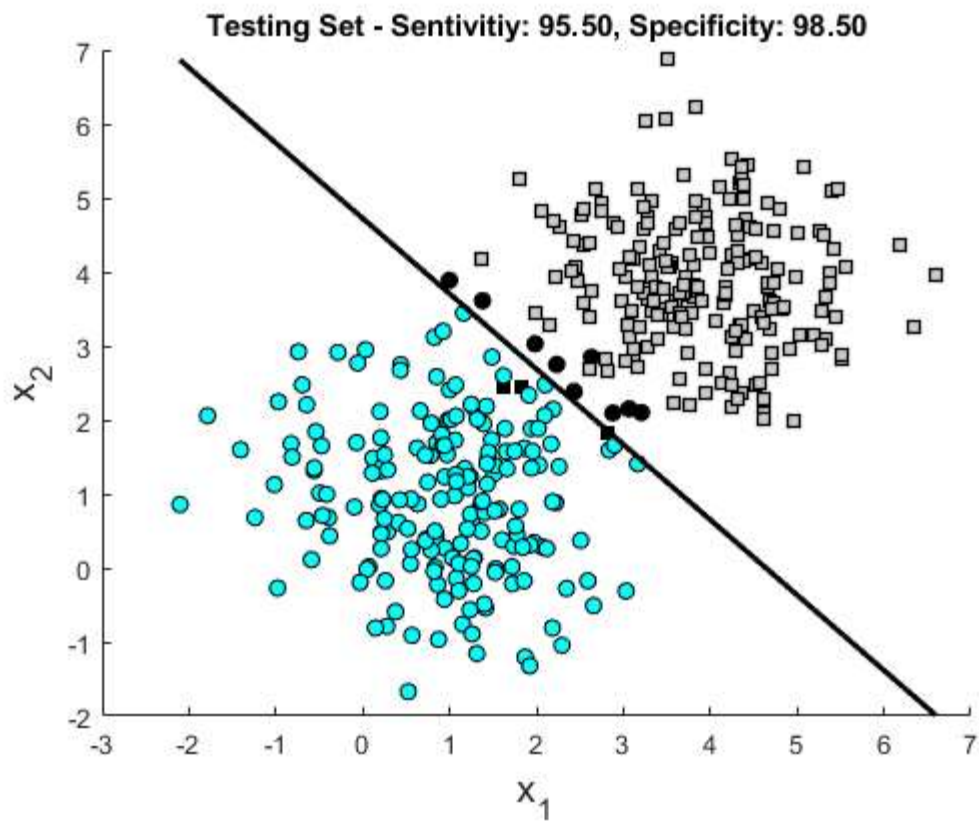
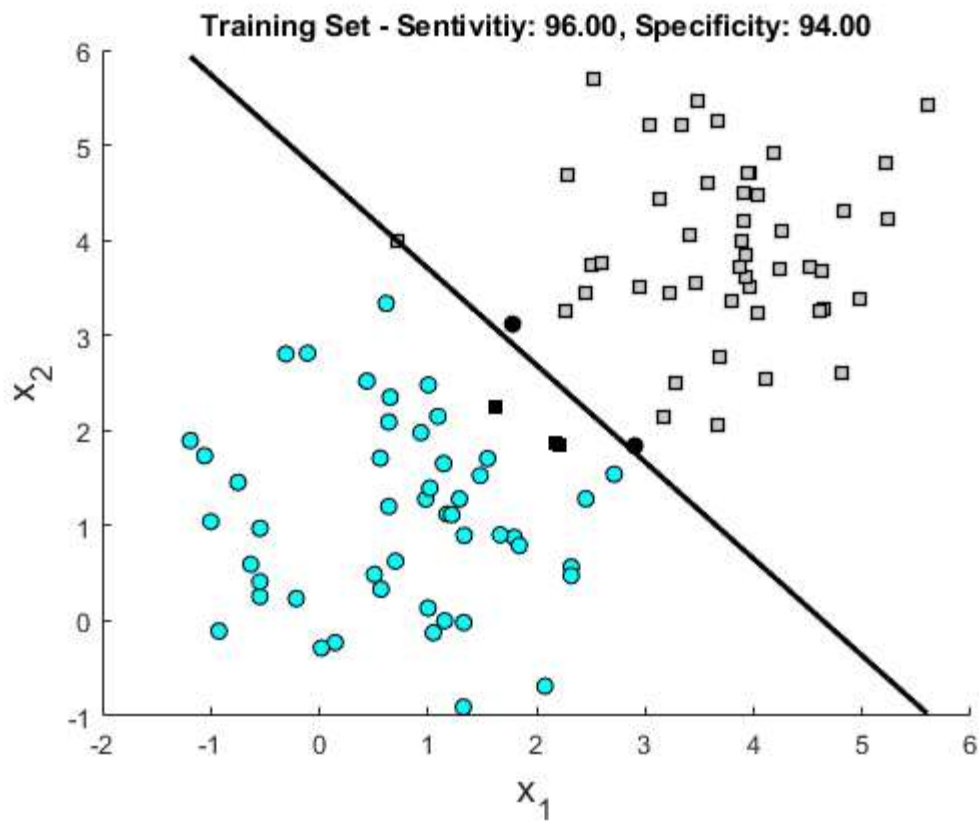
## Question 1:

---

```
%Loading the signal data
s = load('probb16_1.mat');
% training set variables:
Xt = s.Xt;
Xt(:,3) = ones;
dt = s.dt;
N1 = 100;
% test set variables:
X = s.X;
X(:,3) = ones;
d = s.d;
N2 = 400;
% LLSQ:
% training the model
part11 = ((Xt.')*Xt)^(-1);
part22 = (Xt.')*(dt.');
w2 = part11 * part22;

figure;
[sen_t, spec_t] = linear_eval(Xt,dt,w2);
title(sprintf('Training Set - Sentivitiy: %0.2f, Specificity: %0.2f', sen_t, spec_t));

figure;
[sen, spec] = linear_eval(X,d,w2);
title(sprintf('Testing Set - Sentivitiy: %0.2f, Specificity: %0.2f', sen, spec));
```



## Question 2\*\*:

```
%Loading the signal data
s = load('prob16_4.mat');
% training set variables:
Xt = s.Xt;
Xt(:,5) = ones;
dt = s.dt;
N1 = 100;
```

```

% test set variables:
X = s.X;
X(:,5) = ones;
d = s.d;
N2 = 400;

part1 = ((Xt.')*Xt)^(-1);
part2 = (Xt.')*(dt);
wt = part1 * part2;

sprintf(' ----- Training Set Values -----')
[sen_t, spec_t] = linear_eval_Q2(Xt,dt,wt);
sprintf('Sensitivity: %0.2f, Specificity: %0.2f', sen_t, spec_t)

sprintf(' ----- Testing Set Values -----')
[sen, spec] = linear_eval_Q2(X,d,wt);
sprintf('Sensitivity: %0.2f, Specificity: %0.2f', sen, spec)

% from the results, it can be seen that the sensitivity and specificity are
% lower for the testing test (82.50 & 79.00) compared to the training set
% (86.00 & 82.00) which is expected.

close all;

```

---

```

ans =

    ' ----- Training Set Values ----- '

```

```

ans =

    'True Positive: 43'

```

```

ans =

    'True Negative: 41'

```

```

ans =

    'False Positive: 9'

```

```

ans =

    'False Negative: 7'

```

```

ans =

    'Sensitivity: 86.00, Specificity: 82.00'

```

```

ans =

    ' ----- Testing Set Values ----- '

```

```

ans =

    'True Positive: 165'

```

ans =

'True Negative: 158'

ans =

'False Positive: 42'

ans =

'False Negative: 35'

ans =

'Sensitivity: 82.50, Specificity: 79.00'

