# Information Engineering and Technology Faculty German University in Cairo



## NETW-1013: Machine Learning

Assignment Report

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## Introduction

Machine learning (ML) is an application of artificial intelligence (AI) that provides systems the ability to automatically learn and improve from experience without being explicitly programmed. ML focuses on the development of computer programs that can access data and use it to learn for themselves. There are several types of ML, which are: Supervised, Unsupervised, and Reinforcement Learning. First, supervised learning. Which is also known as predictive learning. Its goal is to learn how to map from inputs x to outputs y. It consists of 2 types, which are: **Regression** "when y is a continuous value output" and **Classification** "when y is a discrete value output". Second, unsupervised learning, which is also known as descriptive learning. Its goal is to find interesting patterns in the data. It consists of 2 types, which are **Clustering** " grouping data into cohesive groups " and **Non-Clustering** "finding structure in a chaotic environment". In this report, it focuses on linear regression to estimate the hypothesis function to predict continuous valued output while using ML diagnostics. In order to avoid the overfitting and underfitting problems, Model Selection technique is used.

## Methodology

## **Model Selection**

#### 1. Goal:

Learn the parameter theta from training data to minimize training error J (  $\theta$  ) & compute test set error using computecostmulti

## 2. Steps:

- Read the dataset : data=pd.read\_csv("house\_prices\_data\_training\_data.csv")
- 2) Drop the Nan cells in the dataset: data.dropna(axis=0, how='any', thresh= None, subset= None, inplace=True)
- 3) Get correlation between II features and the price, and drop the features that have correlation < 0.5 :

```
correlation_table= data.corr()
cor_target = abs(correlation_table["price"])
relevant_features = cor_target[cor_target>0.5]
#drop features that have correlation <0.5
data =
data.drop(["id","date","bedrooms","sqft_lot","floors","waterfront","view","condition","sqft_basement","yr_built","yr_renovated","zipcode","lat","long","sqft_lot1
5"], axis = 1)
```

4) Convert data frame to an array & divide the array into X and Y: X represents the features, Y represents the price

```
array = data.to_numpy()
X = array[:,1:]
Y = array[:,0]
```

False)

5) Split the data into a Training Set (60%), a Cross Validation (CV) Set (20%) and a Test Set (20%)

```
# Dividing into 60% Trainning set and 40% the rest.
trainX, restX, trainY, restY = train_test_split(X, Y, test_size = 0.4, shuffle =
```

# Dividing the remaining 40% into 20% Testing set and 20% validation set.
validateX, testX, validateY, testY = train\_test\_split(restX, restY, test\_size =
0.5, shuffle = False)

6) Normalize the trainX, testX, validateX using the featureNormalize(X) function implemented in assignment 1

```
trainX_norm , mutrain, sigmatrain =
featureNormalize(trainX)

validateX_norm , muvalidate, sigmavalidate = featureNormalize(validateX)
testX_norm , mutest, sigmatest = featureNormalize(testX)
```

7) Add ones to normalized trainX, testX, validateX trainY\_size = trainY.size trainX\_norm = np.concatenate([np.ones((trainY\_size,1)), trainX\_norm], axis=1) testY\_size = testY.size testX\_norm = np.concatenate([np.ones((testY\_size,1)), testX\_norm], axis=1) validateY\_size = validateY.size validateY\_size, norm = np.concatenate([np.ones((validateY\_size,1)), validateX\_norm], axis=1)

