Instructor: Tharindu De Alwis

Student Name (print): Farooq Mahmud

Due on Tuesday, February 4th at 11:59 PM

Question:	1	2	Total
Points:	15	15	30
Score:			

- 1. (15 points) Choose and download one of the following datasets
  - Consumption of Electrical Blower Machine: KwhConsumptionBlower78\_1.csv.
  - Population Data from U.S. Census Bureau: POP.csv.
  - Air Passenger Data: AirPassengers.csv.
  - (a) Import your chosen dataset into R.
  - (b) Construct following plots: Time Series Plot, Autocorrelation Function (ACF) Plot
- 2. (15 points) For the R output bellow, let a 0 denote Tails and a 1 denote Heads for a coin flip.

Let the  $e_t$  be iid where  $e_t = 1$  for Heads and  $e_t = -1$  for Tails (so change the 0 to a -1 from the given output. That is,  $e_1 = e_2 = e_3 = e_4 = e_5 = e_6 = -1$ ;  $e_7 = e_8 = 1$  and  $e_9 = e_{10} = -1$ .) Let  $Y_t = \sum_{t=1}^t e_t$ .

rbinom(10,1,0.5) 0 0 0 0 0 0 1 1 0 0

- (a) Plot  $Y_t$  on the vertical axis versus time t on the horizontal axis.
- (b) The process  $\{Y_t\}$  is a random walk with  $E(Y_t) = 0$ , as shown in class. Does there seems to be a trend in the plot in (a) or are the  $Y_t$  scattering about the horizontal axis in a roughly even band?

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## **HW** 1

Farooq Mahmud

## Problem 1a

## Import data

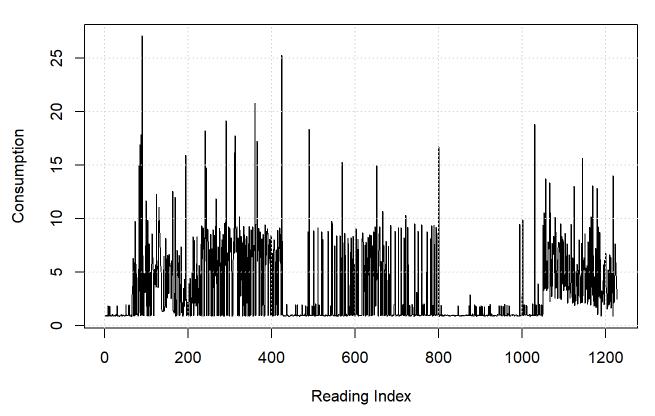
```
csv_path <- file.path(getwd(), "KwhConsumptionBlower.csv")
data <- read.csv(csv_path)
ts_data <- data$Consumption</pre>
```

## Problem 1b

## Time-series plot

```
plot(ts_data, type = "l", xlab = "Reading Index", ylab = "Consumption", main = "Energy Consumpti
on")
grid()
```

#### **Energy Consumption**

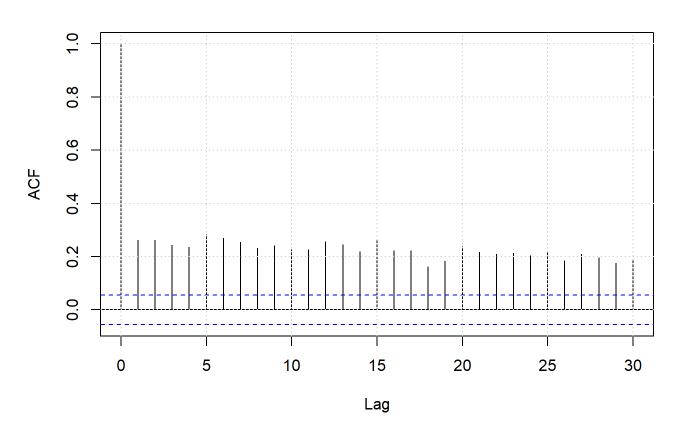


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# ACF plot

```
acf(ts_data, main = "ACF Plot")
grid()
```

#### **ACF Plot**

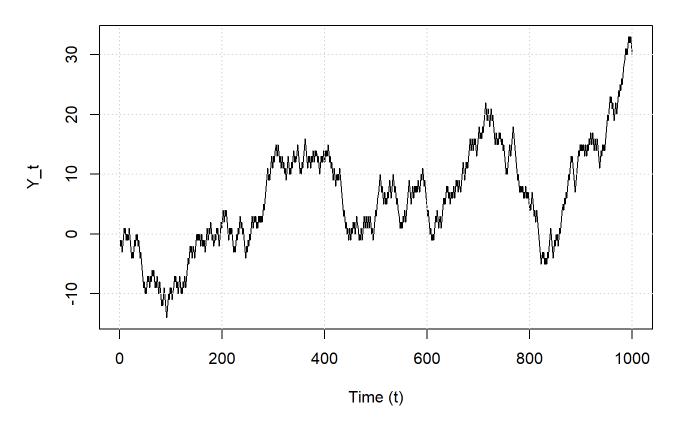


## Problem 2a

```
flips <- rbinom(1000, 1, 0.5)
e_t <- ifelse(flips == 0, -1, 1)
Y_t <- cumsum(e_t)
time <- 1:length(Y_t)
plot(time, Y_t, type = "l", xlab = "Time (t)", main = "Random Walk Plot")
grid()</pre>
```

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### **Random Walk Plot**



The random walk plot clearly shows trends. It starts with a downward trend for about the first 175 samples. This is followed by an upward trend for about the next 400 samples followed by another downward trend.