### Question 3\*\*:

---

```
%Loading the signal data
s = load('prob16_6.mat');

% training set variables:
Xt = s.Xt;
Xt(:,3) = ones;
Dt = s.Dt;
N1 = 100;

% creating Linear discriminators - Training set:
% plotting boundaries for each class
figure;
for i = 1:3
    dt = Dt(:,i);
    part1 = ((Xt.').*Xt)^(-1);
    part2 = (Xt.').*(dt);
    wt = part1 * part2;
    [sen_t, spec_t] = linear_eval(Xt,dt,wt);
    title('Training Set - Boundaries')
end

figure;
sgtitle('Training Set');
% subplotting each class
for i = 1:3
    dt = Dt(:,i);
    part1 = ((Xt.').*Xt)^(-1);
    part2 = (Xt.').*(dt);
    wt = part1 * part2;

    subplot(1,3,i);
    [sen_t, spec_t] = linear_eval(Xt,dt,wt);
    title(sprintf('Sensitivity: %.0f, Specificity: %.0f', sen_t, spec_t));
end

% test set variables:
X = s.X;
X(:,3) = ones;
D = s.D;
N2 = 600;
```

```

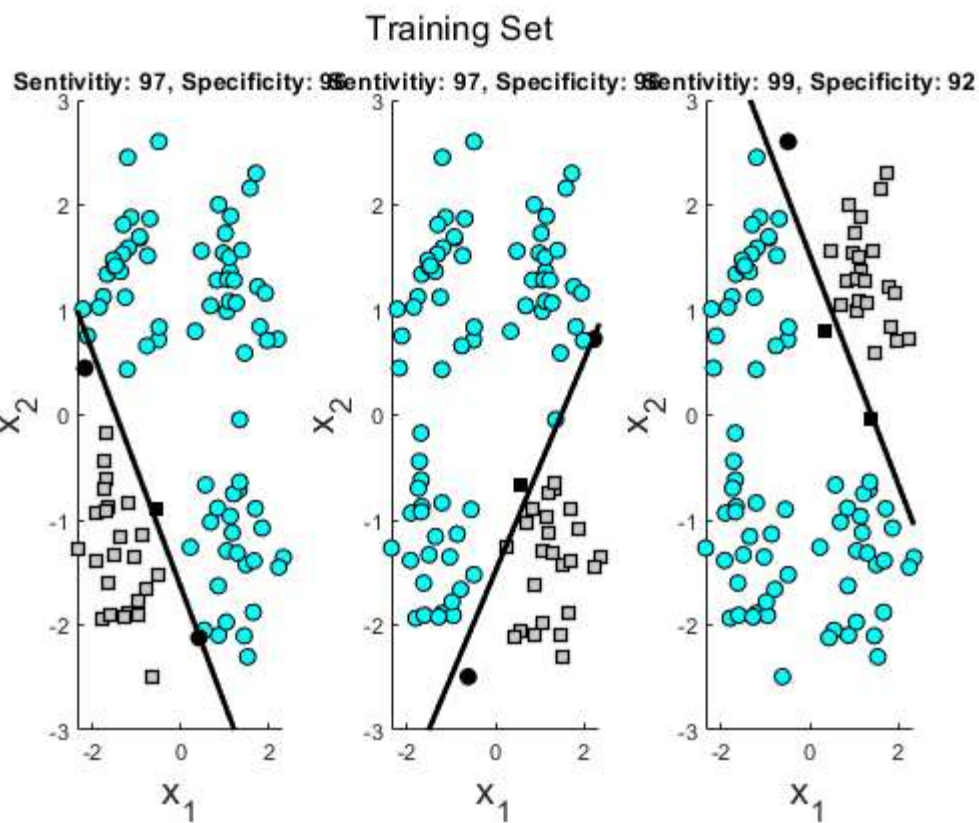
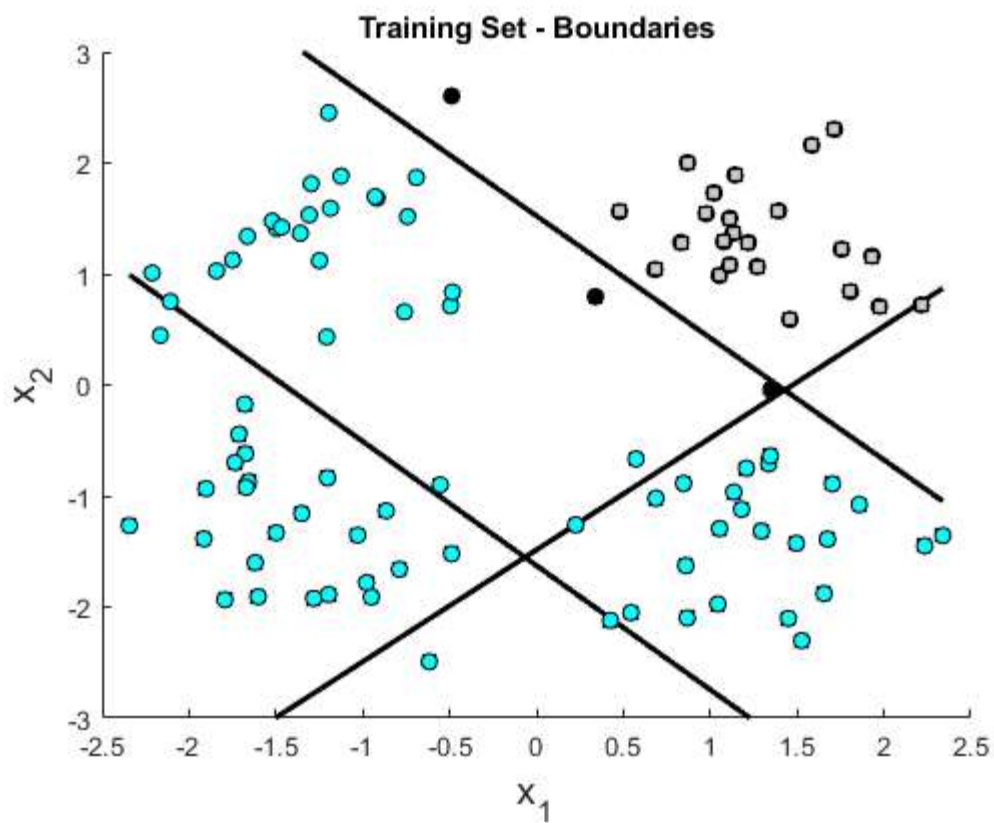
% creating Linear discriminators - Testing set:
% plotting boundaries for each class
figure;
for j = 1:3
    dt = Dt(:,j);
    d = D(:,j);
    part1 = ((Xt.').*Xt)^(-1);
    part2 = (Xt.').*(dt);
    wt = part1 * part2;
    [sen, spec] = linear_eval(X,d,wt);
    %[sen, spec] = linear_eval(X,d,wt);
    title('Testing Set - Boundaries')

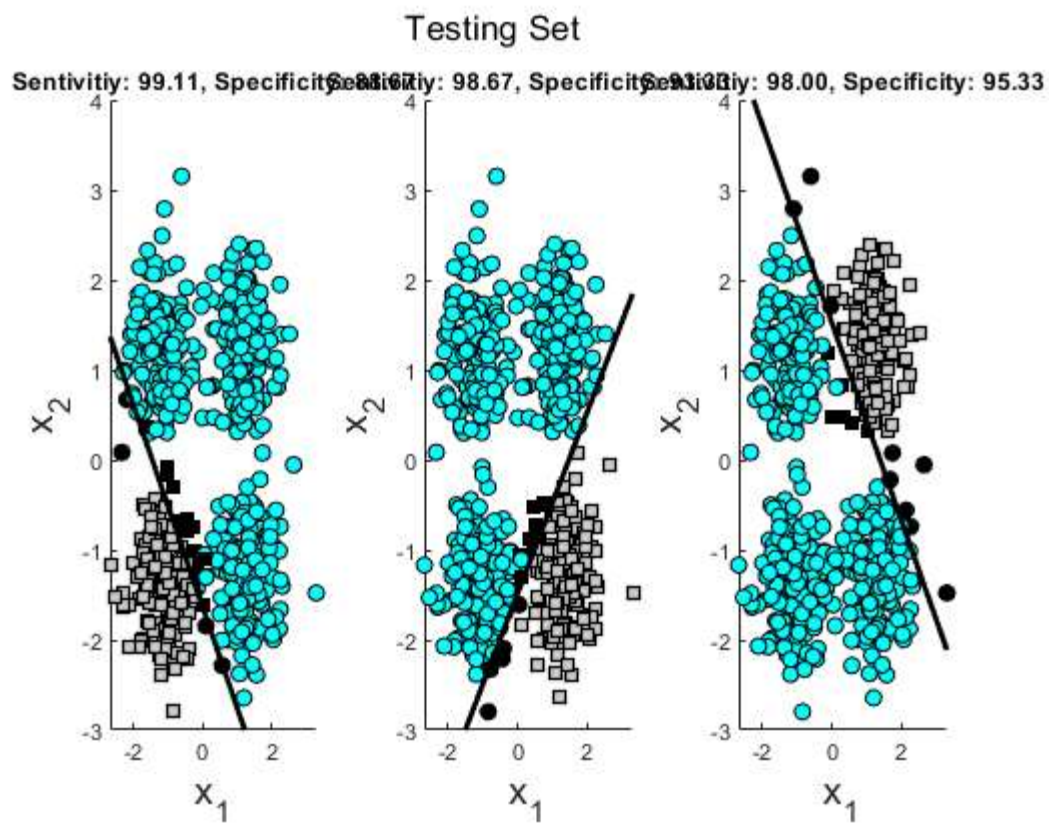
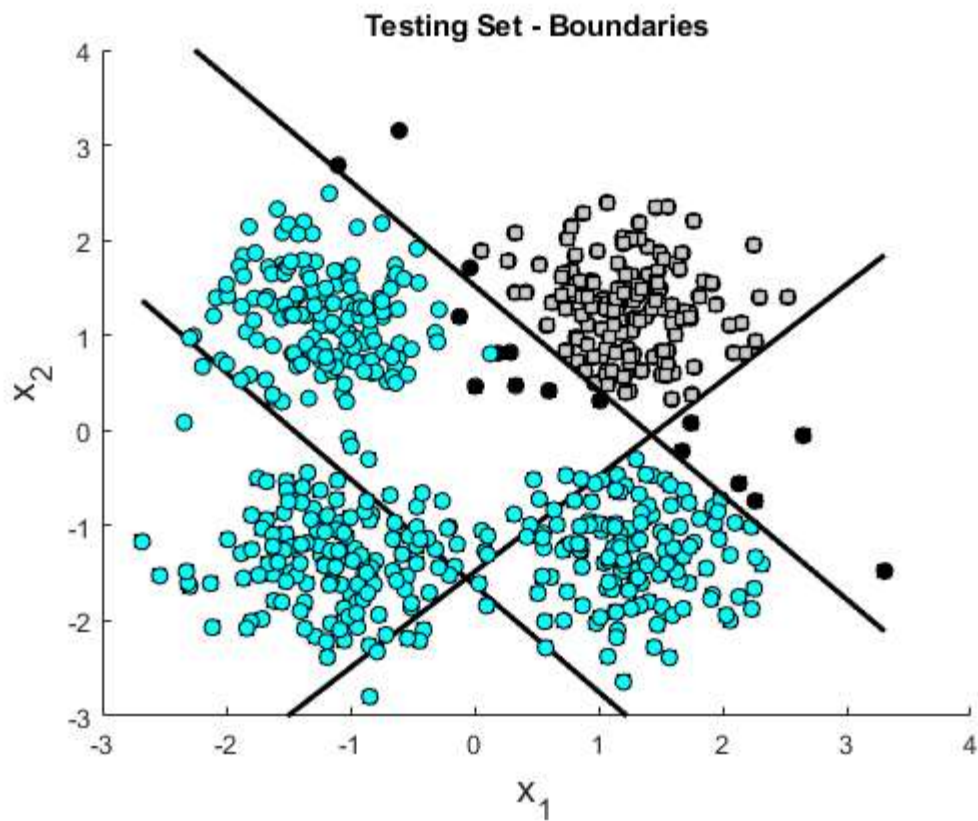
end

figure;
sgtitle('Testing Set');
% subplotting each class
for j = 1:3
    dt = Dt(:,j);
    d = D(:,j);
    part1 = ((Xt.').*Xt)^(-1);
    part2 = (Xt.').*(dt);
    wt = part1 * part2;
    subplot(1,3,j);
    [sen, spec] = linear_eval(X,d,wt);
    title(sprintf('Sensitivity: %0.2f, Specificity: %0.2f', sen, spec));
end

```

---





#### Question 4:

```
%Loading the signal data
s = load('prob16_7.mat');

% Training set:
N1 = 50;
Xt = s.Xt;
dt = s.dt; % class is indicated by -1 and 1
```

```

dtl = s.dtl; % class is indicated by 0 and 1

% Testing set:
N2 = 400;
X = s.X;
d = s.d; % class is indicated by -1 and 1
dl = s.dl; % class is indicated by 0 and 1

% Linear Least Squares:
%%% Use linear_eval to plot the least squares training and test set results
% for training set
Xt(:,3) = ones;
part1_t = ((Xt.')*Xt)^(-1);
part2_t = (Xt.')*(dtl.);
wt = part1_t * part2_t;

% for testing set
X(:,3) = ones;

figure;
[sen_t, spec_t] = linear_eval(Xt,dtl,wt);
title(sprintf('Training Set - Sentivity: %0.2f, Specificity: %0.2f', sen_t, spec_t));
figure;
[sen, spec] = linear_eval(X,dl,wt);
title(sprintf('Testing Set - Sentivity: %0.2f, Specificity: %0.2f', sen, spec));

% SVM:
%%% use svc, svcplot and plot_results and svcbound
% training LSVM:
[nsv, alpha, b0] = svc(Xt,dt','linear');
figure;
svcplot(Xt, dt','linear',alpha,b0); %plotting training results
title('Training data - SVM');

% plotting test results:
y = svcoutput(Xt, dt', X, 'linear', alpha, b0); % applying classifier
figure;
X = s.X;
[sen_svm, spec_svm] = plot_results(X, d, y, 0); %plotting data
svcbound(Xt, dt', 'linear', alpha, b0); % plotting boundaries
title(sprintf('Testing Data, SVM - Sentivity: %0.2f, Specificity: %0.2f', sen_svm, spec_svm));

```

## Support Vector Classification

---

Constructing ...

