



NATIONAL TEXTILE
UNIVERSITY

DEPARTMENT OF COMPUTER SCIENCE

Subject

Operating System

SUBMITTED BY:

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SECTION SE: 5th (A)

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Assignment

Part 1: Semaphore theory:

1. A counting semaphore is initialized to 7. If 10 wait() and 4 signal() operations are performed, find the final value of the semaphore.

- Initial value of semaphore = 7
- Number of wait() operations = 10
- Number of signal() operations = 4

Rule:

- Each wait() operation decreases the semaphore by 1.
- Each signal() operation increases the semaphore by 1.

Calculation:

Final value = Initial value – wait() + signal().

Final value = 7 – 10 + 4

Final value = 1

Final value of semaphore = 1.

2. A semaphore starts with value 3. If 5 wait() and 6 signal() operations occur, calculate the resulting semaphore value.

- Initial value of semaphore = 3
- Number of wait() operations = 5
- Number of signal() operations = 6

Rule:

- Each wait() operation decreases the semaphore by 1.
- Each signal() operation increases the semaphore by 1.

Calculation:

Final value = Initial value – wait() + signal().

Final value = 3 – 5 + 6

Final value = 4

Final value of semaphore = 4.

3. A semaphore is initialized to 0. If 8 signal() followed by 3 wait() operations are executed, find the final value.

- Initial value of semaphore = 0
- Number of wait() operations = 3
- Number of signal() operations = 8

Rule:

- Each wait() operation decreases the semaphore by 1.
- Each signal() operation increases the semaphore by 1.

Calculation:

- Final value = Initial value + signal () - wait().
- Final value = $0 + 8 - 3$
- Final value = 5

Final value of semaphore = 5.

4. A semaphore is initialized to 2. If 5 wait() operations are executed: a) How many processes enter the critical section? b) How many processes are blocked?

- Initial value of semaphore = 2
- Number of wait() operations = 5

Rule:

- Each wait() operation allows a process to enter the critical section **only if semaphore > 0**
- When semaphore becomes **0**, further wait() operations are **blocked**.

Calculation:

- Initial semaphore value = 2
- First 2 wait() operations:
 - Semaphore decreases to 0
 - 2 processes enter the critical section.
- Remaining $5 - 2 = 3$ wait() operations:

- Semaphore is 0.
- These 3 processes are blocked.

- a) 2 processes enter the critical section.
b) 3 processes blocked.

5. A semaphore starts at 1. If 3 wait() and 1 signal() operations are performed: a) How many processes remain blocked? b) What is the final semaphore value?

- Initial value of semaphore = 1
- Number of wait() operations = 3
- Number of signal() operations = 1

Apply wait() operations:

- Initial value = 1.
- 1st wait() semaphore becomes 0.
- 1 process enters critical section.

Remaining wait() operations:

- $3 - 1 = 2$.
- These 2 processes are blocked.
- Apply signal() operation:
- One signal releases one blocked process.

Answer:

a) **Processes remaining blocked:**

- Initially blocked = 2.
- One released by signal() = 1.
- Remaining blocked = 1.

b) **Final semaphore value:**

- Semaphore value = 0.

6. semaphore S = 3; wait(S); wait(S); signal(S); wait(S); wait(S);

Operation	Semaphore Value	Explanation
Initial value	3	—
wait(S)	2	Process enters
wait(S)	1	Process enters
signal(S)	2	Resource released

Operation	Semaphore Value	Explanation
wait(S)	1	Process enters
wait(S)	0	Process enters

- a) **4** processes enter the critical section.
b) Final value of S = **0**.

7. semaphore S = 1; wait(S); wait(S); signal(S); signal(S); a) How many processes are blocked? b) What is the final value of S?

Operation	Semaphore Value	Notes
Initial	1	—
wait(S)	0	1 process enters CS
wait(S)	0	Semaphore = 0 → 1 process blocked
signal(S)	0	Releases 1 blocked process → process immediately acquires the semaphore.
signal(S)	1	Increments semaphore → no blocked process

When signal() is called and there is a blocked process, the blocked process is immediately released and acquires the semaphore. The semaphore may not always increase by 1 because the blocked process consumes it.

- a) **Processes blocked: 0**
b) **Final value of S: 1**

8. A binary semaphore is initialized to 1. Five wait() operations are executed without any signal(). How many processes enter the critical section and how many are blocked?