- 8) Will need to use computeCostMulti(X, y, theta) function: (Previously implemented in assignment 1)
  Compute cost for linear regression with multiple variables. Computes the cost of using theta as the parameter for linear regression to fit the data points in X and y.
- 9) Will need to use gradientDescentMulti(X, y, theta, alpha, num\_iters) function: (Previously implemented in assignment 1) Performs gradient descent to learn theta. Updates theta by taking num\_iters gradient steps with learning rate alpha.
- 10) Use different alphas = 0.001, 0.01, 0.0002

```
11) Number of iterations = 150
    12) Compute gradient descent on the normalized trainX, testX, validateX
       theta, J history1 = gradientDescentMulti(trainX norm, trainY, theta, alpha1,
num iters)
       print('Computed theta:',theta)
               theta2, J history2 = gradientDescentMulti(validateX norm, validateY,
       theta, alpha2, num iters)
       print('Computed theta:',theta2)
       theta3, J_history3= gradientDescentMulti(testX_norm, testY, theta, alpha3,
num iters)
       print('Computed theta:',theta3)
   13) Plot JHistory vs Number of iterations
       pyplot.figure()
       pyplot.plot(np.arange(len(J_history1)), J_history1, lw=2)
       pyplot.xlabel('Number of iterations')
       pyplot.ylabel('Cost J 1')
       #alpha 2
       pyplot.figure()
       pyplot.plot(np.arange(len(J history2)), J history2, lw=2)
       pyplot.xlabel('Number of iterations')
       pyplot.ylabel('Cost J 2')
       #alpha 3
       pyplot.figure()
       pyplot.plot(np.arange(len(J_history3)), J_history3, lw=2)
```

14) Computecostmulti on normalized testX, TestY, and thetas computed from the gradient descent to calculate the error

#### Train w validation

```
Estimate the generalization error using the test set
```

Jtest1 = computeCostMulti(testX\_norm, testY, theta)
Jtest2 = computeCostMulti(testX\_norm, testY, theta2)
Jtest3 = computeCostMulti(testX\_norm, testY, theta3)

15) Make 4 new functions, which are:

pyplot.xlabel('Number of iterations')

pyplot.ylabel('Cost J 3')

- a) computeCostMulti2
- b) computeCostMulti3
- c) gradientDescentMulti2
- d) gradientDescentMulti3

NB: THE YELLOW HIGHLIGHTED LINES ARE UPDATED LINES IN THE FUNCTION

```
def computeCostMulti2(trainX, trainY, theta):
  # Initialize some useful values
  m = trainY.shape[0] # number of training examples
  # You need to return the following variable correctly
  # ====== YOUR CODE HERE
_____
  J = np.dot((np.dot(np.square(trainX), theta) - trainY), (np.dot(np.square(trainX),
theta) - trainY)) / (2 * m) + ((1/(2*m))* np.sum(np.dot(theta, theta)))
______
  return J
def computeCostMulti3(trainX, trainY, theta):
  # Initialize some useful values
  m = trainY.shape[0] # number of training examples
  # You need to return the following variable correctly
  J = 0
  # ====== YOUR CODE HERE
_____
J=0
J = np.dot((np.dot(np.power(trainX, 3), theta) - trainY), (np.dot(np.power(trainX,
3), theta) - trainY)) / (2 * m) + ((1/(2*m))* np.sum(np.dot(theta, theta)))
______
=====
  return J
def gradientDescentMulti2(trainX, trainY, theta, alpha, num_iters):
  # Initialize some useful values
  m = trainY.shape[0] # number of training examples
  # make a copy of theta, which will be updated by gradient descent
  theta = theta.copy()
  J history = []
 for i in range(num_iters):
    # ====== YOUR CODE HERE
_____
    hypothesis=np.dot(np.square(trainX), theta)
```

```
theta=theta*(1-(alpha)/m)-((alpha/m)*(np.dot(trainX.T, hypothesis-trainY)))
    #
______
    # save the cost J in every iteration
    J history.append(computeCostMulti2(trainX, trainY, theta))
  return theta, J history
def gradientDescentMulti3(trainX, trainY, theta, alpha, num iters):
  # Initialize some useful values
  m = trainY.shape[0] # number of training examples
  # make a copy of theta, which will be updated by gradient descent
  theta = theta.copy()
  J_history = []
  for i in range(num_iters):
    # ======= YOUR CODE HERE
_____
    hypothesis=np.dot(np.power(trainX, 3), theta)
   theta=theta*(1-(alpha)/m)-((alpha/m)*(np.dot(trainX.T, hypothesis-trainY)))
    #
______
    # save the cost J in every iteration
    J history.append(computeCostMulti3(trainX, trainY, theta))
  return theta, J_history
```