Optimising ...

The interior-point-convex algorithm does not accept an initial point.

Ignoring X0.

No feasible solution found.

quadprog stopped because it was unable to find a point that satisfies the constraints within the value of the constraint tolerance.

Execution time: 0.2 seconds

Status : -2.000000e+00

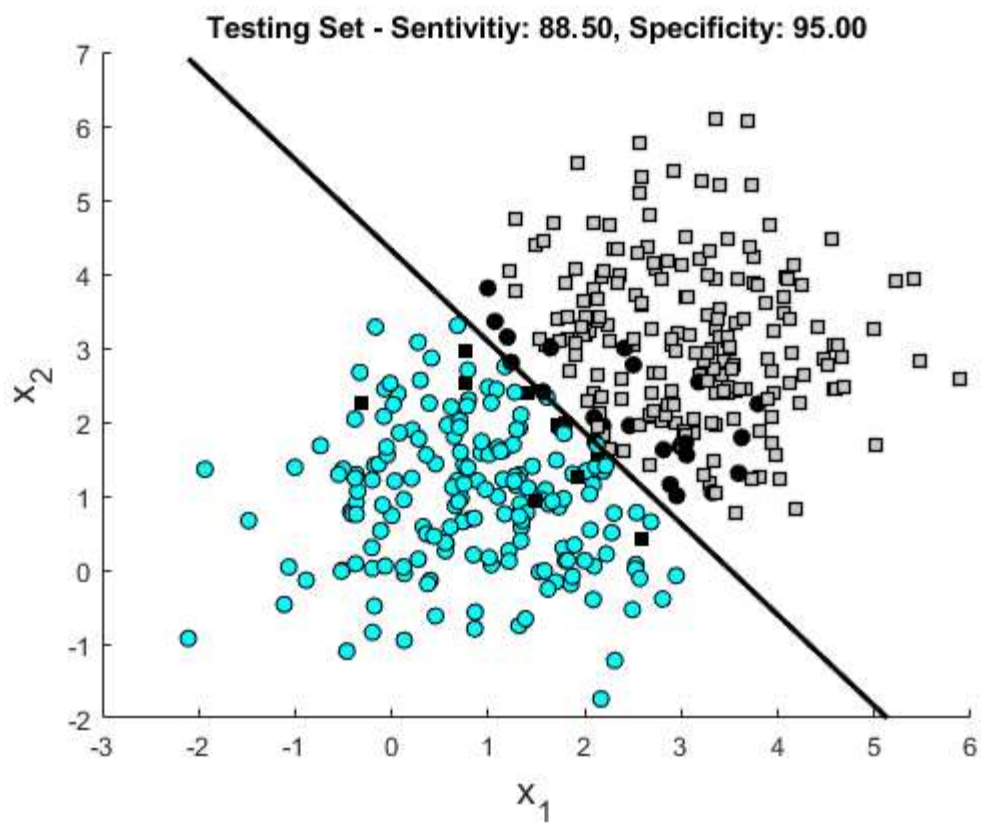
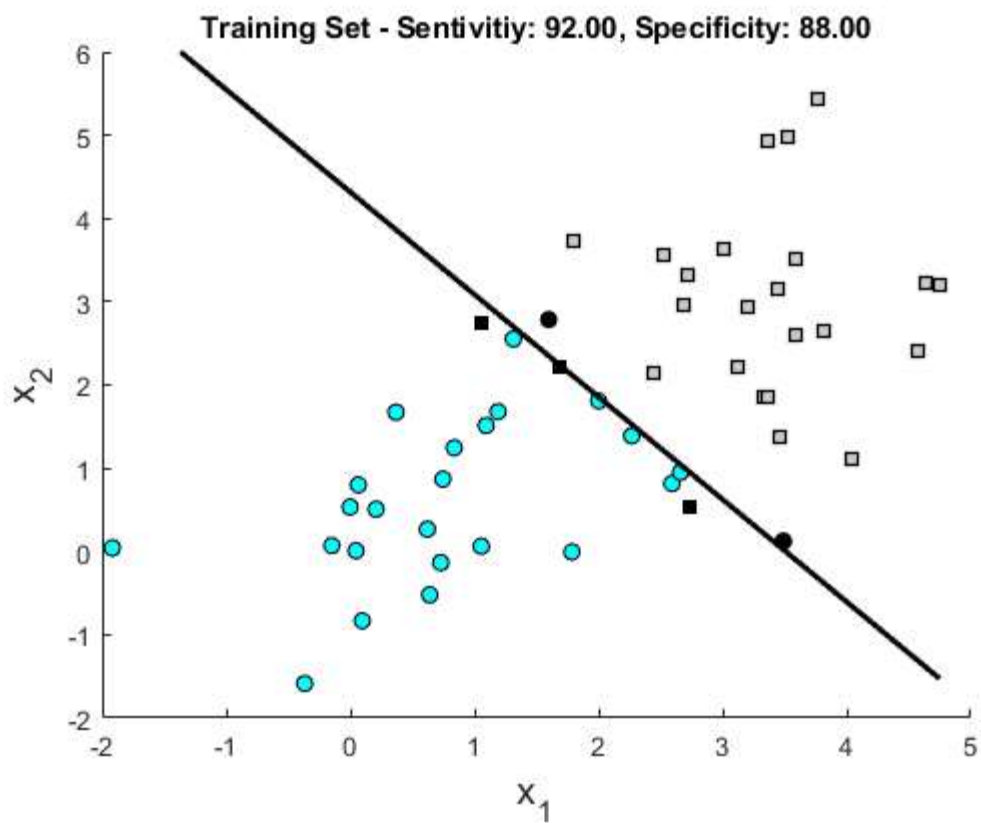
|w0|^2 : 171317.539307

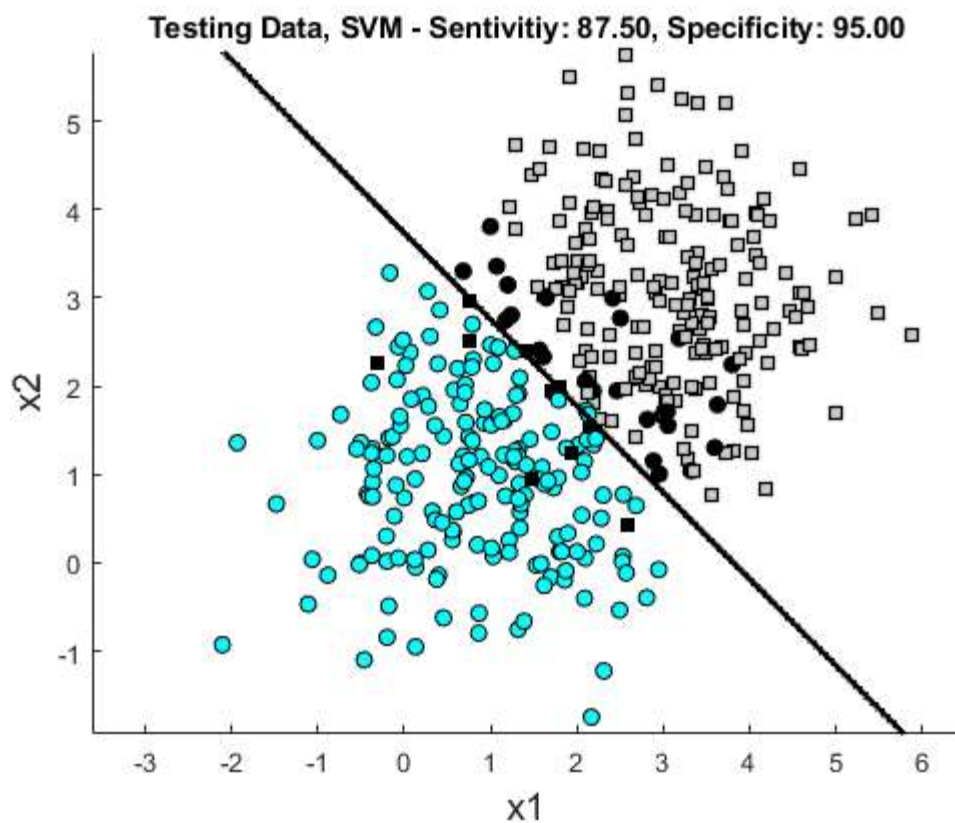
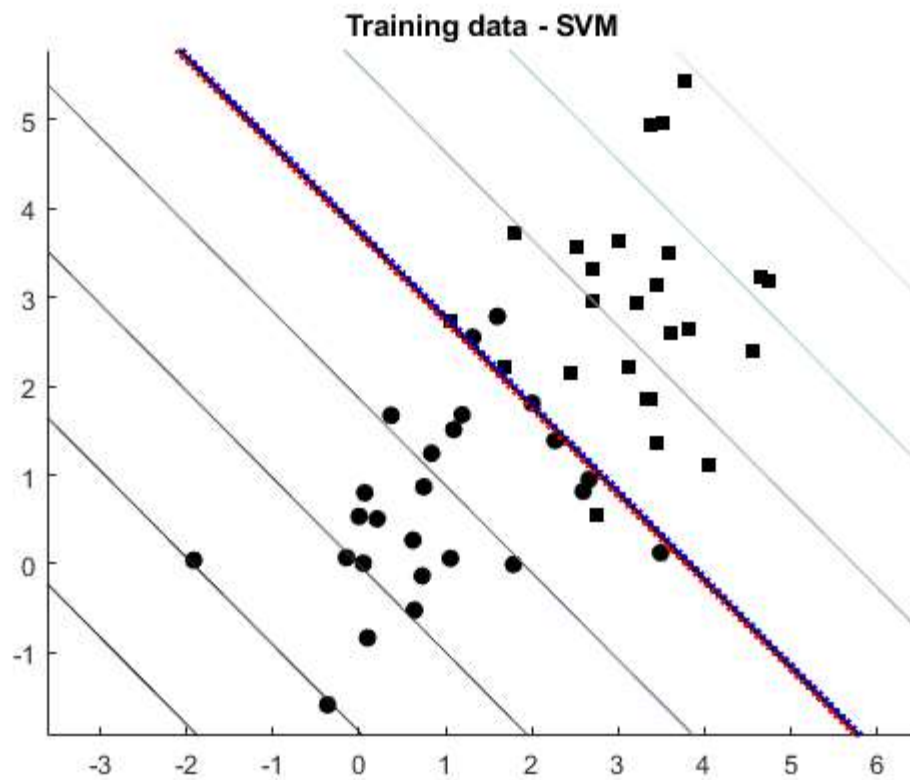
Margin : 0.004832

