P-Cloth: Interactive Complex Cloth Simulation on Multi-GPU Systems using Dynamic Matrix Assembly and Pipelined Implicit Integrators Supplemetary Material

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1 ALGORITHMS FOR TIME INTEGRATION

Some algorithms used for parallel time integration is described in the following pseudo-code.

Algorithm 1 Work Queue Generation Algorithm used for Pipelined SpMV

- 1: sw: index of the switch
- 2: offset: offset for sub-vector index
- 3: *lvl*: level in the binary tree, 0 for leaf nodes
- 4: GetGPURange:
- 5: Returns the indices of the GPU that the given switch interconnects. For a leaf switch, returns exact 2 GPU indices.
- 6: GetChildSwitches:
- 7: Return the indices of 2 child switches of a given switch.
- 9: // Call GenerateWorkQueues $(0, 0, log_2n)$ for the overall 10: // work queues.
- 11: **procedure** GenerateWorkQueues(sw, offset, lvl)
- 12: // step (1)
- 13: // Recursively generate optimal work queues for
- 14: // its children.

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```
if lvl != 0 then
15:
            sw0, sw1 \leftarrow GetChildSwitches(sw)
16:
            GenerateWorkQueues(sw0, offset, lvl - 1)
17:
            GenerateWorkQueues(sw1, offset, lvl - 1)
18:
19:
        else
            // Each leaf switch interconnects exact 2 GPUs.
20:
           G0, G1 \leftarrow \text{GetGPURange}(sw)
21:
            node0 \leftarrow (G1, G0 + offset)
22:
            node1 \leftarrow (G0, G1 + offset)
23:
            Push node0 to Q(G0)
24:
25:
            Push node1 to Q(G1)
26:
        end if
27:
28:
       // step (2):
       // Transfer minimized amount of data between
29:
       // its children.
        range0 \leftarrow GetGPURange(sw0)
        range1 \leftarrow GetGPURange(sw1)
        for G0, G1 \in range0, range1 do
33:
            node0 \leftarrow (G1, G0 + offset)
34:
            node1 \leftarrow (G0, G1 + offset)
35:
            Push node0 to Q(G0)
36:
            Push node1 to Q(G1)
37:
38:
        end for
39:
40:
       // step (3):
       // Delegate rest of the work queue generation
41:
       // tasks to its children.
42:
        offset0 \leftarrow offset + 2^{lvl}
43:
        offset1 \leftarrow offset - 2^{lvl}
44:
       // An offset is applied so that the work queue is
45:
       // generated for the delegated sub-vectors.
46:
        GenerateWorkQueues(sw0, offset0, lvl - 1)
47:
        GenerateWorkQueues(sw1, offset1, lvl - 1)
```

Algorithm 2 Sparse Matrix Filling Algorithm

49: end procedure

```
    // Index Table Allocating:
    for each GPU<sub>i</sub> do in parallel
    IndexTable<sub>i</sub> ← AllocateIndexTable(i)
```

```
4: end for
 5:
 6: // Index Filling:
 7: for each GPU_i do in parallel
       for Element ∈ AssemblyElements do
8:
           rowIdx \leftarrow GetElementRowIdx(Element)
 9:
           colIdx \leftarrow GetElementColIdx(Element)
10:
           Push colIdx to IndexTable<sub>i</sub>[rowIdx] // atomic operator
11:
       end for
12:
13: end for
14:
15: // Index Compacting:
   for each GPU_i do in parallel
16:
       for row \in IndexTable_i do
17:
           RemoveDuplication(row)
18:
       end for
19:
20: end for
21:
   // Value Table Allocating:
22:
23: for each GPU_i do in parallel
       ValueTable_i \leftarrow AllocateValueTable(i)
25:
   end for
26:
27: // Value Filling:
28: for each GPU_i do in parallel
       for Element ∈ AssemblyElements do
29
           entry \leftarrow FindElementEntry(Element)
30:
           value \leftarrow GetElementValue(Element)
31:
           ValueTable<sub>i</sub>[entry] += value // atomic operator
32:
33:
       end for
34: end for
```

2 STITCHING ALGORITHM

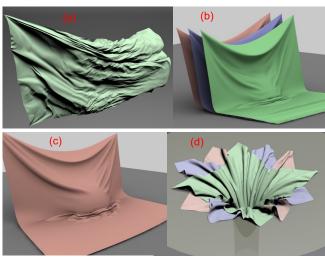
The stitching algorithm is described in the following pseudo-code.

Algorithm 3 Stitching Algorithm

```
    Input: Stitching node pairs NP.
    Output: Stitched and refined cloth mesh.
    // Stitching cloth pieces with linking constraints
    // for all the NP.
    StitchingCoarsePieces(NP)
    */ Merge the pieces together by merging
    // all the node pairs NP
    MergePieces(NP)
    // Refine the merged cloth mesh to higher resolution
    // by subdividing.
    RefinePieces()
```

3 ADDITIONAL BENCHMARKS

We use some complex cloth simulation benchmarks for regular/irregular-shaped cloth simulation (Fig. 1 and Fig. 2).



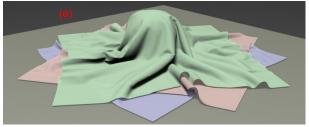


Fig. 1. **Benchmarks:** We use different multi-layered cloth simulation benchmarks ((a)Flag, (b) Sphere, (c) Sphere-1M, (d) Funnel, and (e) Twisting) for evaluation. The mesh complexity varies between $0.5-1.65\mathrm{M}$ triangles. P-Cloth can perform cloth simulation at 2-5 fps on the 4-GPU workstation. The memory overhead on each GPU is between 4-8 GB.



Fig. 2. Multi-layer Garment Benchmarks: We used these benchmarks: (a) Miku with $1.33\mathrm{M}$ triangles, (b) Zoey with $569\mathrm{K}$ triangles, (c) Andy with $538 \mathrm{K}$ triangles, and (d) Kimono with $1 \mathrm{M}$ triangles, for multi-layer garment simulation.