## Regularization

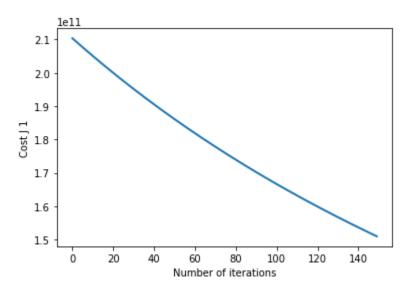
In regularization, the computeCostMulti and gradientDescentMulti functions differ from that of the model selection by adding a "Penalty Term" (lamda) that increases with the complexity of the hypothesis to the optimization problem

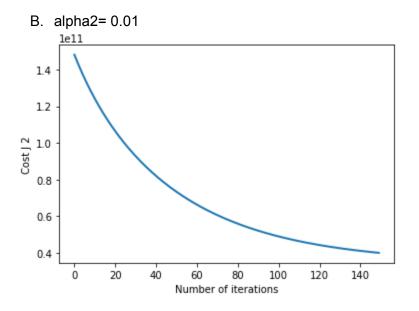
```
def computeCostMulti(X, y, theta, lambda):
    m = y.shape[0]
    J = 0
    thetaa = theta.copy()
    thetaa[0] = 0
    J= ((1/(2*m)) * np.dot(np.transpose(np.dot(X,theta)-y),np.dot(X,theta)-y)) +
((lambda_ / (2 * m)) * np.sum(np.square(thetaa)))
    return J
```

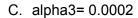
## Results

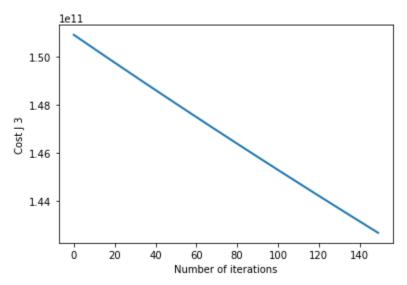
## A. Model Selection

- I. Number of iterations = 150
- II. Using gradientDescentMulti(trainX\_norm, trainY, theta, alpha, num\_iters) Used different alphas:
  - A. alpha1= 0.001









From the previous graphs, it's obvious that using alpha2 is appropriate as CostJ converges soon. So, theta2 will be used to evaluate the computeCostMulti for testX, trainX and validateX.

#### D. Cost error:

```
Jtest2 = computeCostMulti(testX_norm, testY, theta2)
Jtest2
```

34272149810.970287

```
Jtrain2 = computeCostMulti(trainX_norm, trainY, theta2)
Jtrain2
```

39928859090.027016

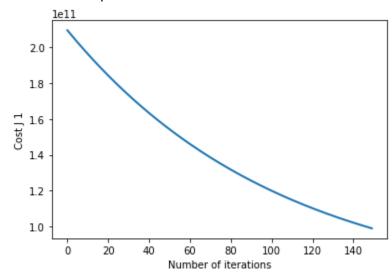
```
Jvalidate2 = computeCostMulti(validateX_norm, validateY, theta2)
Jvalidate2
```

35229769855.84928

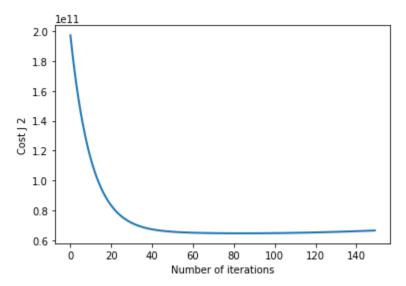
From the previous results, Jtrain>JValidate.

III. Using gradientDescentMulti2(trainX\_norm, trainY, theta, alpha, num\_iters) Used different alphas:

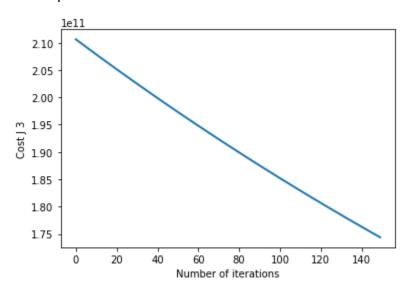
A. alpha1= 0.001



## B. alpha2= 0.01



#### C. alpha3= 0.0002



From the previous graphs, it's obvious that using alpha2 is appropriate as CostJ converges soon. So, theta2 will be used to evaluate the computeCostMulti2 for testX, trainX and validateX.

