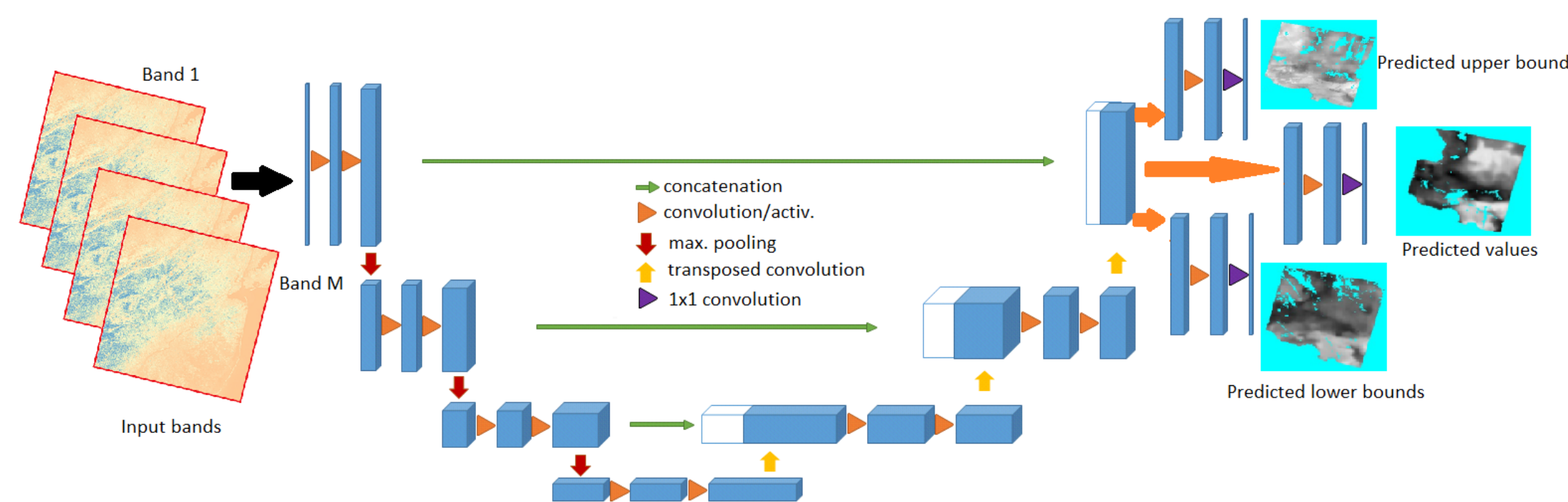


## Motivation and Highlight

- Since COVID-19 outbreak policy makers have been **relying upon non-pharmacological interventions** to control the outbreak
- Pollution linked to COVID-19:**
  - (1) **lethality rate** strongly correlated to particulate matter  $\leq 2.5$  microns in diameter,  $PM_{2.5} \rightarrow 1 \frac{\mu g}{m^3}$  increase in  $PM_{2.5}$  ... 8% increase fatality rate [1]
  - (2) **pollution-to-human** evidence that  **$PM_{2.5}$  a transmission vector** [2] $\Rightarrow$  Pollution needs to be **included in intervention strategies**
- Goal:** use **U-net driven quantile regression** to predict  $PM_{2.5}$  air pollution concentrations based on **easily obtainable satellite imagery**
- Results:** network can **predict reasonable  $PM_{2.5}$  values with their spatial distribution** even for locations where **pollution data unavailable**
- Aim:**  $PM_{2.5}$  predictions **aid planning efficacious COVID-19 strategies**
  - $\rightarrow$  e.g. understand impacts of social segregation policy on subpops – allocate medical funds to the most vulnerable populaces
  - $\rightarrow$  control of COVID-19 hotspots – must pred. its spread and intensity
- Understanding an **NPI's effectiveness** requires **understanding main transmission vectors**  $\rightarrow$  vital to learn **how strength of air pollution affects transmission** s.t. understand and design NPIs efficiently.

