

- Look at data, test fit to some reasonable distribution on a per decade bases (Hint hurricanes are rare).

https://en.wikipedia.org/wiki/List_of_Category_4_Atlantic_hurricanes

https://en.wikipedia.org/wiki/List_of_Category_5_Atlantic_hurricanes

- 1- Poisson Distribution: For List Category #4 the number of hurricanes for each decade starting from 1848 till 2018 and counting the hurricanes per decade we had the following vector (17 records and 121 count in total):

```
harr.cat4.vec <- c(2,2,1,4,3,3,5,6,10,9,14,11,4,7,8,19,13)
```

Calculating the λ for the above vector by hand or using

```
fitdistr(harr.cat4.vec, "poisson")
```

We will have $\lambda=7.12$ as a result.

```
harr.cat4.m <- mean(harr.cat4.vec)
```

After that generating the probability sequence using

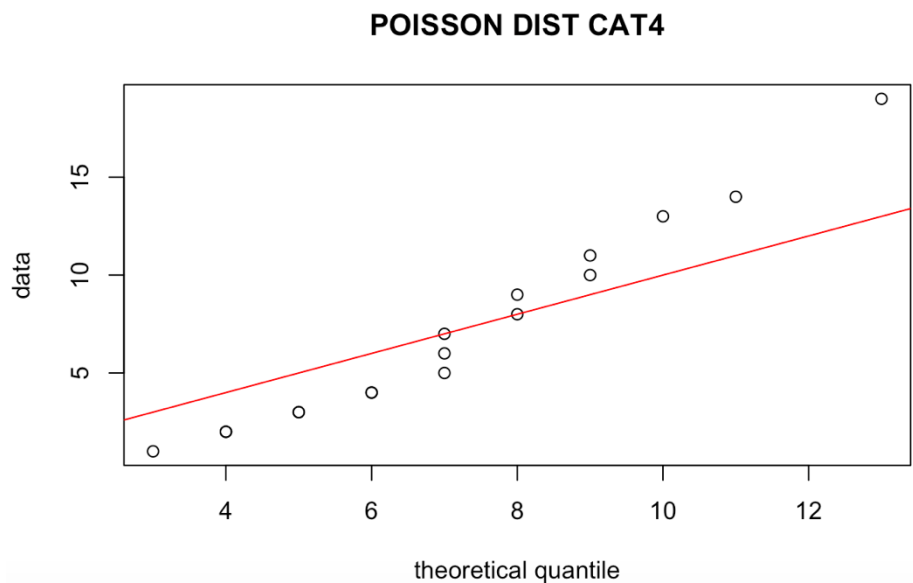
```
p <- ppois(harr.cat4.vec)
```

```
q <- qpois(p, harr.cat4.m)
```

```
[0.029, 0.088, 0.147, 0.206, 0.265, 0.324, 0.382, 0.441, 0.500,  
0.5590, .618, 0.676, 0.735, 0.794, 0.853, 0.912, 0.971]
```

Using the Quantile Quantile plot we fit the data and have the following plot:

```
plot(q, sort(harr.cat4.vec), xlab="theoretical quantile", ylab="data", main="POISSON DIST CAT4")
```



- 2- Poisson Distribution: For List Category #5 the number of hurricanes for each decade starting from 1919 till 2019 and counting the hurricanes per decade we had the following vector (10 records and 35 count in total):

```
harr.cat5.vec <- c (2,6,0,2,4,3,3,2,8,5)
```

Calculating the λ for the above vector by hand or using

```
fitdistr (harr.cat5.vec, "poisson")
```

we will have $\lambda=3.5$ as a result.

```
harr.cat5.m<-mean(harr.cat5.vec)
```

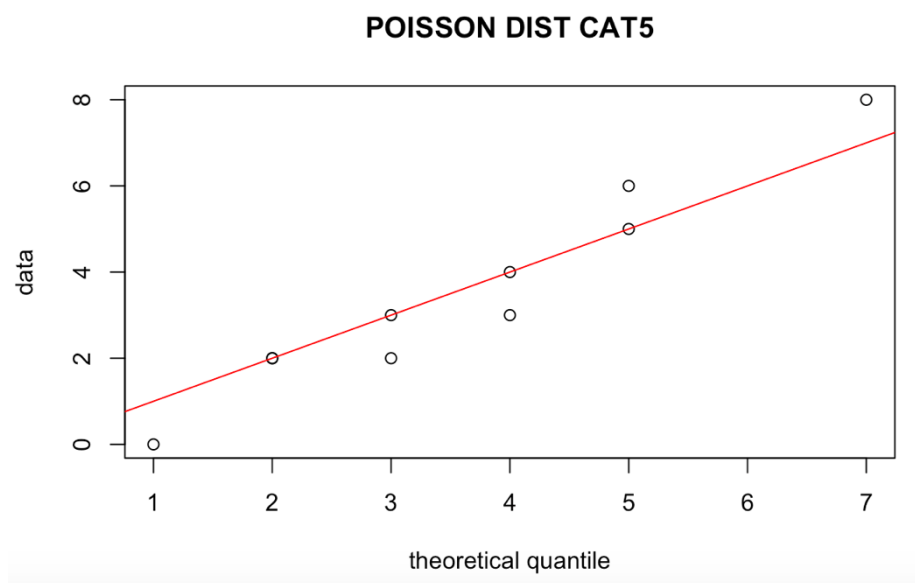
After that generating the probability sequence using

```
p<-ppoints(harr.cat5.vec)
```

```
q<-qpois (p, harr.cat5.m)
```