Sum alpha : 70010928.258251

Support Vectors : 50 (100.0%)







### Question 5\*\*:

```
%Loading the signal data
s = load('prob16_8.mat');

% Training set
N1 = 10;
dt = s.dt;
dt1 = s.dt1;
```

```

Xt = s.Xt;

% Testing set
N2 = 200;
d = s.d;
dl = s.dl;
X = s.X;

% Linear Least Square
% for testing set
Xt(:,3) = ones;
X(:,3) = ones;
part1 = ((Xt.')*Xt)^(-1);
part2 = (Xt.')*(dl. ');
wt = part1 * part2;

figure;
subplot(1,2,1);
[sen_1, spec_1] = linear_eval(X,dl,wt);
title(sprintf('Linear Least Square - Sentivity: %0.2f, Specificity: %0.2f', sen_1, spec_1));

% SVM
[nsv, alpha, b0] = svc(Xt, dt', 'linear');
y = svcoutput(Xt, dt', X, 'linear', alpha, b0);
subplot(1,2,2);
X = s.X;
[sen_svm, spec_svm] = plot_results(X, d, y, 0);
svcbound(Xt, dt', 'linear', alpha, b0); % plotting boundaries
title(sprintf('Linear SVM - Sentivity: %0.2f, Specificity: %0.2f', sen_svm, spec_svm));

% From the results, it can be seen that the Linear SVM approach has better
% performance (higher sensitivity and specificity) in comparison with the
% linear least square method. This is one of the strength of the SVM
% approach for this type of dataset size and can be supported by the
% results.

```

## Support Vector Classification

---

Constructing ...

Optimising ...

The interior-point-convex algorithm does not accept an initial point.

Ignoring X0.

Minimum found that satisfies the constraints.

Optimization completed because the objective function is non-decreasing in feasible directions, to within the value of the optimality tolerance, and constraints are satisfied to within the value of the constraint tolerance.

Execution time: 0.0 seconds

Status :

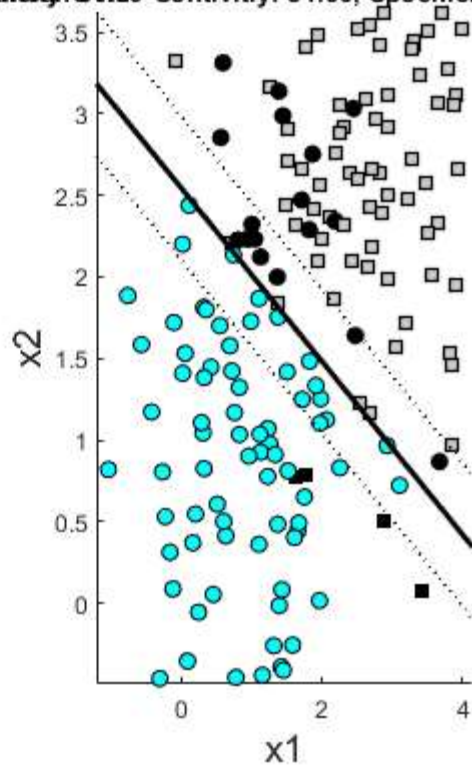
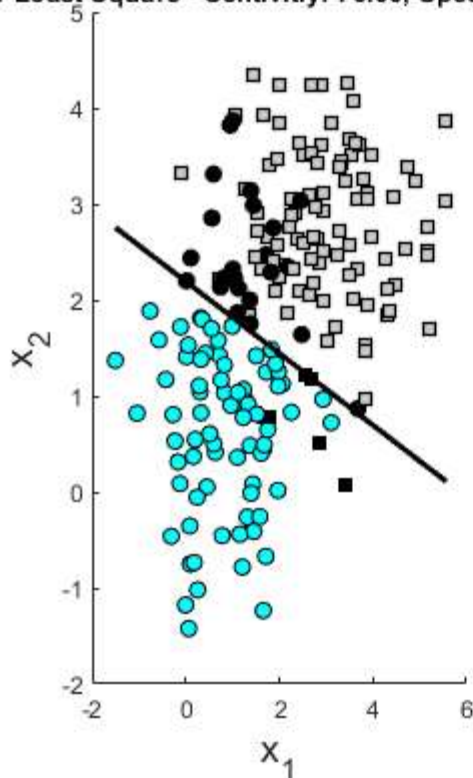
|w0|^2 : 6.594742

Margin : 0.778809

Sum alpha : 6.594742

Support Vectors : 3 (30.0%)

Linear Least Square - Sensitivity: 76.00, Specificity: 96.00



## Question 6:

```
%Loading the signal data
s = load('prob16_10.mat');
Xt = s.Xt;
dt = s.dt;

% polynomial order = 2
global p1;
p1 = 2;
[nsv_p1, alpha_p1, b_p1] = svc(Xt, dt, 'poly', 10);
y_p1 = svcoutput(Xt, dt, Xt, 'poly', alpha_p1, b_p1);
figure;
subplot(3,1,1);
[sen_p1, spec_p1] = plot_results(Xt, dt, y_p1, 0);
svcbound(Xt, dt, 'poly', alpha_p1, b_p1);
title(sprintf('Polynomial SVM (order=2) - Sensitivity: %0.2f, Specificity: %0.2f', sen_p1, spec_p1));

% Linear SVM
[nsv, alpha, b0] = svc(Xt, dt, 'linear');
y_l = svcoutput(Xt, dt, Xt, 'linear', alpha, b0);
subplot(3,1,2);
[sen_l, spec_l] = plot_results(Xt, dt, y_l, 0);
svcbound(Xt, dt, 'linear', alpha, b0); % plotting boundaries
title(sprintf('Linear SVM - Sensitivity: %0.2f, Specificity: %0.2f', sen_l, spec_l));

% polynomial order = 6
global p1;
p1 = 6;
[nsv_p2, alpha_p2, b_p2] = svc(Xt, dt, 'poly');
y_p2 = svcoutput(Xt, dt, Xt, 'poly', alpha_p2, b_p2);
subplot(3,1,3);
[sen_p2, spec_p2] = plot_results(Xt, dt, y_p2, 0);
svcbound(Xt, dt, 'poly', alpha_p2, b_p2);
title(sprintf('Polynomial SVM (order=6) - Sensitivity: %0.2f, Specificity: %0.2f', sen_p2, spec_p2));

% as the complexity of the boundary increases, the performance also
```

% increases. This can be seen in the results shown from polynomial order 2  
% compared with polynomial order 6 in which polynomial order 6 has higher  
% sensitivity and specificity values.

---

#### Support Vector Classification

---

Constructing ...

Optimising ...

The interior-point-convex algorithm does not accept an initial point.

Ignoring X0.

Minimum found that satisfies the constraints.

Optimization completed because the objective function is non-decreasing in  
feasible directions, to within the value of the optimality tolerance,  
and constraints are satisfied to within the value of the constraint tolerance.

Execution time: 0.0 seconds

Status :

$|w_0|^2$  : 14.526203

Margin : 0.524752

Sum alpha : 142.694010

Support Vectors : 17 (17.0%)

Support Vector Classification

---

Constructing ...

Optimising ...

The interior-point-convex algorithm does not accept an initial point.

Ignoring X0.

No feasible solution found.

quadprog stopped because it was unable to find a point that satisfies  
the constraints within the value of the constraint tolerance.

Execution time: 0.0 seconds

Status : -2.000000e+00

$|w_0|^2$  : 199929.043973

Margin : 0.004473

Sum alpha : 91053740.043034

Support Vectors : 100 (100.0%)

Support Vector Classification

---

Constructing ...

Optimising ...

The interior-point-convex algorithm does not accept an initial point.

Ignoring X0.

Minimum found that satisfies the constraints.

Optimization completed because the objective function is non-decreasing in  
feasible directions, to within the value of the optimality tolerance,  
and constraints are satisfied to within the value of the constraint tolerance.

Execution time: 0.0 seconds

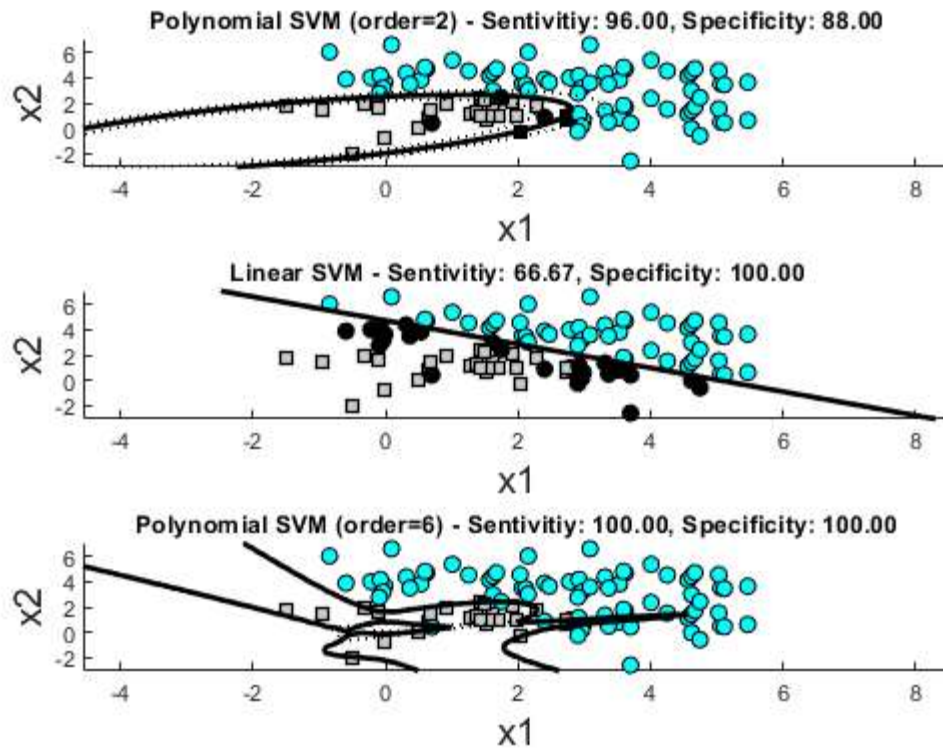
Status :