## U-net model for pollutant particulate matter



- Network structure:** U-net [3] arch. with additional 2 parallel branches at top level of upsampling path for predicting confidence interval
- Loss function:** weighted sum of 3 quantile losses corresponding to upper, lower bound and median prediction:

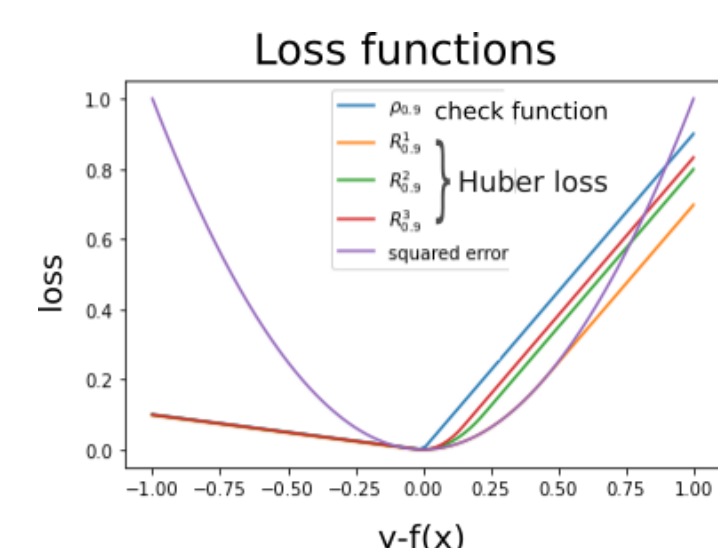
$$L_{aggr}(\theta) = \gamma_l L_{q_l}(\theta) + L_{0.5}(\theta) + \gamma_u L_{q_u}(\theta) \quad (1)$$

- Quantile loss:** each partial loss is of the form:

$$L_q(\theta) = \frac{1}{|S|} \sum_{(x,y) \in S} \rho_q(y - f(x|\theta)) \quad (2)$$

