Theorem 0.1. *Let* $M \Subset \mathbb{C}^{n-p}$ *and* $N \Subset (\mathbb{C}^*)^p$ *be open such that* N *contains the real torus* $(\mathbb{S}^1)^p$. *Let* $\pi : M \times N \to M$ *be the canonical projection. Let* T_n *be positive closed* (p,p)*-currents on* $M \times N$ *such that* $\overline{\mathrm{supp}(T_n)} \cap M \times bN = \varnothing$. *Assume that* T_n *converge to a current* T. *Assume also that* $\mathrm{supp}(T) \subset M \times (\mathbb{S}^1)^p$. *Then we have the following convergence of slices*

$$\langle T_n|\pi|x\rangle \to \langle T|\pi|x\rangle$$

for every $x \in M$.

Note that all the above slices are well-defined for all $x \in M$.