$|w_0|^2$  : 41.467967

Margin : 0.310580

Sum alpha : 41.467967

Support Vectors : 14 (14.0%)



### Question 7\*\*:

```
%loading the data
s = load('p9_1_data.mat');
X = s.X;
x1 = X(1,:);
x2 = X(2,:);
N = length(x1);

% determine kurtosis for each of the two signals
k1 = kurtosis(x1)-3;
k2 = kurtosis(x2)-3;
sprintf('Signal 1 Kurtosis = %0.2f',k1)
sprintf('Signal 2 Kurtosis = %0.2f',k2)

% add the two kurtosis together
k_sum = k1 + k2;
sprintf('Kurtosis sum = %0.2f',k_sum)

figure;
subplot(3,1,1);
scatter(X(1,:),X(2,:)); title('Original Signal'); grid on;

r1 = 0.867;
r2 = 0.5;
r3 = 0.9;
r4 = 1.2;
r5 = 2.9;

y = rotation(X, r5);
subplot(3,1,2);
scatter(y(1,:), y(2,:)); title('Manual Rotation'); grid on;

% Apply the Jade ICA algorithm
B = jadeR(X,2);
y2 = B*X;
subplot(3,1,3);
```



```
scatter(y2(1,:), y2(2,:)); title('Jade ICA'); grid on;
```

```
% From the results, it can be seen that the manual and Jade ICA approach do  
% not yield the same results.  
% The kurtosis values for the data rotated by ICA are more negative than  
% the kurtosis values of the ones found manually. This indicated high  
% non-Gaussianity and therefore, maximizing independence between the two  
% components.  
% the result from the manually rotated data is less effective than the ICA  
% algorithm in finding the maximum.
```

```
ans =
```

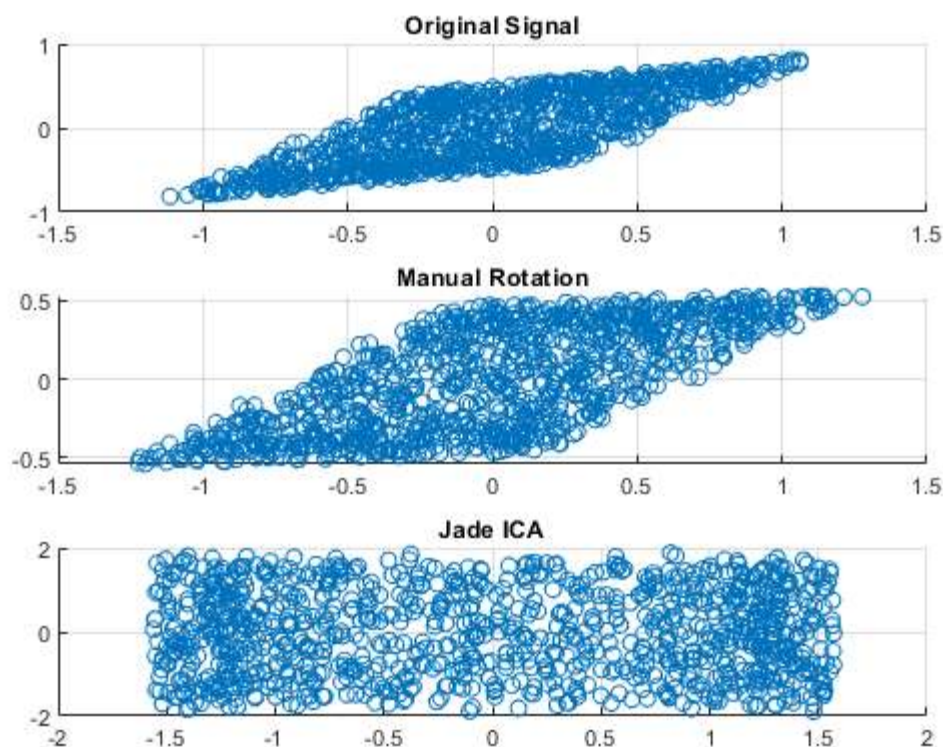
```
'Signal 1 Kurtosis = -0.68'
```

```
ans =
```

```
'Signal 2 Kurtosis = -1.23'
```

```
ans =
```

```
'Kurtosis sum = -1.91'
```



## Question 8\*\*:

```
%loading the data  
s = load('p9_2_data.mat');  
X = s.X;  
fs = 500;  
N = length(X);  
t = (1:N)/fs;
```

```

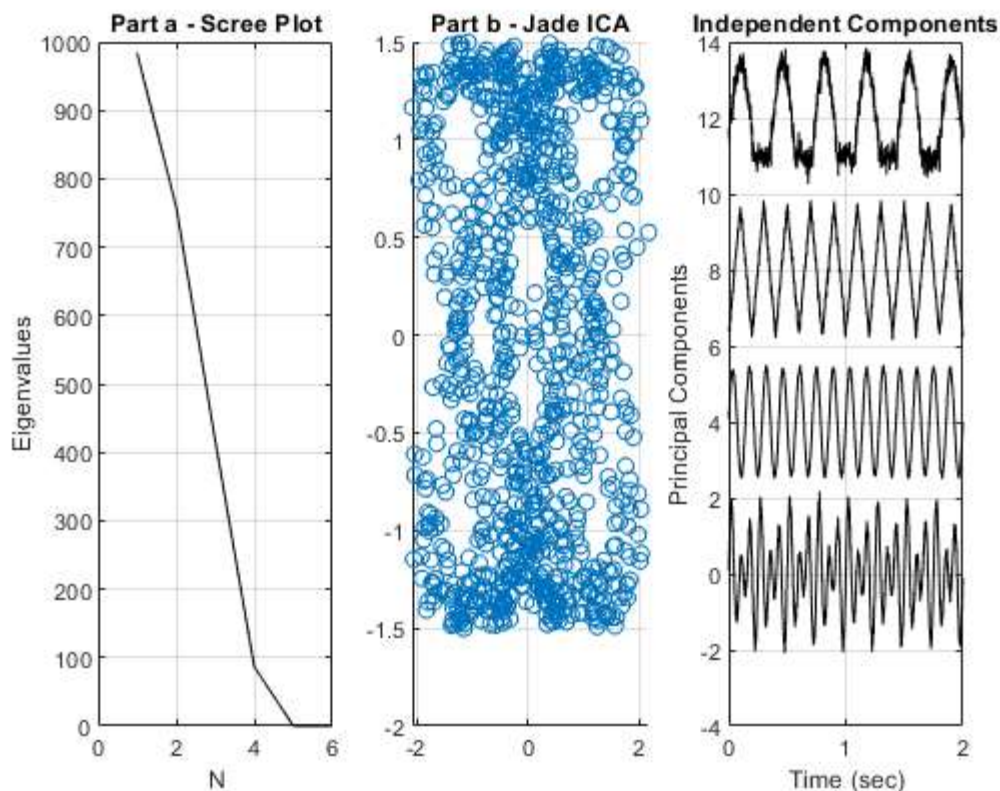
% part a: Determine the actual dimension of the data using PCA and the Scree plot.
%Find principal components
[U,S,pc]= svd(X,'econ');
eigen = diag(S).^2;
for i = 1:6
    pc(:,i) = pc(:,i) * sqrt(eigen(i));
end

figure;
subplot(1,3,1);
plot(eigen,'k');
xlabel('N');
ylabel('Eigenvalues');
title('Part a - Scree Plot'); grid on;

% By looking at the Scree plot, it can be seen that the point of inflection
% is at N=4 and then approaching zero for N>4. Therefore, the dimension can
% be estimated to be 4.

% part b: Perform an ICA analysis using either the "Jade" or "FastICA"
B = jadeR(X,4);
y = B*X;
subplot(1,3,2);
scatter(y(1,:), y(2,:)); title('Part b - Jade ICA'); grid on;
% Plot the independent components
subplot(1,3,3);
y = y';
plot(t,y(:,1),'k',t,y(:,2)+4,'k', t, y(:,3)+8,'k',t, y(:,4)+12,'k'); grid on;
xlabel('Time (sec)');
ylabel('Principal Components');
title('Independent Components');

```



### Question 9\*\*:

```

%loading the data
s = load('mix_sig3.mat');

```



```

X = s.X;
X = X';
fs = 500;
N = length(X);
t = (1:N)/fs;

%Find principal components
[U,S,pc]= svd(X,'econ');
eigen = diag(S).^2;
for i = 1:7
    pc(:,i) = pc(:,i) * sqrt(eigen(i));
end

figure;
subplot(1,3,1);
plot(eigen,'k');
xlabel('N');
ylabel('Eigenvalues');
title('Scree Plot'); grid on;

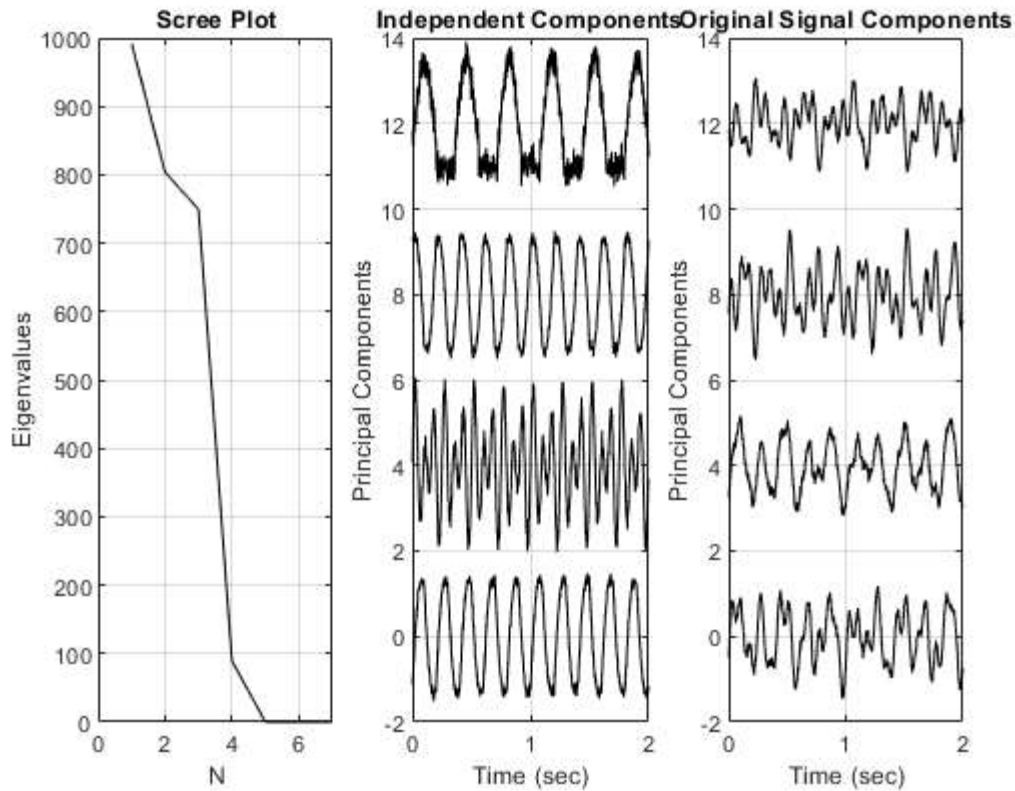
% By looking at the Scree plot, it can be seen that the point of inflection
% is at N=4 and then approaching zero for N>4. Therefore, the dimension can
% be estimated to be 4.
% Apply ICA with Jade
B = jadeR(X,4);
y = B*X;
% Plot the independent components
subplot(1,3,2);
y = y';
plot(t,y(:,1),'k',t,y(:,2)+4,'k', t, y(:,3)+8,'k',t, y(:,4)+12,'k'); grid on;
xlabel('Time (sec)');
ylabel('Principal Components');
title('Independent Components');

X = X';
subplot(1,3,3);
plot(t,X(:,1),'k',t,X(:,2)+4,'k', t, X(:,3)+8,'k',t, X(:,4)+12,'k'); grid on;
xlabel('Time (sec)');
ylabel('Principal Components');
title('Original Signal Components');

% some of the reasons that could lead to ICA failing is the limited number
% of recordings making it an overcomplete problem (non-square ICA)
% Another reason could be that the distribution of the signal is close to Gaussian