$$\rho_q(r) = r[r \geq 0] - (1 - q)r$$

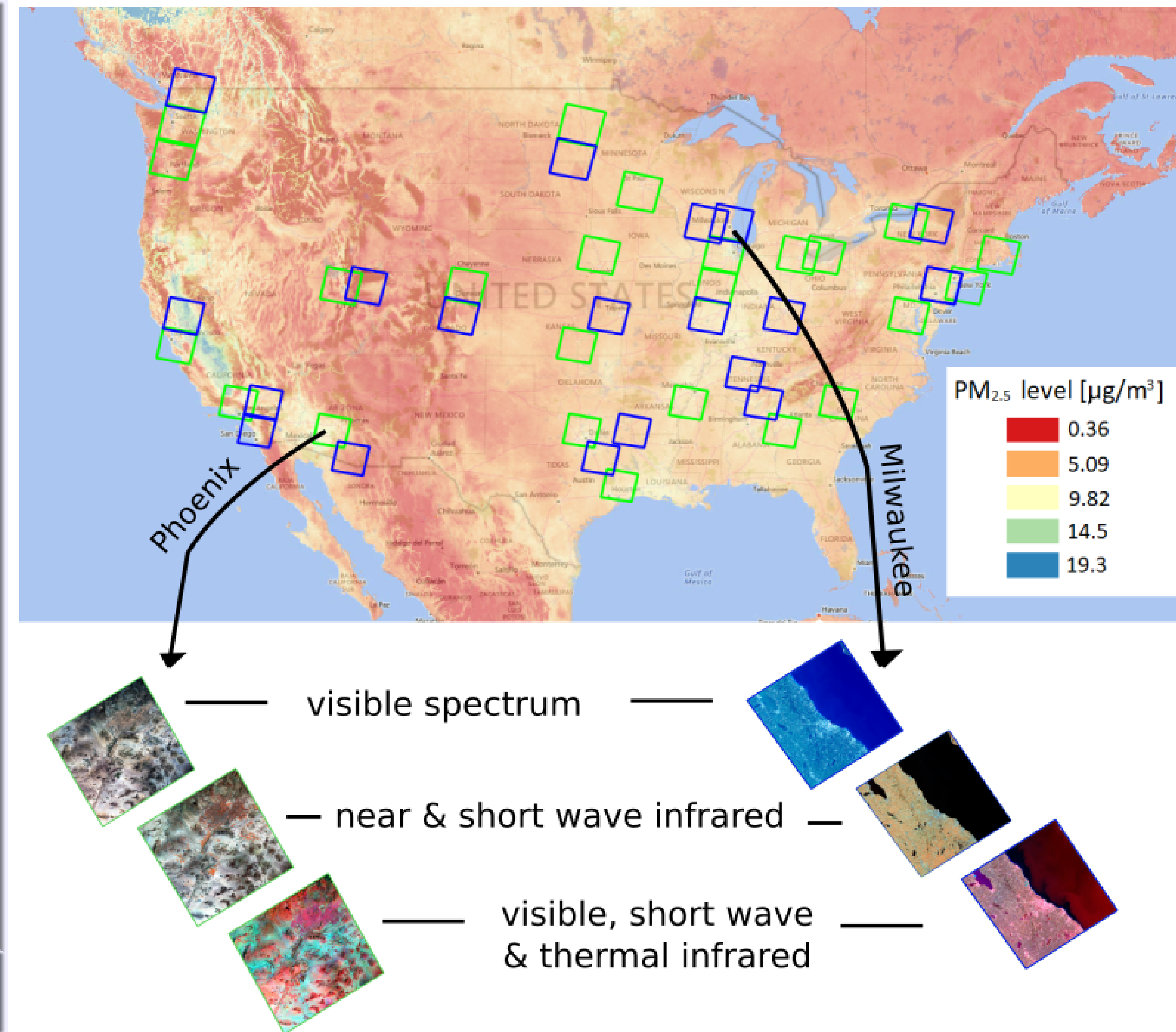
- Smooth approximation:**  $\rho_q$  (Eq.2) is not differentiable everywhere; we approximate it with the (smooth) asymmetric Huber loss:



$$H(r|\delta_l, \delta_u) = r^2 - (r - \delta_l)_+^2 - (-r - \delta_u)_+^2 \quad (3)$$

$$\rho_q \approx R_q^\alpha(r) = \alpha H(r|q/2\alpha, (1-q)/2\alpha)$$

## Data: Satellite imagery and pollutant concentrations



Satellite images of US cities for training and testing &  $PM_{2.5}$  concentrations from 2018 shown in background color map

### Satellite data:

- Landsat 8 multispectral imagery** [4], publicly available from USGS
- Using **9 bands** from violet ( $0.435\mu m$ ) to thermal infrared ( $12.5\mu m$ )
- Revisit period 16 days**  $\rightarrow$  2 images per month, mission start 2013
- Ground sampling distance 30-100 m depending on spectral band

### Pollution data:

- Pollutant Particulate Matter 2.5 ( $PM_{2.5}$ )**  $\rightarrow$  **only available 2001-2018 monthly**, overlap with Landsat 8: 2013-2018
- Fusion of ground sensor, sat. imagery data and chem. model [5]
- Resolution** of  $0.01 \times 0.01$  degrees,  $\approx 1.1 \times 1$  km (USA)