Operation	Semaphore Value	Notes
Initial	1	—
wait(S) 1	0	First process enters CS
wait(S) 2	0	Semaphore = 0 → process blocked

Operation	Semaphore Value	Notes
wait(S) 3	0	Semaphore = 0 → process blocked
wait(S) 4	0	Semaphore = 0 → process blocked
wait(S) 5	0	Semaphore = 0 → process blocked

- Processes entered critical section: 1.
- Processes blocked: remaining 4(wait 2,3,4,5).

9. A counting semaphore is initialized to 4. If 6 processes execute wait() simultaneously, how many proceed and how many are blocked?

Operation	Semaphore Value	Notes
Initial	4	—
wait(S) 1	3	Process 1 enters CS
wait(S) 2	2	Process 2 enters CS
wait(S) 3	1	Process 3 enters CS
wait(S) 4	0	Process 4 enters CS
wait(S) 5	0	Semaphore = 0 → Process 5 blocked
wait(S) 6	0	Semaphore = 0 → Process 6 blocked

Processes that proceed: 4.

Processes blocked: 2.

10. A semaphore S is initialized to 2. wait(S); wait(S); wait(S); signal(S); signal(S); wait(S);
a) Track the semaphore value after each operation. b) How many processes were blocked at any time?

Operation	Semaphore Value	Notes
Initial	2	—
wait(S) 1	1	Process 1 enters CS
wait(S) 2	0	Process 2 enters CS
wait(S) 3	0	S = 0 → Process 3 blocked
signal(S) 1	0	Releases 1 blocked process (Process 3 enters CS immediately)

Operation	Semaphore Value	Notes
signal(S) 2	1	No blocked processes → S increments by 1
wait(S) 4	0	Process 4 enters CS

c) **Processes blocked at any time: 1**

11. A semaphore is initialized to 0. Three processes execute wait() before any signal(). Later, 5 signal() operations are executed. a) How many processes wake up? b) What is the final semaphore value?

Initial S = 0:

- wait() 1 → S = 0 → process 1 blocked
- wait() 2 → S = 0 → process 2 blocked
- wait() 3 → S = 0 → process 3 blocked

Signal operations (5 signals):

- signal() 1 → releases process 1 → S remains 0 after process acquires it
- signal() 2 → releases process 2 → S remains 0
- signal() 3 → releases process 3 → S remains 0
- signal() 4 → no blocked process → S increments → S = 1
- signal() 5 → no blocked process → S increments → S = 2

a) How many processes wake up?

- 3 processes were blocked and all 3 wake up after first 3 signals.

b) Final semaphore value

- After 5 signals and all blocked processes released → S = 2.

Part 2: Semaphore Coding

Consider the Producer–Consumer problem using semaphores as implemented in Lab-10 (Lab-plan attached). Rewrite the program in your own coding style, compile and execute it successfully, and explain the working of the code in your own words.

Submission Requirements:

- Your rewritten source code
- A brief description of how the code works
- Screenshots of the program output showing successful execution

```

• fatima@DESKTOP-3BA3T21:~/Assignment2 code$ gcc Prod_cons.c -o output1
• fatima@DESKTOP-3BA3T21:~/Assignment2 code$ ./output1
Producer 1 produced item 100 at position 0
Consumer 1 consumed item 100 from position 0
Producer 2 produced item 200 at position 1
Consumer 2 consumed item 200 from position 1
Producer 1 produced item 101 at position 2
Producer 2 produced item 201 at position 3
Consumer 1 consumed item 101 from position 2
Consumer 2 consumed item 201 from position 3
Producer 1 produced item 102 at position 4
Producer 2 produced item 202 at position 0
Consumer 1 consumed item 102 from position 4
Consumer 2 consumed item 202 from position 0

```

Description:

Producer Steps:

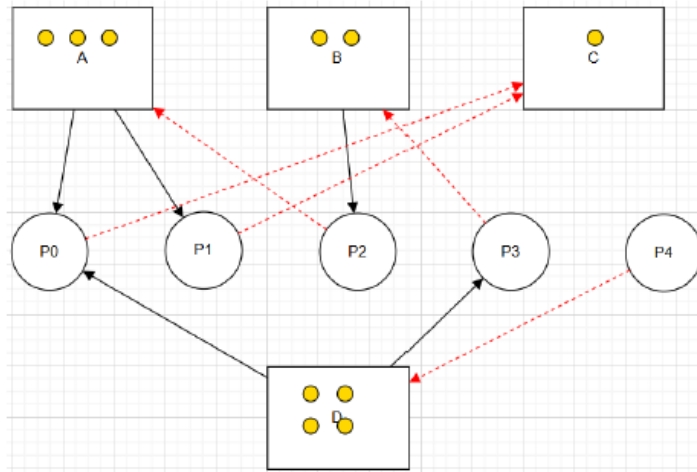
1. Producer checks for empty space using `sem_wait(&empty)`.
2. Producer locks the buffer using `mutex`.
3. Producer puts an item in the buffer.
4. Producer unlocks the buffer.
5. Producer signals that the buffer is full using `sem_post(&full)`.

Consumer Steps:

1. Consumer checks for available item using `sem_wait(&full)`.
2. Consumer locks the buffer using `mutex`.
3. Consumer removes an item from the buffer.
4. Consumer unlocks the buffer.
5. Consumer signals that the buffer is empty using `sem_post(&empty)`.

Part 3: RAG (Recourse Allocation Graph)

- Convert the following graph into matrix table ,



RAG:

Process	A	B	C	D
P0	1	0	0	1
P1	1	0	0	0
P2	0	1	0	0
P3	0	0	0	1
P4	0	0	0	0

Part 4: Banker's Algorithm System Description:

- The system comprises five processes (P0–P3) and four resources (A,B,C,D).
- Total Existing Resources:

Total			
A	B	C	D
6	4	4	2

- Snapshot at the initial time stage:

	Allocation				Max				Need			
	A	B	C	D	A	B	C	D	A	B	C	D
P0	2	0	1	1	3	2	1	1				
P1	1	1	0	0	1	2	0	2				
P2	1	0	1	0	3	2	1	0				
P3	0	1	0	1	2	1	0	1				

1. **Compute the Available Vector: Calculate the available resources for each type of resource.**

Total Existing Resources:

Total			
A	B	C	D
6	4	4	2

Allocated Resources:

$$A = 2+1+1+0 = 4.$$

$$B = 0+1+0+1 = 2.$$

$$C = 1+0+1+0 = 2.$$

$$D = 1+0+0+1 = 2.$$

Total Available Resources: Existing – Allocated.

$$A: 6-4 = 2.$$

$$B: 4-2 = 2.$$

$$C: 4-2 = 2.$$

$$D: 2-2 = 0.$$

Available Resources vector: [2, 2, 2, 0]

2. Determine the need matrix by subtracting the allocation matrix from the maximum matrix.

2. Compute the Need Matrix: Claim/Max – Allocation.

	A	B	C	D
P0	1	2	0	0
P1	0	1	0	2
P2	2	2	0	0
P3	2	0	0	0

Determine if the current allocation state is safe. If so, provide a safe sequence of the processes.

Show how the Available (working array) changes as each process terminates.

3. Safety Check:

- **Step 1: P0**
 - Can P0 be satisfied? Need (1, 2, 0, 0) < Available (2, 2, 2, 0). **Yes.**
 - P0 terminates and releases its allocation.
 - **New Available** = (2, 2, 2, 0) + (2, 0, 1, 1) = (4, 2, 3, 1).
- **Step 2: P2**
 - Can P2 be satisfied? Need (2, 2, 0, 0) < Available (4, 2, 3, 1). **Yes.**
 - P2 terminates and releases its allocation.
 - **New Available** = (4, 2, 3, 1) + (1, 0, 1, 0) = (5, 2, 4, 1)
- **Step 3: P3**
 - Can P3 be satisfied? Need (2, 0, 0, 0) < Available (5, 2, 4, 1). **Yes.**
 - P3 terminates and releases its allocation.
 - **New Available** = (5, 2, 4, 1) + (0, 1, 0, 1) = (5, 3, 4, 2).
- **Step 4: P1**
 - Can P1 be satisfied? Need (0, 1, 0, 2) < Available (5, 3, 4, 2). **Yes.**
 - P1 terminates and releases its allocation.
 - **New Available** = (5, 3, 4, 2) + (1, 1, 0, 0) = (6, 4, 4, 2).

- **Conclusion:** The system is in a Safe State.
- **Safe Sequence:** P0 -> P2 -> P3 -> P1