```

---



### Question 10\*\*:

construct a chirp signal

```
N = 500;
freq = linspace(2, 30, N);
time = linspace(0, 5, N);
x = sin(pi*time.*freq); %chirp signal

figure;
subplot(2,1,1);
plot(time, x);
title('Chirp signal'); grid on;

% add noise
v = var(x);
x_noise = x + v*randn(1,length(x));
subplot(2,1,2);
plot(time,x_noise);
title('Signal with noise'); grid on;

% DWT - decomposition layer = 4
[c,l] = wavedec(x_noise,4,'db6');
approx = appcoef(c,l,'db6');
[cd1,cd2,cd3,cd4] = detcoef(c,l,[1 2 3 4]);

%Plot the coefficients.
figure;
sgtitle('decomposition layer = 4');
subplot(5,1,1);
plot(approx);
title('Approximation Coefficients');
subplot(5,1,2);
plot(cd4);
title('Level 4 Detail Coefficients');
subplot(5,1,3);
plot(cd3);
```

```

title('Level 3 Detail Coefficients');
subplot(5,1,4);
plot(cd2);
title('Level 2 Detail Coefficients');
subplot(5,1,5);
plot(cd1);
title('Level 1 Detail Coefficients');

% DWT - decomposition layer = 3
[c,l] = wavedec(x_noise,3,'db6');
approx = appcoef(c,l,'db6');
[cd1,cd2,cd3] = detcoef(c,l,[1 2 3]);

%Plot the coefficients.
figure;
sgtitle('decomposition layer = 3');
subplot(4,1,1);
plot(approx);
title('Approximation Coefficients');
subplot(4,1,2);
plot(cd3);
title('Level 3 Detail Coefficients');
subplot(4,1,3);
plot(cd2);
title('Level 2 Detail Coefficients');
subplot(4,1,4);
plot(cd1);
title('Level 1 Detail Coefficients');

% DWT - decomposition layer = 2
[c,l] = wavedec(x_noise,2,'db6');
approx = appcoef(c,l,'db6');
[cd1,cd2] = detcoef(c,l,[1 2]);

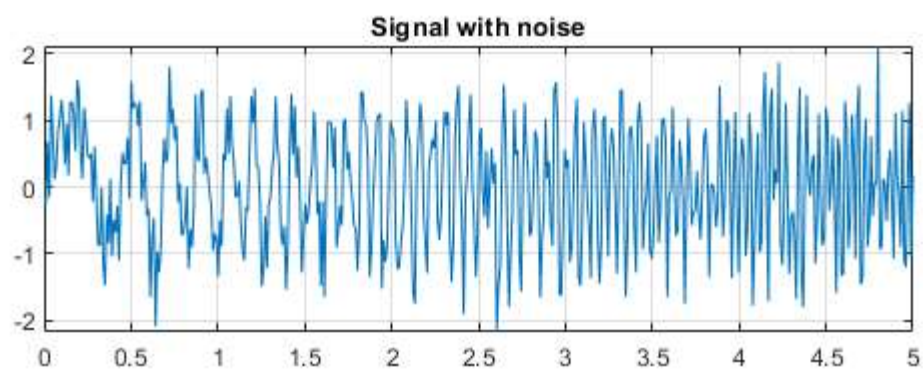
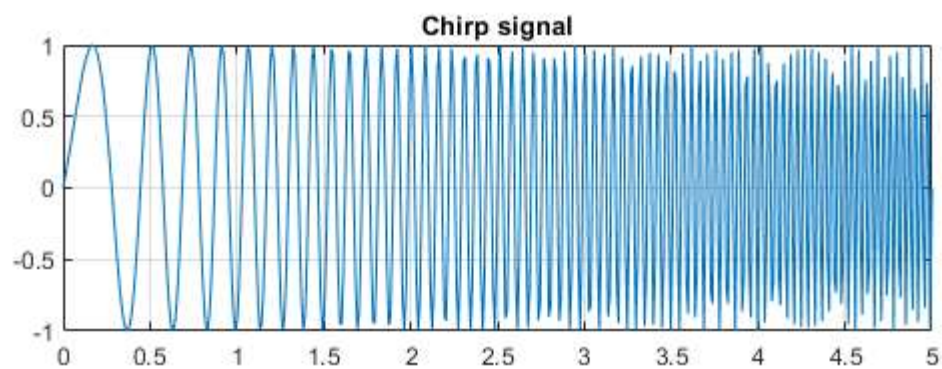
%Plot the coefficients.
figure;
sgtitle('decomposition layer = 2');
subplot(3,1,1);
plot(approx);
title('Approximation Coefficients');
subplot(3,1,2);
plot(cd2);
title('Level 2 Detail Coefficients');
subplot(3,1,3);
plot(cd1);
title('Level 1 Detail Coefficients');

% changing the decomposition levels gives us the same results since we're
% only removing the highest resolution that exists in the lowest level
% (level 1)

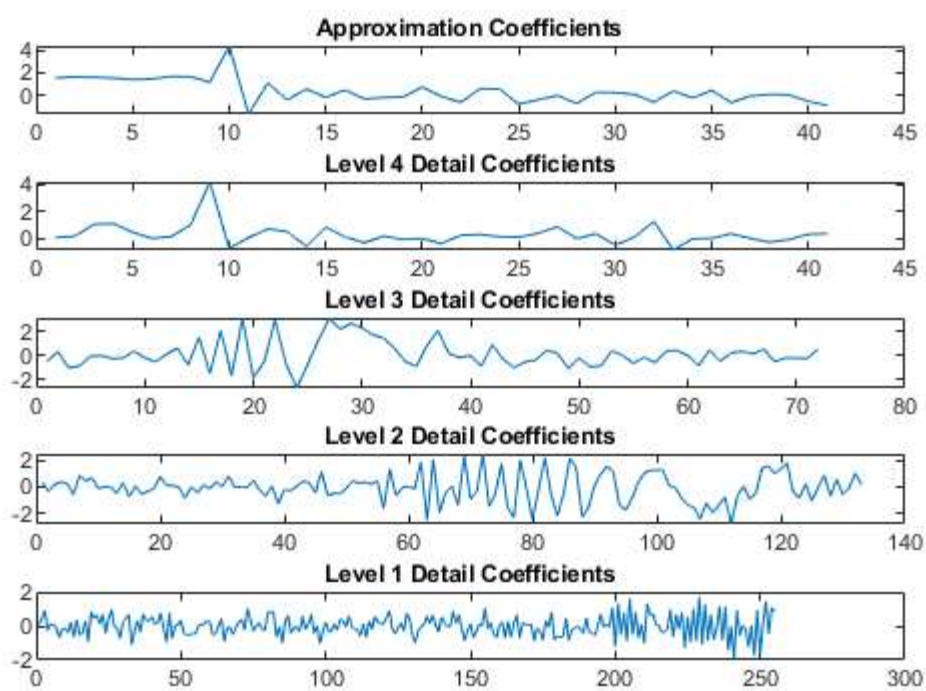
% reconstruction
x_rec3 = waverec(c,l,'db6');
figure;
plot(time,x_rec3);
title('Signal Reconstruction - level = 2'); grid on;

