## Tracking of the Dijkstra's shortest path Algorithm:

|   | 1      | 2       | 3        | 4        | 5      | 6     | 7      | 8       |
|---|--------|---------|----------|----------|--------|-------|--------|---------|
| 0 | 4      | INF     | INF      | INF      | INF    | INF   | 8      | INF     |
| 1 | 4      | 4+8=12  | INF      | INF      | INF    | INF   | 15 < 8 | INF     |
| 7 | 19 < 4 | 12      | INF      | INF      | INF    | 8+1=9 | 8      | 15      |
| 6 | 4      | 12      | INF      | INF      | 9+2=11 | 9     | 8      | 15      |
| 5 | 4      | 15 < 12 | 11+14=25 | 11+10=21 | 11     | 9     | 8      | 15      |
| 2 | 4      | 12      | 25 > 19  | 21       | 11     | 9     | 8      | 15 > 14 |
| 8 | 4      | 12      | 19       | 21       | 11     | 9     | 8      | 14      |
| 3 | 4      | 12      | 19       | 21       | 11     | 9     | 8      | 14      |
| 4 | 4      | 12      | 19       | 21       | 11     | 9     | 8      | 14      |

If you want to go from A path to B path:

<sup>\*</sup> To Calculate the Shortest Path - The Least number of stops for example Breadth-first search is used to calculate the shortest path for an unweighted graph.

<sup>\*</sup> To Calculate the Shortest Path - The Least time could be obtained Dijkstra's algorithm is used to calculate the shortest path for a weighted graph and works when all the weights are positive.

 $<sup>\</sup>ensuremath{^{*}}$  If you have negative weights, use the Bellman-Ford algorithm.