### Preprocessing:

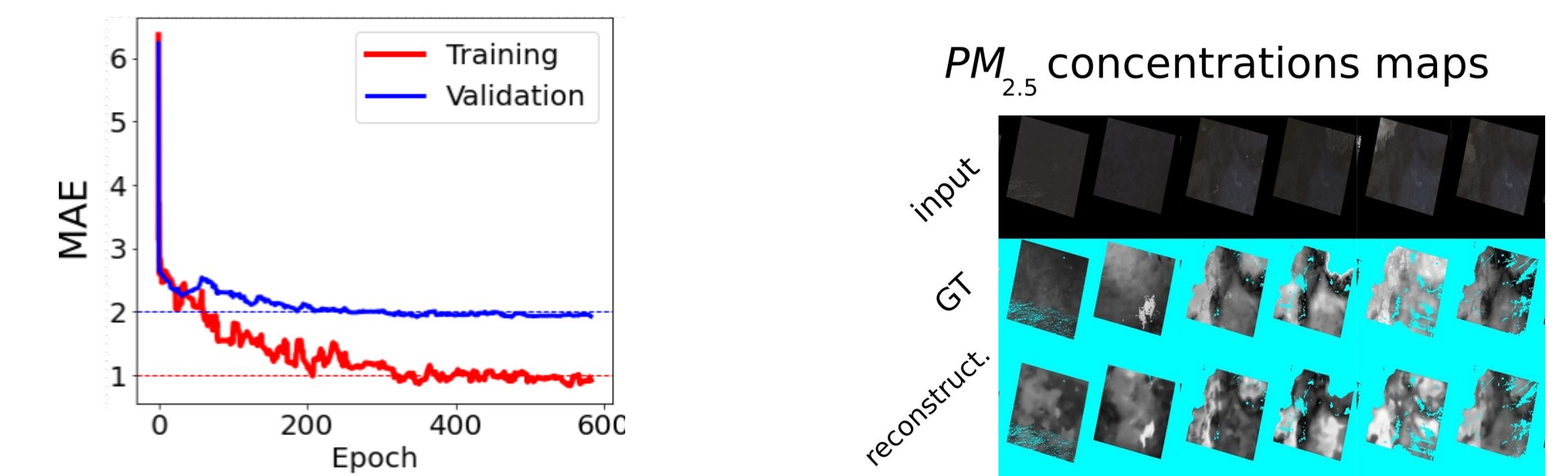
- Reproject and resample **Landsat imagery to  $PM_{2.5}$  resolution**
- Mask out clouds to **remove occlusions** (band 9)
- Average sat images by month to follow GT temporal cycle

### Experimental details

- Data:**  $N = 133$  sat imgs from **Mar 2013–Apr 2018** of 24 US cities  $\rightarrow$  80:20% random split, **training/testing set  $\Rightarrow$  106:27 images**
- Network parameters:** dropout ratio = 0.5, learning rate = 0.00005, regression quantiles  $q_l = 0.1$ ,  $q_r = 0.9$ , **Huber loss (3)** aggregate contributions (2) set equal, function shape  $\alpha = 2$