Using the Quantile Quantile plot we fit the data and have the following plot:

```
plot (q, sort(harr.cat5.vec), xlab="theoretical quantile",ylab="data",main="POISSON DIST")
```



And as I found the Poisson isn't fitting the data perfectly, I also tried the negative binomial distribution and binomial distribution with the following steps:

- 3- Negative Binomial Distribution: For List Category #4 the number of hurricanes for each decade starting from 1848 till 2018 and counting the hurricanes per decade we had the following vector (17 records and 121 count in total):

```
harr.cat4.vec <- c(2,2,1,4,3,3,5,6,10,9,14,11,4,7,8,19,13)
```

Calculating the parameters for the above vector by hand or using

```
fitdistr(harr.cat4.vec, "Negative Binomial")
```

We will have $\mu=7.1$ and $\text{size}=3$

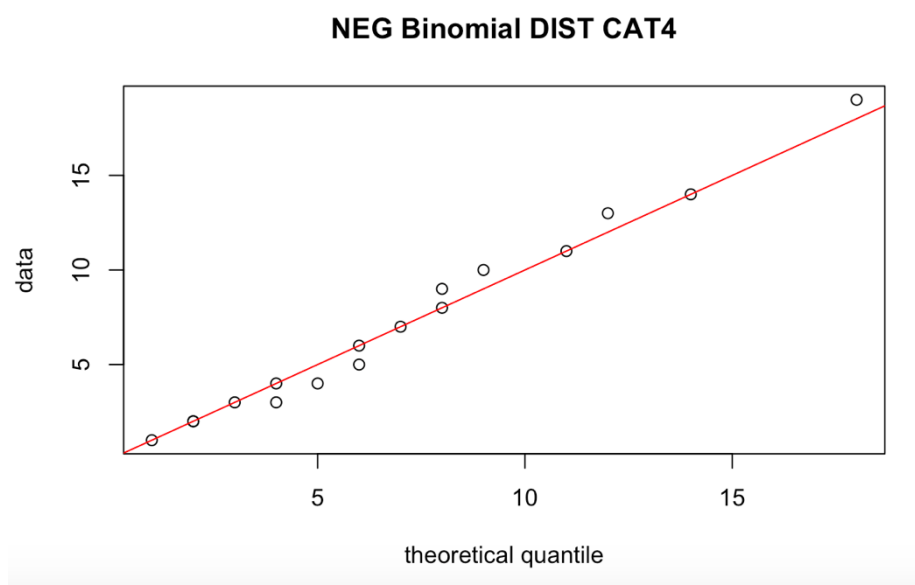
After that generating the probability sequence using

```
p<-ppoints(harr.cat4.vec)
```

```
q<- qnbinom(ppoints(harr.cat4.vec), size=3, mu=7.1)
```

Using the Quantile Quantile plot we fit the data and have the following plot:

```
plot(q, sort(data), xlab="theoretical quantile", ylab="data", main="NEG BINOM CAT4")
```

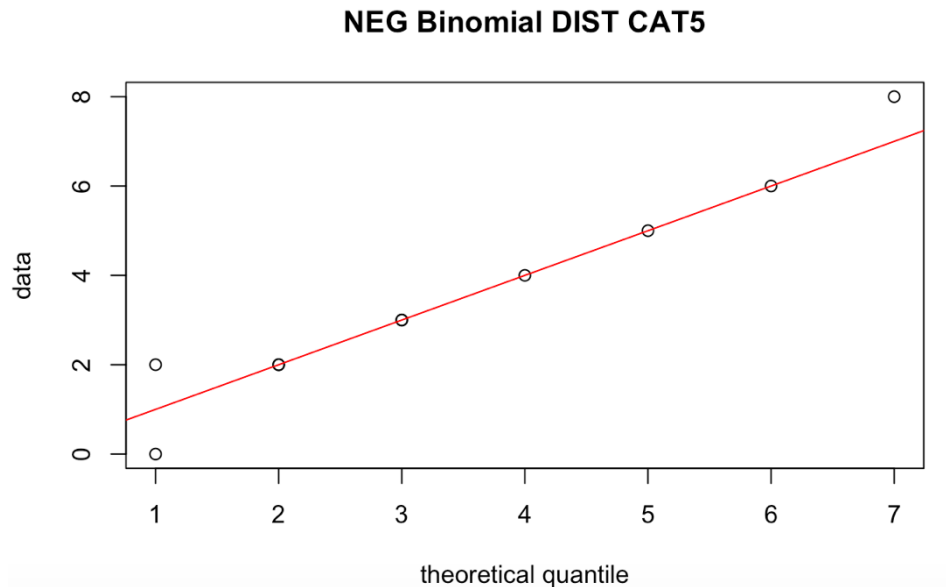


4- Negative Binomial Distribution: For List Category #5

```
harr.cat5.vec <- c (2,6,0,2,4,3,3,2,8,5)
```