```

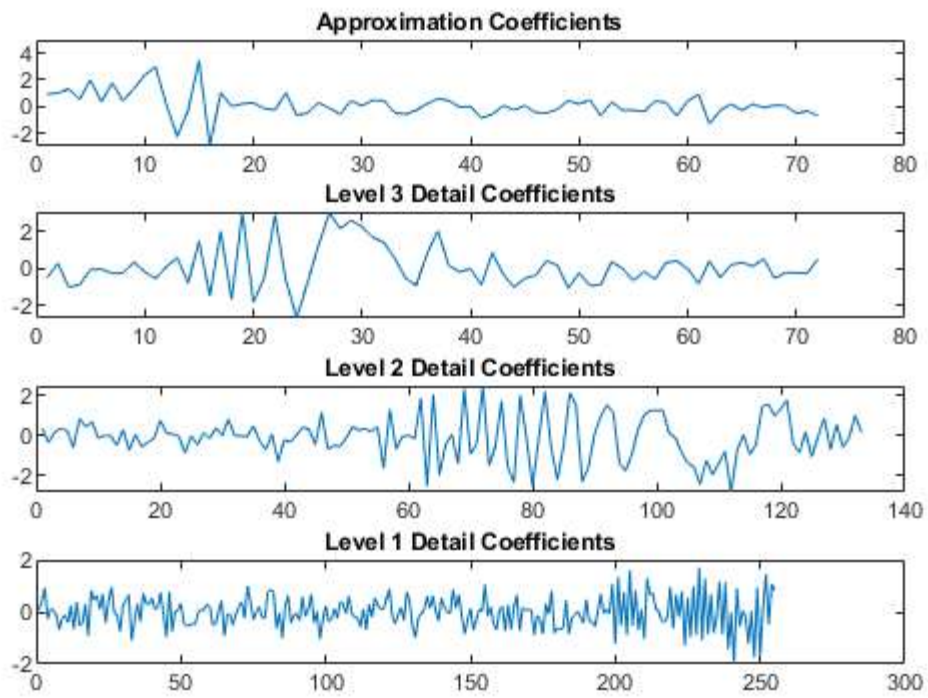
---



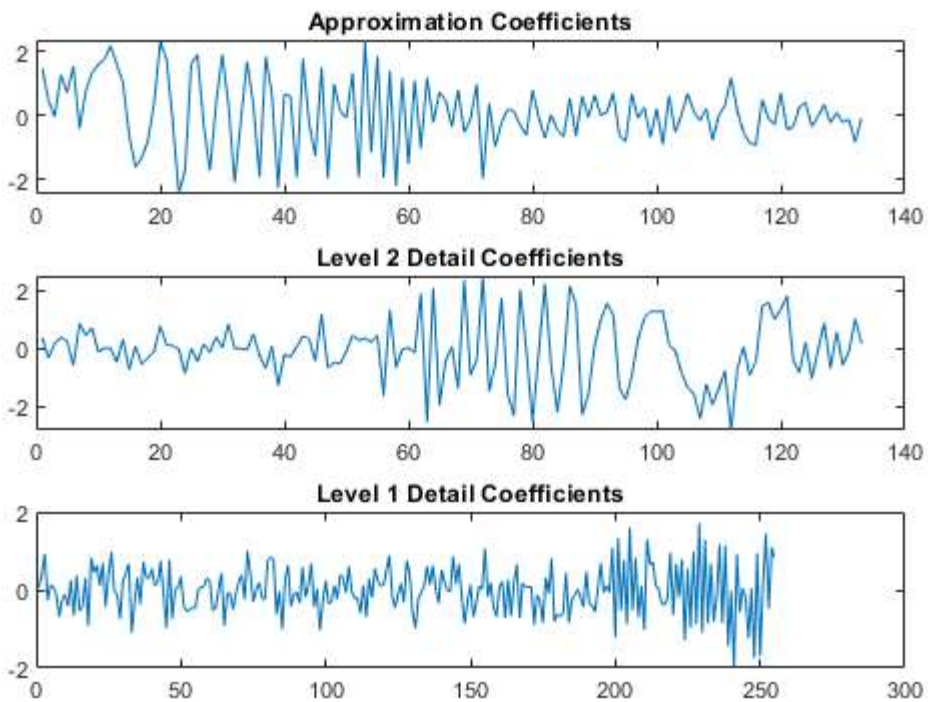
decomposition layer = 4

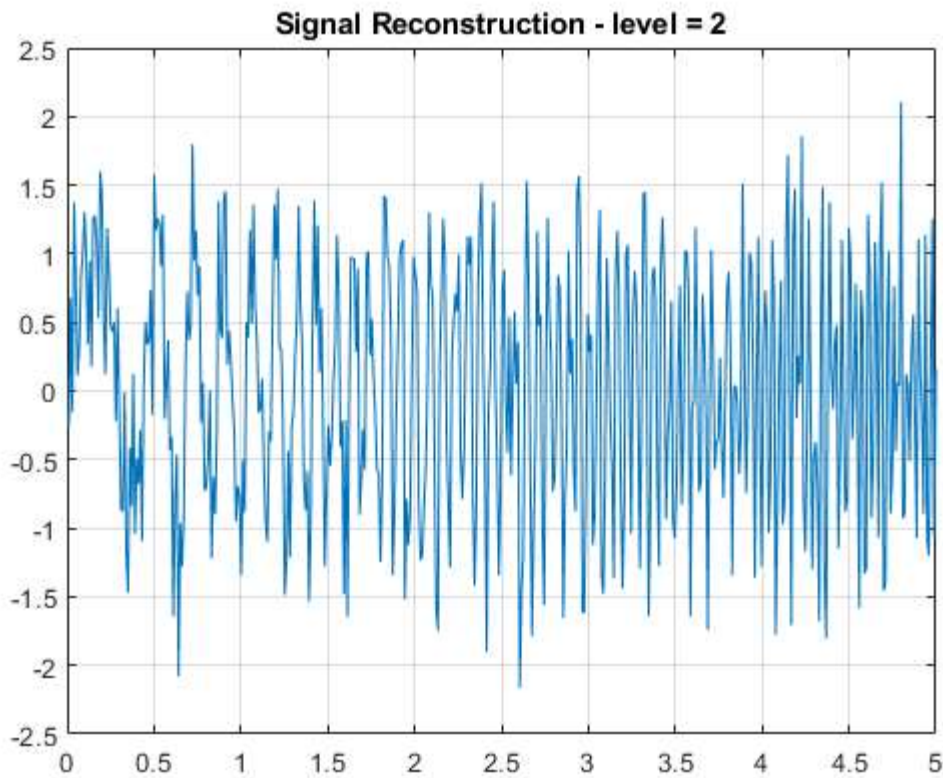


decomposition layer = 3



decomposition layer = 2





### Question 11:

construct a chirp signal

```
f1 = 20;
f2 = 100;
f3 = 200;
fs = 500;
N = 500;
t = (1:N)/fs;
x = sin(pi*t*f1) + sin(pi*t*f2) + sin(pi*t*f3);
figure;
sgtitle('Time Domain');
subplot(2,1,1);
plot(t, x); xlabel('Time(s)'); ylabel('Amplitude');
title('Waveform - Before compression'); grid on;

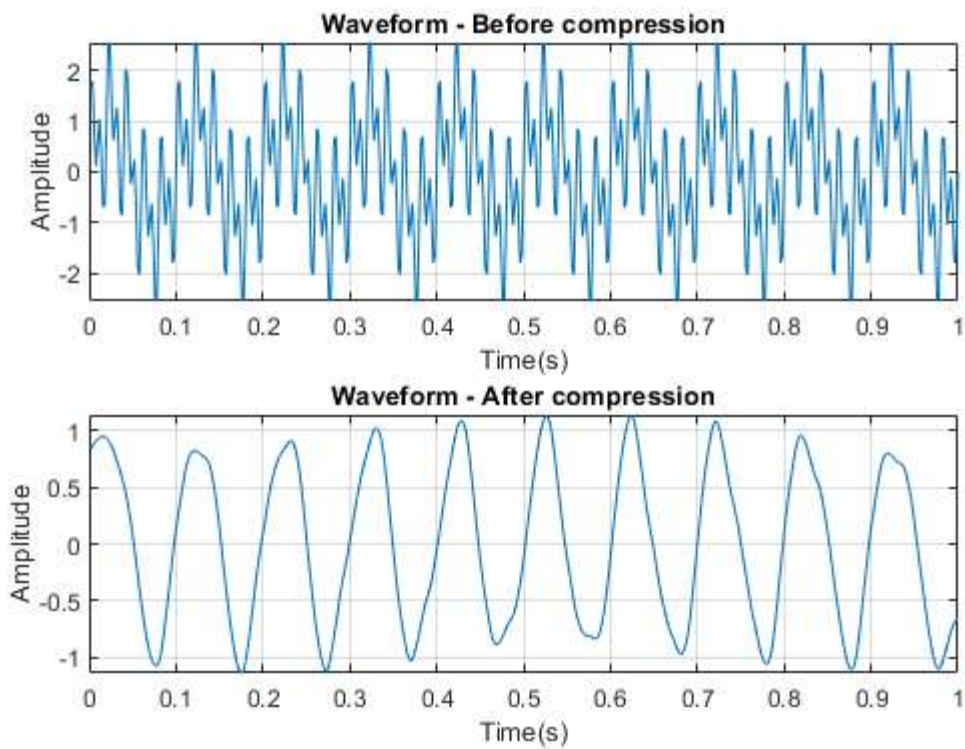
% DWT - compression
[c,l] = wavedec(x,4,'db6');
nc = wthcoef("d",c,l,[1 2 3 4]);

% reconstruction
xrec = waverec(nc,l,'db6');
subplot(2,1,2);
plot(t,xrec); xlabel('Time(s)'); ylabel('Amplitude');
title('Waveform - After compression'); grid on;

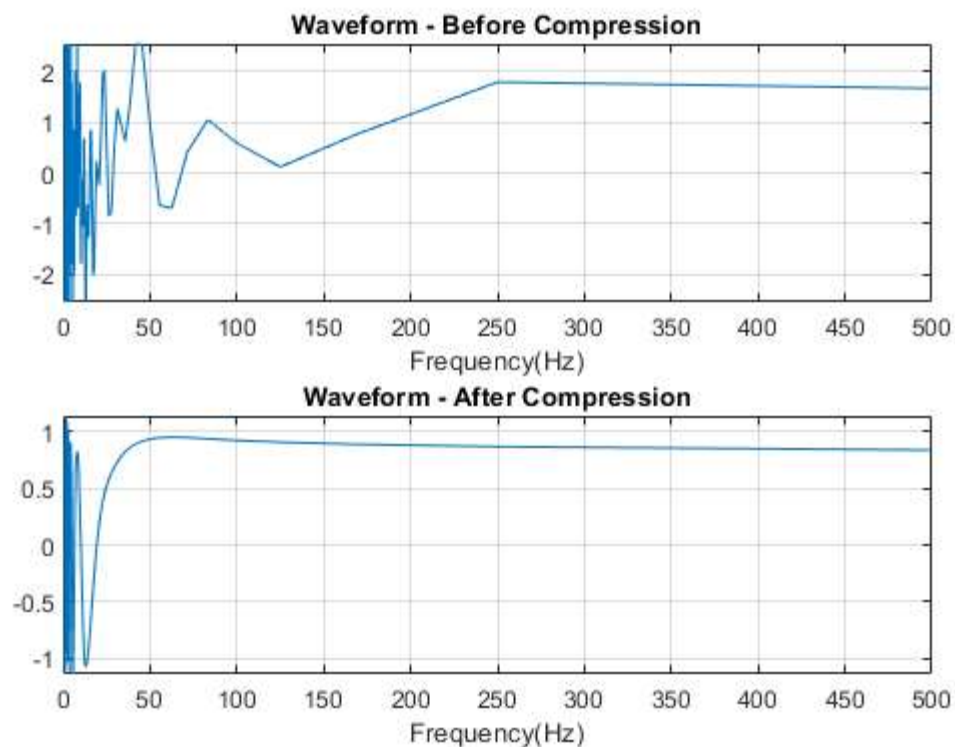
f_t = 1./t;
figure;
sgtitle('Frequency Domain');
subplot(2,1,1);
plot(f_t, x); xlabel('Frequency(Hz)');
title('Waveform - Before Compression'); grid on;
subplot(2,1,2);
plot(f_t, xrec); xlabel('Frequency(Hz)');
title('Waveform - After Compression'); grid on;
```