## Experiments

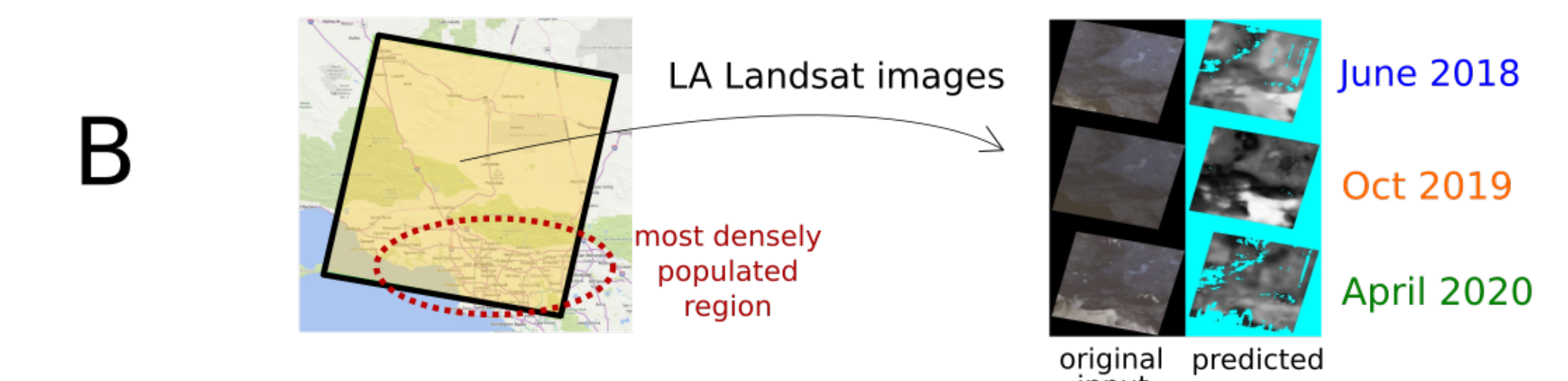
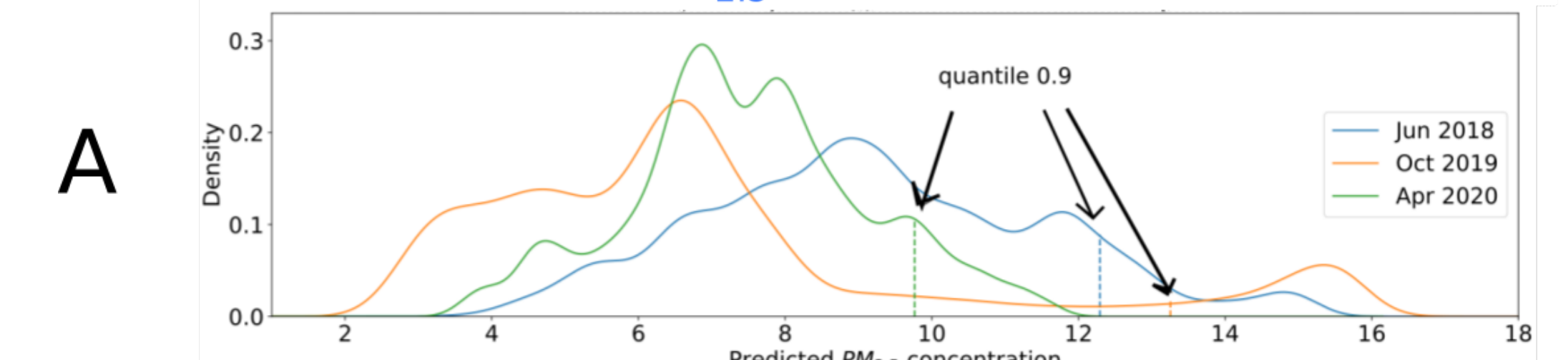
### Convergence verification and generalizability with ground-truth



