## **CSE 350**

## **Digital Electronics and Pulse Techniques**

### Lab Report

**Experiment No: 05** 

Analysis of triangular wave generator

#### **Submitted by:**

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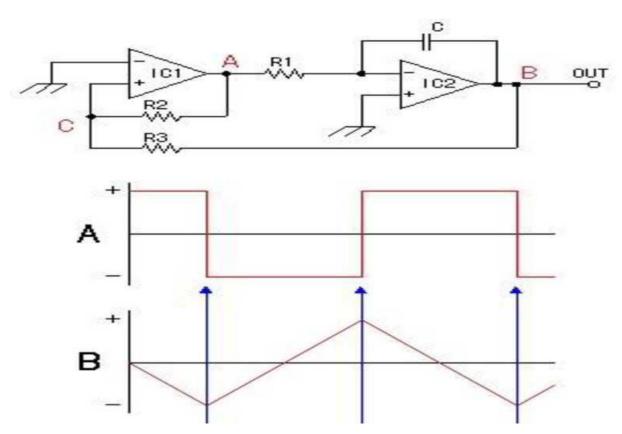
#### **Objective:**

The objective of this experiment is to analyze a bipolar and unipolar triangular wave generator.

#### **Equipment:**

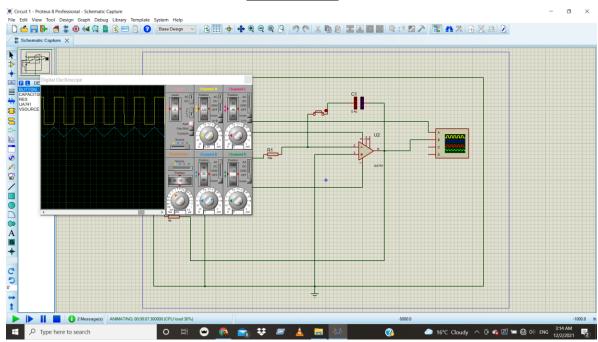
- 1. Trainer board
- 2. 741 op amp
- Resistors: 10K (2 unit), 4K.
   Capacitor: 0.05 or 0.4μF (1 unit)