## Time Domain



## Frequency Domain



### Question 12:

```
s = load('discontinuity_data.mat');
x = s.x;
N = length(x);
fs = 1024;
t = (1:N)/fs;
plot(t, x); grid on; title('Waveform');
% Decompose the waveform into three levels and examine and plot only the highest-resolution
```

```
% DWT - decomposition layer = 3
[c,l] = wavedec(x,3,'db6');
approx = appcoef(c,l,'db6');
[cd1,cd2,cd3] = detcoef(c,l,[1 2 3]);

%Plot the coefficients.
figure;
sgtitle('decomposition layer = 3');
subplot(4,1,1);
plot(approx);
title('Approximation Coefficients');
subplot(4,1,2);
plot(cd3);
title('Level 3 Detail Coefficients');
subplot(4,1,3);
plot(cd2);
title('Level 2 Detail Coefficients');
subplot(4,1,4);
plot(cd1);
title('Level 1 Detail Coefficients');

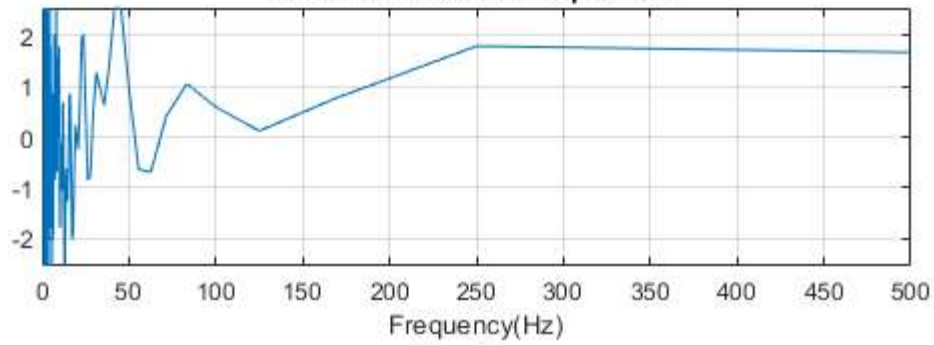
figure;
plot(cd1);
title('Highest resolution'); grid on;
```

---

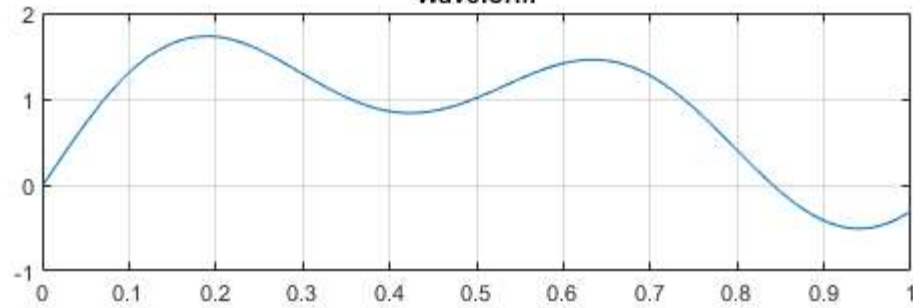


## Frequency Domain

Waveform - Before Compression

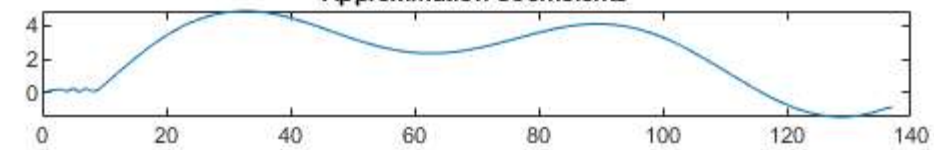


Waveform

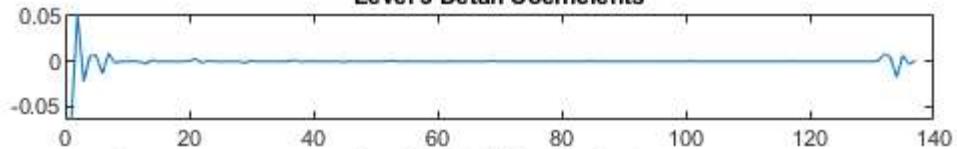


decomposition layer = 3

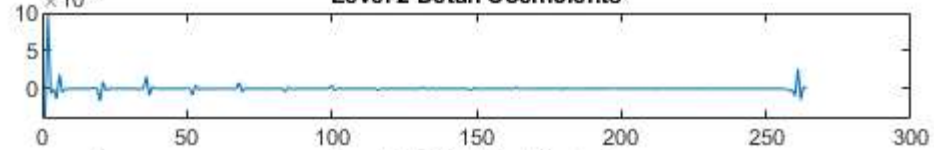
Approximation Coefficients



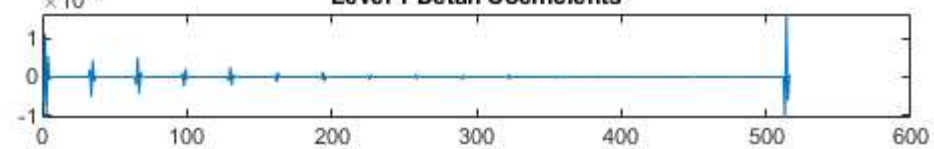
Level 3 Detail Coefficients

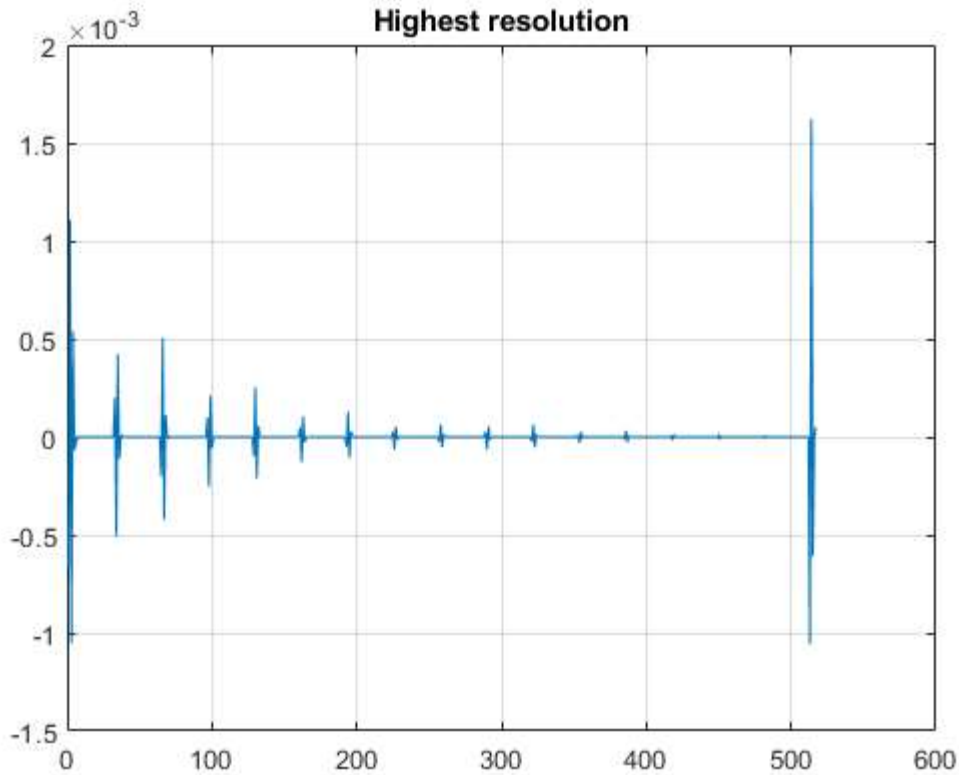


Level 2 Detail Coefficients



Level 1 Detail Coefficients





## Appendix:

### %% linear\_eval code slightly modified to display tp, tn, fp and fn values as below:

function [sensitivity, specificity] = linear\_eval\_Q2(X,d,w,threshold) [sensitivity, specificity] = linear\_eval(X,d,w,threshold)  
Evaluates performance of a linear discriminator and plots results including the decision boundary Plots only two-variable input data, but has been expanded for three-variables in routine 'linear\_eval3D' Uses the criteria of > 0.5 to classify

Inputs X inputs (assumed a matrix where the number of rows are different) samples and the number of columns are the input dimension d correct outputs; i.e., targets (assumed a vector) w linear weights threshold decision boundary threshold (default 0.5) Outputs sensitivity Percent true positives specificity Percent true negative

```
if nargin < 4 threshold = .5; end tp = 0; % True positive count fp = 0; % False positive count tn = 0; % True negative count fn = 0;
% False negative count [r,c] = size(X); % Determine linear response to X y = X*w; % Evaluate the output % % Plot the results
hold on; % Assumes Class 0 is 0 (positive) and Class 1 is 1 (negative) Evaluates % each point for all four possibilities for i = 1:r
if d(i) > threshold && y(i) > threshold plot(X(i,1),X(i,2),'sqk','MarkerFaceColor',[.8 .8 .8],'LineWidth',1); tn = tn + 1; %True
negative elseif d(i) > threshold && y(i) <= threshold plot(X(i,1),X(i,2),'sqk','MarkerFaceColor','k'); fp = fp + 1; % False positive
elseif d(i) <= threshold && y(i) <= threshold plot(X(i,1),X(i,2),'ok','MarkerFaceColor','c'); tp = tp + 1; % True positive elseif d(i) <=
threshold && y(i) > threshold plot(X(i,1),X(i,2),'ok','MarkerFaceColor','k'); fn = fn + 1; % False negative end end % V = axis; %
Get current axis % % Plot decision boundary W*x = .5 x1 = [min(X(:,1)),max(X(:,1))]; % Construct x1 over data range x2 = -
w(1)*x1/w(2) + (-w(3)+threshold)/w(2); % Calculate x2 using Eq. (9) plot(x1,x2,'k','LineWidth',2); % Plot boundary line axis(V); %
Restore axis xlabel('x_1','FontSize',14); ylabel('x_2','FontSize',14); % Evaluate sensitivity specificity = (tn/(tn+fp))*100; sensitivity
= (tp/(tp+fn))*100;
```

```
sprintf('True Positive: %.0f', tp) sprintf('True Negative: %.0f', tn) sprintf('False Positive: %.0f', fp) sprintf('False Negative: %.0f',
fn)
```