with the parameters $\mu=3.50$ and $\text{size} = 8.25$

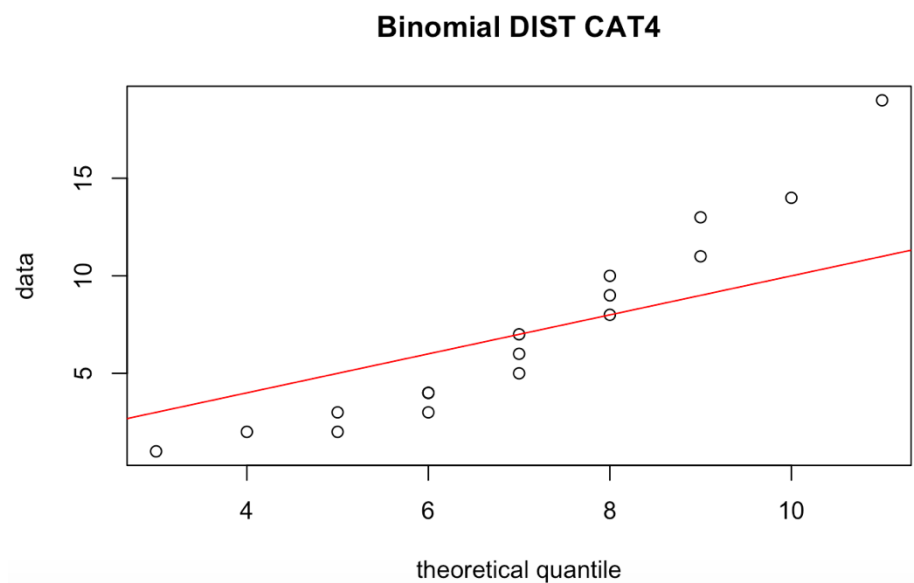
```
plot(q sort(harr.cat5.vec),xlab="theoretical quantile",ylab="data",main="NEG Binomial DIST CAT5")
```

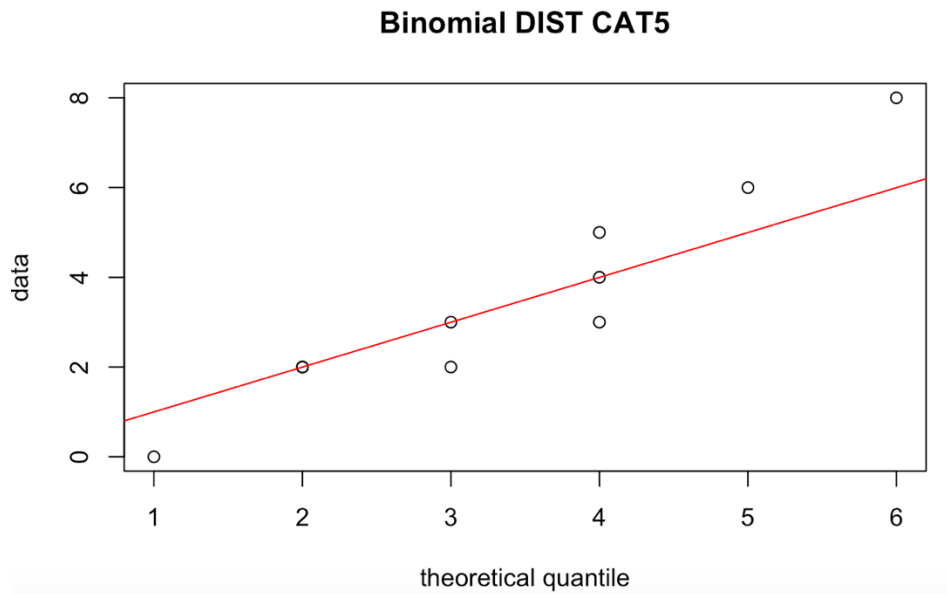


5- Using Binomial Distribution with Category #4 and Category #5

```
qbinom(p,17,mean(harr.cat4.vec /17))
```

```
qbinom(p2,15,mean(harr.cat5.vec /10))
```





Based on the above work I find the negative binomial distribution is best fit for these records.

On the other research I read some information about how NASA study hurricanes

<https://pmm.nasa.gov/articles/how-does-nasa-study-hurricanes>

Some interesting data is also being collected here :

<https://www.data.gov/disasters/hurricanes/>