#### D. Cost error:

```
: Jtest22 = computeCostMulti2(testX_norm, testY, theta_22)
Jtest22
```

: 65891270508.58069

```
Jtrain22 = computeCostMulti2(trainX_norm, trainY, theta_22)
Jtrain22
```

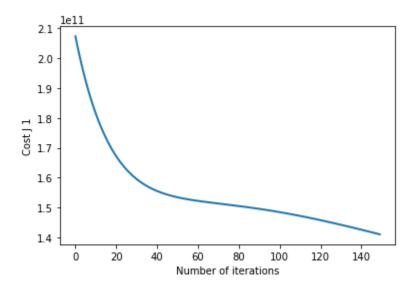
66472517615.179245

```
alidate22 = computeCostMulti2(validateX_norm, validateY, theta_22 alidate22
```

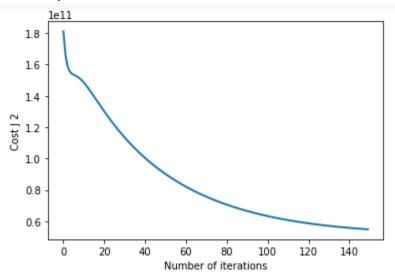
89698284417.26802

From the previous results, Jtrain << JValidate. Therefore, its suffering variance problem.

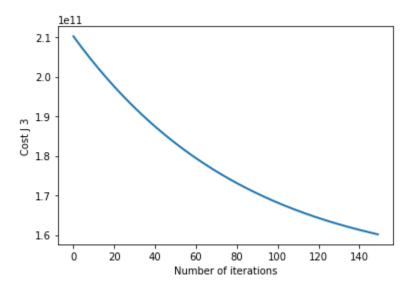
IV. Using gradientDescentMult3(trainX\_norm, trainY, theta, alpha1, num\_iters) Used different alphas:



## B. alpha2= 0.01



## C. alpha3= 0.0002



From the previous graphs, it's obvious that using alpha2 is appropriate as CostJ converges soon. So, theta1 will be used to evaluate the computeCostMulti2 for testX, trainX and validateX.

#### D. Cost error:

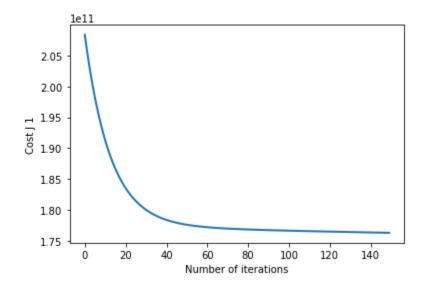
From the previous results, Jtrain << JValidate. Therefore, its suffering variance problem.

## Regularization

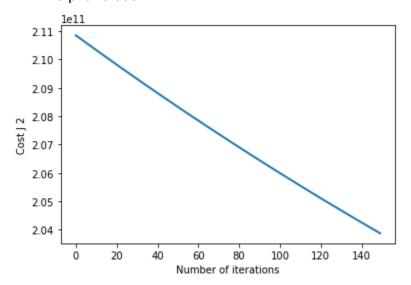
- Number of iterations = 150, lamda=0.6
- Using gradientDescentMulti(trainX\_norm, trainY, theta, alpha, num\_iters)

Used different alphas:

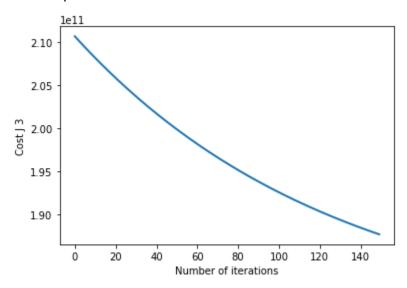
1. alpha=0.01



## 2. alpha=0.0002



#### 3. alpha=0.001



From the previous graphs, it's obvious that using alpha1 is appropriate as CostJ converges soon. So, theta1 will be used to evaluate the computeCostMulti for testX, trainX and validateX.

#### Cost Error:

```
Jtest3 = computeCostMulti(testX_norm, testY, theta1,lam)
Jtest3

171934786794.8109

Jtrain3 = computeCostMulti(trainX_norm, trainY, theta1,lam)
Jtrain3

176310791977.15994

validate3 = computeCostMulti(validateX_norm, validateY, theta1,lam)
validate3

172966046800.98535
```

From the previous results, JValidate~ Jtrain ~ Jtests

