Q1: the length , L cm of a simple pendulum is directly proportional to the square of its time , T sec . A pendulum with a length of 220.5 cm has a period of 3s

- 1. Find an equation connecting L and T
- 2. Find the length of pendulum which has a period of 5s
- 3. Draw the graph of I and T

Q2: given that y is directly proportional to X<sup>3</sup>. copy and complete the table

Х	3	4		6	
Υ			375	648	1029

Q3 if w is inversely proportional to v<sup>3</sup> and w=45 when v=9

- 1. Find the value of w when v=8
- 2. Find equation
- 3. Calculate the value of v when w=62

Q4: the demand of the product gets high when the quantity of that product becomes less find out the relation btw the demand and the quantity of the product, explain it which type of proportion is used in it

Q5 simplify the following

- 1. p/2q X 4pq/t
- 2. 3/m+4 4/m
- 3.  $2x^2+x-15/ax+3a-2bx-6b$
- 4. (5+3)(5-3)
- 5.  $X^2-25/x^2-2x-35$

Q6: make y the subject of the formula

$$H^2 = x^2 + y^2$$

Q7: simplify  $x^3+5x^2/x^2-25$ , giving your answer in a single fraction

Q8:  $s = ut + 1at^2/2$  find the value of s when u = 5.2, t = 7 and a = 1.6

Q9: simplify the following

- 1.  $(ab^2)^3 x (2a^2b)^3$
- 2.  $16g^8h^7/(-2g^3h^2)^3$
- 3.  $(g^2/h^3)^6 / (-3g^5/2h^2)^3$
- 4.  $(a^{-2}b^3)^{1/3} \times (a^4b^{-5})^{1/2}$
- 5.  $e^{-1/3}f^{-1/4}/(e^2f^{-1/3})^{-2}$
- 6.  $(3c)^0 / (-4 g^3 h^{-2})^2$

Q10: solve each of the following equations

- 1. 9<sup>c</sup>=243
- 2. 11<sup>a</sup>=1331

3. 2<sup>b</sup>=1/128