#### **Circuit Diagram:**

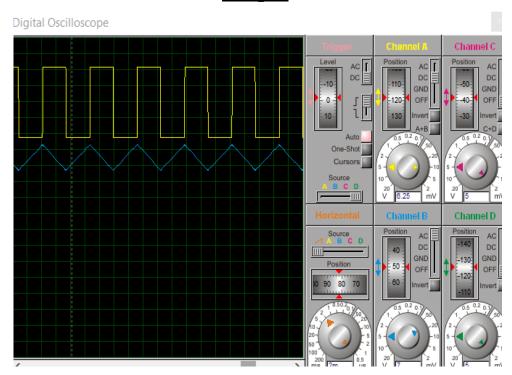


#### **Circuit:**

#### Circuit 01



#### **Output**



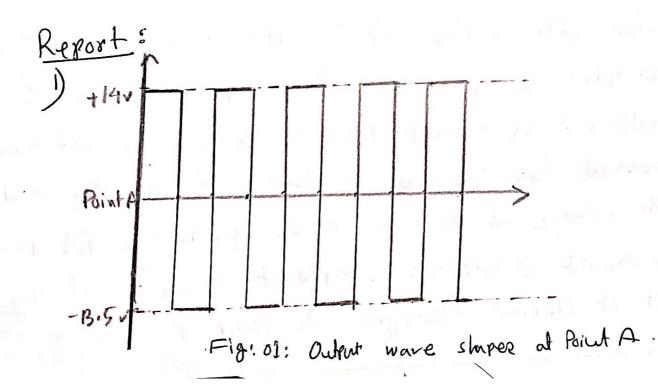
Doston Table & Here, given,

Wer Know, Theoretical Frequency = 1 4xR,xc x Rz

$$\int = \frac{1}{4 \times 10 \times 10^{10} \times 4 \times 10^{-6}} \times \frac{10 \times 4 \times 10^{-6}}{4 \times 4 \times 10^{-6}} \times \frac{10 \times 4 \times 10^{-6}}{4 \times 4 \times 10^{-6}} \times \frac{10 \times 4 \times 10^{-6}}{4 \times 4 \times 10^{-6}} \times \frac{10 \times 4 \times 10^{-6}}{4 \times 4 \times 10^{-6}} \times \frac{10 \times 4 \times 10^{-6}}{4 \times 4 \times 10^{-6}} \times \frac{10 \times 4 \times 10^{-6}}{4 \times 4 \times 10^{-6}} \times \frac{10 \times 4 \times 10^{-6}}{4 \times 4 \times 10^{-6}} \times \frac{10 \times 4 \times 10^{-6}}{4 \times 4 \times 10^{-6}} \times \frac{10 \times 4 \times 10^{-6}}{4 \times 4 \times 10^{-6}} \times \frac{10 \times 4 \times 10^{-6}}{4 \times 4 \times 10^{-6}} \times \frac{10 \times 4 \times 10^{-6}}{4 \times 4 \times 10^{-6}} \times \frac{10 \times 4 \times 10^{-6}}{4 \times 4 \times 10^{-6}} \times \frac{10 \times 4 \times 10^{-6}}{4 \times 4 \times 10^{-6}} \times \frac{10 \times 4 \times 10^{-6}}{4 \times 4 \times 10^{-6}} \times \frac{10 \times 4 \times 10^{-6}}{4 \times 4 \times 10^{-6}} \times \frac{10 \times 4 \times 10^{-6}}{4 \times 4 \times 10^{-6}} \times \frac{10 \times 4 \times 10^{-6}}{4 \times 4 \times 10^{-6}} \times \frac{10 \times 4 \times 10^{-6}}{4 \times 4 \times 10^{-6}} \times \frac{10 \times 4 \times 10^{-6}}{4 \times 4 \times 10^{-6}} \times \frac{10 \times 4 \times 10^{-6}}{4 \times 4 \times 10^{-6}} \times \frac{10 \times 4 \times 10^{-6}}{4 \times 4 \times 10^{-6}} \times \frac{10 \times 4 \times 10^{-6}}{4 \times 4 \times 10^{-6}} \times \frac{10 \times 4 \times 10^{-6}}{4 \times 4 \times 10^{-6}} \times \frac{10 \times 4 \times 10^{-6}}{4 \times 4 \times 10^{-6}} \times \frac{10 \times 4 \times 10^{-6}}{4 \times 4 \times 10^{-6}} \times \frac{10 \times 4 \times 10^{-6}}{4 \times 4 \times 10^{-6}} \times \frac{10 \times 4 \times 10^{-6}}{4 \times 4 \times 10^{-6}} \times \frac{10 \times 4 \times 10^{-6}}{4 \times 10^{-6}} \times \frac{10 \times 10^{-6}}{$$

:. Experimentation Time Period, T = 12.9-6.9 ms = 6.5 ms

Theoretical Frequency f (1+7)	Experienental Time Penial T (ms)	Experimented Frequences F(HZ)
136.25 Hz	6-5 ms	153.85 Az



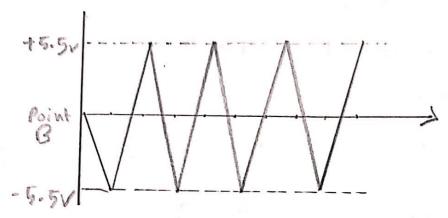


Fig2: Output wave shope at Point B.

# Answer to the anestion No-2

In the circuit above, Ici is the schmint in Circuit and Icz is the integnation circuit. Here, current Hows from point A to B. through R, nesistur. Electric change bejins to store up at the Left side of the capacitor C. Thus capacitor istanted increasing only that line, the output of a Icz at point & si drops gradualmy. As B & drops down, C also draps down When voltage of C falls below O, Point A strikes to regarine. This happens for Rx>Re condition. So the current flow in neverse. In that time, envent flows towards A throng Rinesistor and the voltage at point B Rises gradually. At Point C exceeds 0 volts. the output of point A of the schmit cincuit changes to positive napidly.

So, output of the integrator declines gradually and get a square output by point A and thangulor wave from by point B.

Answer to the Q+ No-3 :

No, the integrals r circuit connot be implemented with an inductor. It we use a inductor it will be a differential circuit.

Here, 
$$1R + 1L = 0$$

$$= \frac{1}{R} + \frac{1}{L} =$$

$$=) \frac{d}{dt} \left[ \int_{-\infty}^{\infty} V_0 dt = \frac{-L}{R} V_0 \right]$$

=) 
$$V_0(t) = -\frac{L}{R} \frac{d}{dt} V_s$$
.  
So, we can say that, integral

So, we can say that, integrator circuit cannot be implemented with an inductor, as capacitor has wide nampe and more accorate than inductors.