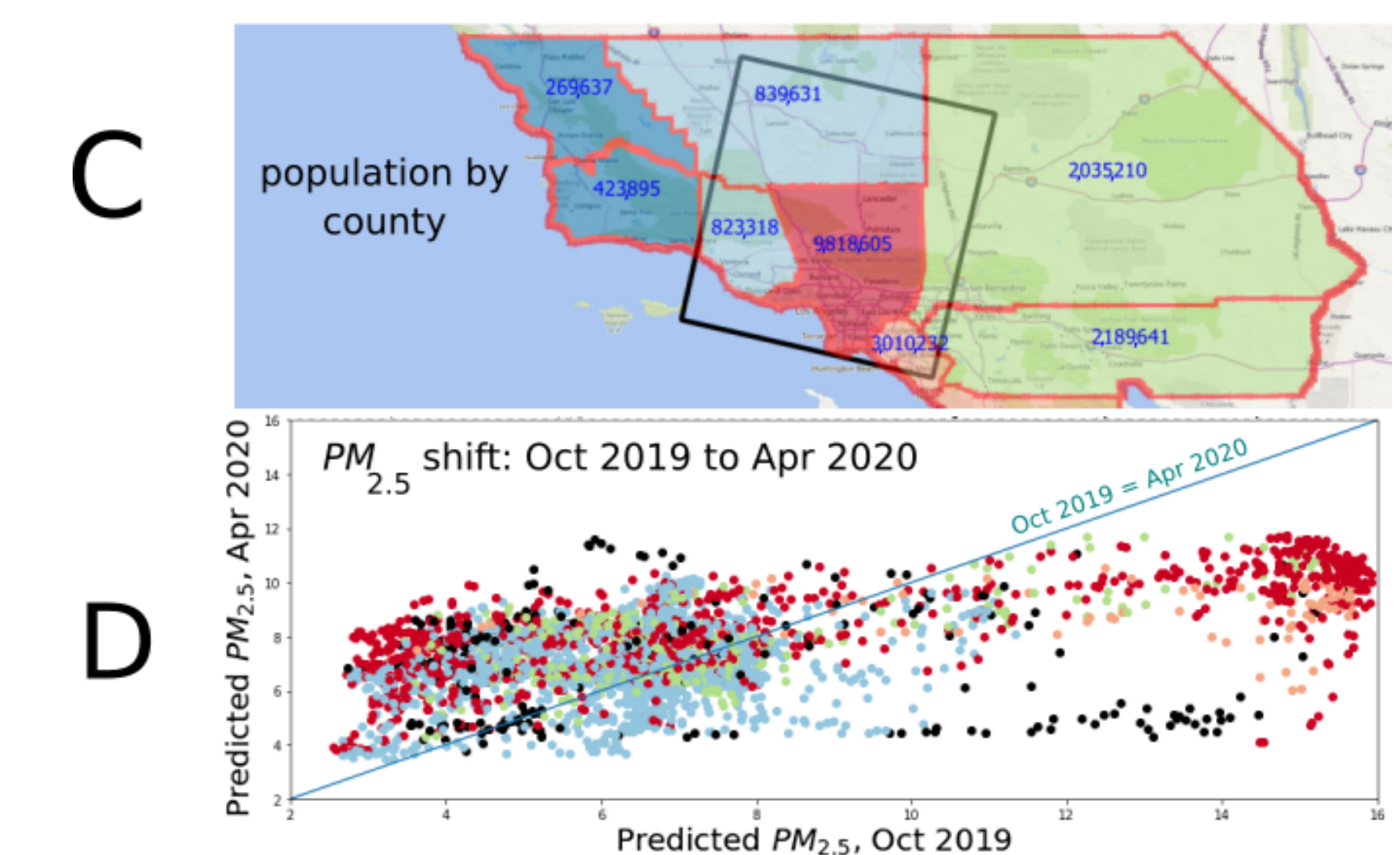
- Goal:** assess **generalizability** of model to **temporally unseen data**
- Data:** train = 106 & test = 26 imgs w. spatial overlap (same cities) but diff times
- Shown:** U-net **converges to GT  $PM_{2.5}$  values** w. min error & successfully **reconstructs  $PM_{2.5}$  concentrations and structure** per pixel (dense)

### Before and after SARS-CoV-2-induced lock-down

#### Probability densities of $PM_{2.5}$ concentrations in LA Landsat images



- Goal:** predict  $PM_{2.5}$  concentrations around LA lock-down w. **no  $PM_{2.5}$  GT**
- Data:** satellite images of Los Angeles from 2018, 2019, and 2020 **only**
- Shown:**  $PM_{2.5}$  concentrations distributions **.9-th quantile shift** from 13.2 to 9.7  $PM_{2.5}$  **between Oct & Apr (A)**, **matching  $PM_{2.5}$  map visualizations (B)** and drastic decrease where **most densely populated**



- Shown:**  $PM_{2.5}$  predictions from Oct 2019 vs. Apr 2020 (D)  $\rightarrow$  **greatest  $PM_{2.5}$  drop in counties with largest population** (red and blue points below  $x = y$ )
- $\Rightarrow$  make **meaningful  $PM_{2.5}$  predictions**, both values and structure, where **no  $PM_{2.5}$  data available**  $\rightarrow$  can inform of **COVID-19 DANGER ZONES**